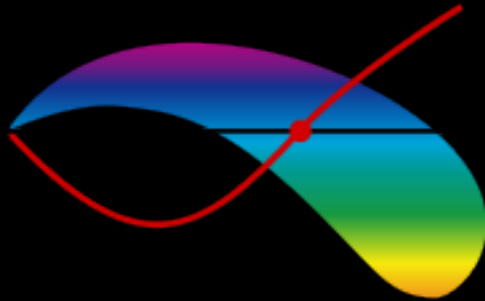


# Flavor and Scalar Signals of an Extended Color Sector

**R. SEKHAR CHIVUKULA**  
**MICHIGAN STATE UNIVERSITY**

**SCGT14Mini**



- Extended Color Dynamics
- A Top-Coloron Model
- Flavor Symmetries and Constraints
- Scalars: Same Sign Top Signature
- Flavor Independent Constraints
- Conclusions

# EXTENDED COLOR DYNAMICS

## New colored gauge bosons

**Classic Axigluon:** P.H. Frampton and S.L. Glashow, Phys. Lett. B 190, 157 (1987).

**Topgluon:** C.T. Hill, Phys. Lett. B 266, 419 (1991).

**Flavor-universal Coloron:** R.S. Chivukula, A.G. Cohen, & E.H. Simmons, Phys. Lett. B 380, 92 (1996).

**Chiral Color with  $g_L \neq g_R$ :** M.V. Martynov and A.D. Smirnov, Mod. Phys. Lett. A 24, 1897 (2009).

**New Axigluon:** P.H. Frampton, J. Shu, and K. Wang, Phys. Lett. B 683, 294 (2010).

## Other color-octet states: (cf. “partial compositeness”)

**KK gluon:** H. Davoudiasl, J.L. Hewett, and T.G. Rizzo, Phys. Rev. D 63, 075004 (2001)

B. Lillie, L. Randall, and L.-T. Wang, JHEP 0709, 074 (2007).

**Techni-rho:** E. Farhi and L. Susskind, Physics Reports 74, 277 (1981).

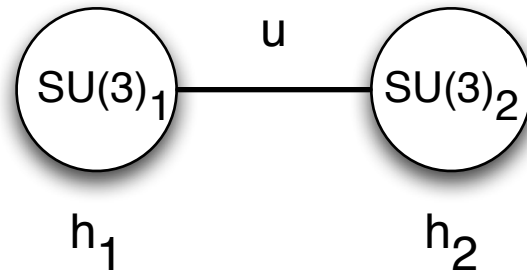
## Recent catalog of colored states:

**Color sextets, colored scalars, low-scale scale string resonances...**

T. Han, I. Lewis, Z. Liu, JHEP 1012, 085 (2010).

# GAUGE SECTOR

# COLORON MODELS: GAUGE SECTOR



SU(3)<sub>1</sub> x SU(3)<sub>2</sub> color sector with  $M^2 = \frac{u^2}{4} \begin{pmatrix} h_1^2 & -h_1 h_2 \\ -h_1 h_2 & h_2^2 \end{pmatrix}$

unbroken subgroup: SU(3)<sub>1+2</sub> = SU(3)<sub>QCD</sub>

$$h_1 = \frac{g_s}{\cos \theta} \quad h_2 = \frac{g_s}{\sin \theta}$$

gluon state:  $G_\mu^A = \cos \theta A_{1\mu}^A + \sin \theta A_{2\mu}^A$

couples to:  $g_S J_G^\mu \equiv g_S (J_1^\mu + J_2^\mu)$

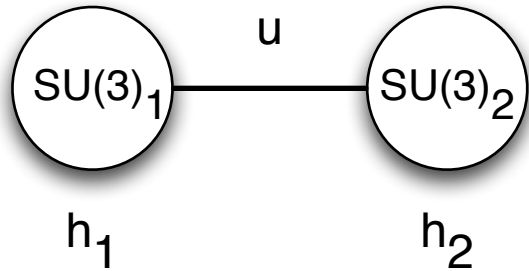
coloron state:  $C_\mu^A = -\sin \theta A_{1\mu}^A + \cos \theta A_{2\mu}^A$   $M_C = \frac{u}{\sqrt{2}} \sqrt{h_1^2 + h_2^2}$

couples to:  $g_S J_C^\mu \equiv g_S (-J_1^\mu \tan \theta + J_2^\mu \cot \theta)$

low-energy current-current interaction:  $\mathcal{L}_{FF}^2 = -\frac{g_S^2}{2M_C^2} J_C^\mu J_{C\mu}$

# FERMIONS

# COLORON MODELS: QUARK CHARGES



$$g_S J_G^\mu \equiv g_S (J_1^\mu + J_2^\mu)$$

$$g_S J_C^\mu \equiv g_S (-J_1^\mu \tan \theta + J_2^\mu \cot \theta)$$

low-energy current-current interaction:  $\mathcal{L}_{FF}^2 = -\frac{g_S^2}{2M_C^2} J_C^\mu J_{C\mu}$

Depending on how quarks transform under SU(3)<sub>1</sub> x SU(3)<sub>2</sub> the presence of colorons may impact

- LHC **dijet** mass distribution (or angular distribution)
- kinematic distributions of **tt** or **bb** final states
- asymmetry in top-quark production: **A<sub>FB</sub><sup>t</sup>**
- **FCNC** processes:  $K\bar{K}$ ,  $D\bar{D}$ ,  $B\bar{B}$  mixing,  $b \rightarrow s\gamma$
- **precision EW** observables: delta-rho, R<sub>b</sub>

# PATTERNS OF QUARK CHARGES

| SU(3) <sub>1</sub>  | SU(3) <sub>2</sub>   | model                   | pheno.                                     |
|---|--|-------------------------|--|
|   | (t,b) <sub>L</sub> q <sub>L</sub> t <sub>R,b</sub> <sub>R</sub> q <sub>R</sub> | <b>coloron</b>          | dijet                                      |
| q <sub>R</sub>  | (t,b) <sub>L</sub> q <sub>L</sub> t <sub>R,b</sub> <sub>R</sub>                |                         |  |
| t <sub>R,b</sub> <sub>R</sub>                               | (t,b) <sub>L</sub> q <sub>L</sub> q <sub>R</sub>                               |                         |  |
| q <sub>L</sub>  | (t,b) <sub>L</sub> t <sub>R,b</sub> <sub>R</sub> q <sub>R</sub>                |                         |  |
| q <sub>L</sub> t <sub>R,b</sub> <sub>R</sub>                | (t,b) <sub>L</sub> q <sub>R</sub>  | <b>new axigluon</b>     | dijet, A <sup>t</sup> <sub>FB</sub> , FCNC |
| q <sub>L</sub> q <sub>R</sub>                               | (t,b) <sub>L</sub> t <sub>R,b</sub> <sub>R</sub>                               | <b>topgluon</b>         | dijet, tt, bb, FCNC, R <sub>b</sub> ...    |
| t <sub>R,b</sub> <sub>R</sub> q <sub>R</sub>                | (t,b) <sub>L</sub> q <sub>L</sub>  | <b>classic axigluon</b> | dijet, A <sup>t</sup> <sub>FB</sub>        |
| q <sub>L</sub> t <sub>R,b</sub> <sub>R</sub> q <sub>R</sub> | (t,b) <sub>L</sub>   |                         |  |

(No spectators required)

