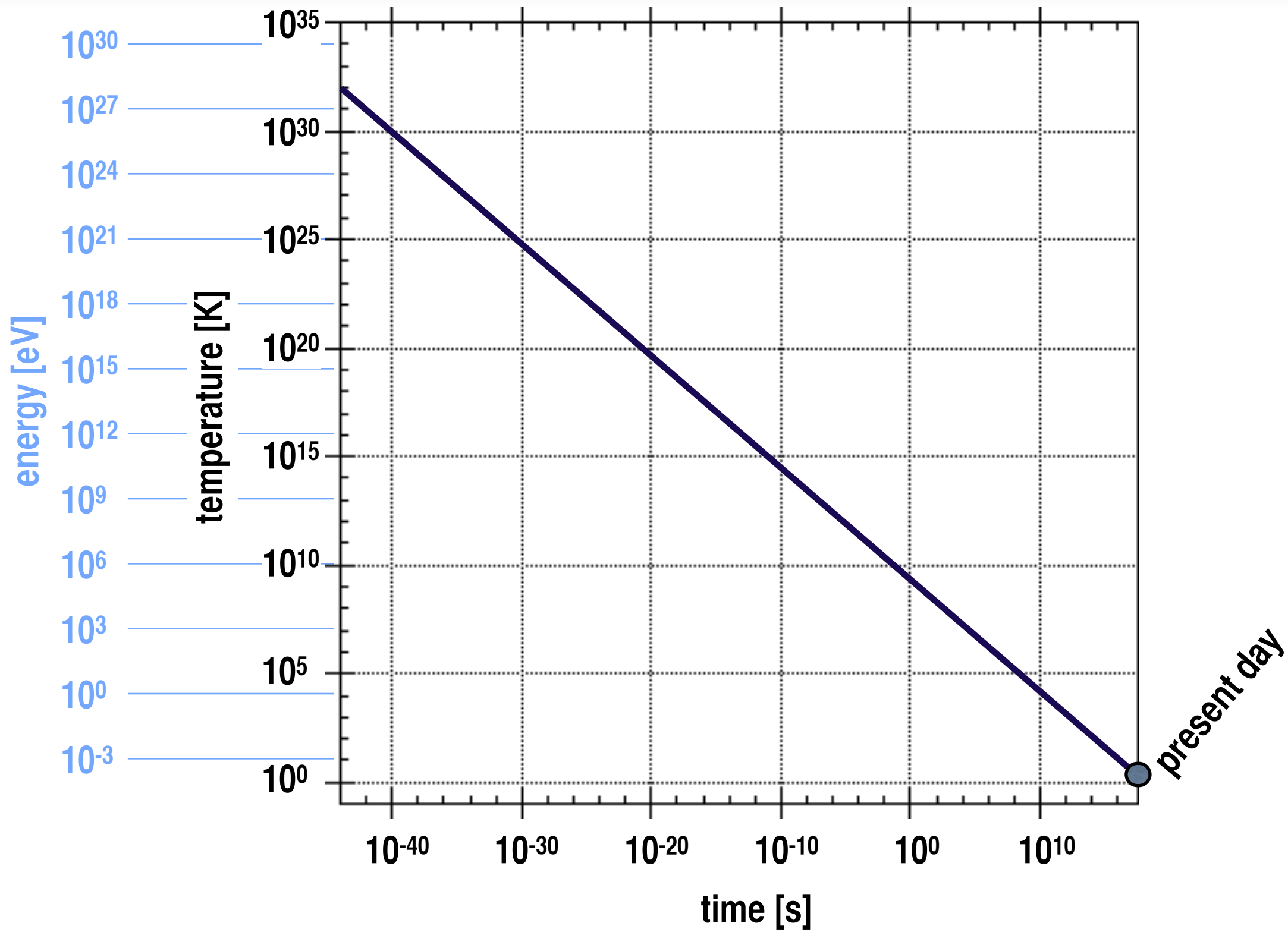
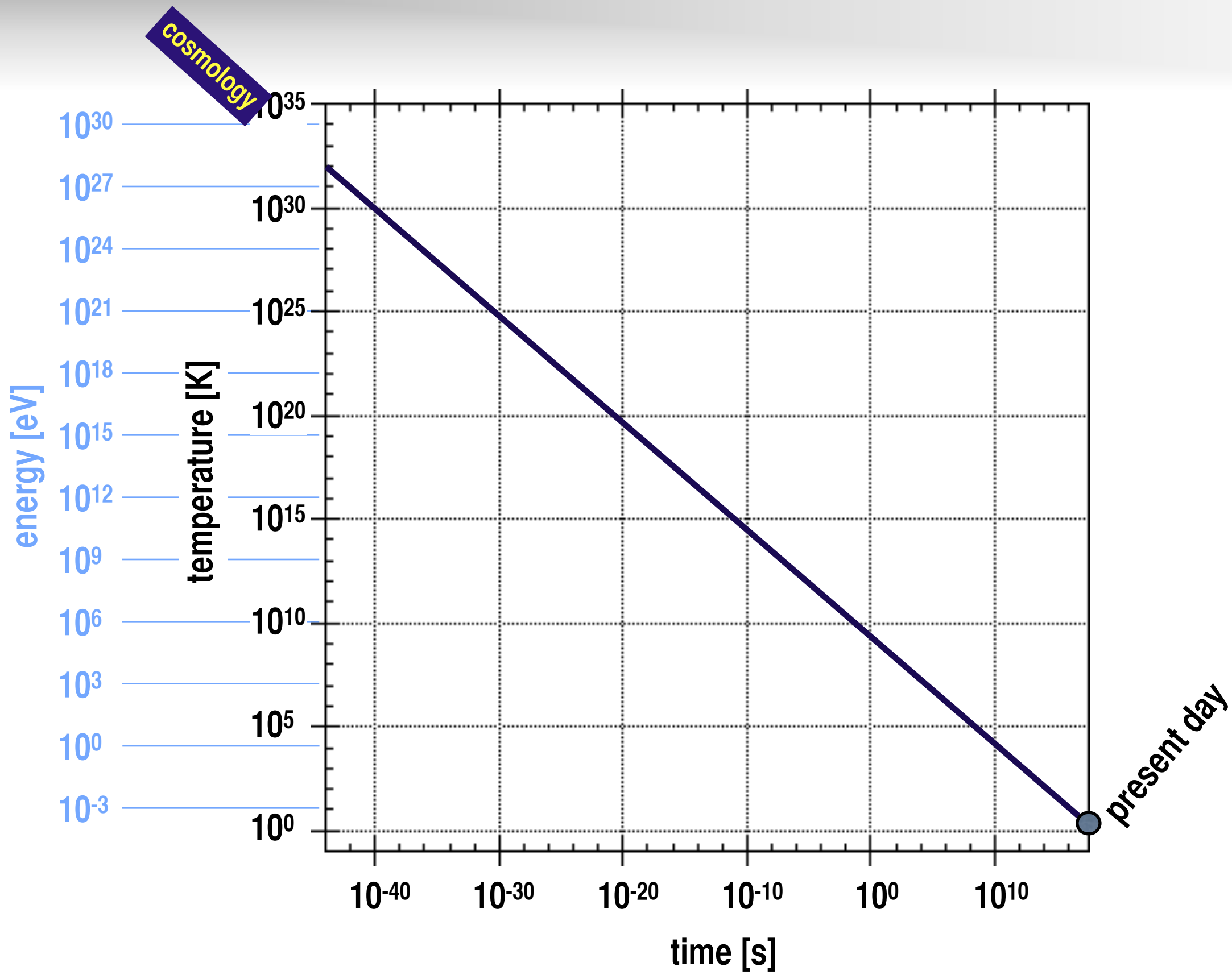


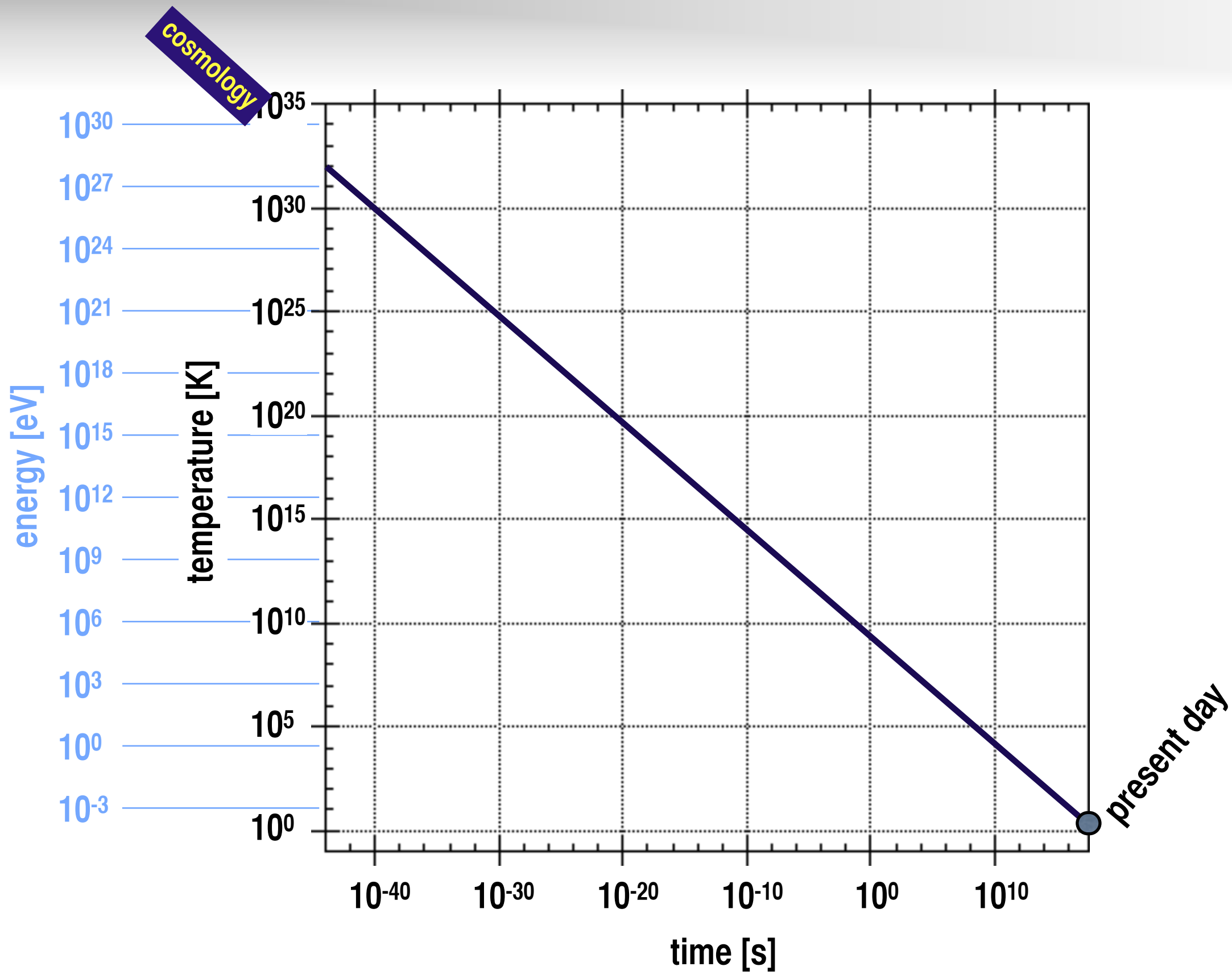
# Fundamental Physics with Slow Neutrons

**H.M.Shimizu**

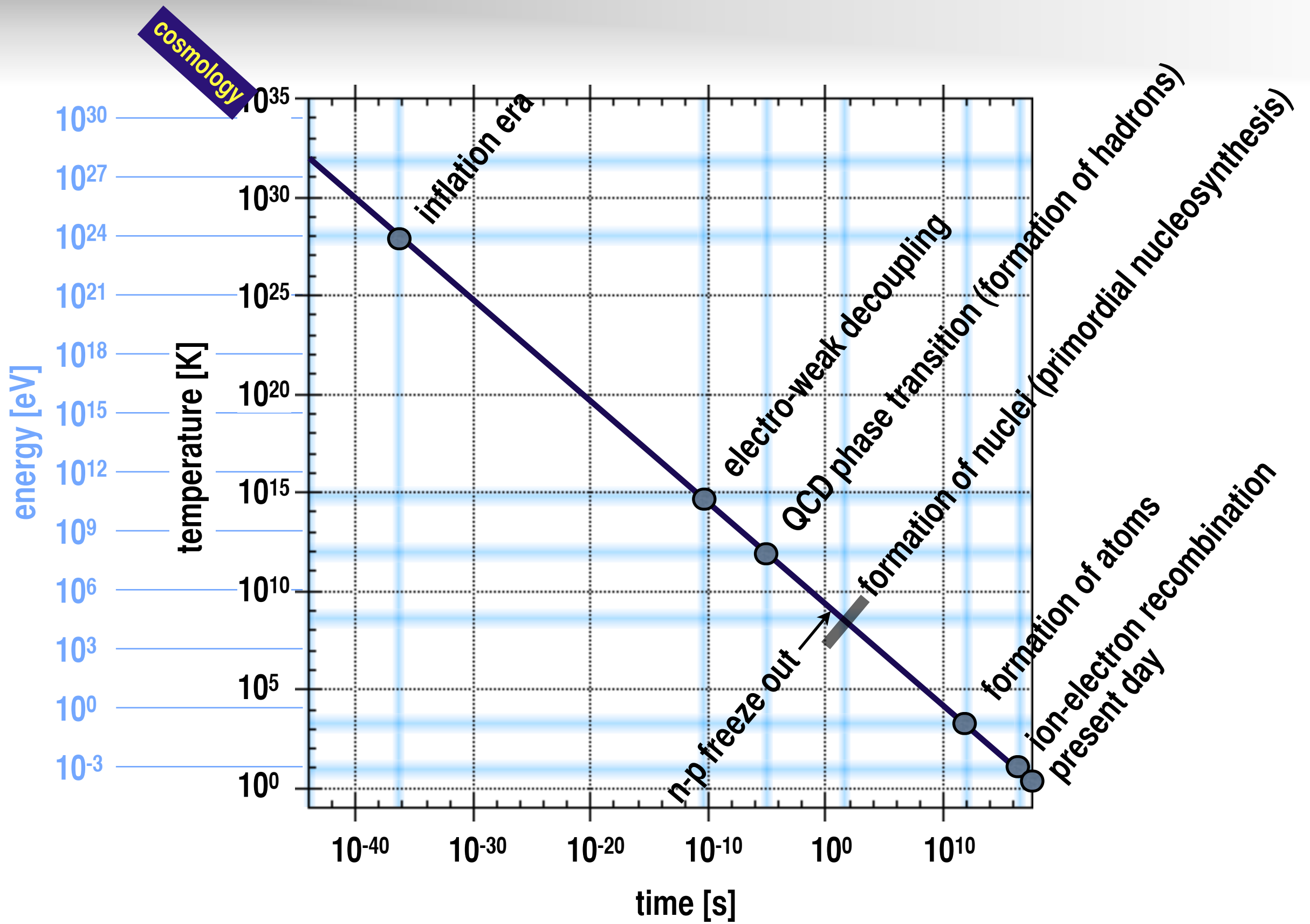
Department of Physics, Nagoya University  
[hirohiko.shimizu@nagoya-u.jp](mailto:hirohiko.shimizu@nagoya-u.jp)