q = u,d,c,s

# **A FLAVORFUL TOP-COLORON MODEL**

R.S.C., Elizabeth Simmons, N. Vignaroli  
PRD 87 (2013) 075002



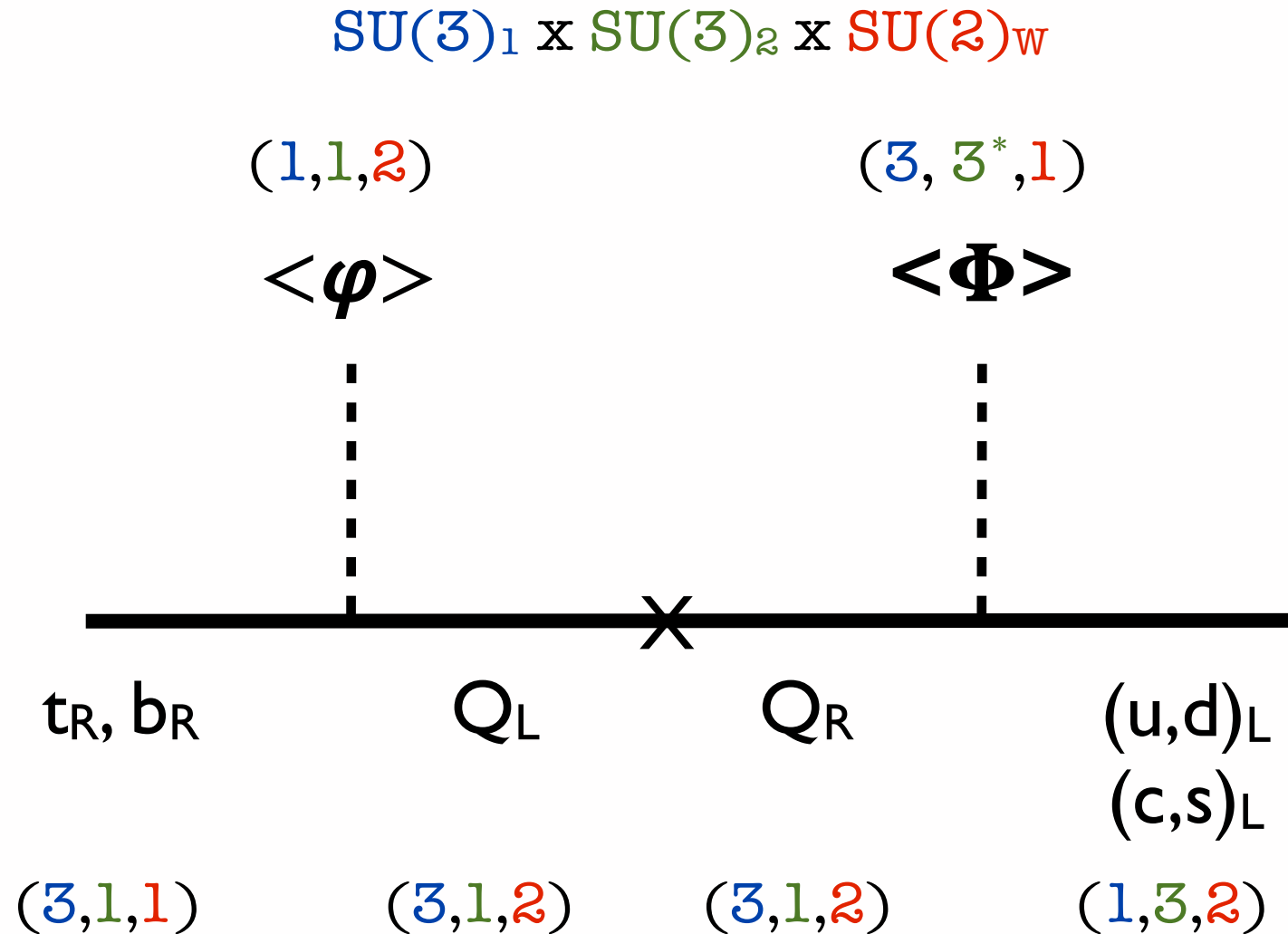
# FLAVORFUL TOP-COLORON MODEL

| particles             |   | SU(3) <sub>1</sub> | SU(3) <sub>2</sub> | SU(2) <sub>w</sub> |
|-----------------------|---|--------------------|--------------------|--------------------|
| 3rd generation quarks | (t,b) <sub>L</sub>  | 3                  | 1                  | 2                  |
|                       | t <sub>R</sub> ,b <sub>R</sub>                                | 3                  | 1                  | 1                  |
| light quarks          | (u,d) <sub>L</sub> (c,s) <sub>L</sub>                         | 1                  | 3                  | 2                  |
|                       | u <sub>R</sub> ,d <sub>R</sub> c <sub>R</sub> ,s <sub>R</sub> | 1                  | 3                  | 1                  |
| vector quarks         | Q <sub>L</sub> ,Q <sub>R</sub>                                | 3                  | 1                  | 2                  |
|                       |   |                    |                    |                    |
| light scalar          | $\varphi$   | 1                  | 1                  | 2                  |
| heavy scalar          | $\Phi$  | 3                  | 3*                 | 1                  |

Next to minimal flavor symmetry:

$$U(2)_{\vec{\psi}_L} \times U(2)_{\vec{u}_R} \times U(2)_{\vec{d}_R} \times U(2)_{\vec{Q}_L} \times U(1)_{t_R} \times U(1)_{b_R} \times U(1)_{Q_R}$$

# GENERATIONAL MIXING



Mixing to third generation occurs indirectly, through mixing with vector quarks.

# GENERATIONAL MIXING

Light Generations

$$\mathcal{M}_u = M \cdot \begin{pmatrix} \Delta_u & \vec{0} & \vec{\alpha} \\ 0 & 0 & \beta_t & 0 \\ 0 & 0 & \lambda'_t & 1 \end{pmatrix}, \quad \mathcal{M}_d = M \cdot \begin{pmatrix} \mathcal{C}\Delta_d & \vec{0} & \vec{\alpha} \\ 0 & 0 & \beta_b & 0 \\ 0 & 0 & \lambda'_b & 1 \end{pmatrix}$$

Third Generation      Vector Quarks

Weak Mixing  $\Rightarrow$  Cabibbo Matrix,  $\mathcal{C}$ , and

$$V_{ub} = \alpha_1 d = \alpha_1 \left( \frac{\lambda'_t}{\beta_t} - \frac{\lambda'_b}{\beta_b} \right) = A\lambda^3(\rho - i\eta) = 0.00131 - i0.00334$$

$$V_{cb} = \alpha_2 d = \alpha_2 \left( \frac{\lambda'_t}{\beta_t} - \frac{\lambda'_b}{\beta_b} \right) = A\lambda^2 = 0.0415,$$

$$d = \mathcal{O}(1)$$

$$\alpha_1 = \mathcal{O}(\lambda^3)$$

$$\alpha_2 = \mathcal{O}(\lambda^2)$$

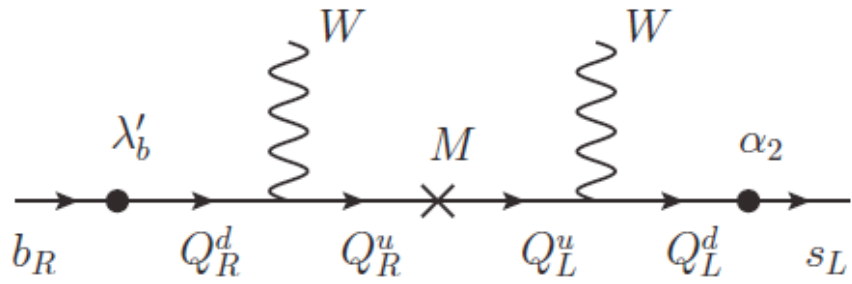
# **CONSTRAINTS FROM FLAVOR PHYSICS**

R.S.C., Elizabeth Simmons, N. Vignaroli  
PRD 87 (2013) 075002

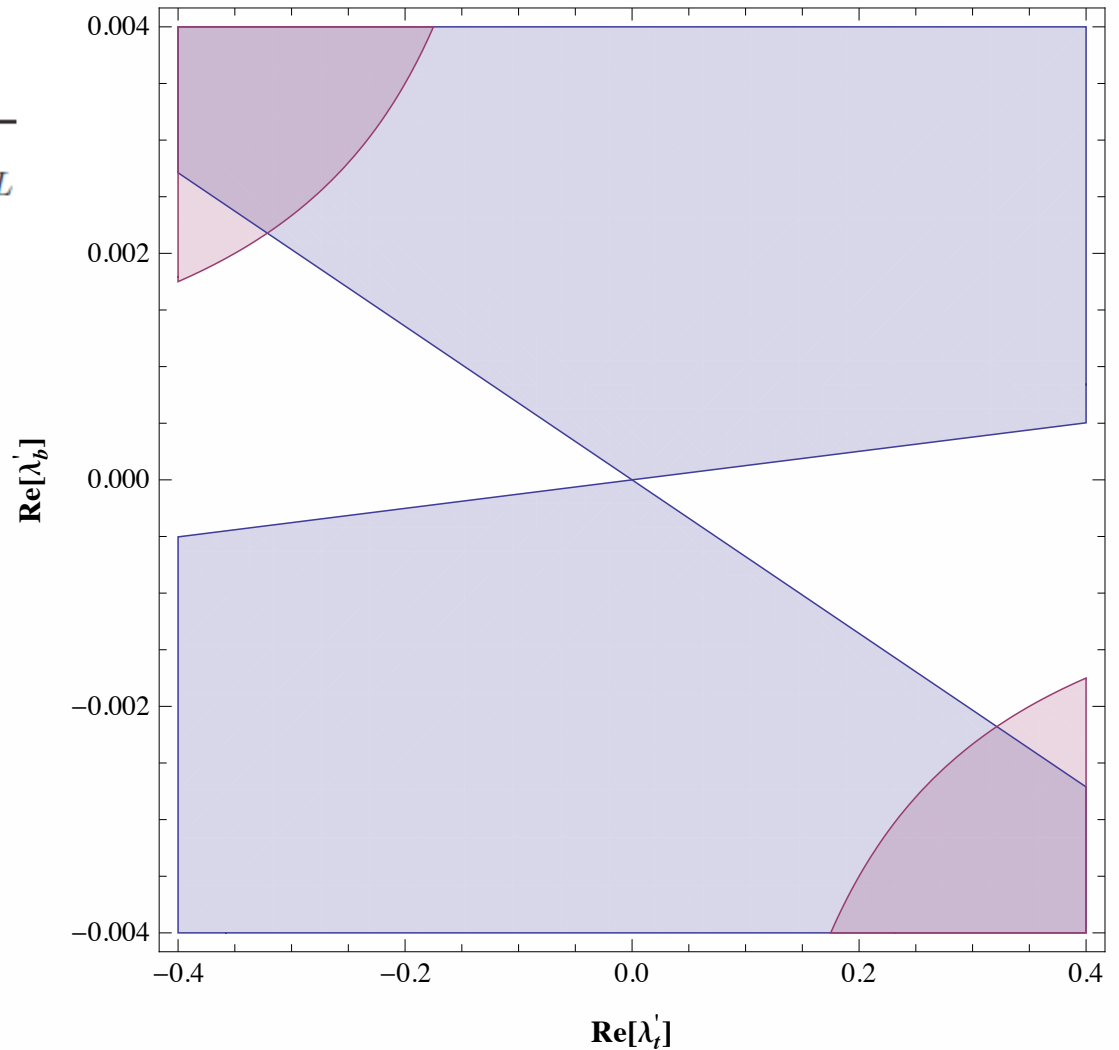
# FCNC IN TOP-COLORON MODEL

- Mixing among ordinary and heavy vector quarks also leads to flavor-changing b-quark decays:  $b \rightarrow s\gamma$
- Coloron exchange yields KK, DD, and BB mixing
  - ▶ quark charges under strong gauge groups are non-universal
  - ▶ the top and bottom mass eigenstate quarks are admixtures of ordinary and heavy vector gauge eigenstate quarks

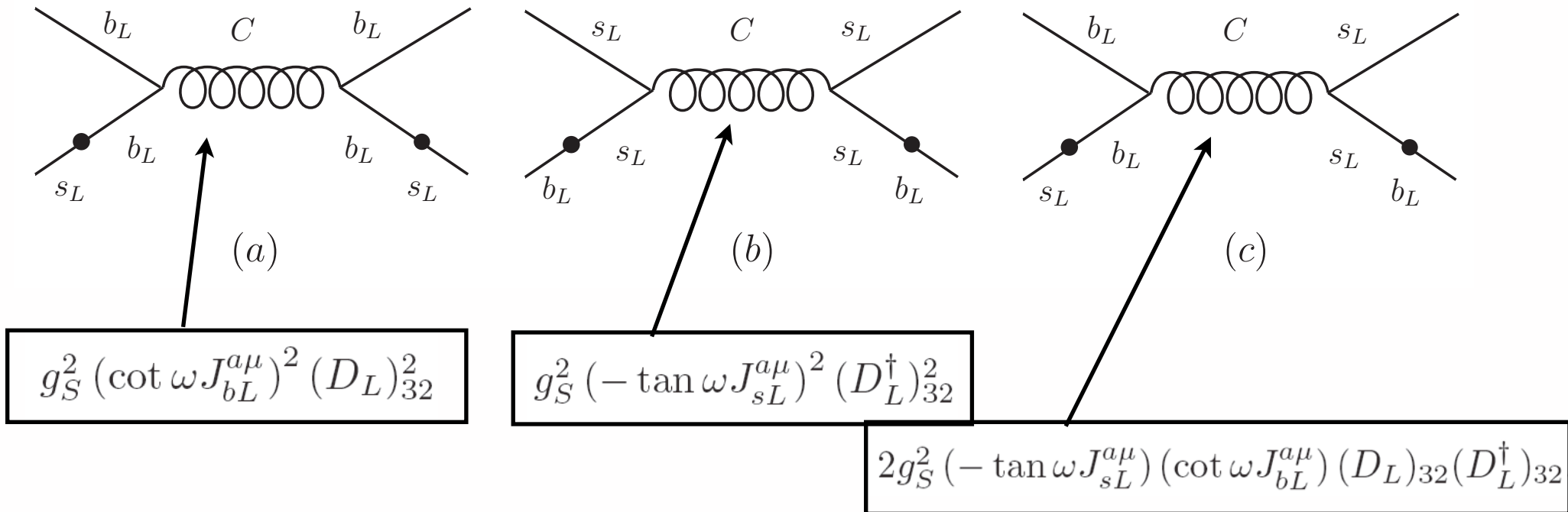
# CONSTRAINTS: $B \rightarrow S\gamma$



Mixing with right-handed electroweak doublets enhances contributions to  $b \rightarrow s\gamma$