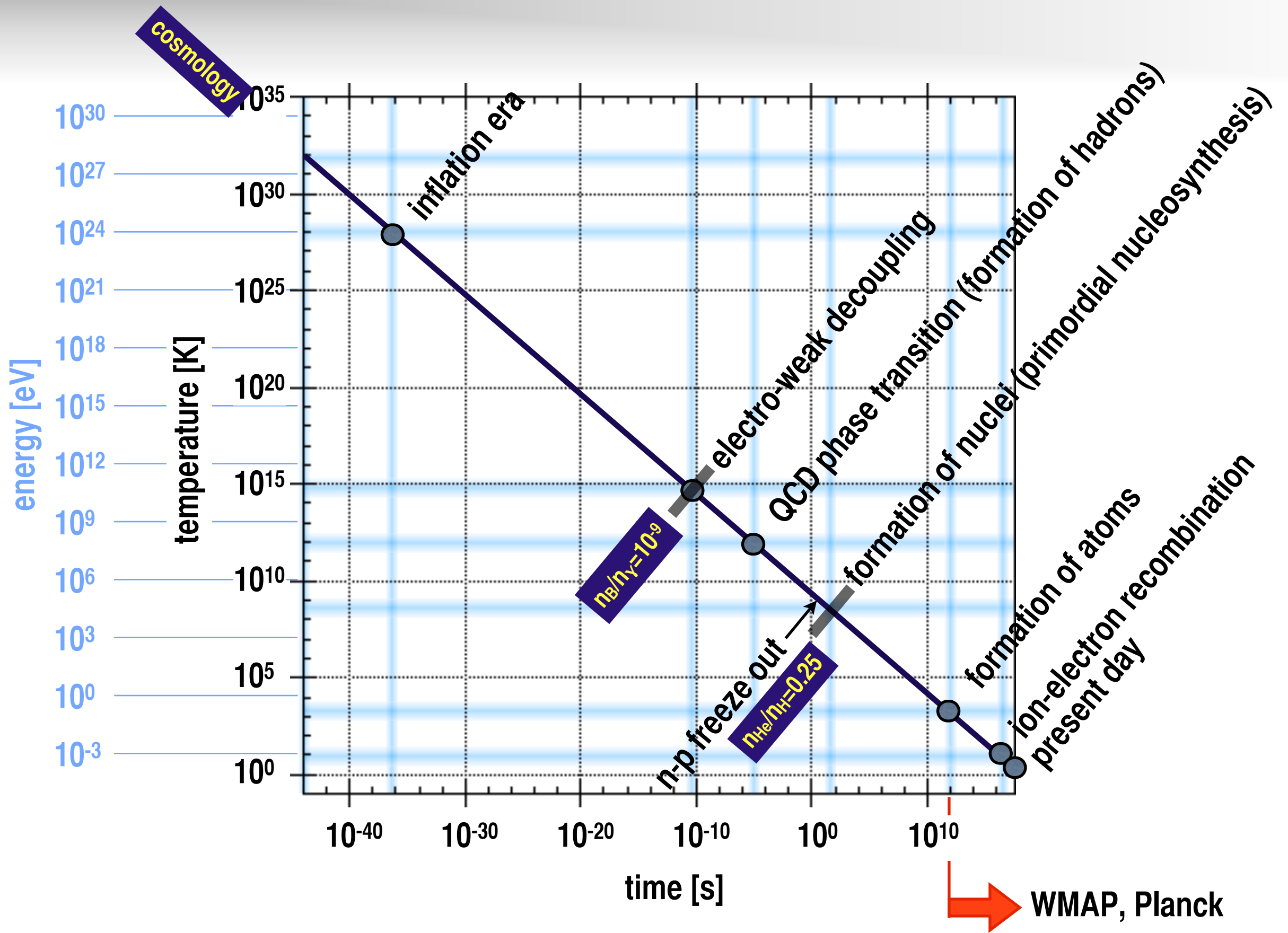


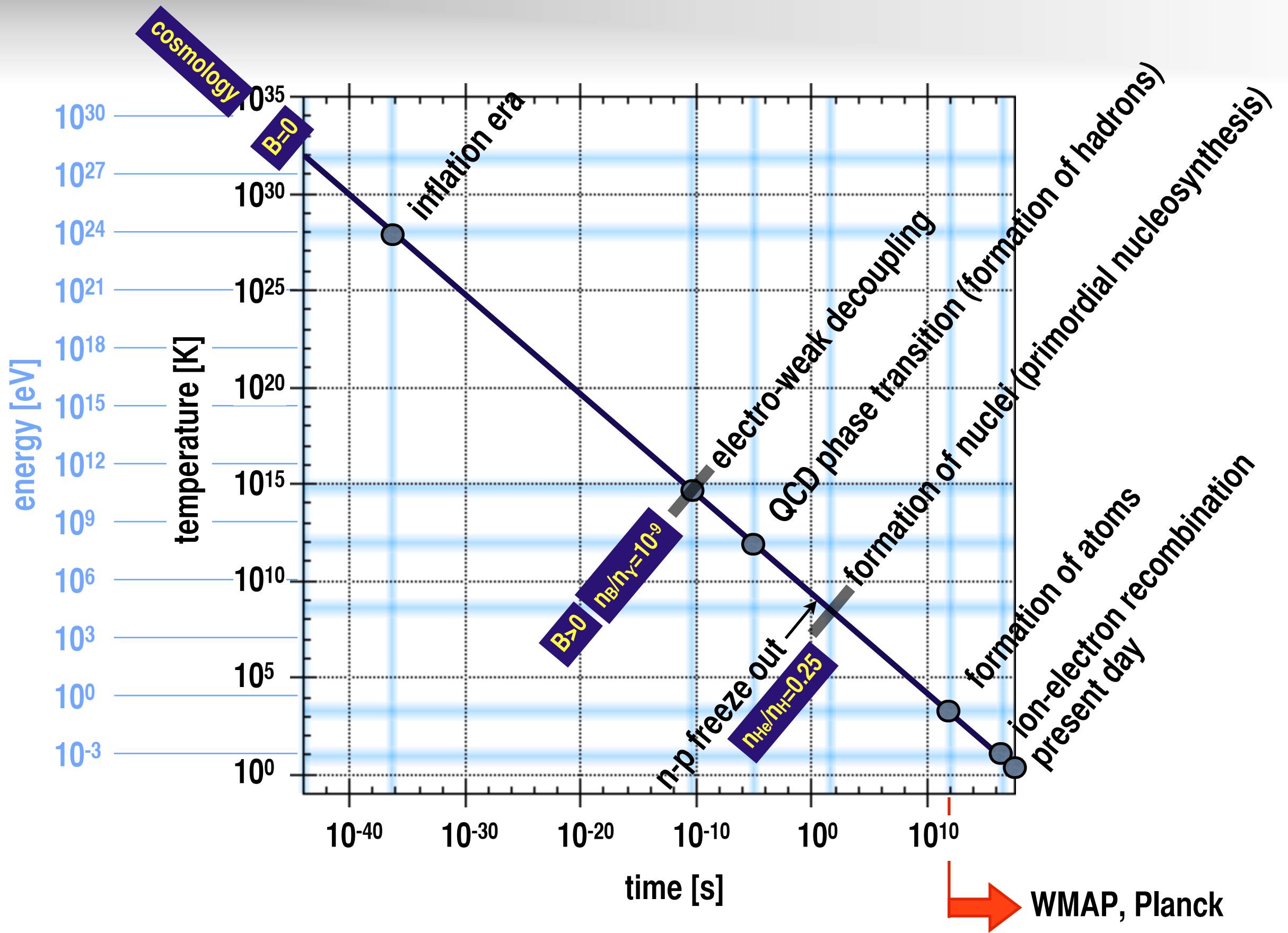


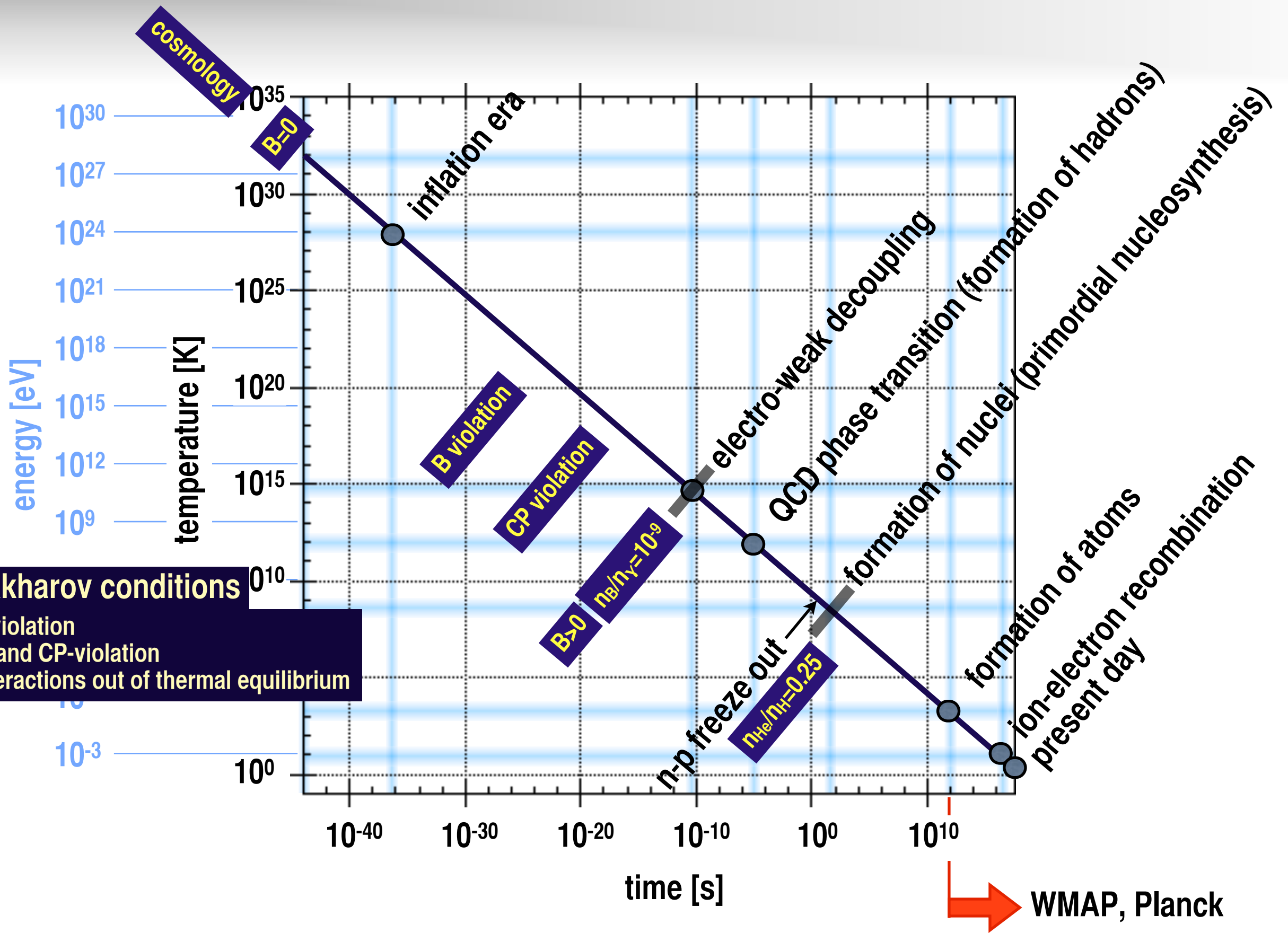






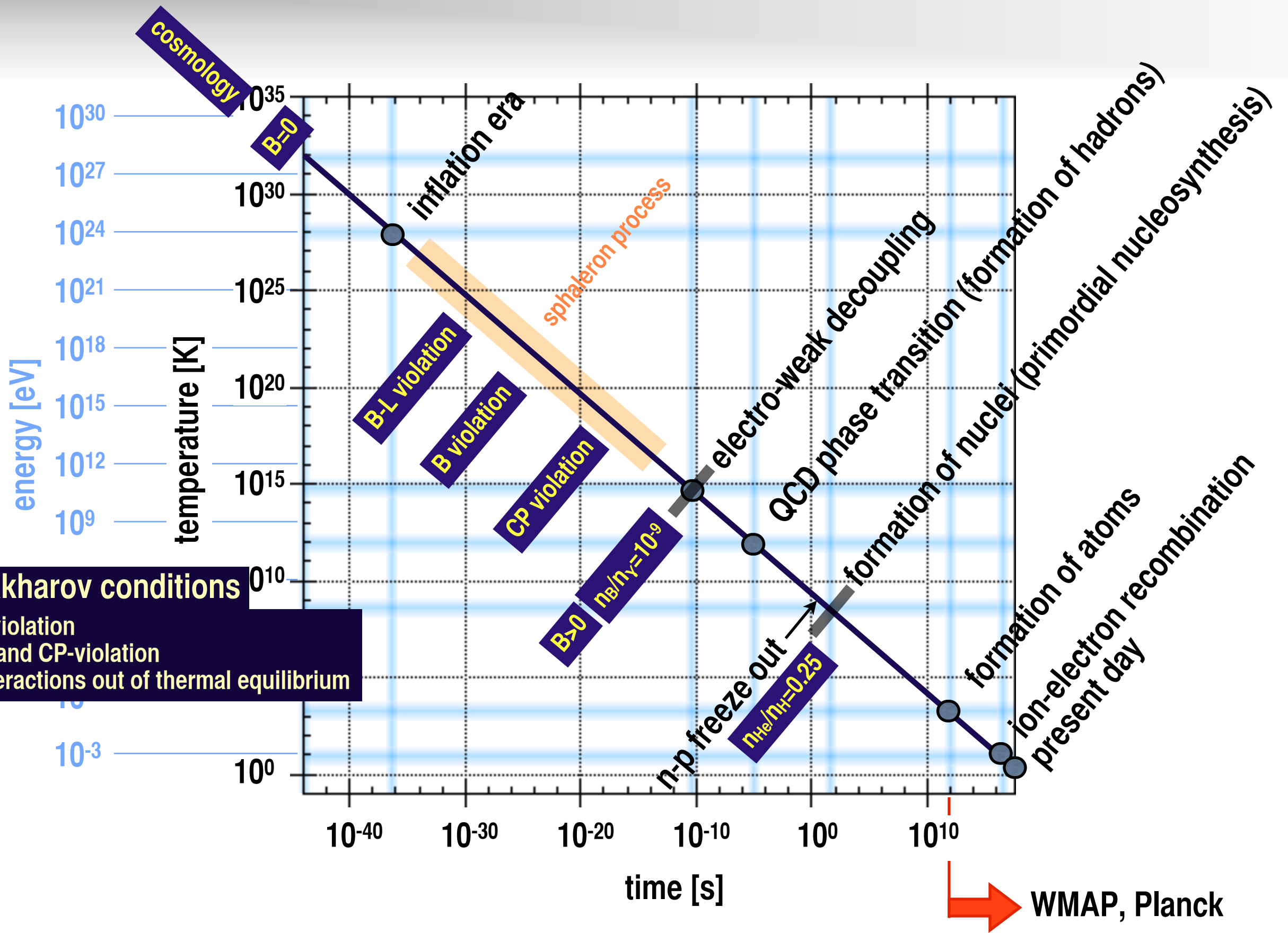


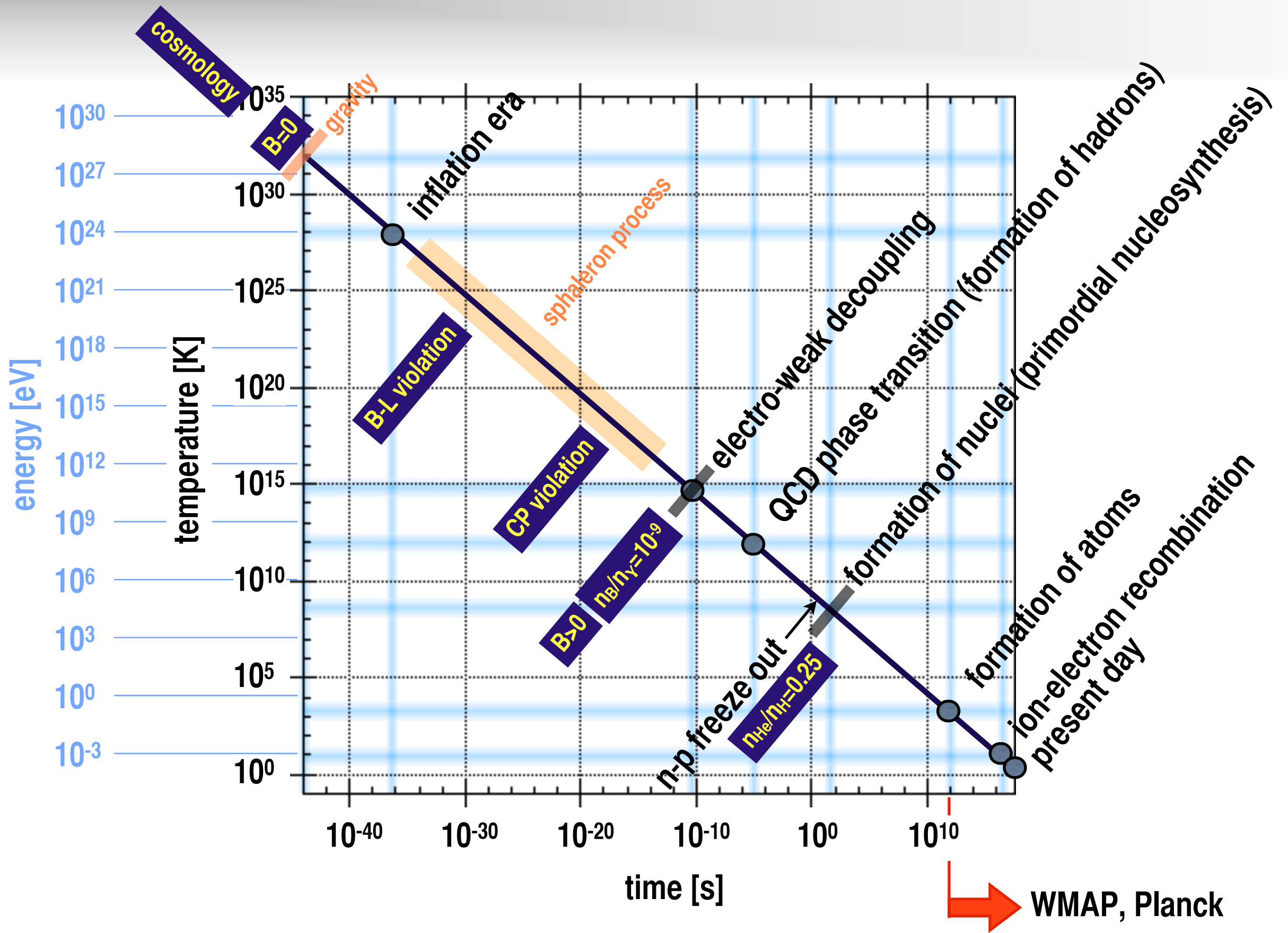


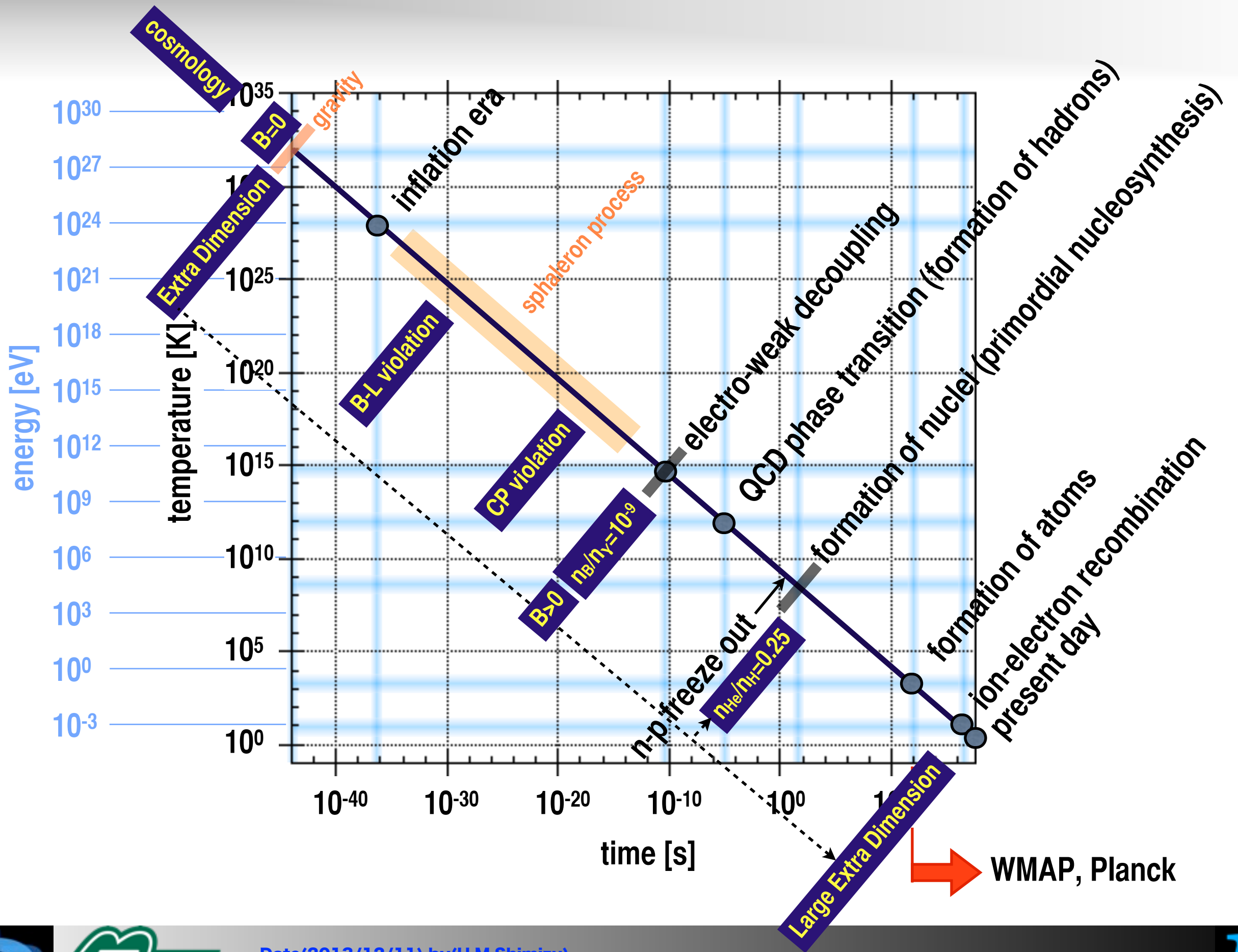


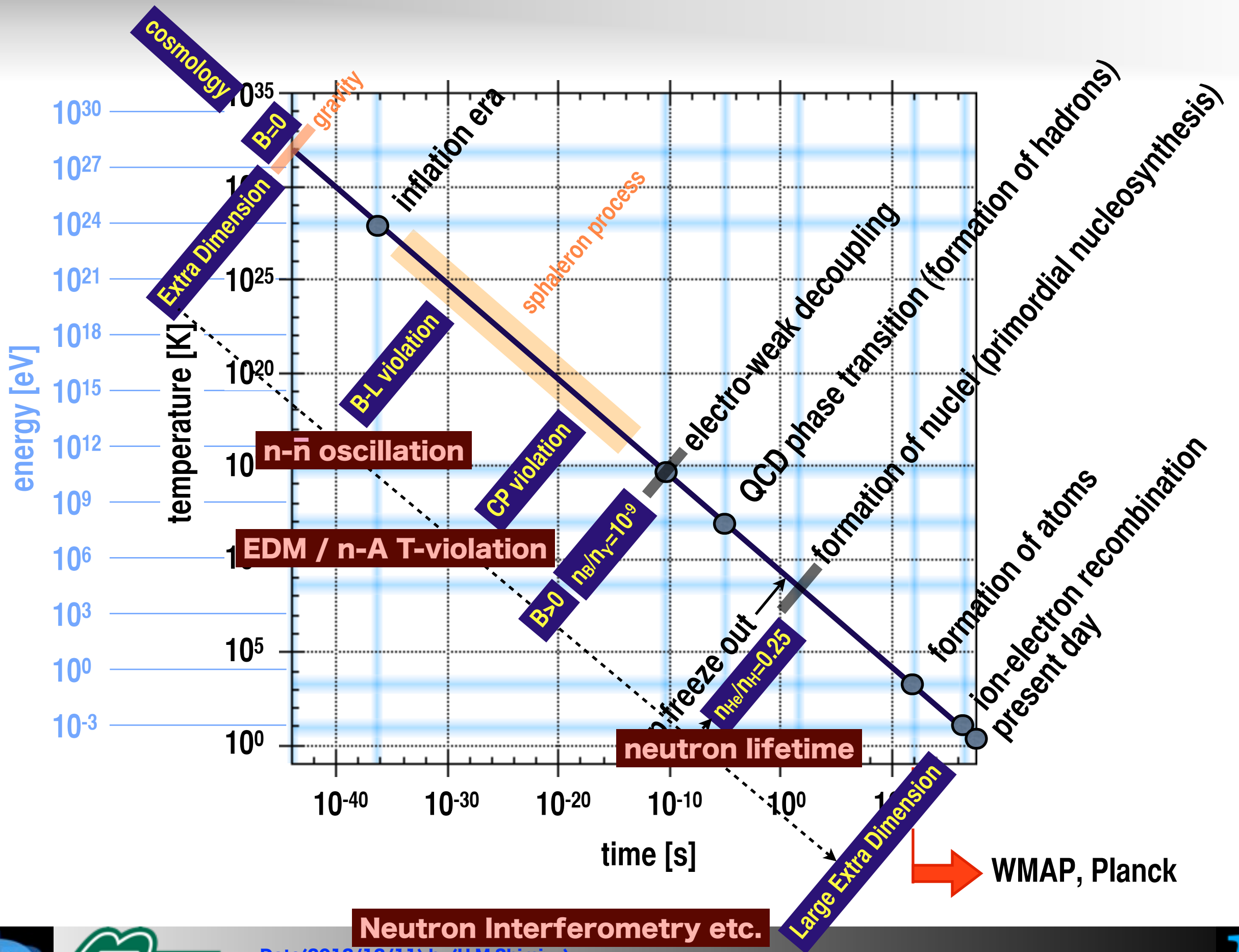
**Sakharov conditions**  
 B-violation  
 C- and CP-violation  
 interactions out of thermal equilibrium











**Neutron Interferometry etc.**

Date(2013/12/11) by(H.M.Shimizu)  
 Title(Fundamental Physics with Slow Neutrons)  
 Conf(KMI International Symposium 2013) At(Nagoya)





**$n$ - $\bar{n}$  oscillation**

**EDM /  $n$ -A T-violation**

**neutron lifetime**

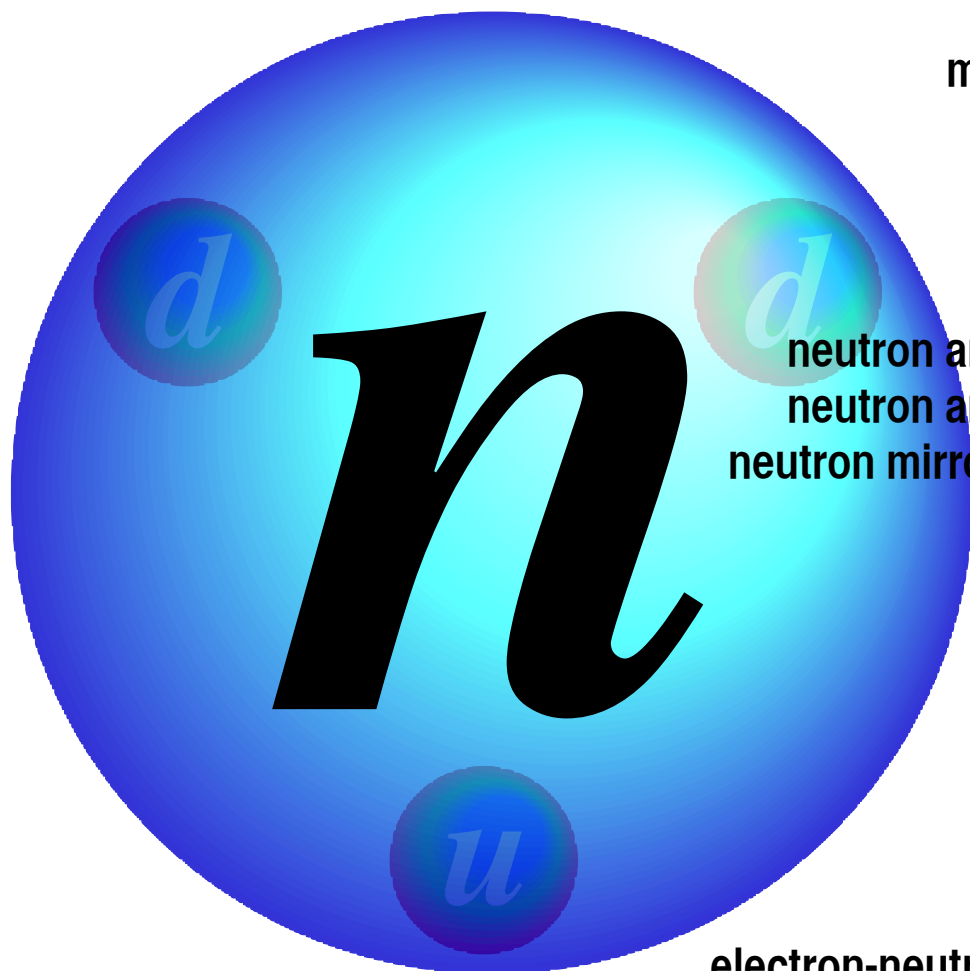
**Neutron Interferometry etc.**

1. Overview
2. **neutron lifetime**
3. **EDM / n-A T-violation** (CP-violation)
4. **Neutron Interferometry etc.** Force (Gravity)
5. etc (B, B **n- $\bar{n}$  oscillation**)

- 1. Overview**
- 2. Lifetime**
- 3. T-violation (CP-violation)**
- 4. Medium-range Force (Gravity)**
- 5. etc (B, B-L violation)**

# 1. Overview

## neutron

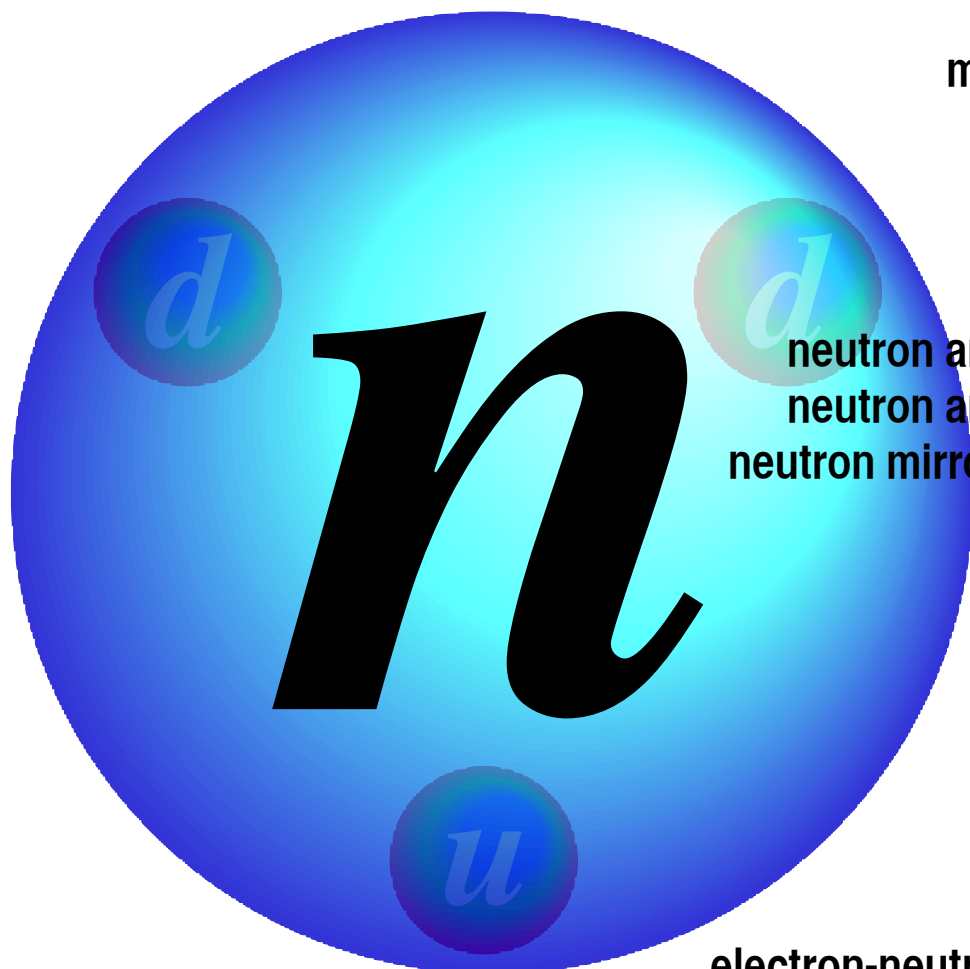


mass	$m_n$	$(939.565379 \pm 0.000021)[\text{MeV}]$
mass	$m_{\bar{n}}$	$(939.485 \pm 0.051)[\text{MeV}]$
lifetime	$\tau_n$	$(880.0 \pm 0.9)[\text{s}]$
magnetic dipole moment	$\mu_n$	$(-1.91304272 \pm 0.00000045)\mu_N$
electric dipole moment	$d_n$	$< 0.29 \times 10^{-25} e \text{ cm (90\%CL)}$
mean square charge radius	$\langle r_n^2 \rangle$	$(-0.1161 \pm 0.0022)[\text{fm}^2]$
magnetic radius	$\sqrt{\langle r_M^2 \rangle}$	$(0.862_{-0.008}^{+0.009})[\text{fm}]$
electric polarizability	$\alpha_m$	$(11.6 \pm 1.5) \times 10^{-4}[\text{fm}^3]$
magnetic polarizability	$\beta_m$	$(3.7 \pm 2.0) \times 10^{-4}[\text{fm}^3]$
charge	$q_n$	$(-0.2 \pm 0.8) \times 10^{-21} e$
neutron antineutron oscillation time	$\tau_{n\bar{n},\text{bound}}$	$> 1.3 \times 10^8[\text{s}] \text{ (90\%CL)}$
neutron antineutron oscillation time	$\tau_{n\bar{n},\text{free}}$	$> 8.6 \times 10^7[\text{s}] \text{ (90\%CL)}$
neutron mirror-neutron oscillation time	$\tau_{nn'}$	$> 414[\text{s}] \text{ (90\%CL)}$
decay mode	$\Gamma(pe^- \bar{\nu}_e)$	100%
branching ratio	$\Gamma(pe^- \bar{\nu}_e \gamma)/\Gamma_{\text{total}}$	$(3.09 \pm 0.11 \pm 0.30) \times 10^{-3}$
branching ratio	$\Gamma(H \bar{\nu}_e)/\Gamma_{\text{total}}$	$< 3 \times 10^{-2} \text{ (95\%CL)}$
branching ratio	$\Gamma(p\nu_e \bar{\nu}_e)/\Gamma_{\text{total}}$	$< 8 \times 10^{-27} \text{ (68\%CL)}$
axial vector coupling	$\lambda = g_A/g_V$	$-1.2701 \pm 0.0025$
electron asymmetry	$A$	$-0.1176 \pm 0.0011$
neutrino asymmetry	$B$	$0.9807 \pm 0.0030$
proton asymmetry	$C$	$-0.2377 \pm 0.0010 \pm 0.0024$
electron-neutrino correlation coefficient	$a$	$-0.103 \pm 0.004$
phase of $g_A$ relative to $g_V$	$\phi_{AV}$	$(180.017 \pm 0.026)^\circ$
triple correlation coefficient	$D$	$(-1.2 \pm 2.0) \times 10^{-4}$
triple correlation coefficient	$R$	$+0.004 \pm 0.012 \pm 0.005$

J.Beringer et al., PRD86(2012)010001 2013 partial update

# 1. Overview

## neutron



chargeless  
massive  
very long lifetime

neutron antineutron oscillation time  
neutron antineutron oscillation time  
neutron mirror-neutron oscillation time

mass  $m_n$   
mass  $m_{\bar{n}}$   
lifetime  $\tau_n$   
magnetic dipole moment  $\mu_n$   
electric dipole moment  $d_n$   
mean square charge radius  $\langle r_n^2 \rangle$   
magnetic radius  $\sqrt{\langle r_M^2 \rangle}$   
electric polarizability  $\alpha_m$   
magnetic polarizability  $\beta_m$   
charge  $q_n$   
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axial vector coupling  $\lambda = g_A/g_V$   
electron asymmetry  $A$   
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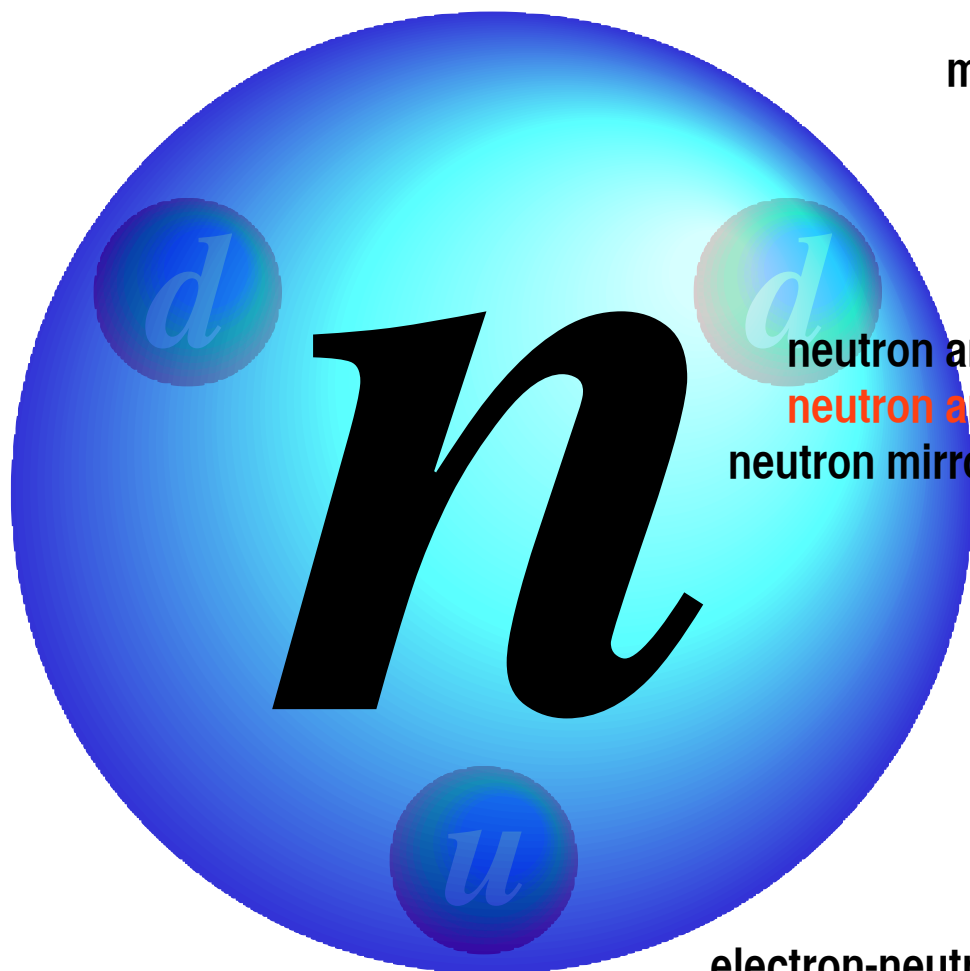
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J.Beringer et al., PRD86(2012)010001 2013 partial update



# 1. Overview

## neutron



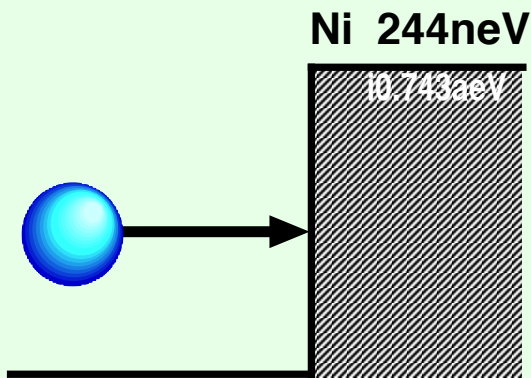
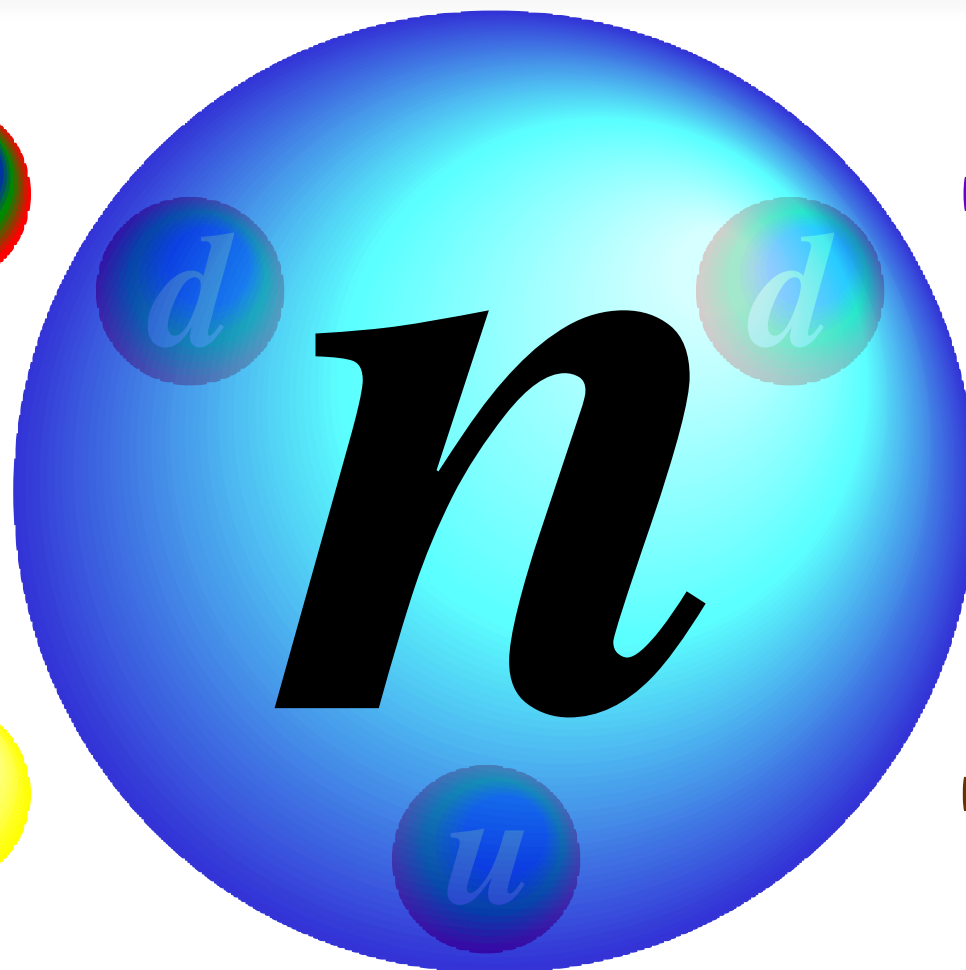
chargeless  
massive  
very long lifetime

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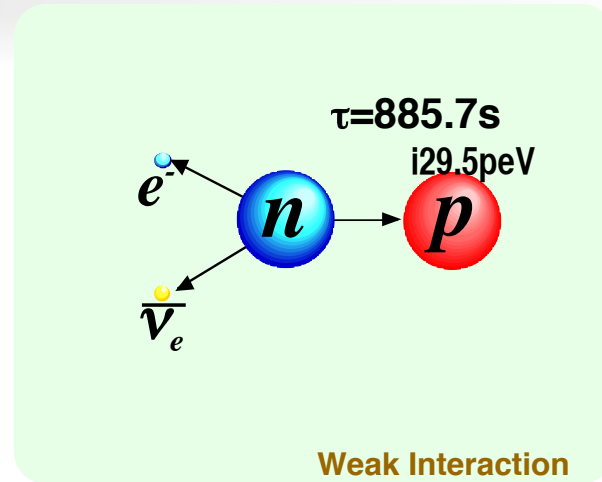
J.Beringer et al., PRD86(2012)010001 2013 partial update

# 1. Overview

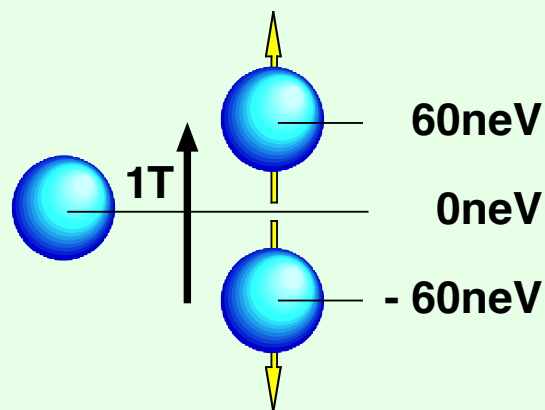
# Neutron



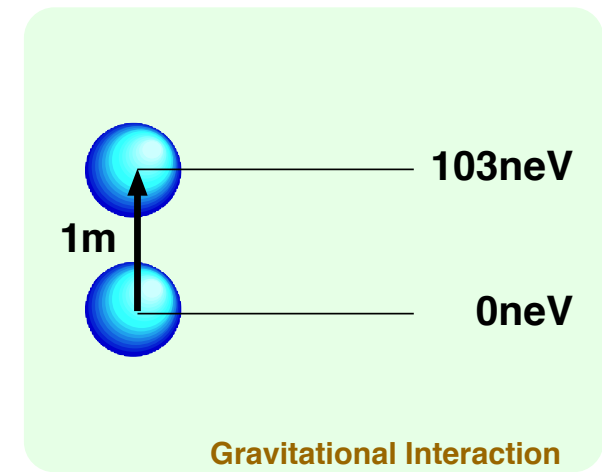
Strong Interaction



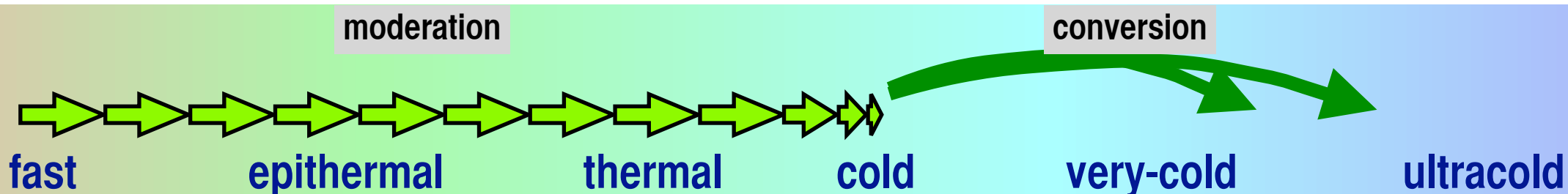
Weak Interaction



Electromagnetic Interaction



Gravitational Interaction



kinetic energy

MeV                      eV                      meV                      μeV                      neV

temperature

10<sup>10</sup>K   10<sup>9</sup>K   10<sup>5</sup>K   10<sup>4</sup>K   10<sup>3</sup>K   100K   10K   1K   0.1K   0.01K   1mK   100μK   10μK

wavelength

100fm   0.01nm   0.1nm   1nm   10nm   100nm   1μm

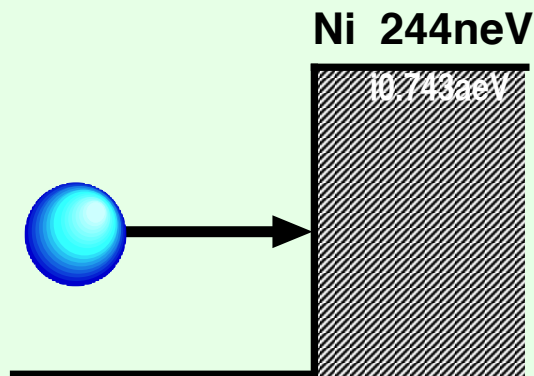
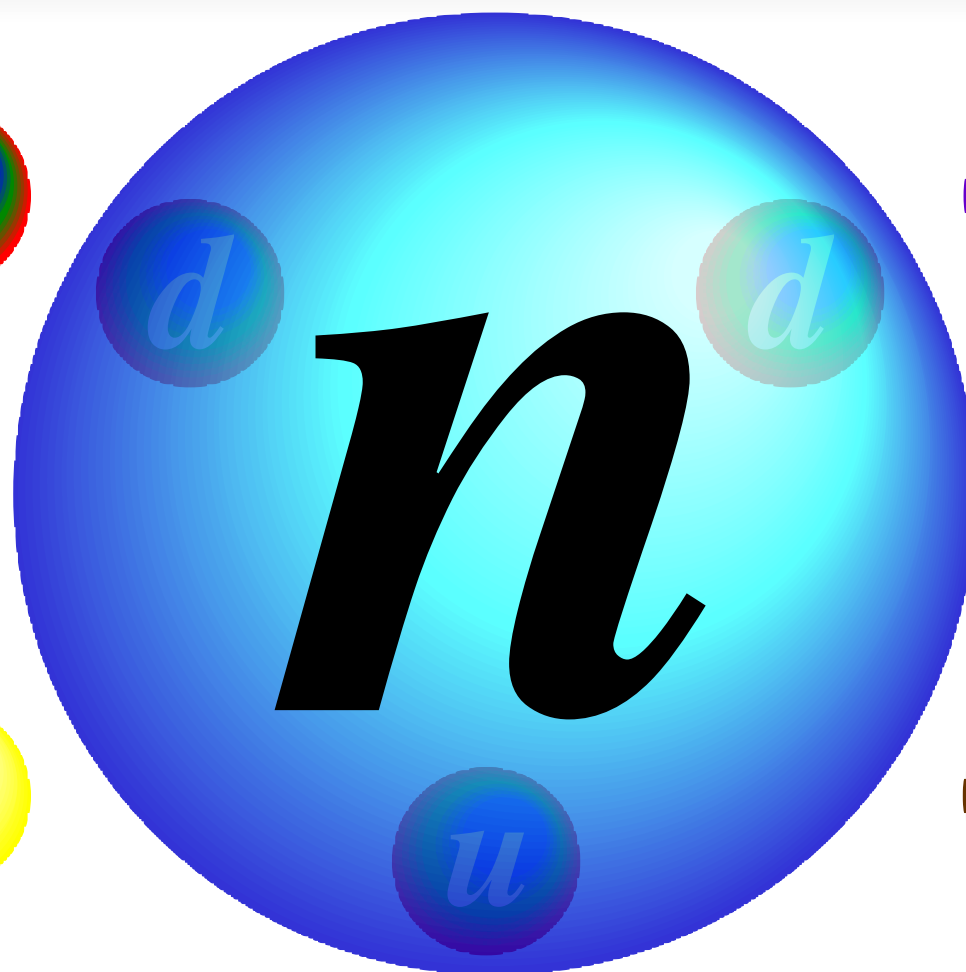