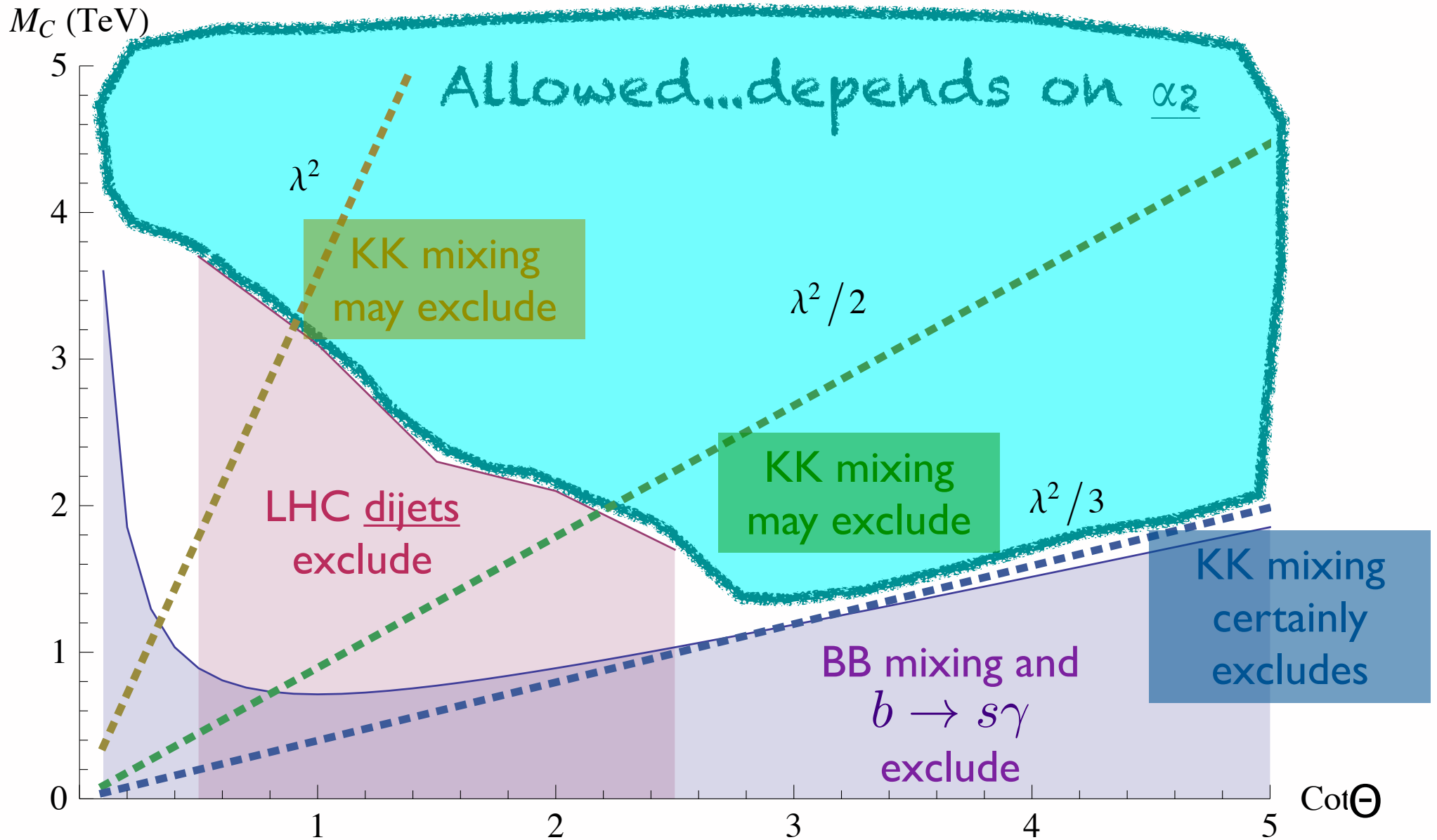


# CONSTRAINTS: B-BBAR MIXING



Flavor-changing Effects from Coloron Exchange:  
interplay between mixing and coupling strengths

# FLAVOR LIMITS ON TOP-COLORON MODEL





# SCALAR BOSONS

R.S.C., Elizabeth Simmons, N. Vignaroli

PRD 88 (2013) 034006

Bogdan Dobrescu and Yang Bai

JHEP 1107 (2011) 100

# COLORED SCALARS AND THEIR POTENTIAL

Most general renormalizable  $(3, \bar{3})$  potential:

$$V(\Phi) = -m_{\Phi}^2 \text{Tr}(\Phi\Phi^\dagger) - \mu(\det\Phi + \text{H.c.}) + \frac{\xi}{2} [\text{Tr}(\Phi\Phi^\dagger)]^2 + \frac{k}{2} \text{Tr}(\Phi\Phi^\dagger\Phi\Phi^\dagger)$$

For an appropriate range of parameters:

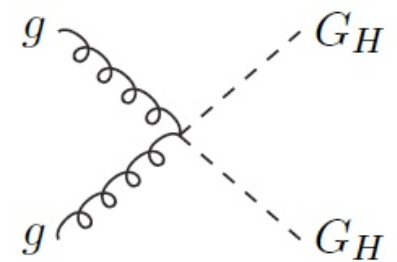
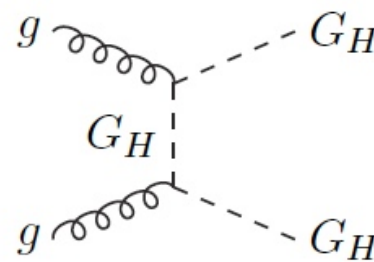
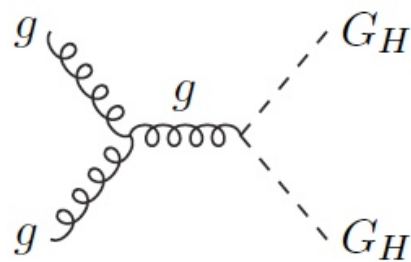
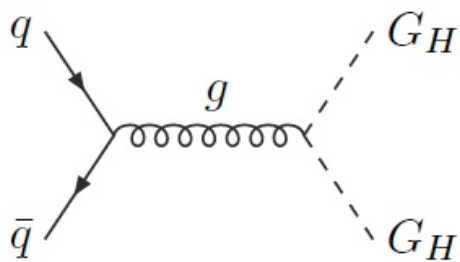
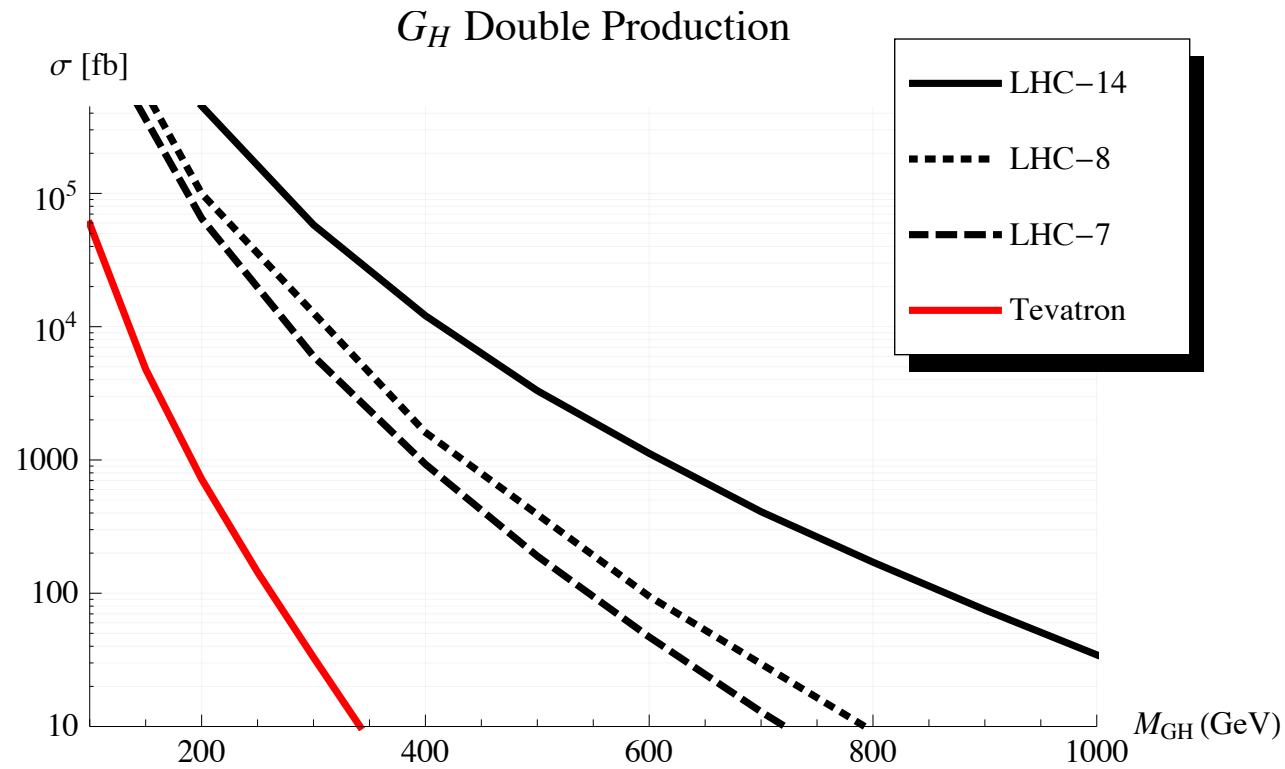
vev                      singlet fields                      eaten by colorons

$$\Phi = u + \frac{1}{\sqrt{6}} (\phi_R + i\phi_I) + (G_H^a + iG_G^a) T^a$$

Color Octet Scalars

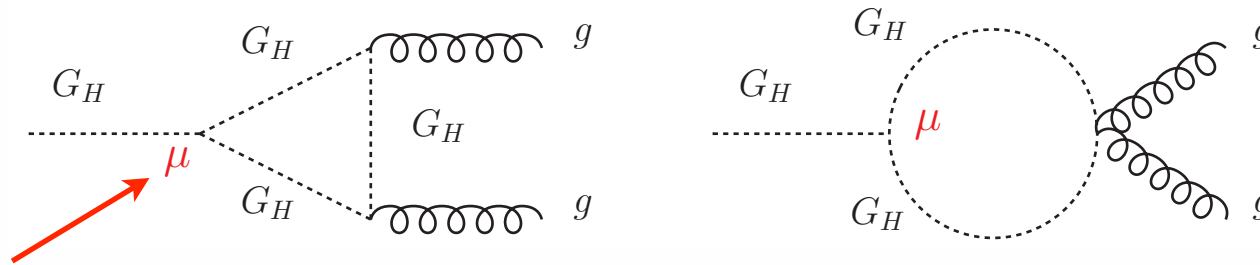
Quark couplings fixed from above!