Date(2013/12/11) by(H.M.Shimizu)  
 Title(Fundamental Physics with Slow Neutrons)  
 Conf(KMI International Symposium 2013) At(Nagoya)

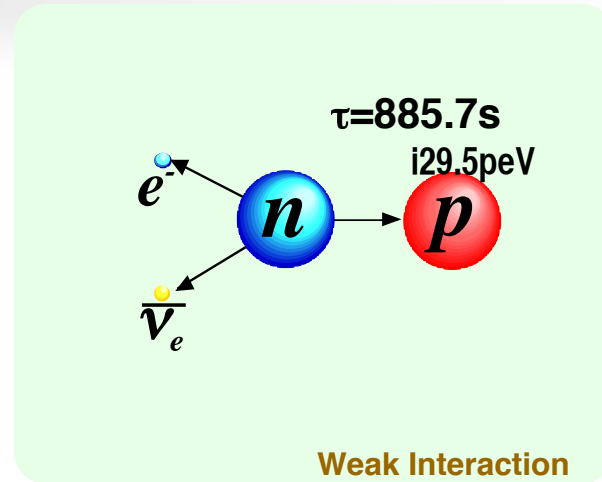


# 1. Overview

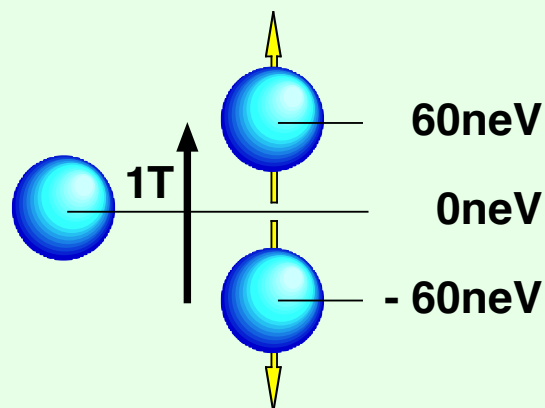
# Neutron



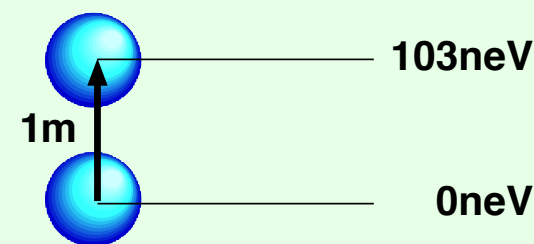
Strong Interaction



Weak Interaction

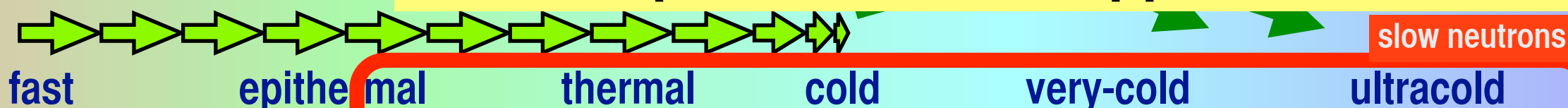


Electromagnetic Interaction



Gravitational Interaction

optical control is applicable



kinetic energy	MeV	eV	meV	$\mu$ eV	neV								
temperature	$10^{10}$ K	$10^9$ K	$10^5$ K	$10^4$ K	$10^3$ K	100K	10K	1K	0.1K	0.01K	1mK	100 $\mu$ K	10 $\mu$ K
wavelength	100fm	0.01nm	0.1nm	1nm	10nm	100nm	1 $\mu$ m						



Date(2013/12/11) by(H.M.Shimizu)  
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## 2. Neutron Lifetime

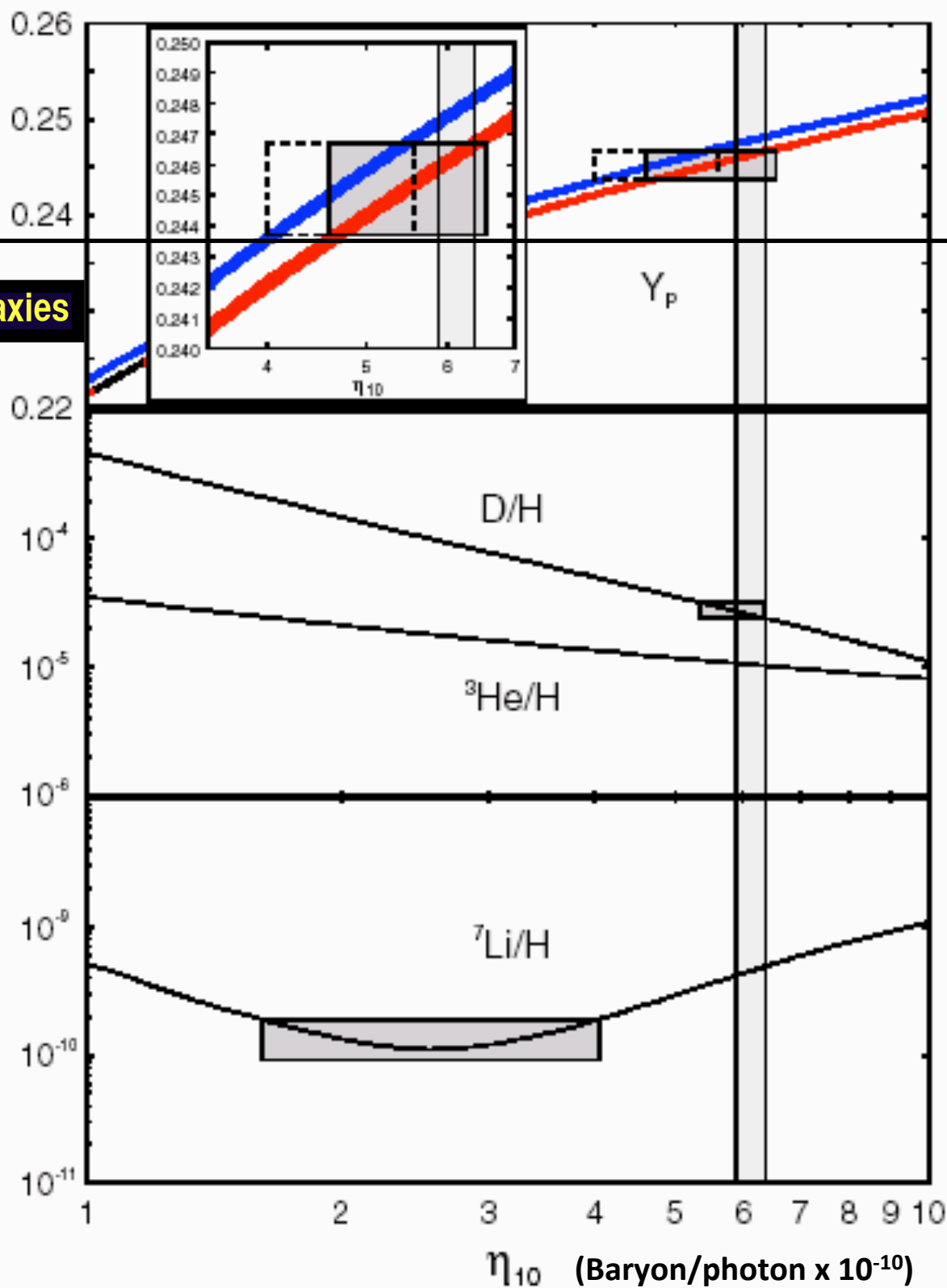
**coupling constant of weak interaction in quark sector**

**primordial nucleosynthesis**

# 2. Neutron Lifetime

G.J. Mathews, T. Kajino, T. Shima, PRD71 (2005) 021302

WMAP

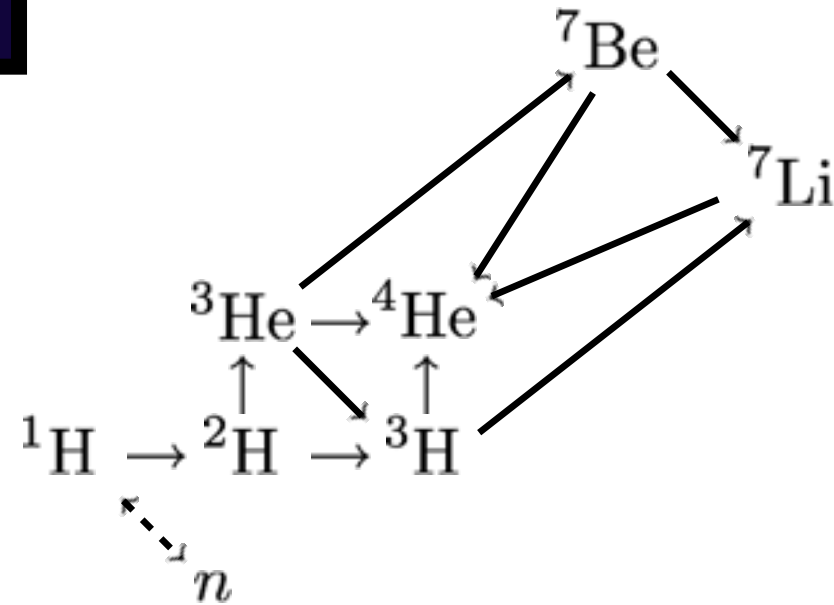


**$^4\text{He}/\text{H}$**   
of low-metallicity galaxies

—  $\tau_n = 885.7 \pm 0.8 \text{ s}$  (PDG2010)

—  $\tau_n = 878.5 \pm 0.7 \pm 0.3 \text{ s}$  (PNPI-ILL)

**$\tau_n$**



**p and n density**

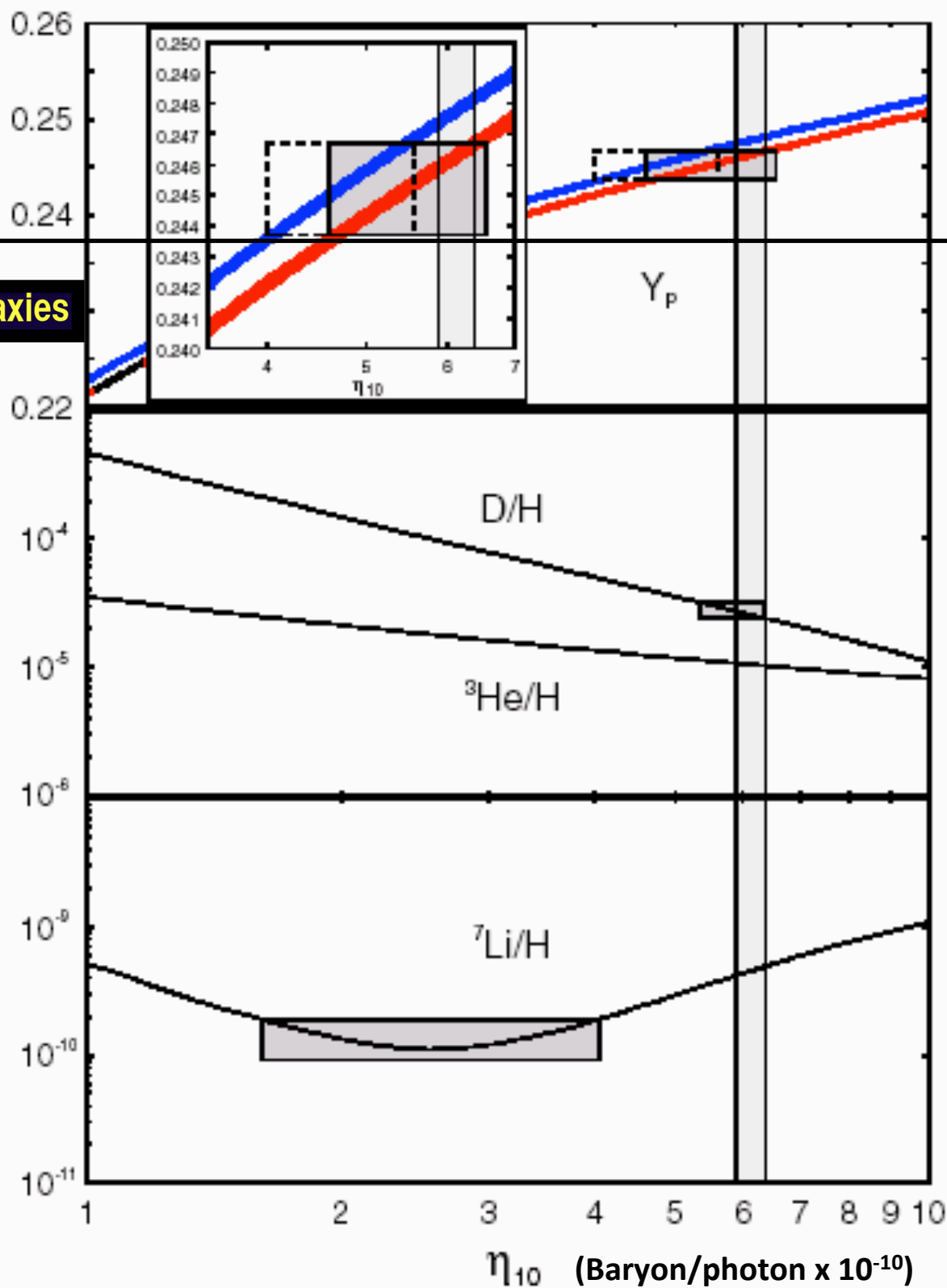
**$n_{\text{baryon}}/n_{\text{photon}}$**

# 2. Neutron Lifetime

$$\Delta\tau_n < 1\text{s}$$

G.J. Mathews, T. Kajino, T. Shima, PRD71 (2005) 021302

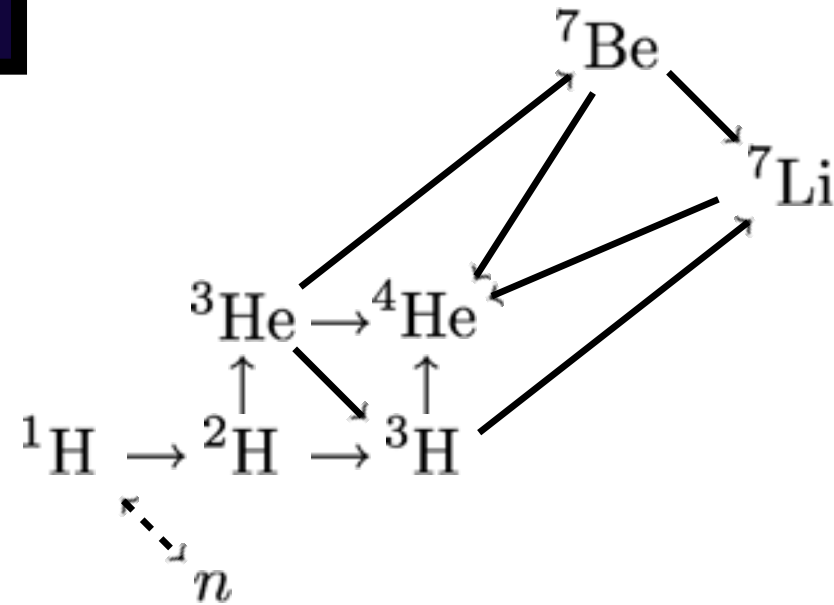
WMAP



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**$\tau_n$**



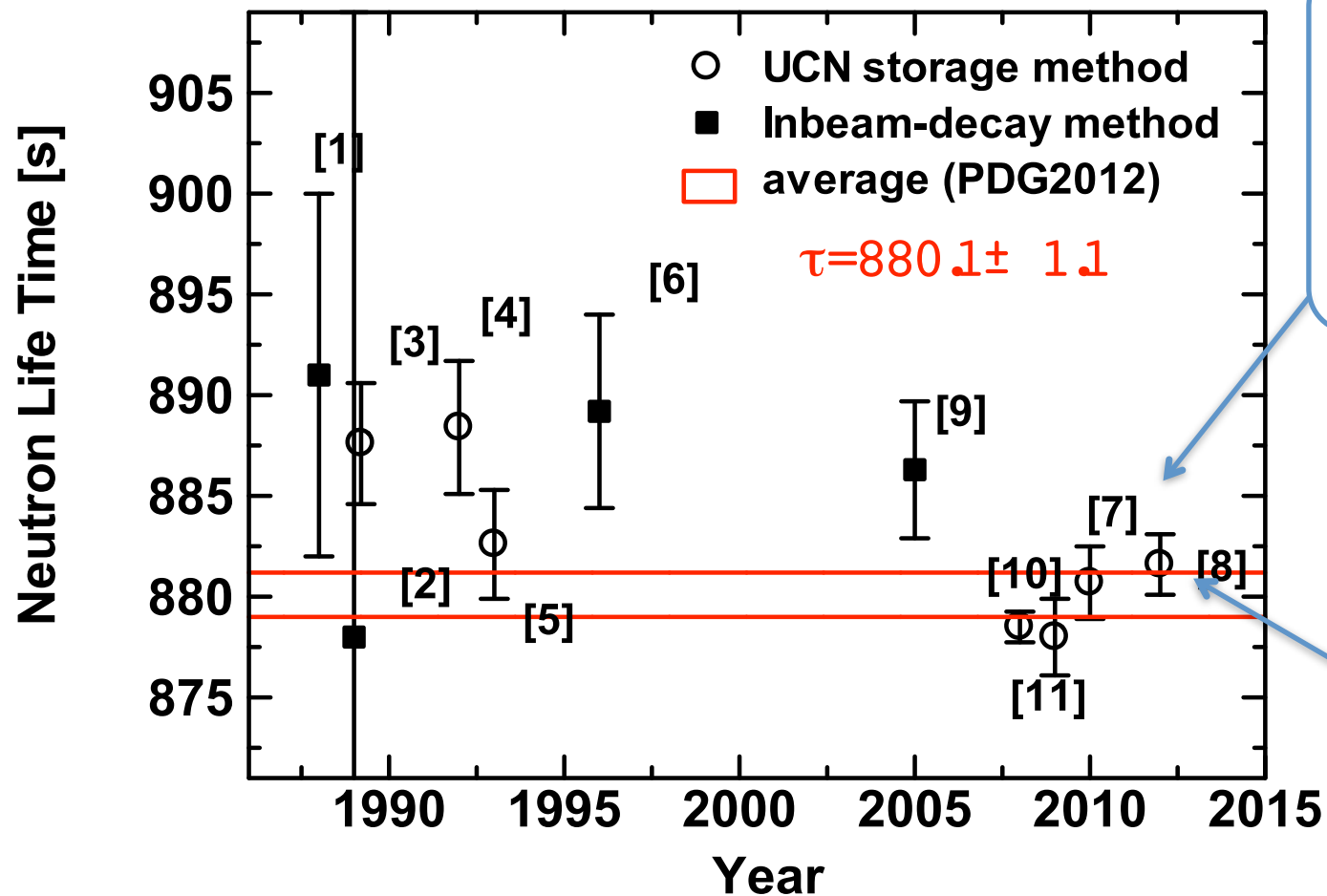
**p and n density**

**$n_{\text{baryon}}/n_{\text{photon}}$**



## 2. Neutron Lifetime

$$\tau_n = 880.1 \pm 1.1 \text{ sec (PDG2012)}$$



A .Pichlmaier et al., Physics Letters  
B693 (2010) 221.

$880.7 \pm 1.3 \pm 1.2$   
UCN Material trap

S. Arzumanov et al., JETPL 95  
(2012) 224.

$881.6 \pm 0.8 \pm 1.9$   
UCN Material trap

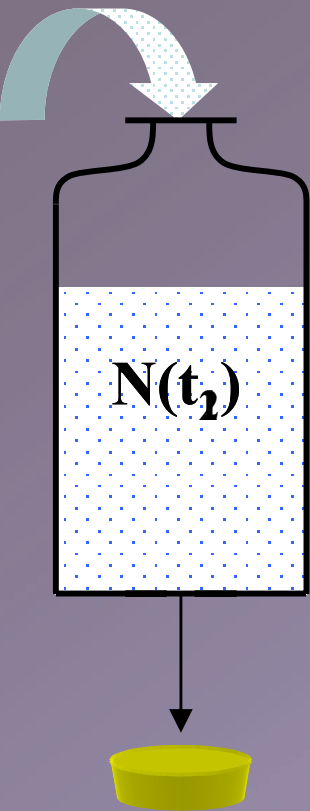
Gravitrap has been taken account in the average.  
Two data (UCN material trap) have been revised.  
Measured  $\tau_n$  decreased by 5.6 sec ( $\sim 6\sigma$ ) from 2010.

# 2. Neutron Lifetime

## Storage experiments with UCN

"counting the surviving neutrons"

"UCN bottle"



$$\frac{1}{\phi_m} = \frac{1}{t_2 - t_1} \cdot \ln \frac{N(t_1)}{N(t_2)}$$

$$\frac{1}{\phi_m} = \frac{1}{\phi_B} + \frac{1}{\phi_{wall}} + \frac{1}{\phi_{leak}} + \frac{1}{\phi_{vacuum}} + \dots$$

→ 0 (experiment)

$$\frac{1}{\phi_{wall}} = M \cdot V_{eff} \rightarrow 0 \text{ (extrapolation)}$$

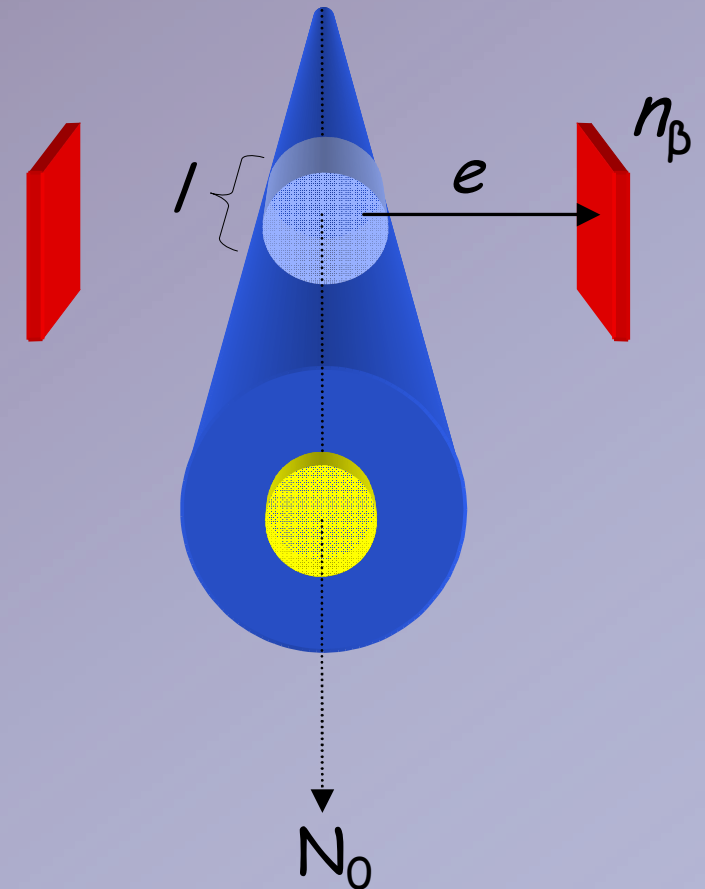
→

$$\frac{1}{\phi_m} = \frac{1}{\phi_B}$$

Two relative measurements

## Beam experiments with cold neutrons

"counting the dead neutrons"



$$n_B = \frac{dN}{dt} = -\frac{N_0}{\phi_h} e^{-\frac{l}{v \cdot \phi_h}}$$

Two absolute measurements

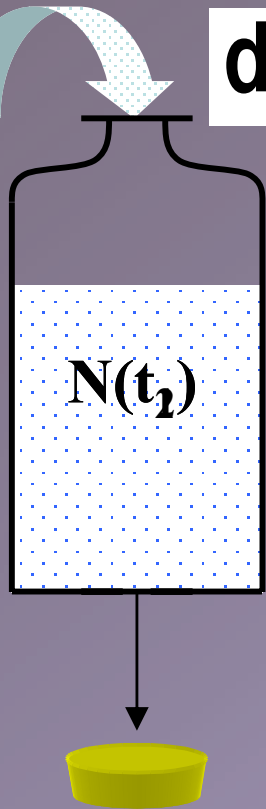
# 2. Neutron Lifetime

## Storage experiments with UCN

"counting the surviving neutrons"

"UCN bottle"

decrease of confined neutrons



$$\frac{1}{\phi_m} = \frac{1}{\phi_B} + \frac{1}{\phi_{wall}} + \frac{1}{\phi_{leak}} + \frac{1}{\phi_{vacuum}} + \dots$$

→ 0 (experiment)

$$\frac{1}{\phi_{wall}} = M \cdot V_{eff} \rightarrow 0 \text{ (extrapolation)}$$

leakage correction

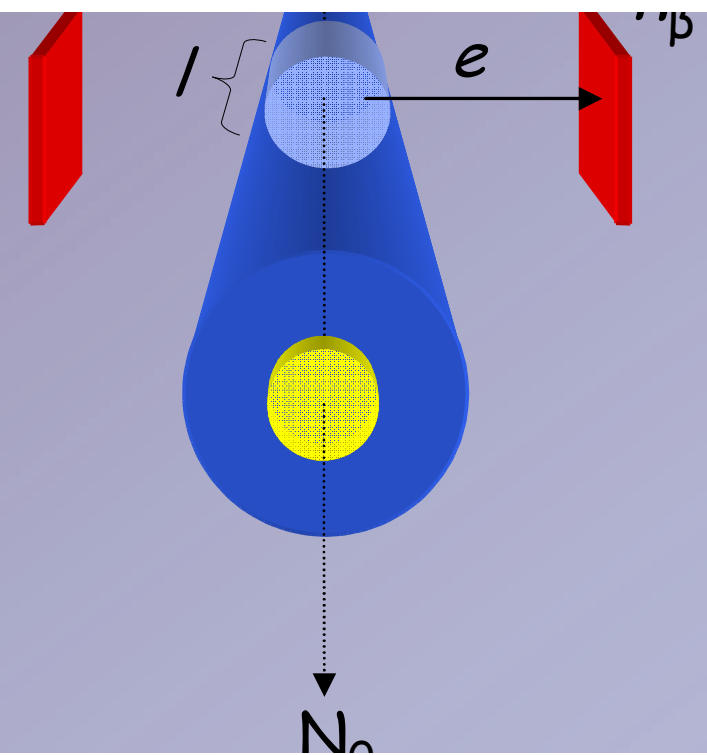
$$\frac{\phi_m}{\phi_B}$$

Two relative measurements

## Beam experiments with cold neutrons

"counting the dead neutrons"

decay rate / incident rate



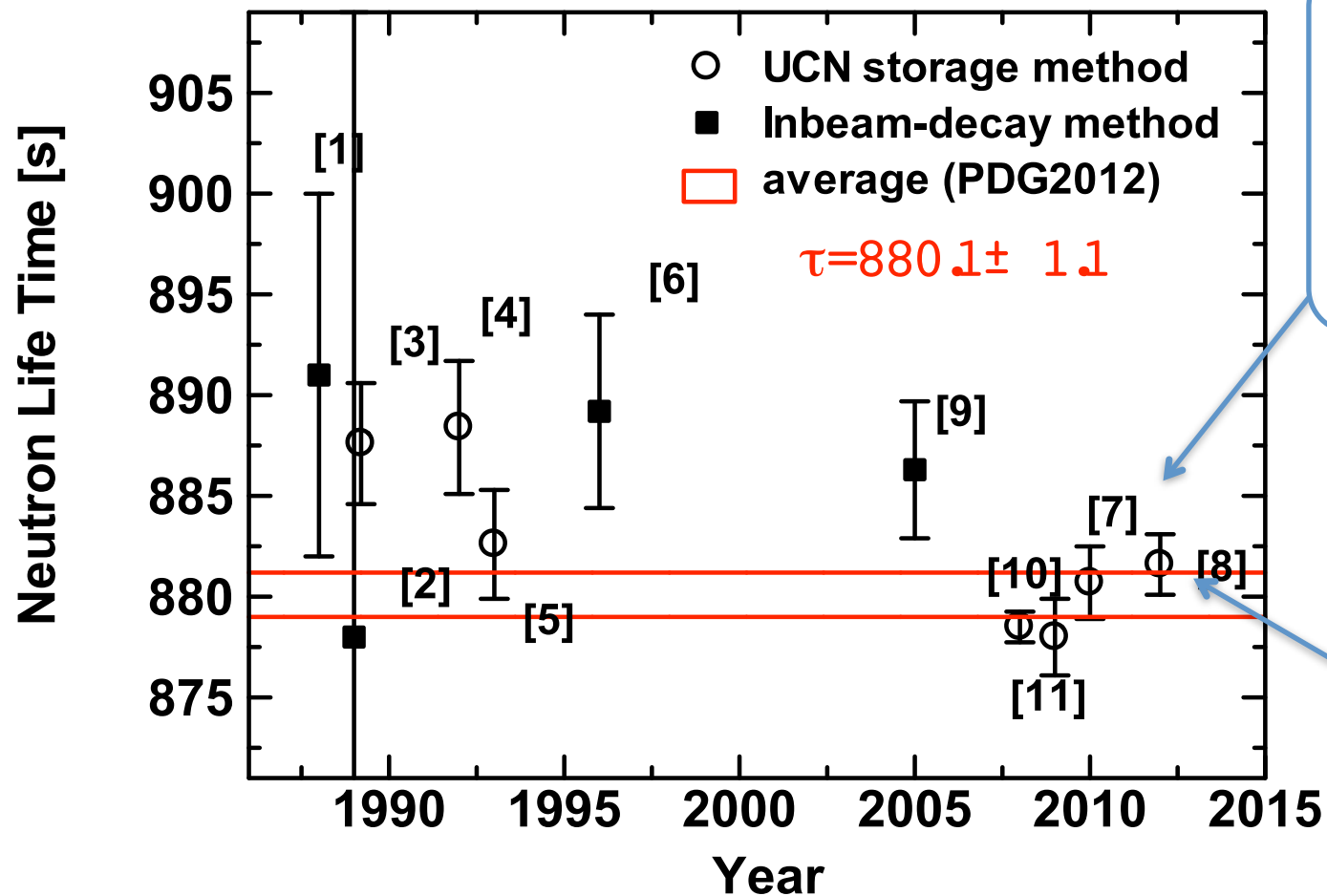
calibration of detection efficiencies

$$\frac{at}{\phi_h}$$

Two absolute measurements

## 2. Neutron Lifetime

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A .Pichlmaier et al., Physics Letters  
B693 (2010) 221.

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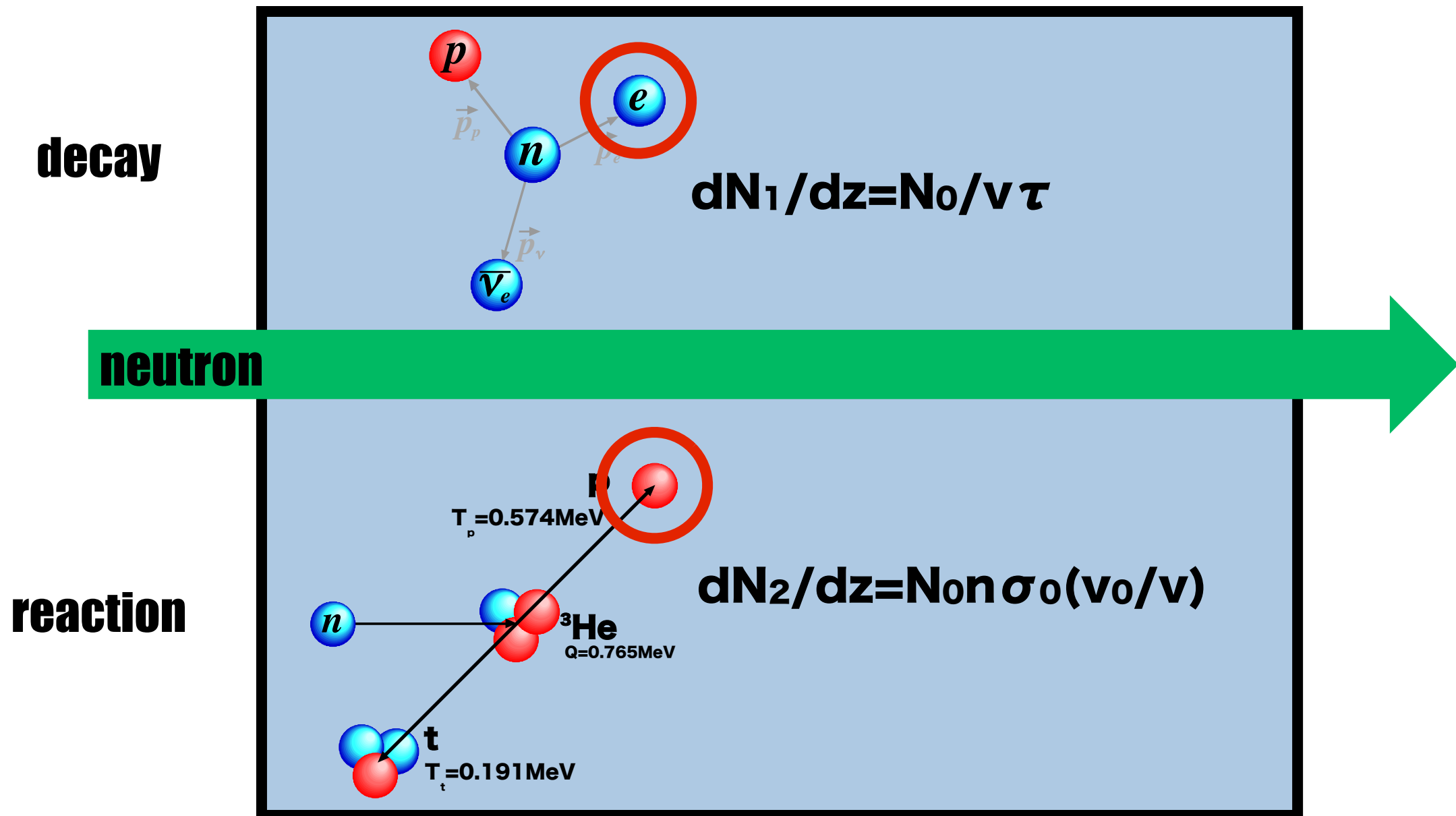
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# 2. Neutron Lifetime

## <sup>3</sup>He-diluted Gas Chamber

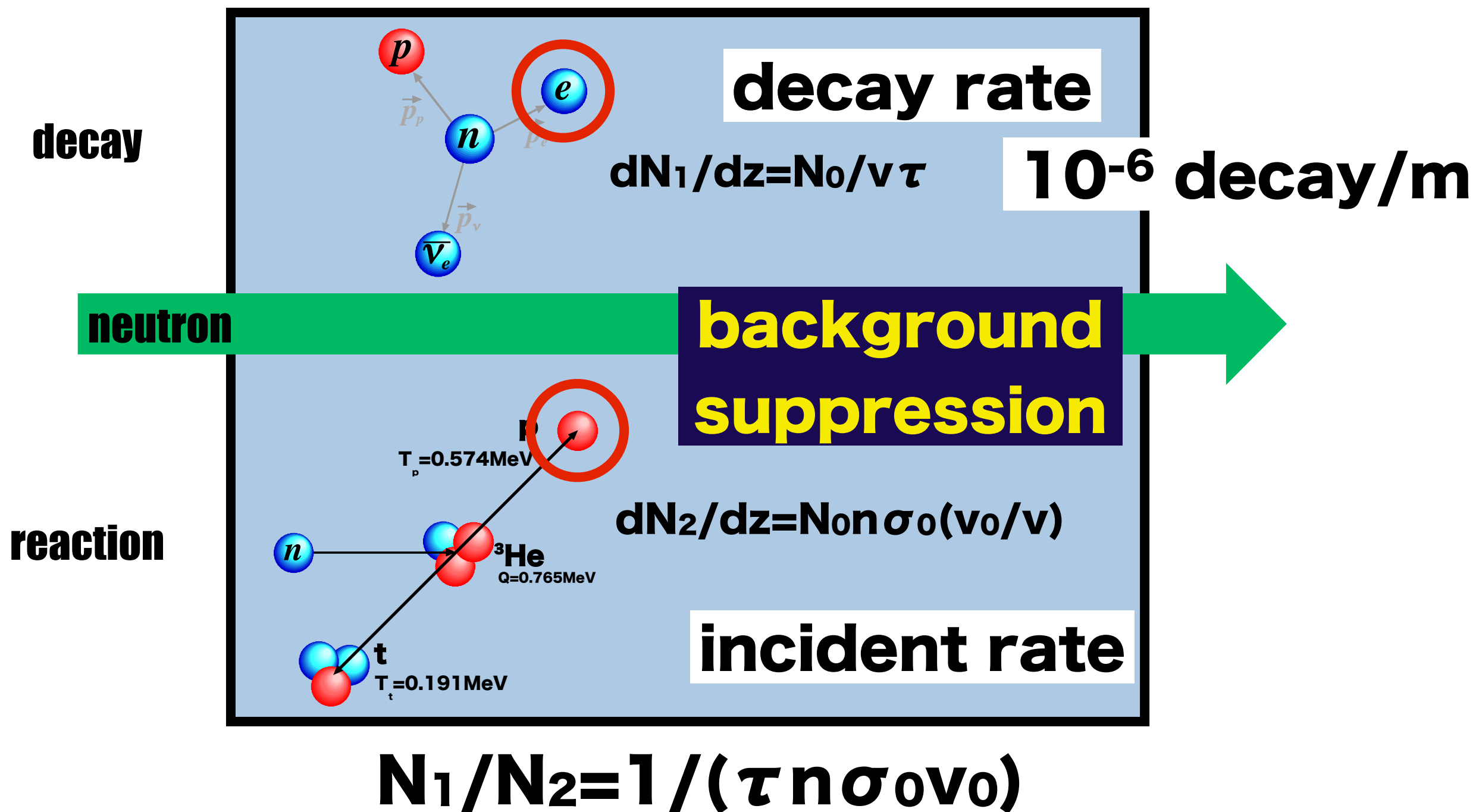




## 2. Neutron Lifetime

### single detector

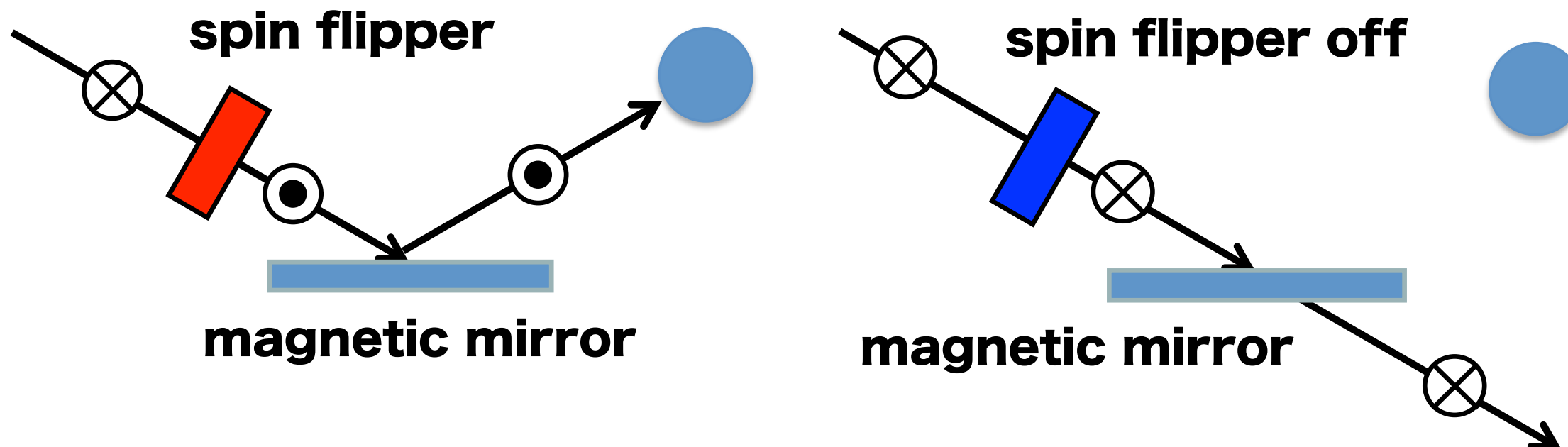
<sup>3</sup>He-diluted Gas Chamber



## 2. Neutron Lifetime

spin-flip chopper: electromagnetic neutron beam steering device

fast steering of cold neutron beam by controlling the neutron spin with radio-frequency