# OCTET SCALAR PRODUCTION



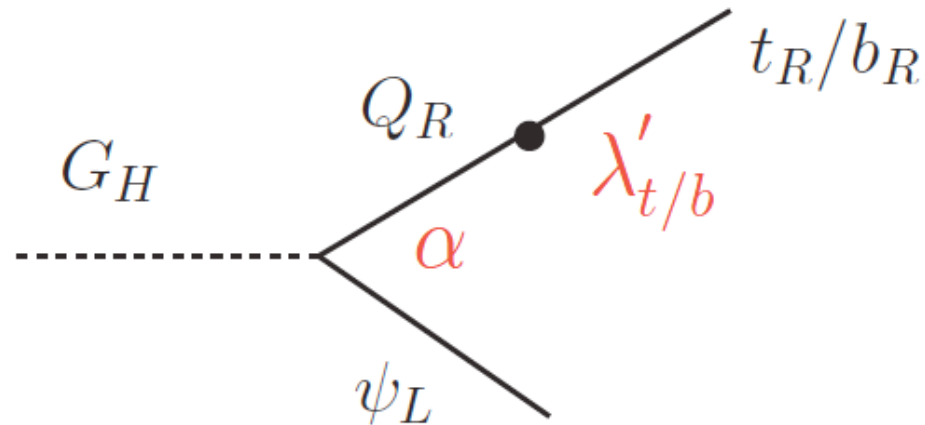
# OCTET SCALAR DECAY

Dijets:

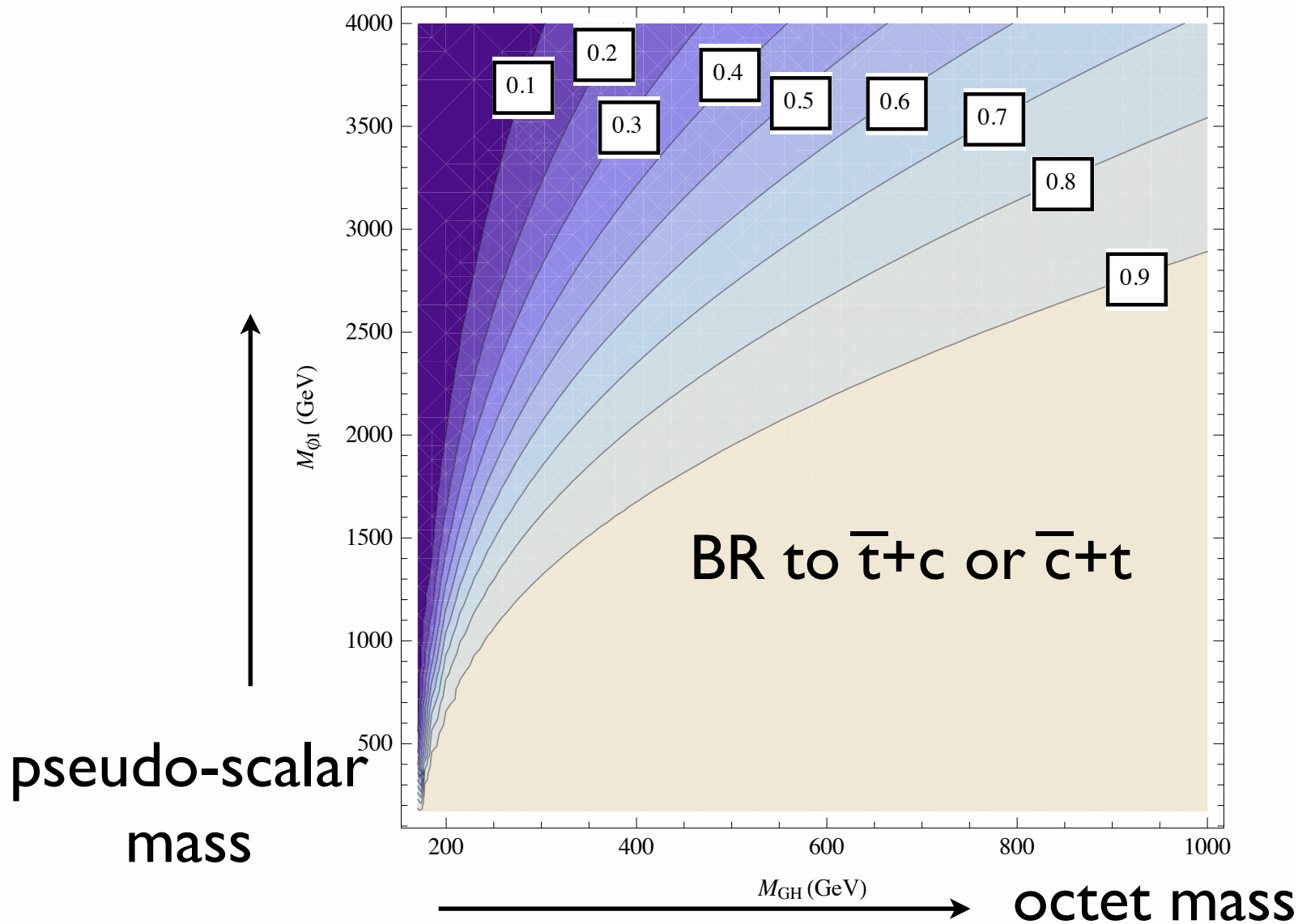


$\mu$  related to singlet  
pseudoscalar mass

$\bar{c}_L t_R + \bar{t}_R c_L :$

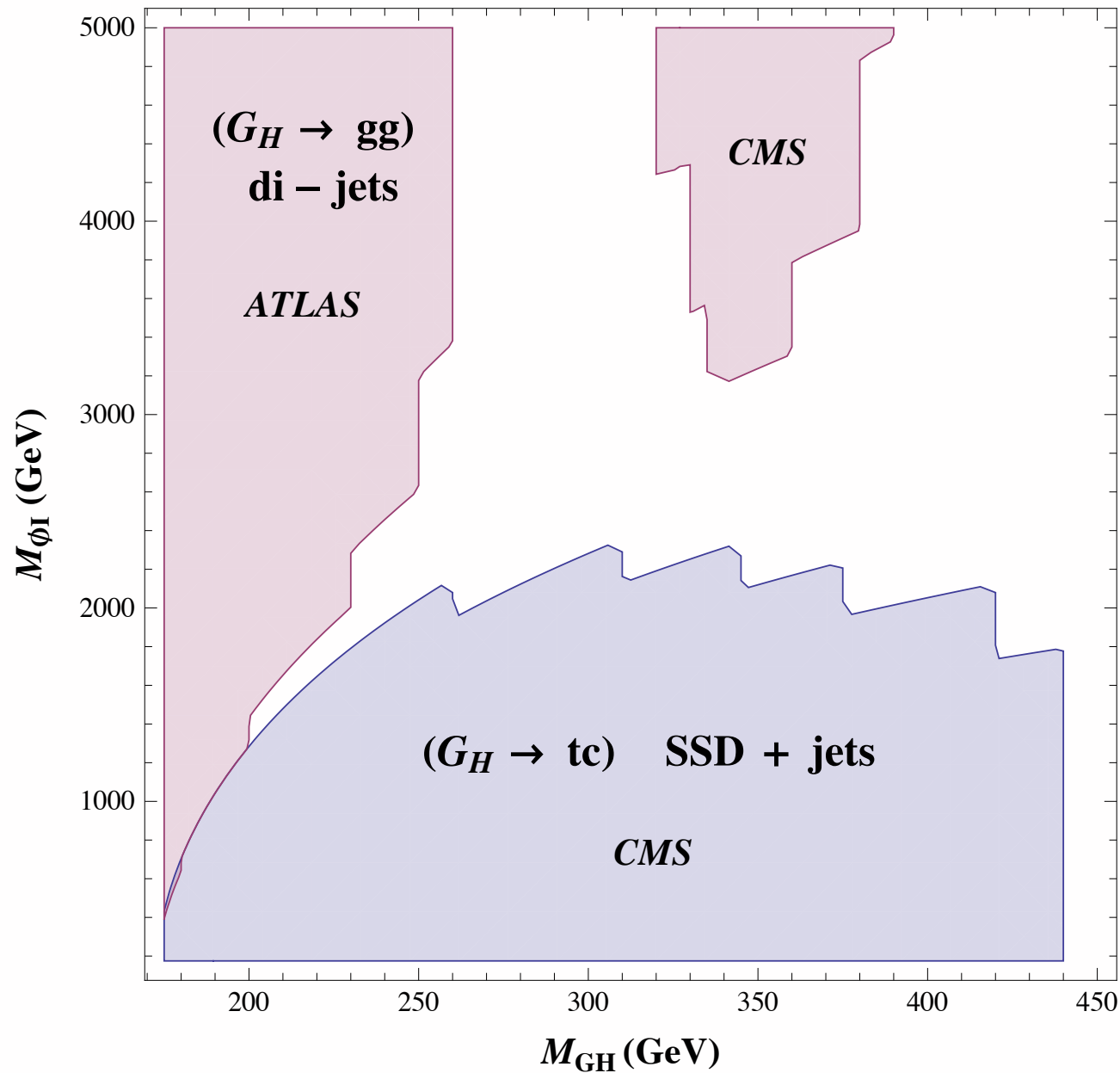


# TOP + CHARM OFTEN VERY LARGE!



Octet pair production can lead to same-sign tops (dileptons)!