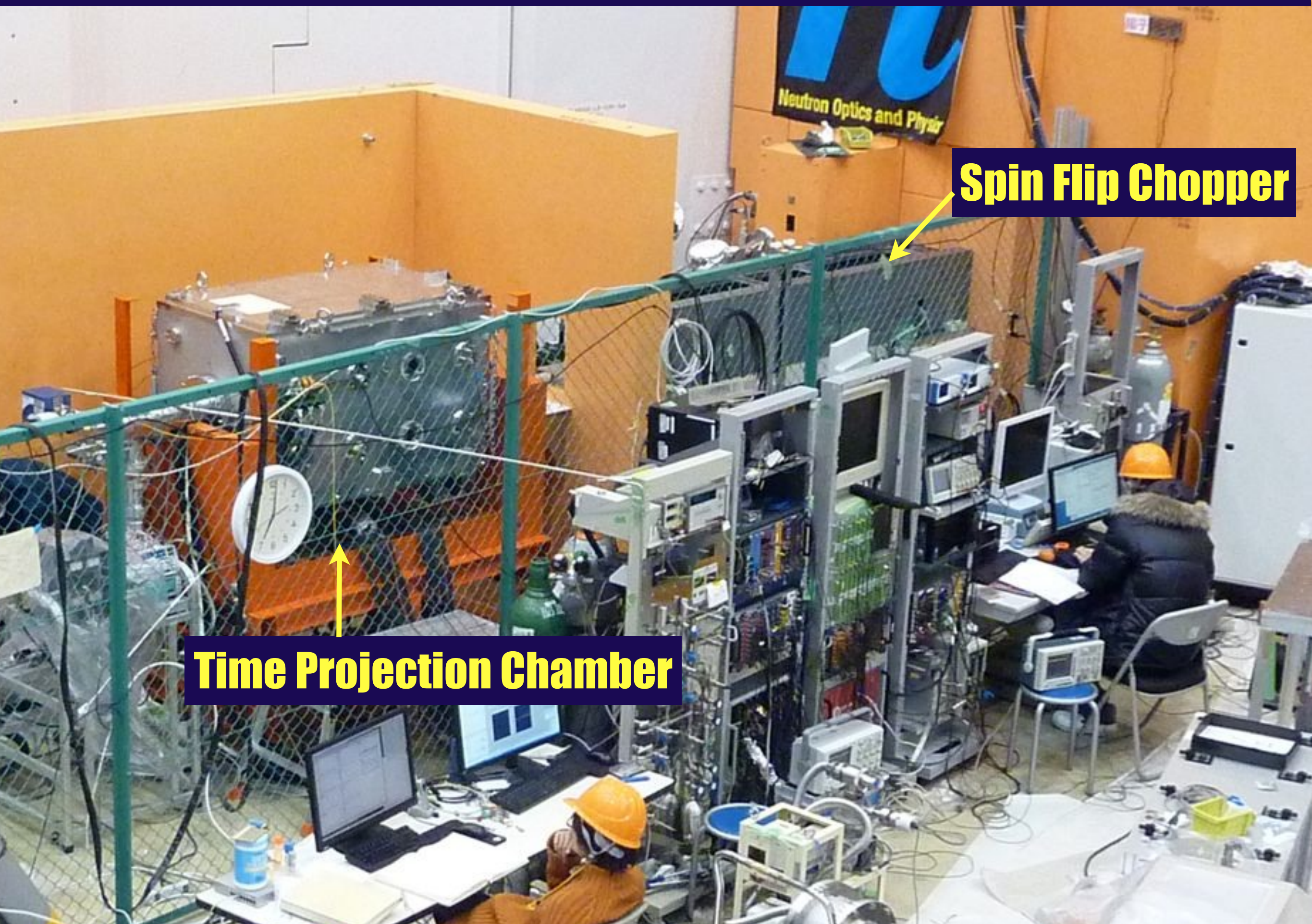
deriving monochromatic neutron beam bunch into the fiducial volume of the detector



suppression of neutron-induced background



# J-PARC/MLF BL05 (NOP: Neutron Optics and Physics)

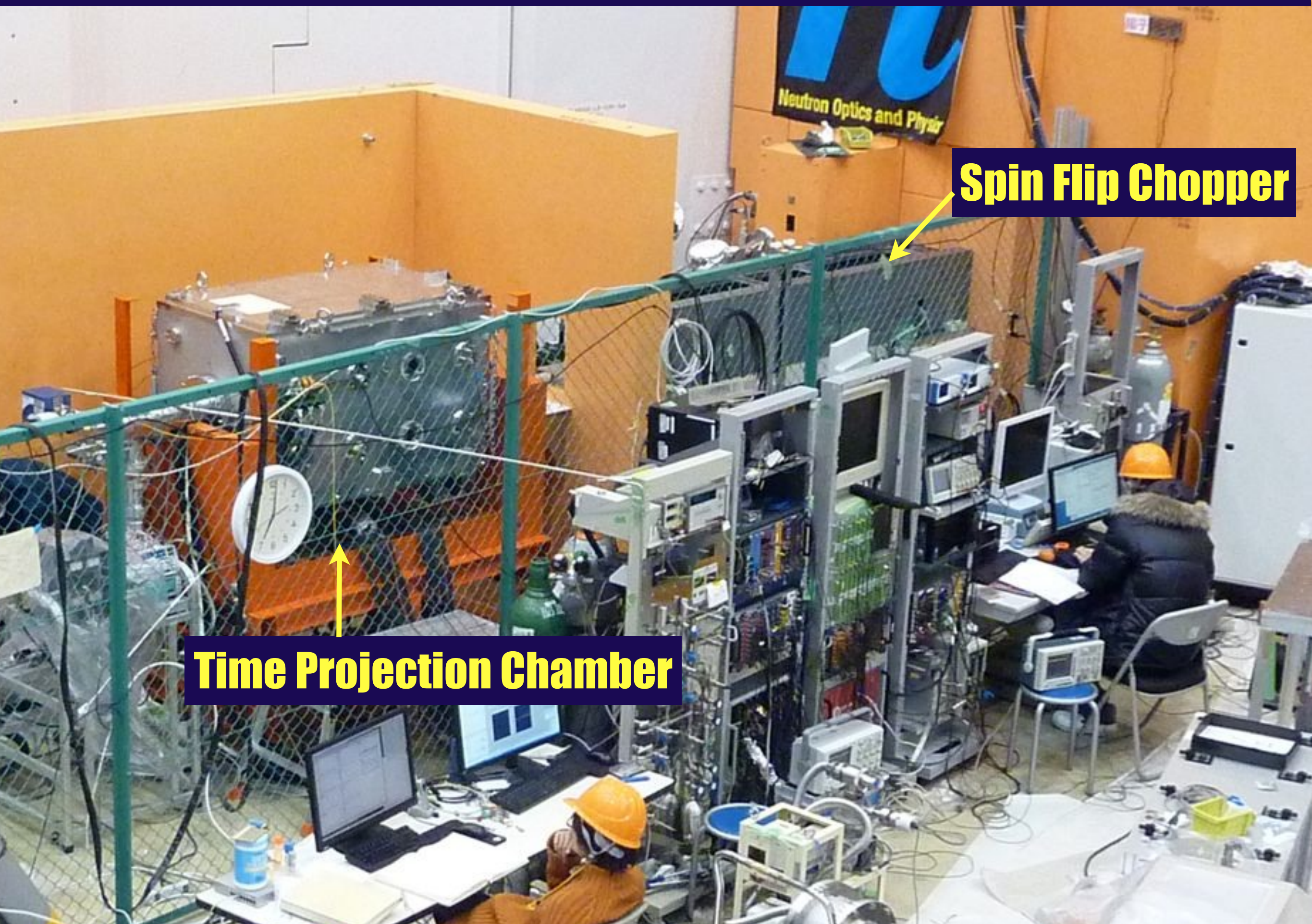


**Spin Flip Chopper**

**Time Projection Chamber**



# J-PARC/MLF BL05 (NOP: Neutron Optics and Physics)



**Spin Flip Chopper**

**Time Projection Chamber**

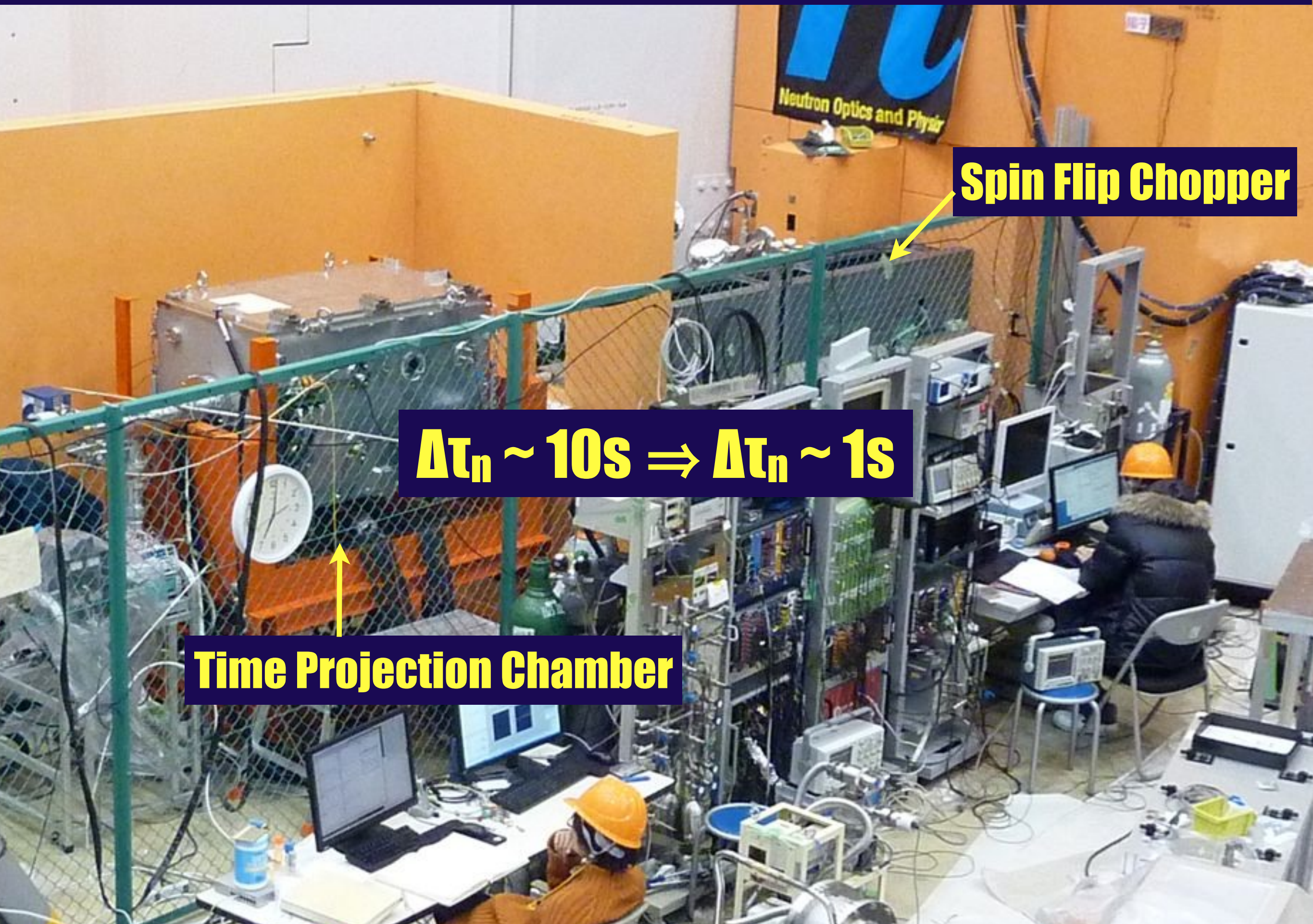


# J-PARC/MLF BL05 (NOP: Neutron Optics and Physics)

**Spin Flip Chopper**

$$\Delta\tau_n \sim 10\text{s} \Rightarrow \Delta\tau_n \sim 1\text{s}$$

**Time Projection Chamber**





### 3. T-violation

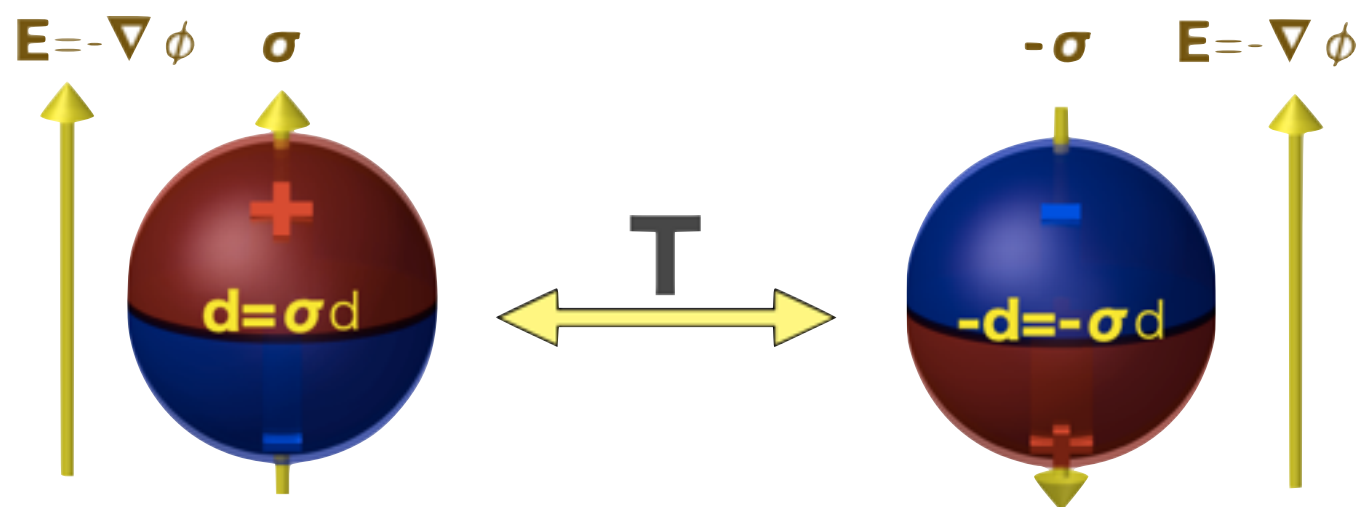
**CPT=1**

**CP ≠ 1 ⇔ T ≠ 1**

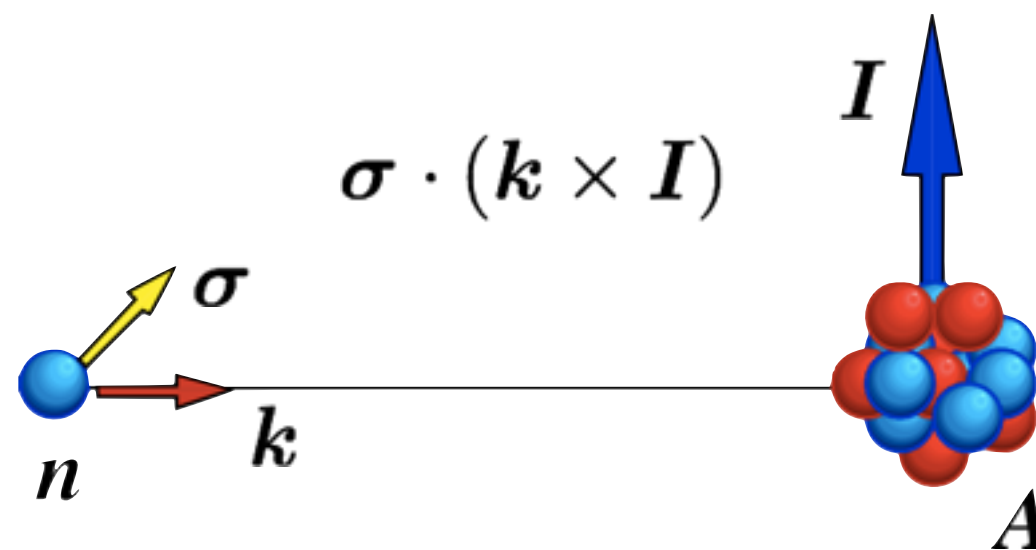
**CP-violation**

**T-violation**

**Electric Dipole Moment**



**T-odd Correlation Terms**



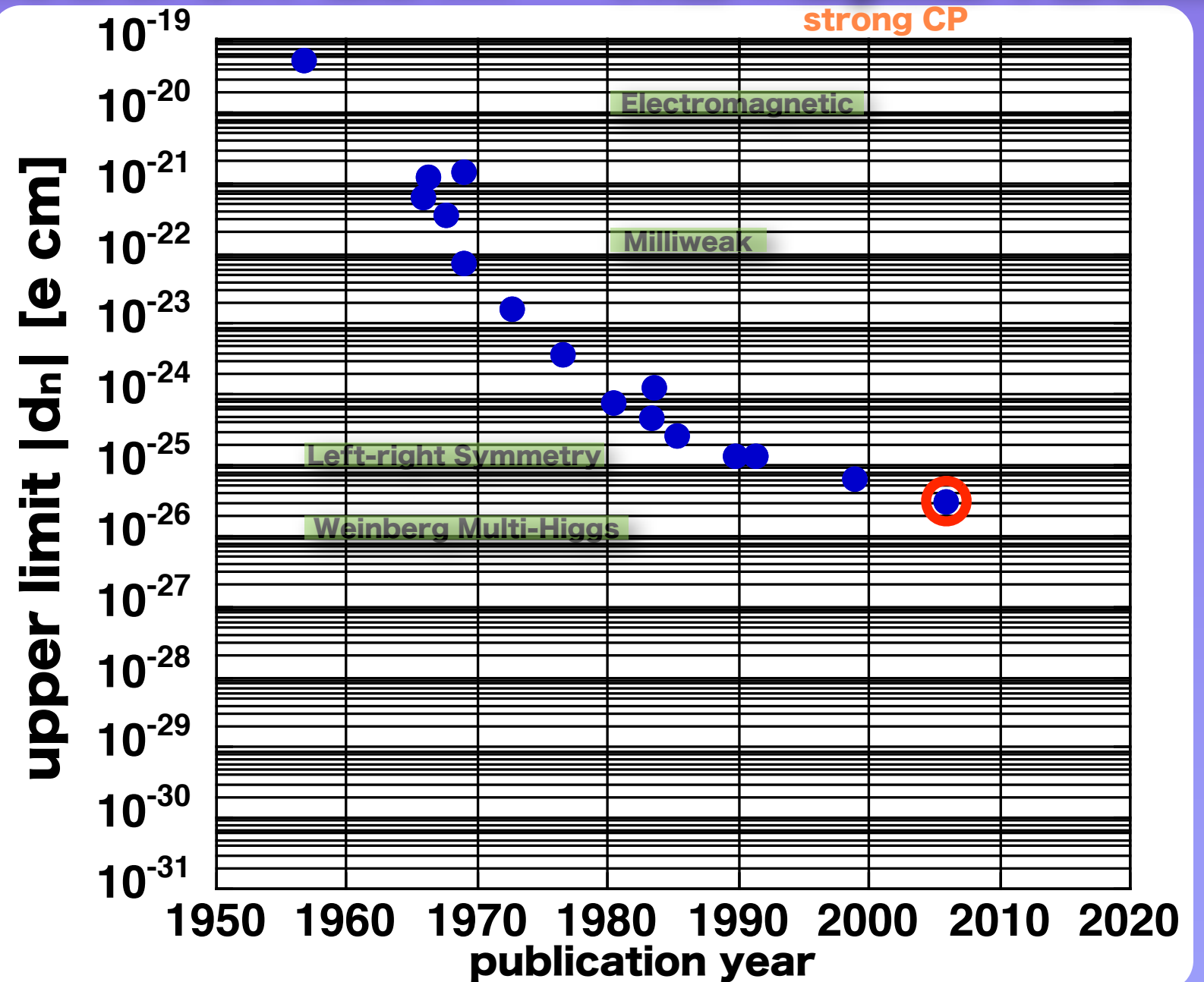
# Neutron Electric Dipole Moment



neutron EDM

$$\hbar\omega = 2\mu_n B + 2d_n E$$

strong CP



$|d_n| < 2.9 \times 10^{-26} \text{ e cm}$   
(90% C.L.)