# EXPERIMENTAL CONSTRAINTS



Singlet mass dependence from  
behavior of BRs

References: CMS PAS SUS-12-029  
ATLAS arXiv:1210.4826  
CMS arXiv:1302.0531


# **FLAVOR- UNIVERSAL CONSTRAINTS ON SCALARS**

R.S.C., Arsham Farzinnia, Jing Ren,  
and Elizabeth Simmons

PRD 88 (2013) 075020 and in press

# SCALAR POTENTIAL: HIGGS AND MIXING

Scalar potential includes Higgs boson as well:

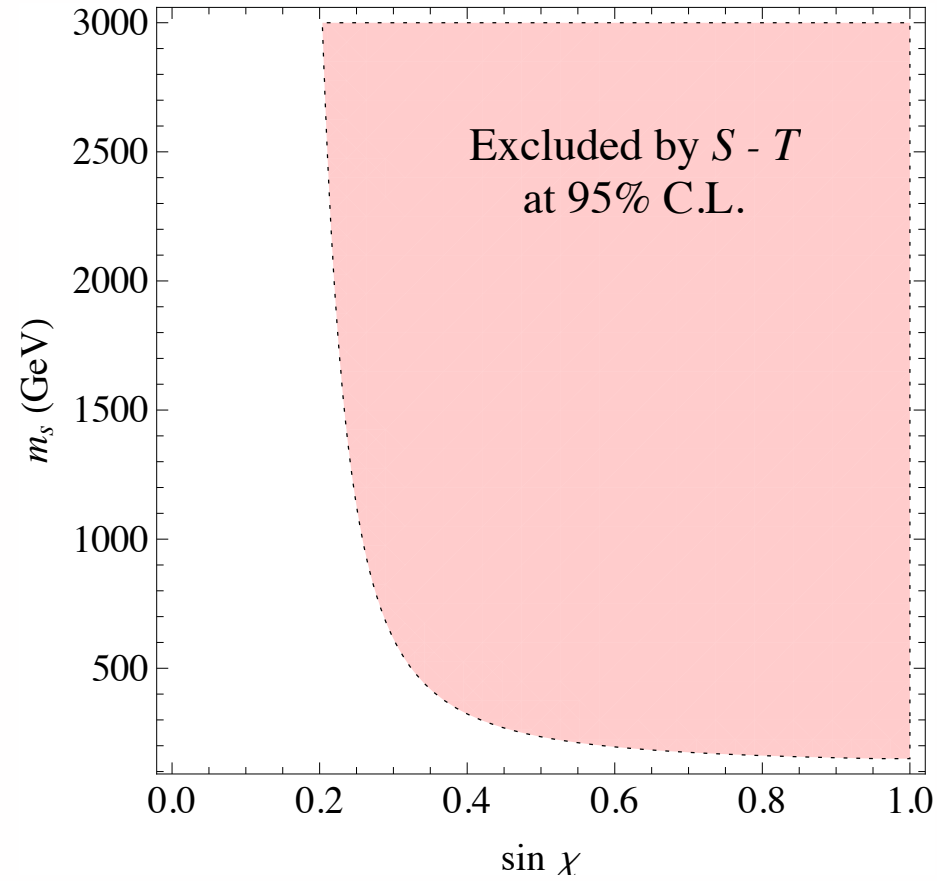
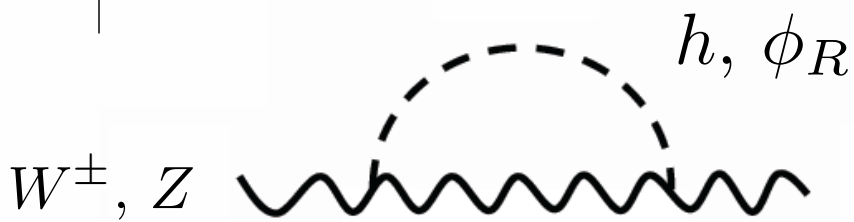
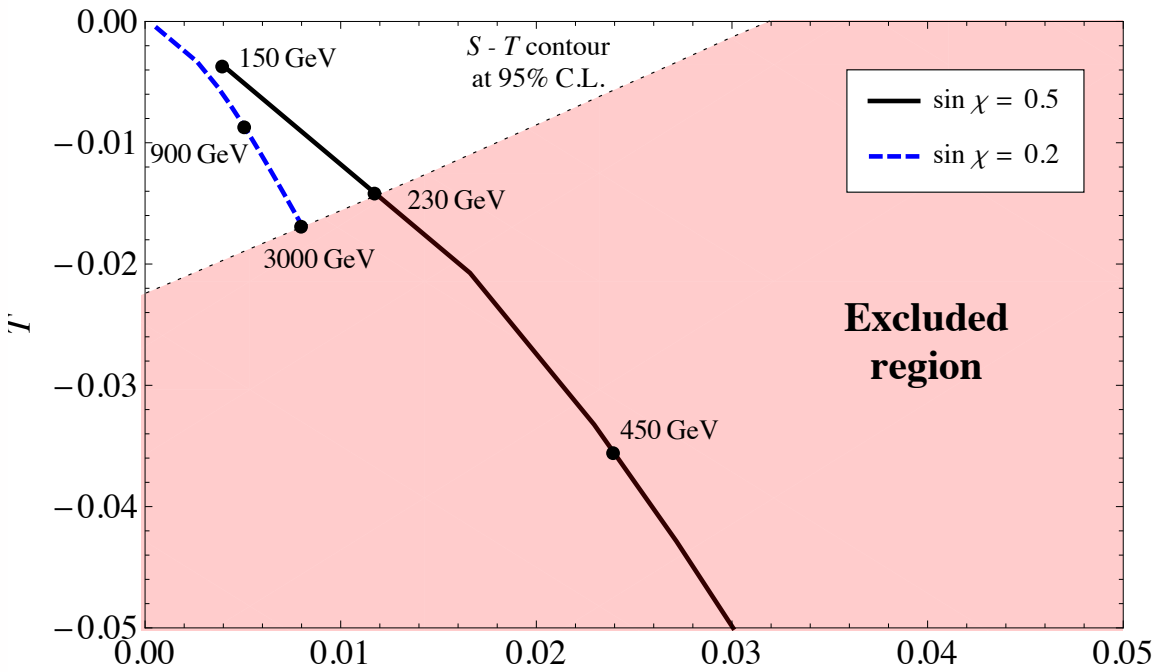
$$V(\phi, \Phi) \subset \frac{\lambda_h}{6} \left( \phi^\dagger \phi - \frac{v_h^2}{2} \right)^2 + \lambda_m \left( \phi^\dagger \phi - \frac{v_h^2}{2} \right) \left( \text{Tr} [\Phi^\dagger \Phi] - \frac{v_s^2}{2} \right)$$


“Higgs portal” coupling: mixing between electroweak and color sectors

$$h = \cos \chi h_0 - \sin \chi \phi_{0R}$$

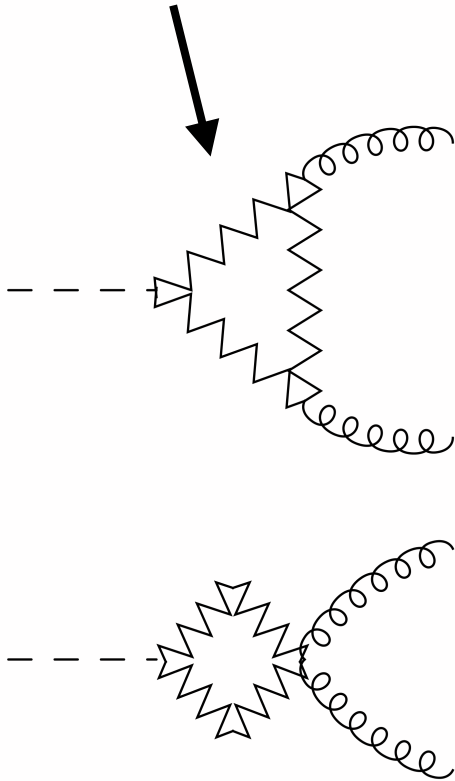


# PRECISION ELECTROWEAK CONSTRAINTS

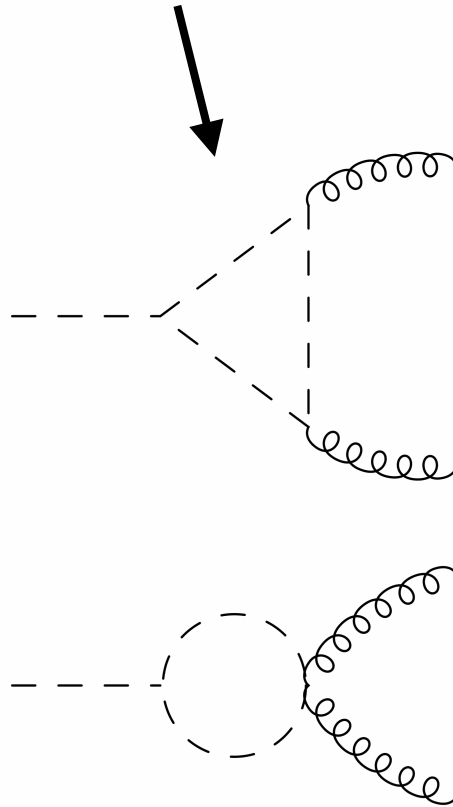


# NEW STATES CONTRIBUTE TO HIGGS PRODUCTION!

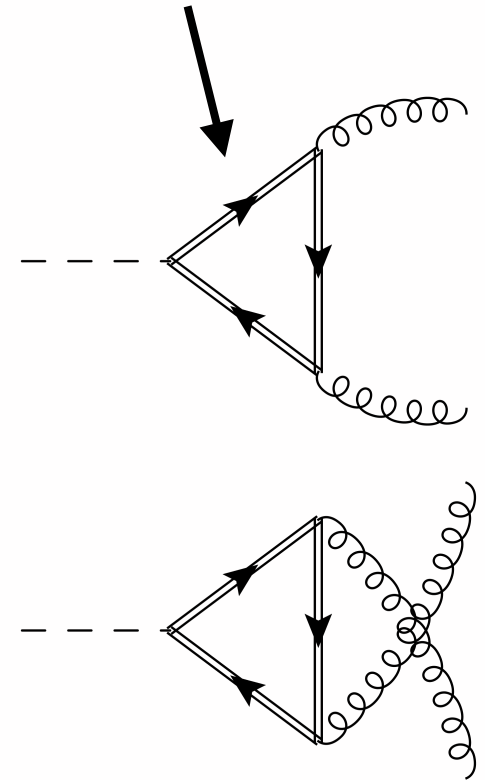
**Colorons**



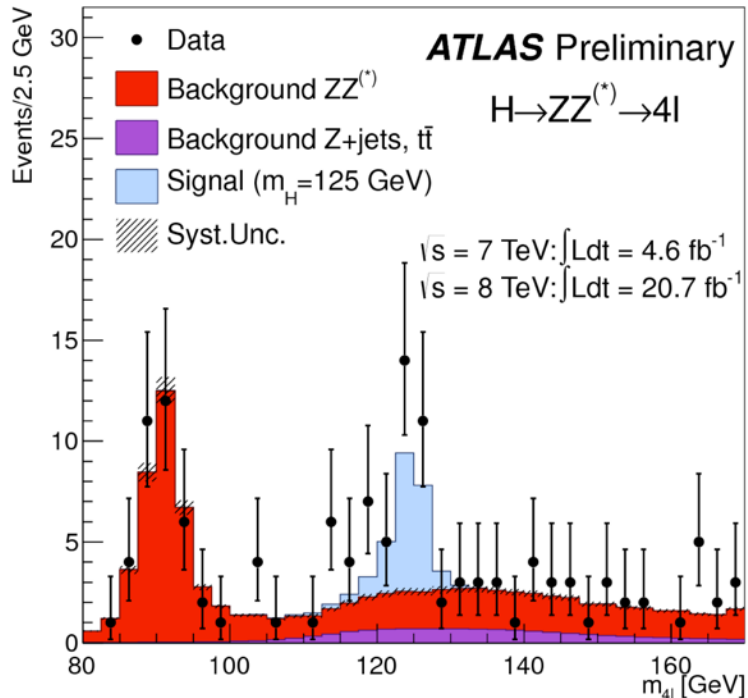
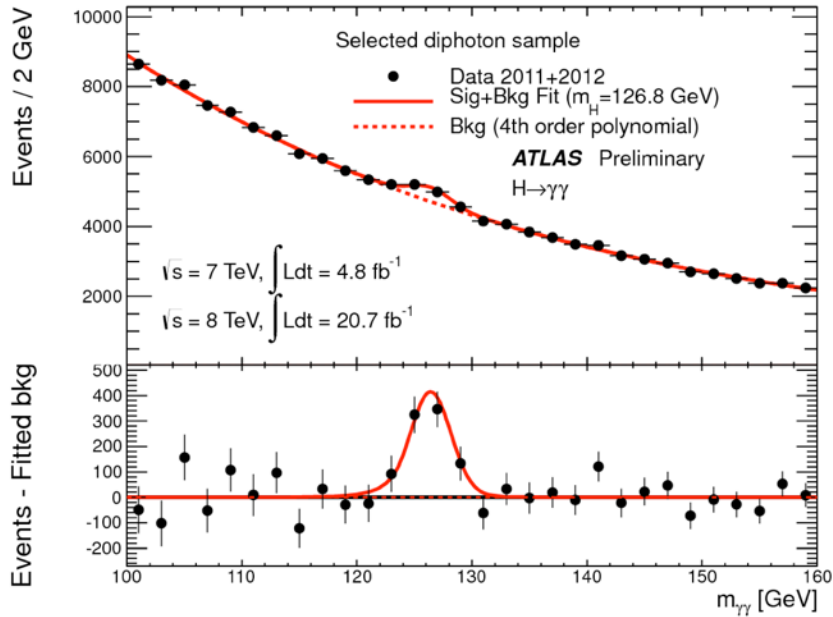
**Scalars**



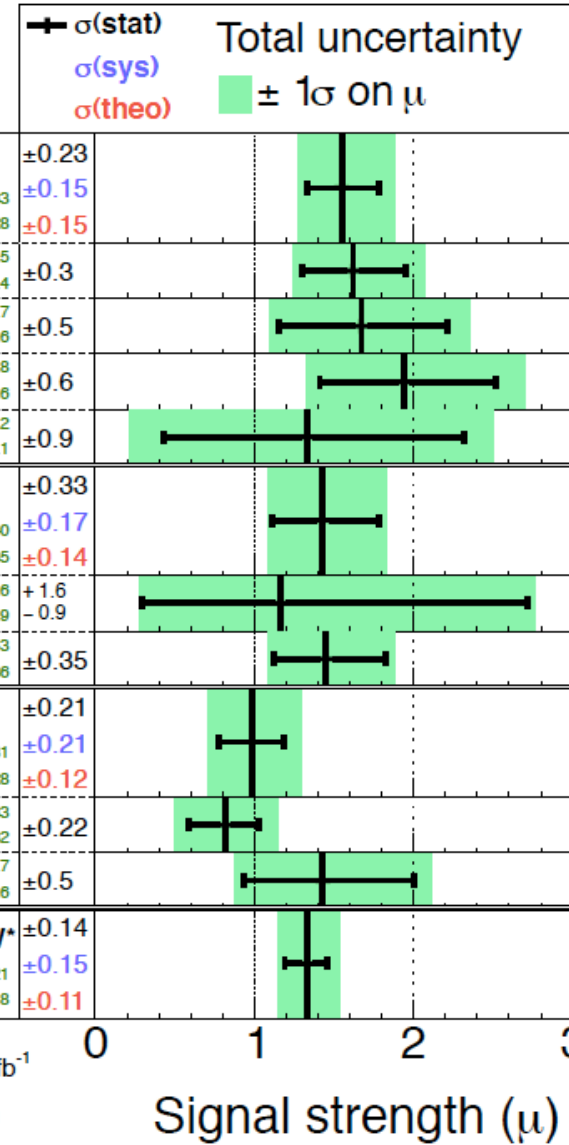
**Spectator  
Fermions**



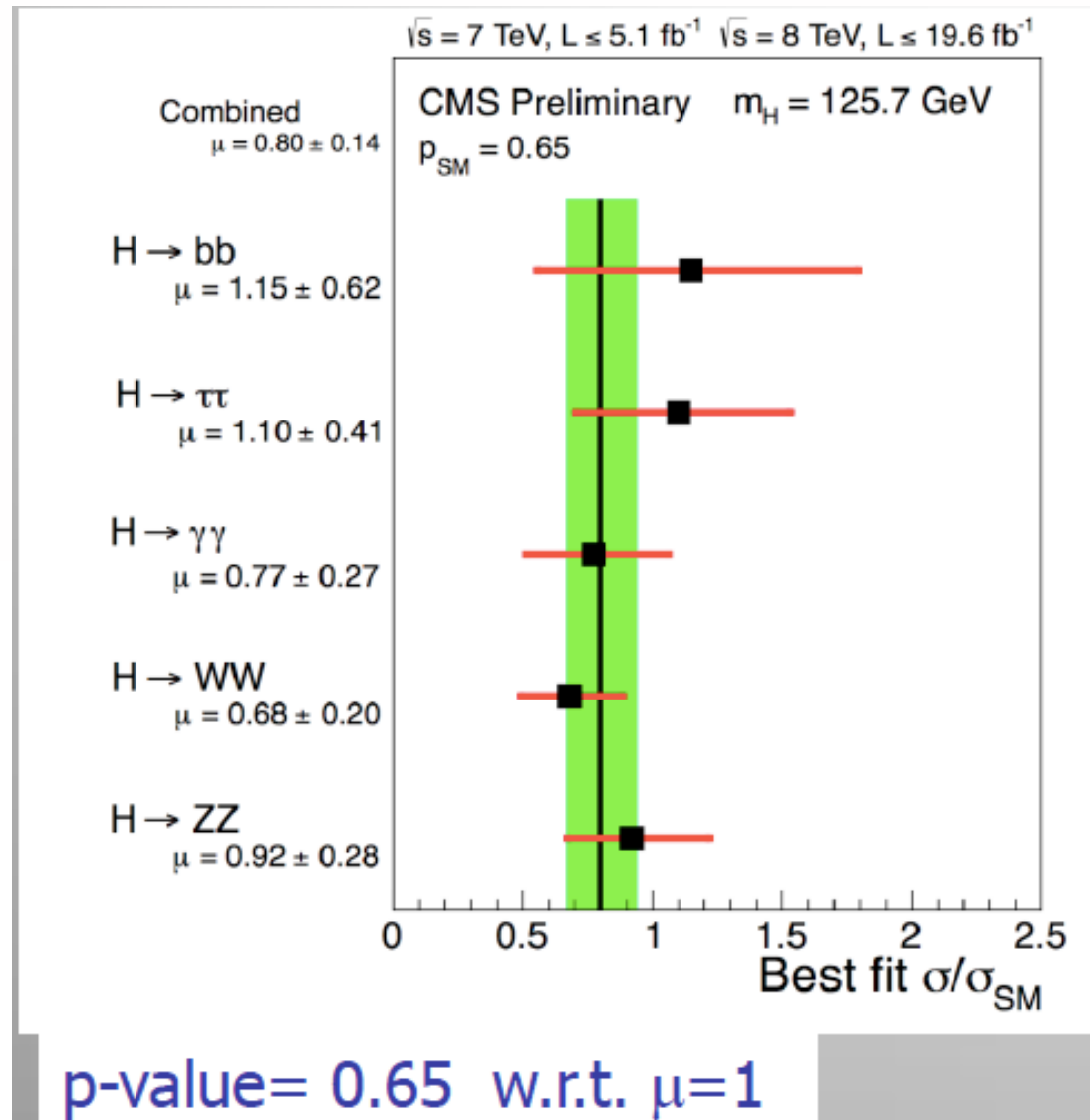
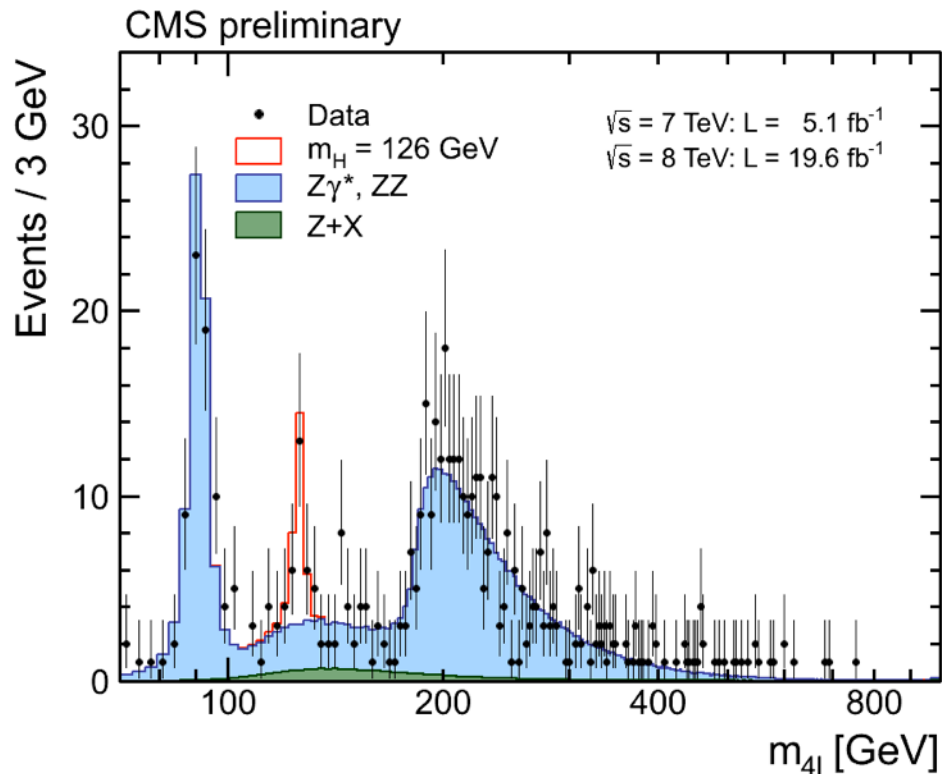
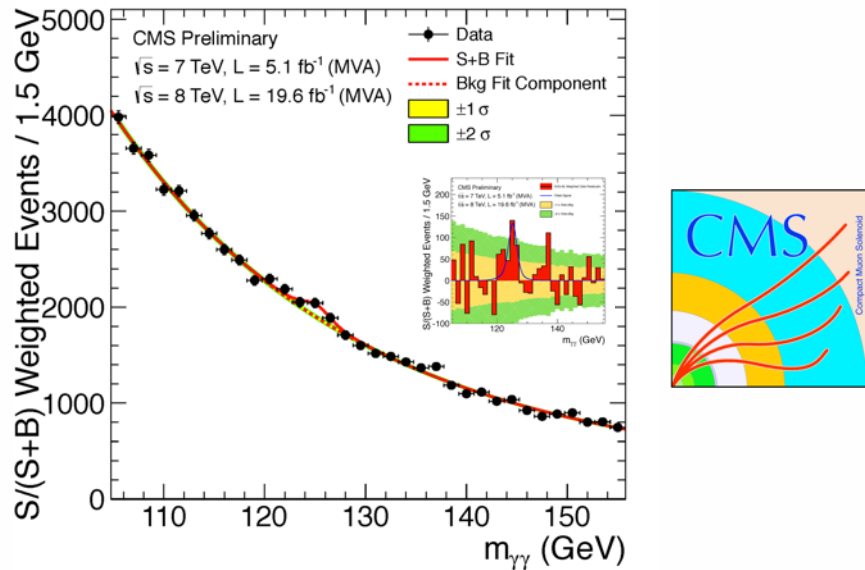
# ATLAS HIGGS OBSERVATION