Baker et al., PRL97 (2006)131801

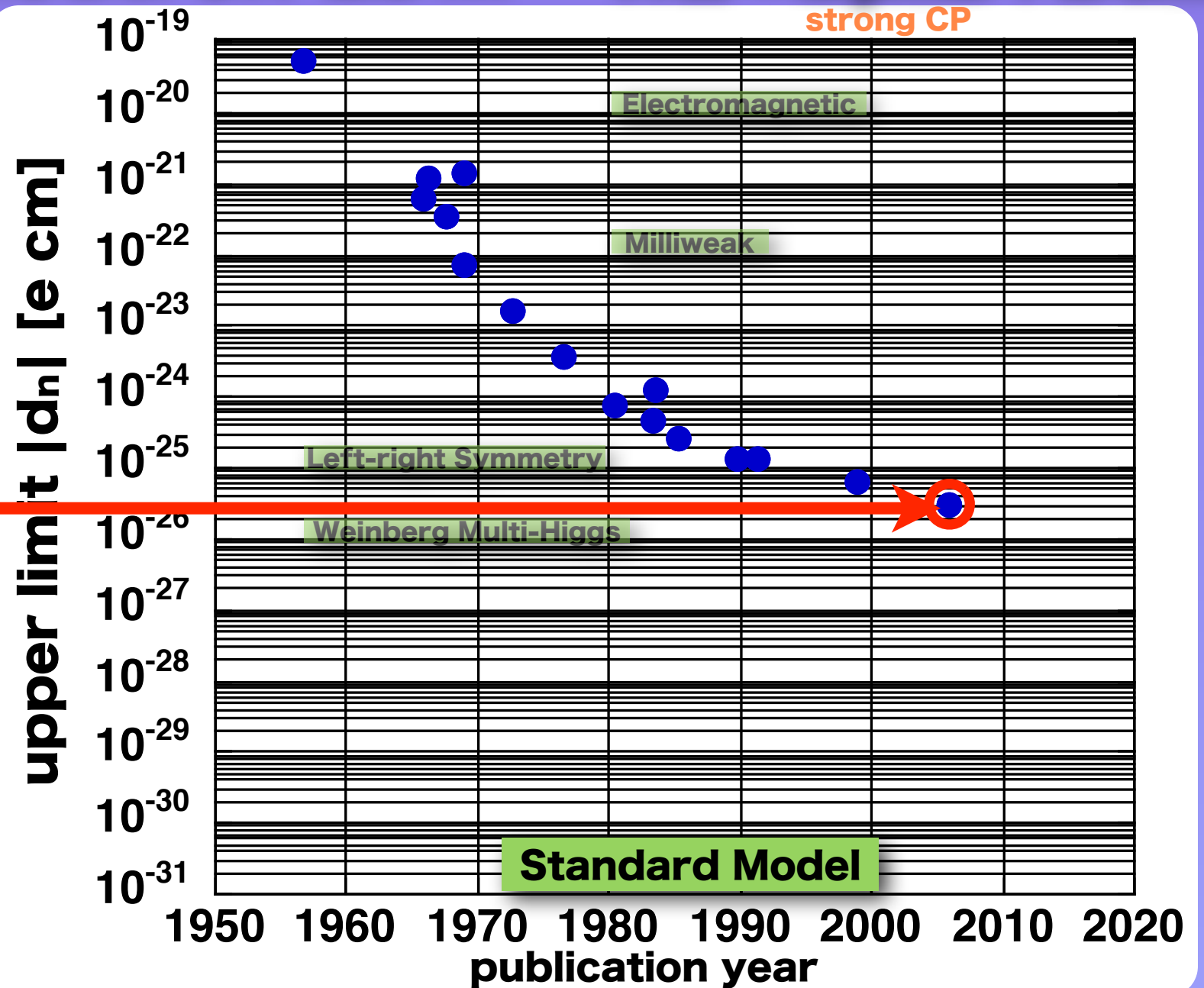
# Neutron Electric Dipole Moment



neutron EDM

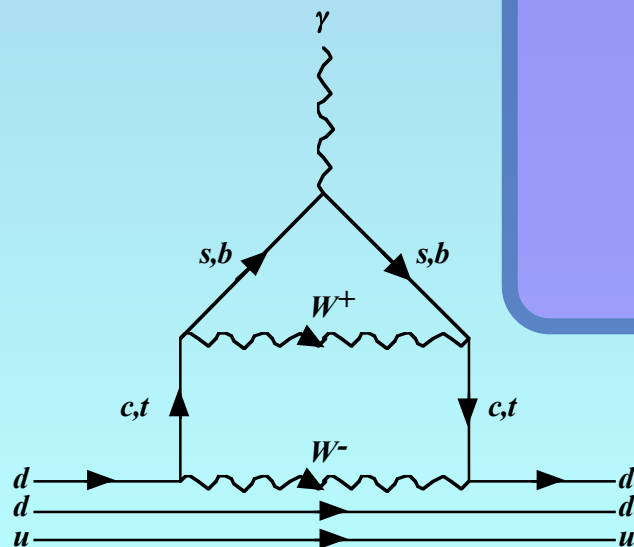
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Baker et al., PRL97 (2006)131801





# Neutron Electric Dipole Moment



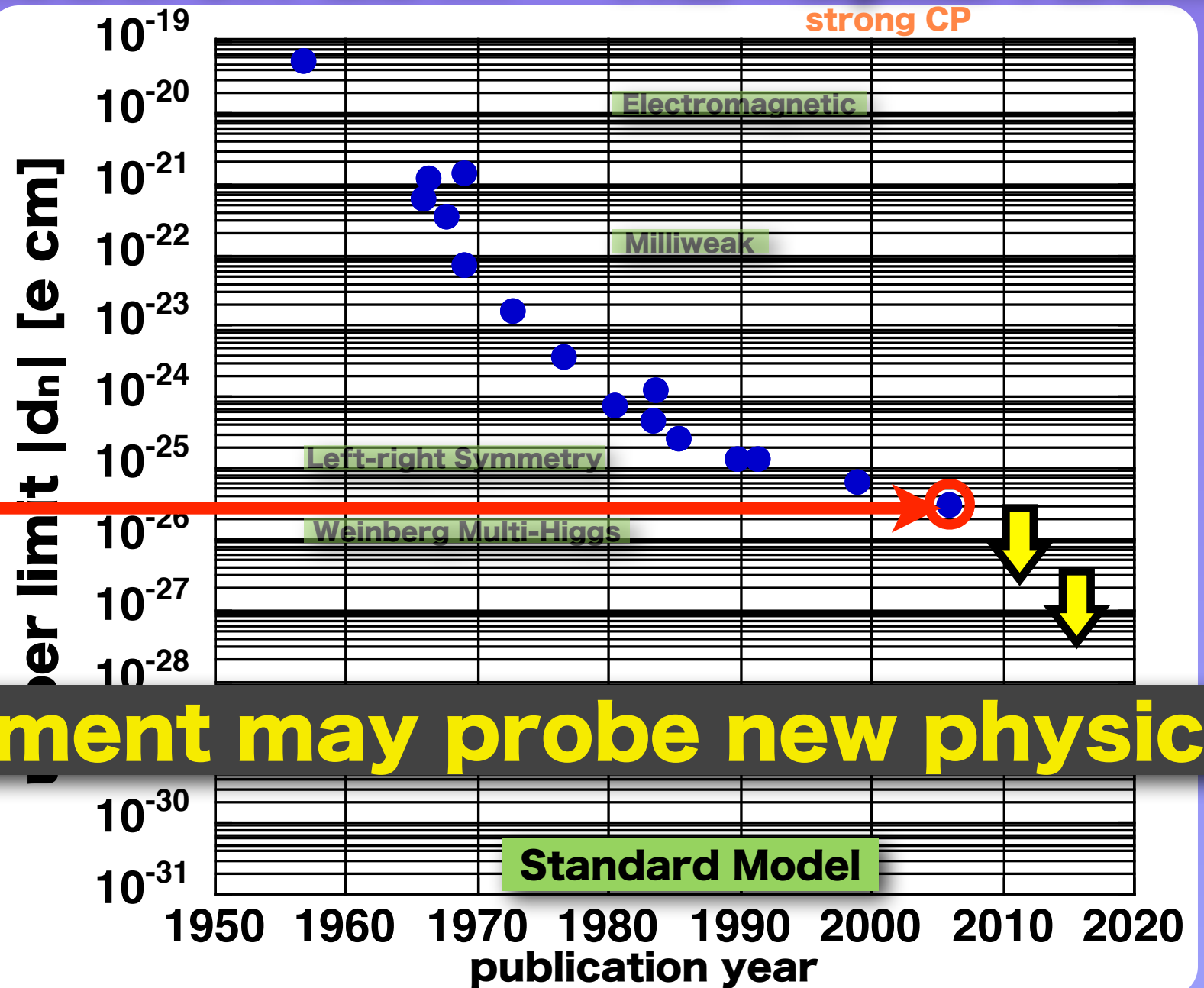
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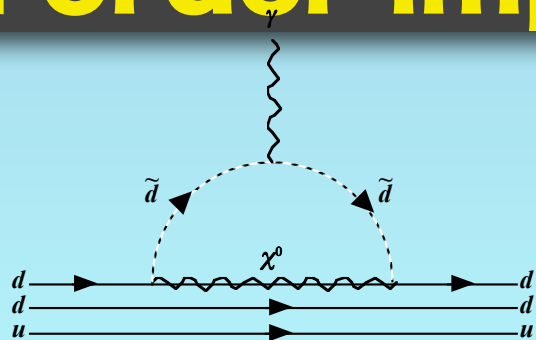
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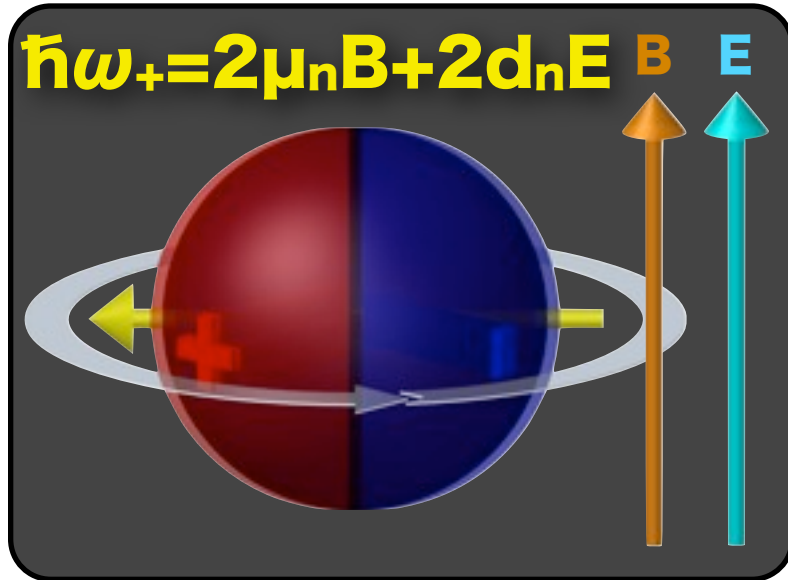
1-2 order improvement may probe new physics



# Measurement of Neutron Electric Dipole Moment

search for the phase change when the electric field is reversed

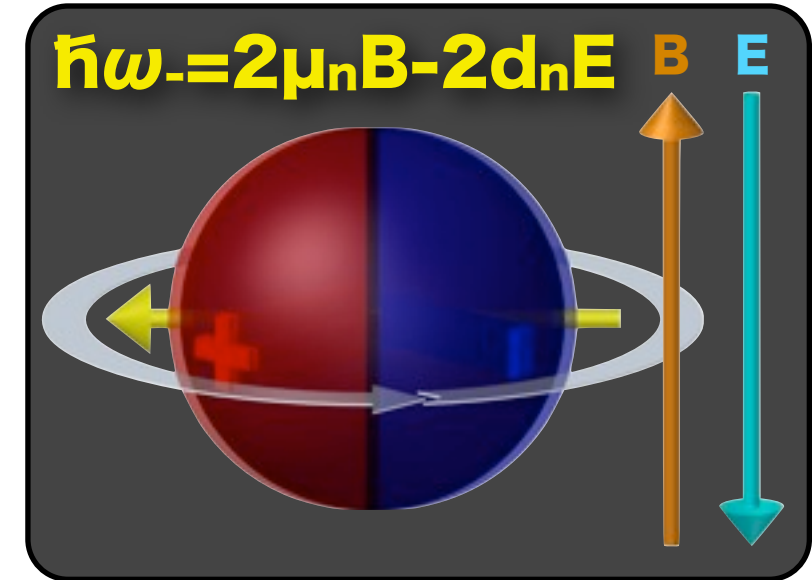
$$\hbar\omega_+ = 2d_n E + 2\mu_n B$$



$$\Delta\phi = \int (\omega_+ - \omega_-) dt = \frac{2d_n ET}{\hbar}$$

$$\Delta d_n = \frac{\hbar/2}{ET\sqrt{N}}$$

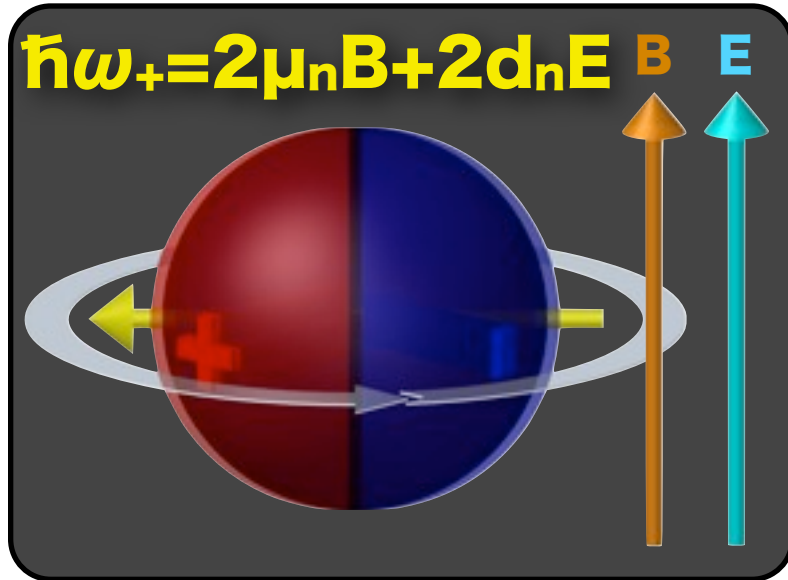
$$\hbar\omega_- = 2d_n E - 2\mu_n B$$



# Measurement of Neutron Electric Dipole Moment

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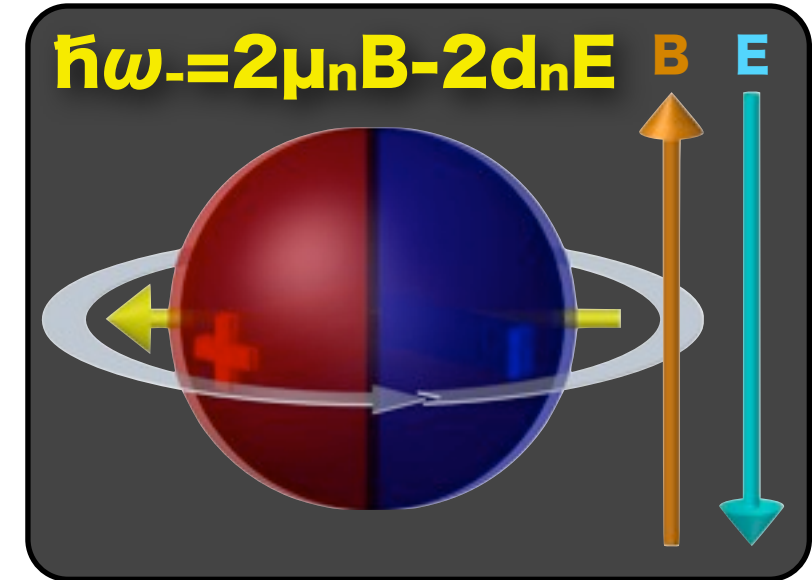
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$$\hbar\omega_- = 2d_n E - 2\mu_n B$$



Confined Ultracold Neutron  
Spin Precession Frequency

$$E=10^4 \text{ V/cm}, T=100\text{s}$$

long precession time

Cold Neutron  
Diffraction in Single Crystal

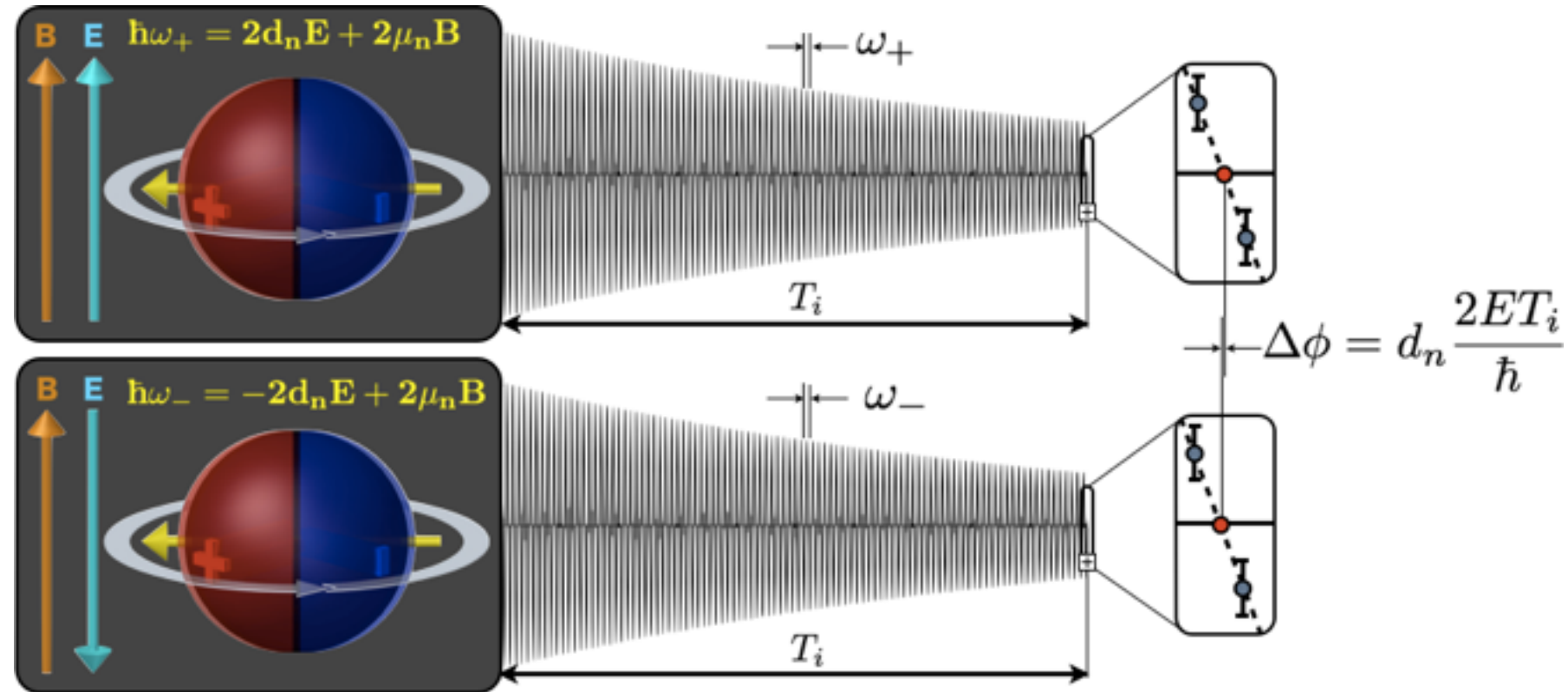
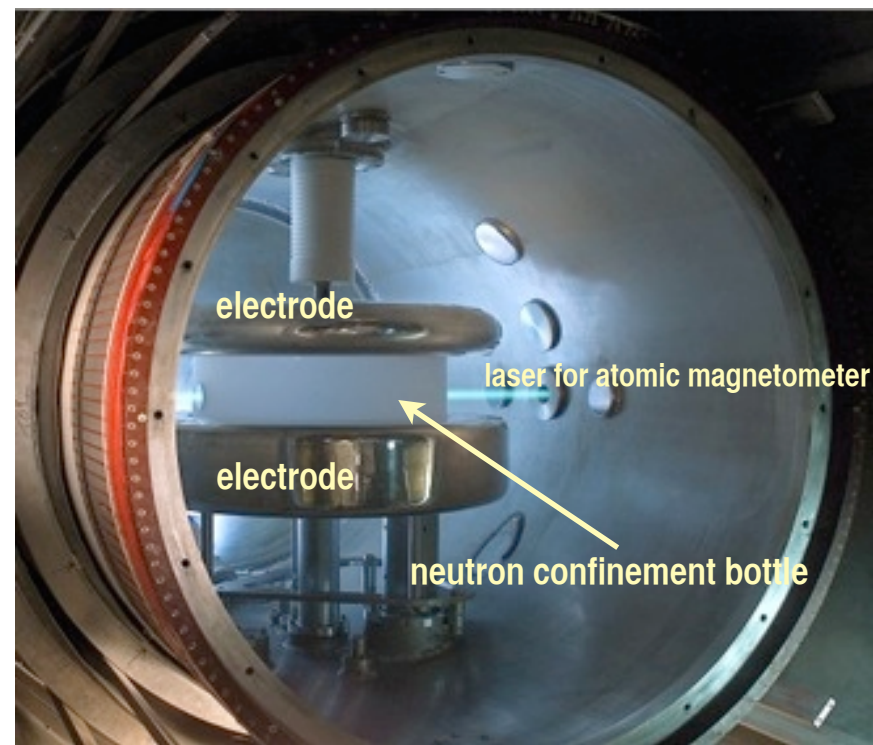
$$E=10^9 \text{ V/cm}, T=1\text{ms}$$

strong electric field

$$ET = 10^6 \text{ [s kV/cm]}$$

# Measurement of Neutron Electric Dipole Moment

## Confined Ultracold Neutron Spin Precession Frequency



$$\frac{\omega_{\pm}}{2\pi} = 30 [\text{Hz}] \frac{B}{1 [\mu\text{T}]} \pm 5 \times 10^{-8} [\text{Hz}] \frac{d_n}{10^{-26} [\text{e} \cdot \text{cm}]} \frac{E}{10 [\text{kV}/\text{cm}]}$$

magnetic field **1 μT**

electric field **1 fT equiv.**



# Measurement of Neutron Electric Dipole Moment

## Confined Ultracold Neutron Spin Precession Frequency

$$\frac{\omega_{\pm}}{2\pi} = 30[\text{Hz}] \frac{B}{1 [\mu\text{T}]} \pm 5 \times 10^{-8} [\text{Hz}] \frac{d_n}{10^{-26} [\text{e} \cdot \text{cm}]} \frac{E}{10 [\text{kV}/\text{cm}]}$$

magnetic field **1 $\mu$ T**                      electric field **1fT equiv.**

## precision control of magnetic field

density of confined neutrons

superthermal production of ultracold neutron

transport optics with minimum density decrease

control of the motion of confined neutrons

optical properties of neutron reflectors

accuracy of the magnetic field measurement

atomic magnetometry

# Measurement of Neutron Electric Dipole Moment

## Confined Ultracold Neutron Spin Precession Frequency

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magnetic field **1 $\mu$ T**      electric field **1fT equiv.**