**ATLAS Prelim.**  
 $m_H = 125.5 \text{ GeV}$



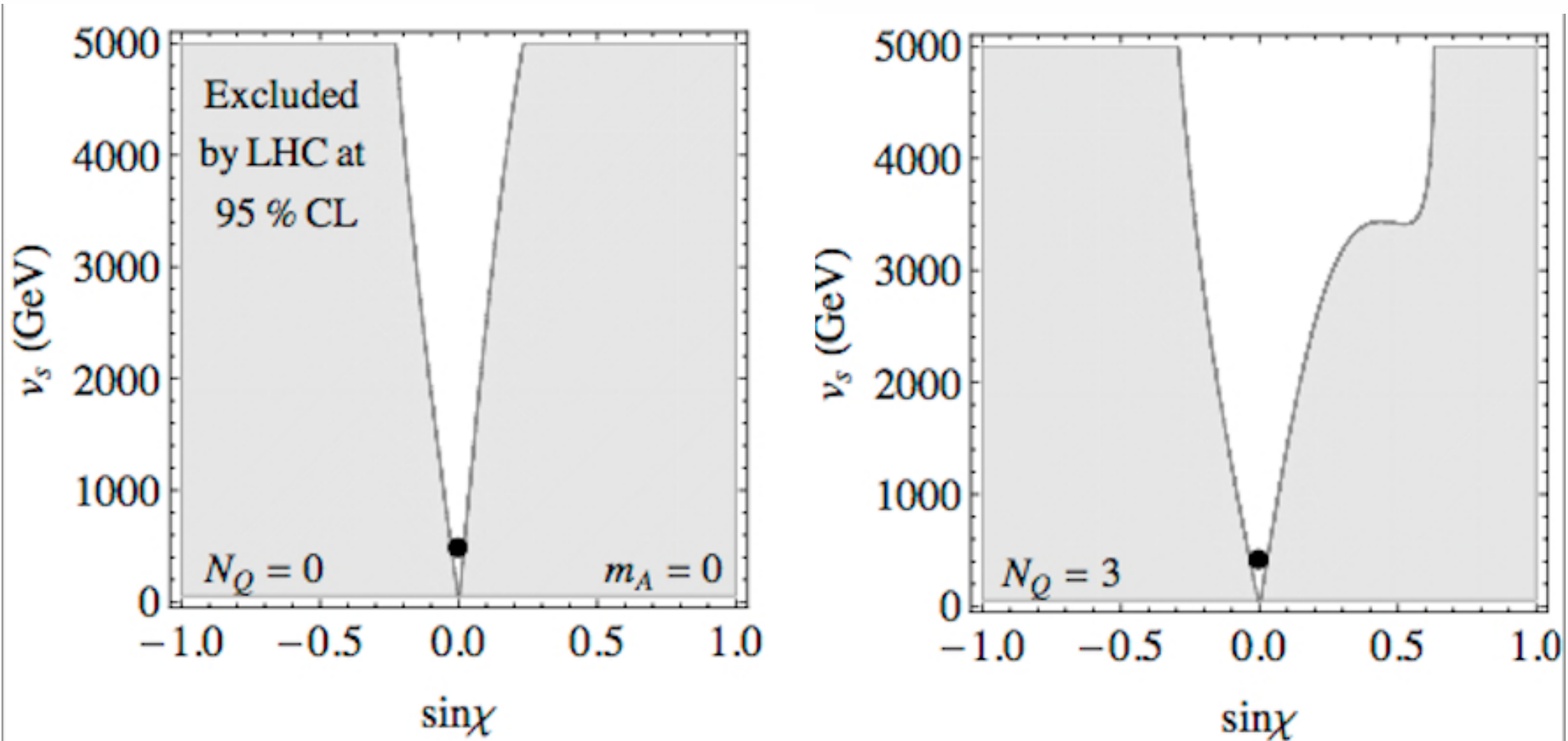
# CMS HIGGS OBSERVATION



Moriond EW 2013, LP2013  
 CMS-PAS-HIG-13-001,2  
 CMS-PAS-HIG-12-045

# CONSTRAINTS FROM HIGGS OBSERVATION

Coloron and colored scalar contributions to production...

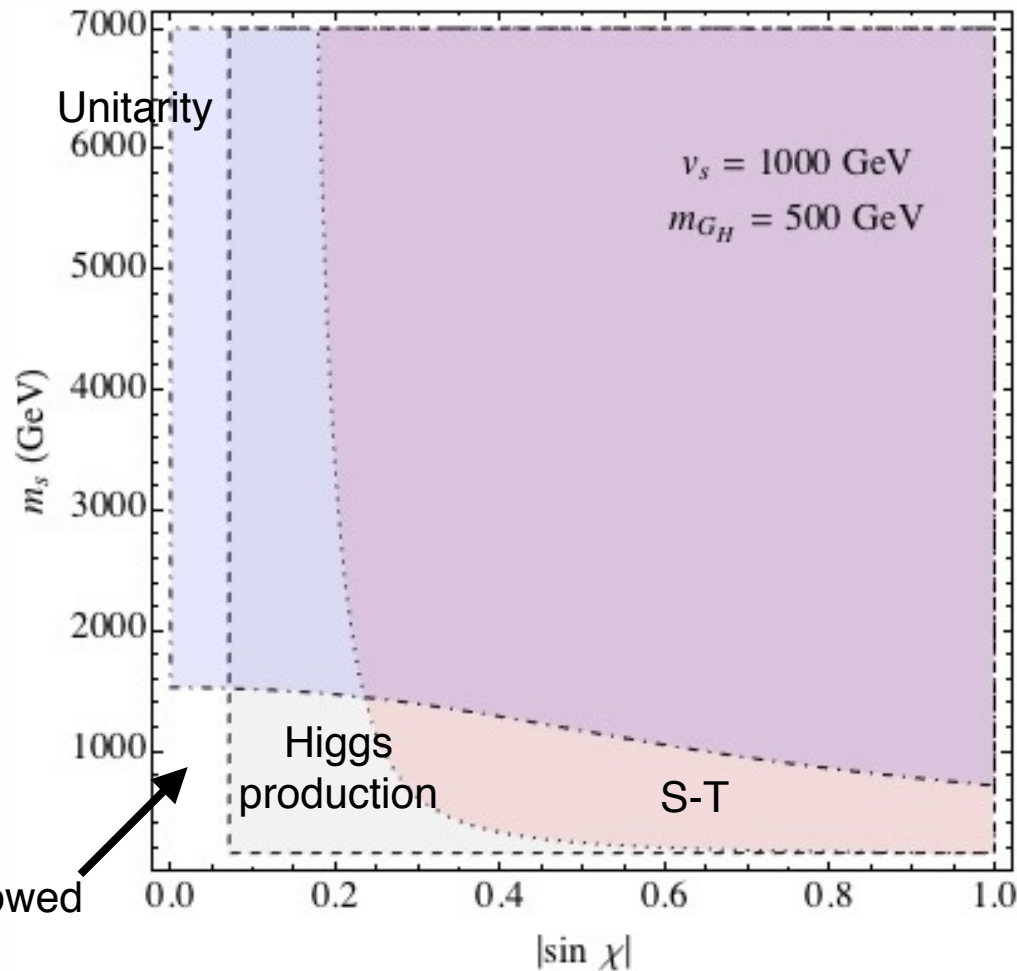


$h \rightarrow \phi_I \phi_I$  allowed

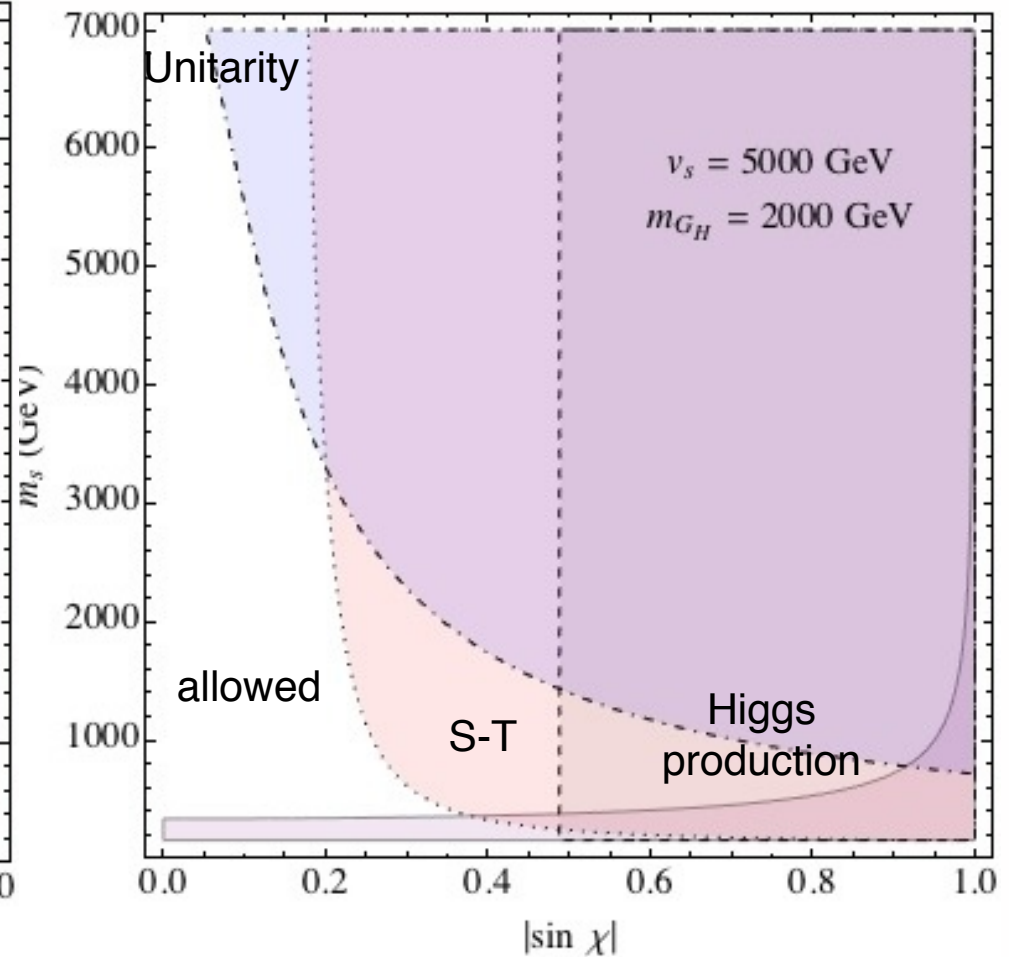
**Note scale for  $v_s$ !**

# ILLUSTRATION OF COMBINED RESULTS

$u=1000$  GeV  
 $m_{GH}=500$  GeV



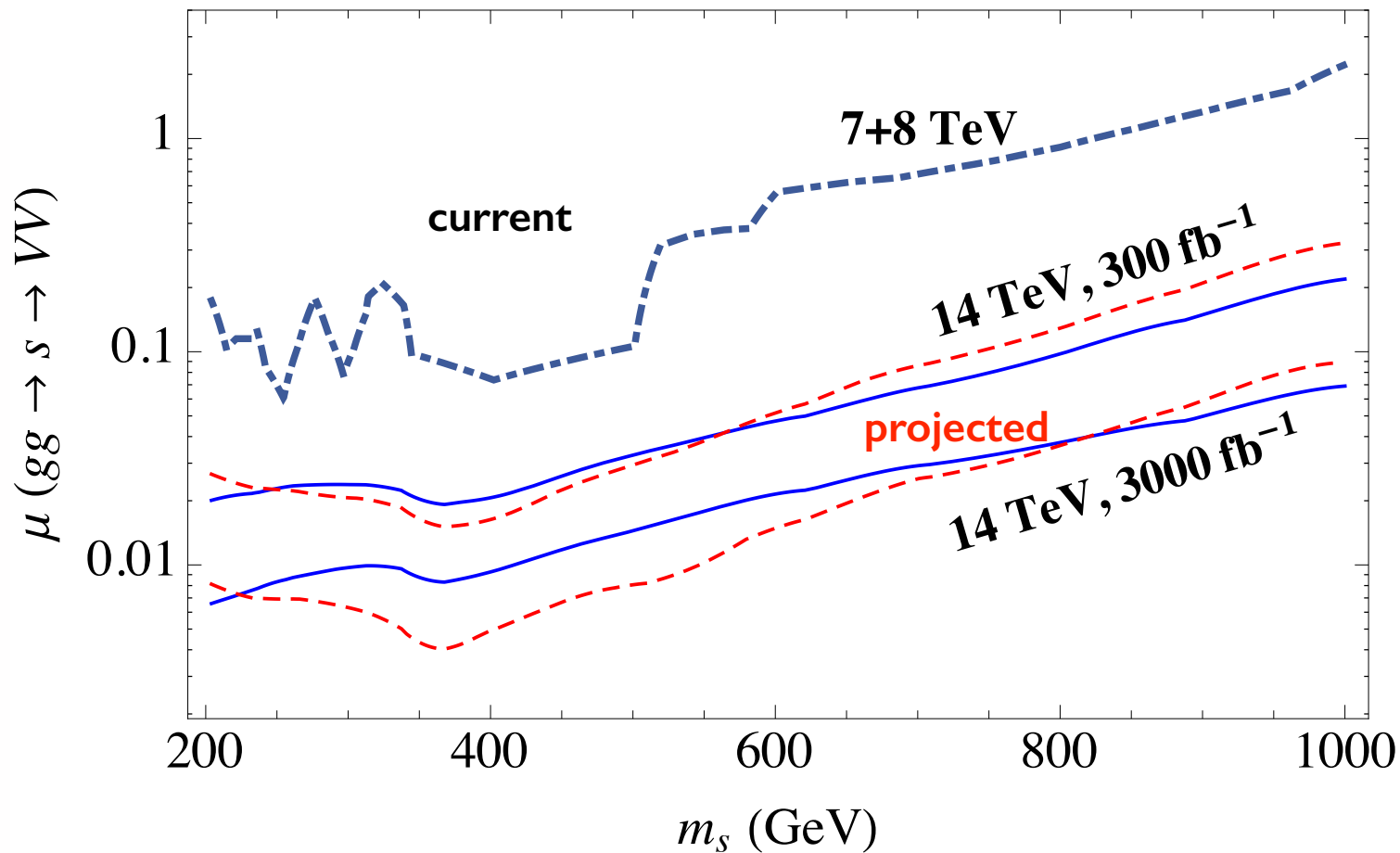
$u=5000$  GeV  
 $m_{GH}=2000$  GeV



Illustrates interplay of different constraints ...  
and of direct and indirect bounds

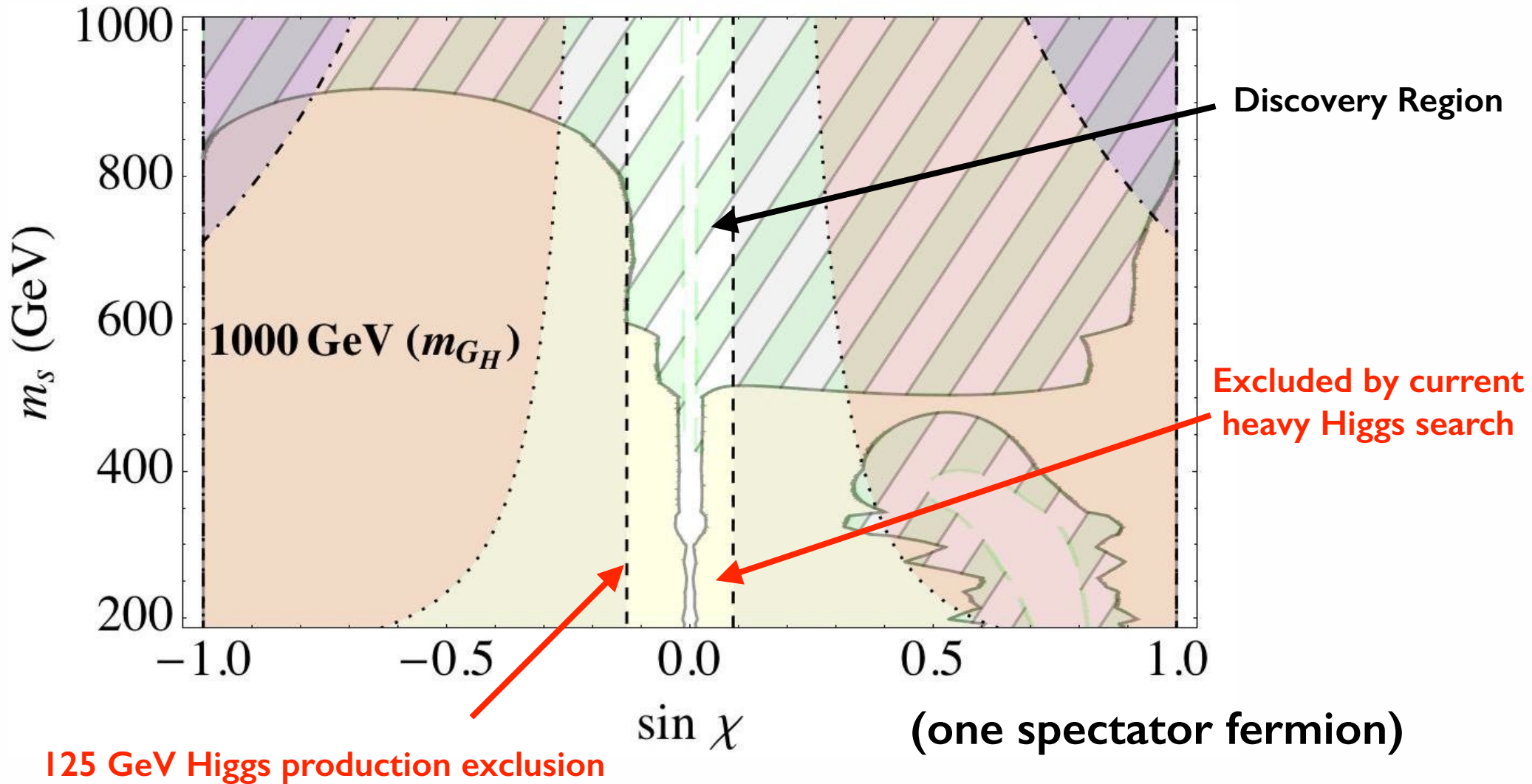
# HEAVY SINGLET BOSON

## LHC Reach in $\sigma^*BR/(\sigma^*BR)_{SM}$ Higgs



# LHC SINGLET BOSON REACH

Projection with  $300 \text{ fb}^{-1}$  @ 14 TeV



Illustrates that direct limits/searches will dominate!



# CONCLUSIONS

# CONCLUSIONS

Many models predict extended strong interactions

Is this extended dynamics flavor-universal or not?

- Introduced a flavorful top-coloron model
- Constraints from FCNCs favor NMFV.
- Same-sign tops, and therefore dileptons, an interesting signature for new colored scalars.

Additional effects of extended strong interactions?

- Color symmetry breaking sector can mix with EWSB
- Constraints on Higgs mixing and from observed properties of Higgs boson
- Discovery potential for heavy states at 14 TeV