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optical properties of neutron reflectors

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atomic magnetometry

# Measurement of Neutron Electric Dipole Moment

## Cold Neutron Diffraction in Single Crystal

$$f(\mathbf{q}) = \underbrace{f_0} + \underbrace{f_{\text{Schw}}(\mathbf{q})} + \underbrace{f_{\text{EDM}}(\mathbf{q})}$$

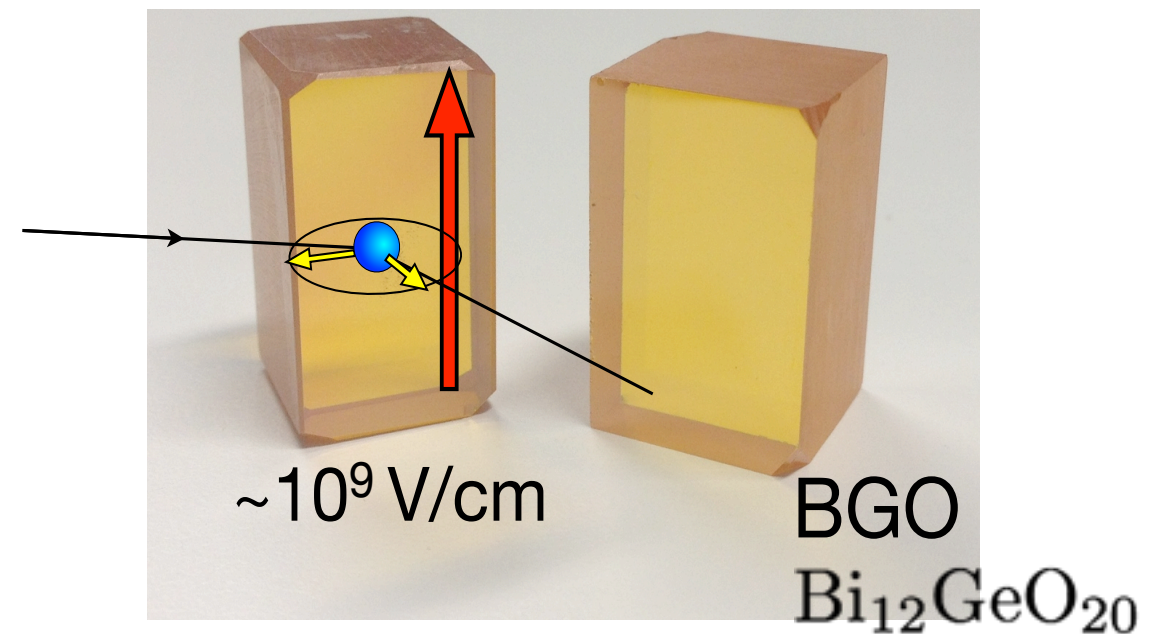
$$a \quad i \frac{2e\mu_n}{\hbar c} (Z - F(q)) \frac{\boldsymbol{\sigma} \cdot (\mathbf{k} \times \mathbf{q})}{q^2} \quad i \frac{2med_n}{\hbar^2} (Z - F(q)) \frac{\boldsymbol{\sigma} \cdot \mathbf{q}}{q}$$

$$F(\mathbf{q}) = \int \rho(\mathbf{q}) e^{i\mathbf{q} \cdot \mathbf{r}} d\mathbf{r} \quad \text{atomic form factor}$$

incompleteness of crystal  
size of crystal

$$\Delta d_n \sim 10^{-24} \text{ e cm}$$

$$\Delta d_n \sim 10^{-26} \text{ e cm}$$





# T-odd Correlation in Compound Nuclei

Parity-violating effect is enhanced in p-wave compound resonances due to the interference between partial waves with different parities (orbital angular momenta).

**enhancement factor  $\sim 10^6$**

The mechanism enhances T-violating effects in effective nucleon-nucleon interaction if the mixing angle of partial-waves with different T-parity (channel spin momenta).

**sensitivity estimation**

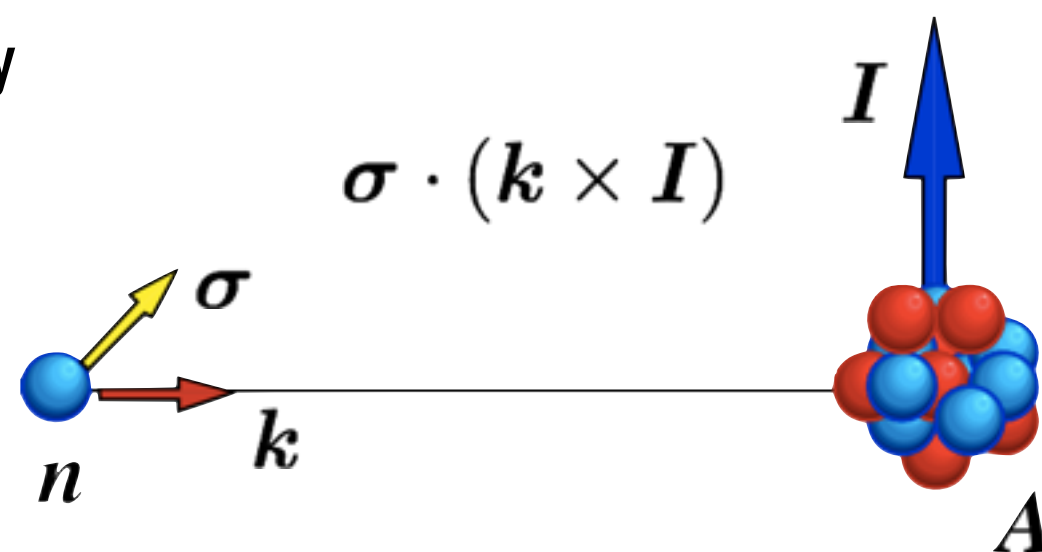
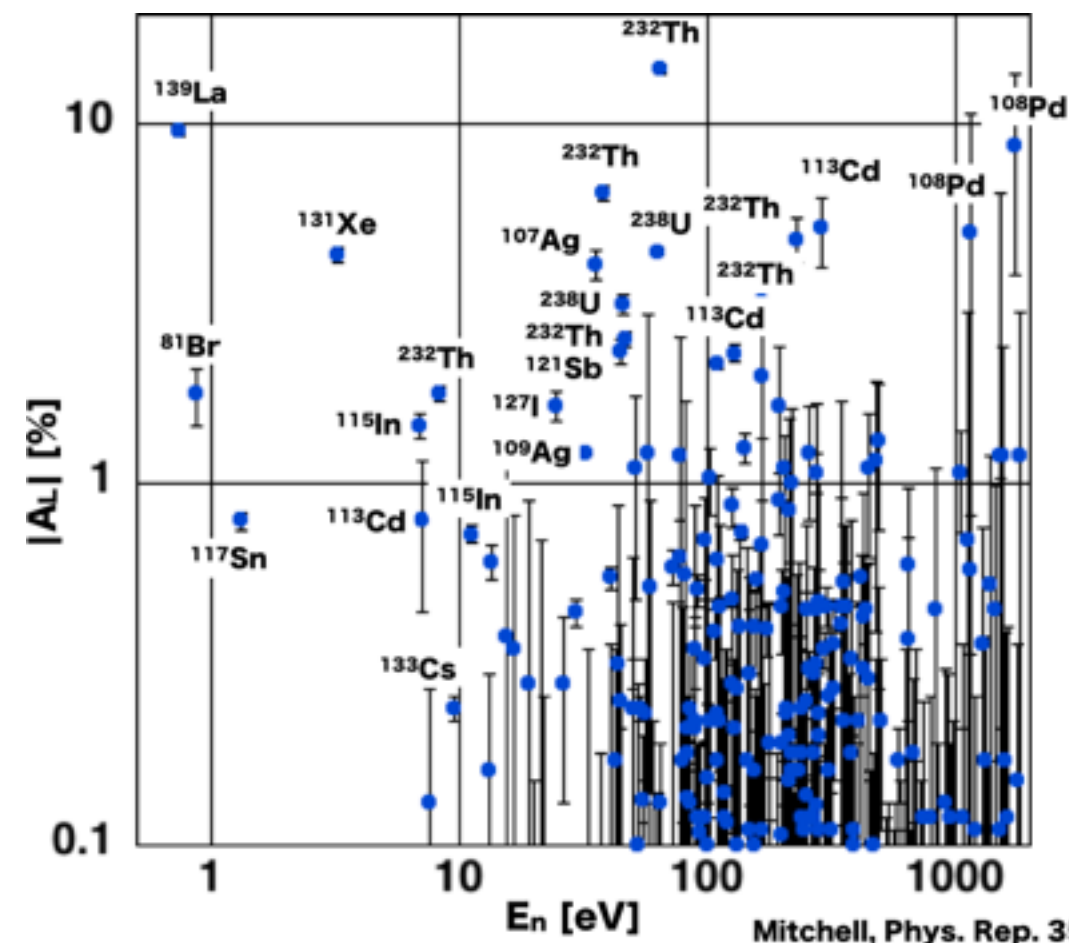
$$|\Delta\sigma_T^{nA}| < \underline{2.5 \times 10^{-4} [\text{b}]} \times \underline{\kappa(J)}$$

↑  
T-odd term

equivalent to EDM search  
assuming enh.fac.  $\sim 10^6$

mixing efficiency

**J-PARC can achieve the statistics corresponding to  $|d_n| < 10^{-27}$  e cm in 1-year in case  $\kappa=1$ .**



# 4. Medium-range Force (Gravity)

$$U(r) = \frac{GMm}{r^2} \left( 1 + \alpha e^{-r/\lambda} \right)$$

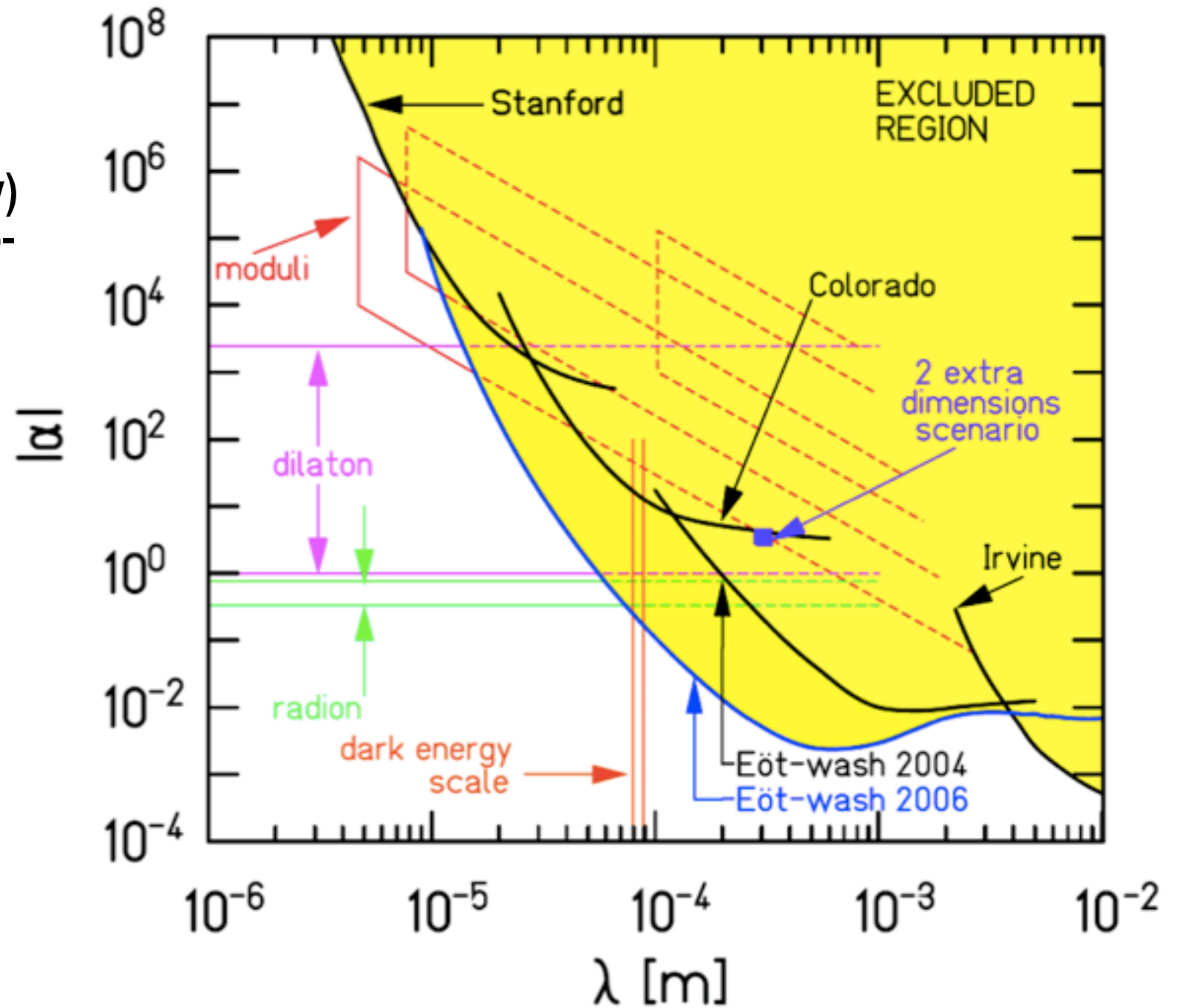
Newtonian

exotic interaction

van der Waals force  
(proportional to electric polarizability)  
is the dominant background in micro-  
and nanometer-range

$$\alpha_{\text{atom}} \sim 10^{-24} [\text{cm}^3]$$

$$\alpha_n \sim 10^{-42} [\text{cm}^3]$$

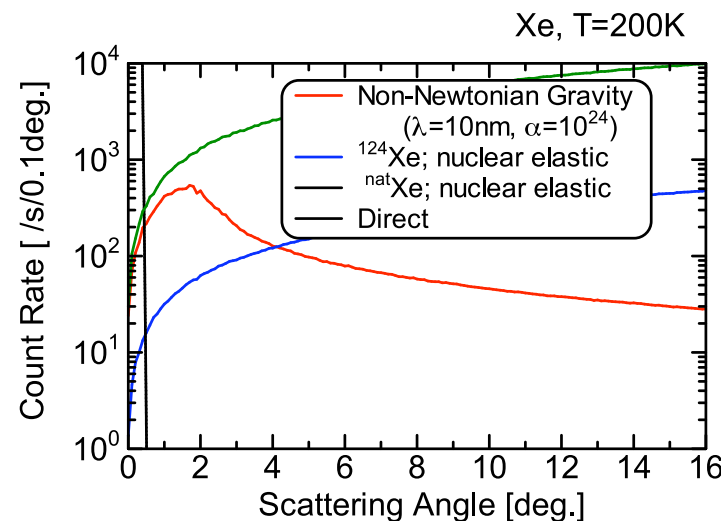


## 4. Medium-range Force (Gravity)

$$U(r) = \frac{GMm}{r^2} \left( \underbrace{1}_{\text{Newtonian}} + \underbrace{\alpha e^{-r/\lambda}}_{\text{exotic interaction}} \right)$$

The exotic interaction can be searched in the angular distribution of neutron scattering by atoms

$$\begin{aligned} \frac{d\sigma}{d\Omega} &= |a_N + a_{ne} Z F_e(\theta) + a_G F_G(\theta)|^2 \\ &\simeq a_N^2 + 2a_N a_{ne} Z F_e(\theta) + a_{ne}^2 Z^2 F_e(\theta)^2 + 2a_N a_G F_G(\theta) \end{aligned}$$

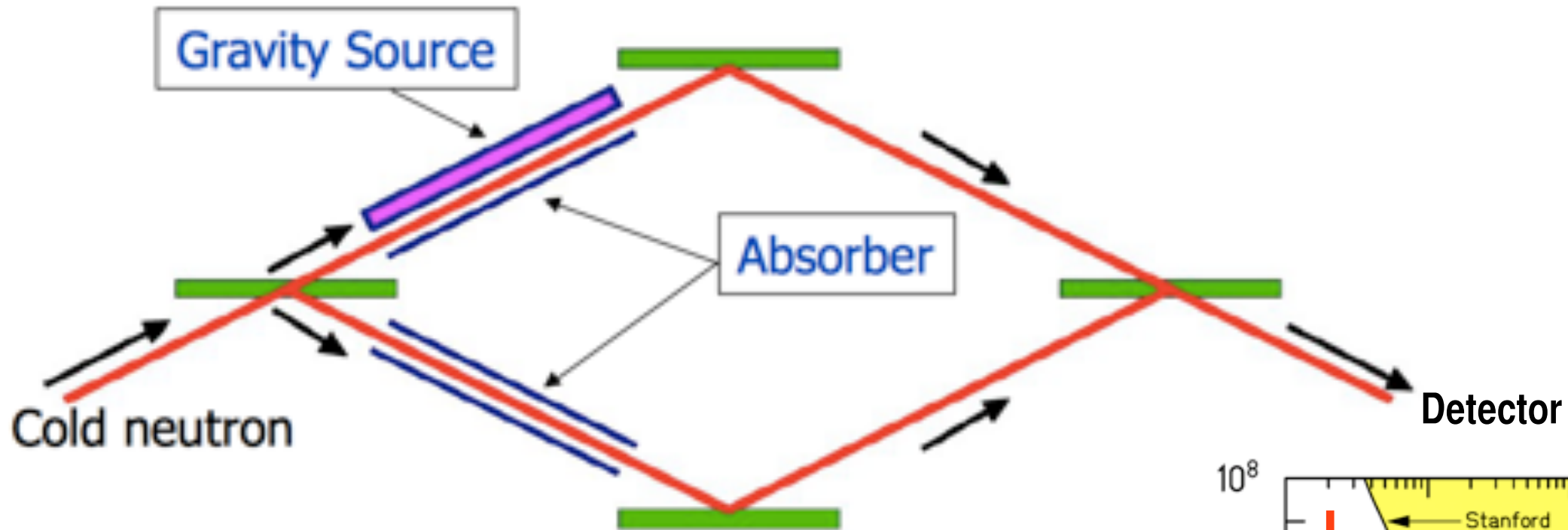


$$\frac{d\sigma_G}{d\Omega} = \alpha^2 \left( \frac{GMm_n}{4} \right)^2 \left( \frac{1}{\frac{1}{m_n c^2} \left( \frac{\hbar c}{\lambda} \right)^2 + 8E_n \sin^2 \frac{\theta}{2}} \right)^2$$

# 4. Medium-range Force (Gravity)

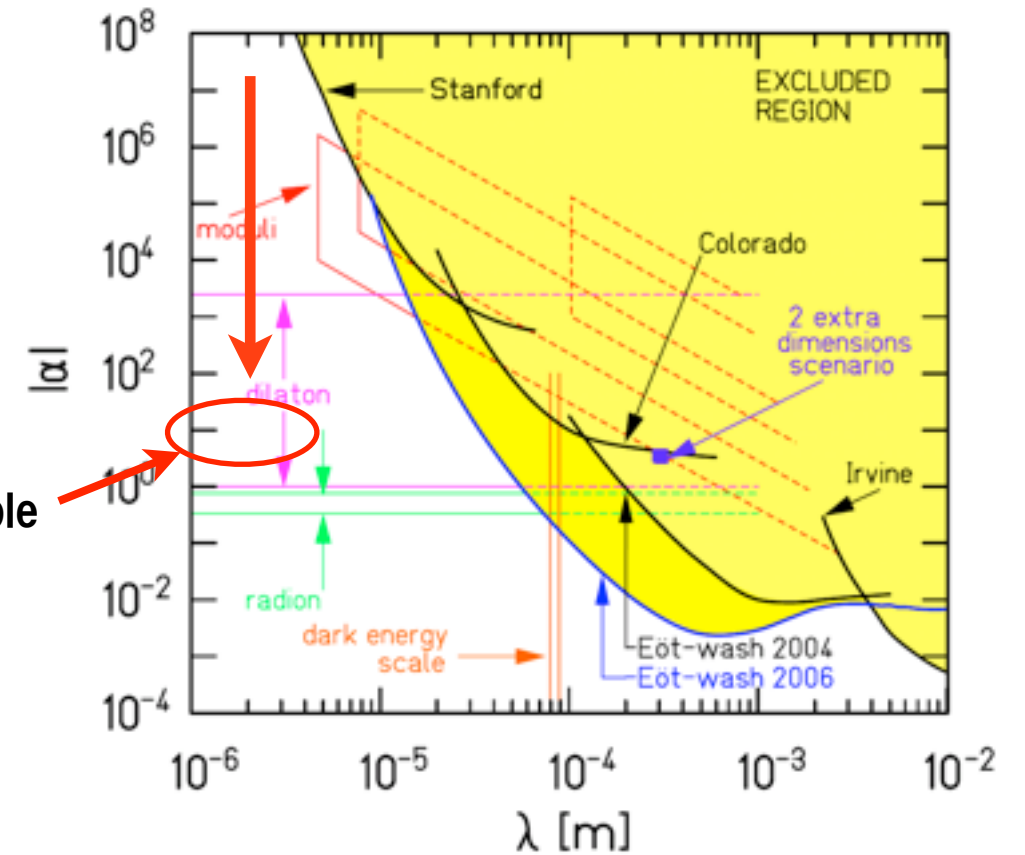
## Neutron Interferometry

detecting exotic potential by measuring the phase shift between two paths



technical challenges :  
phase stability and microbeam delivery

ADD-model N=3 is reachable

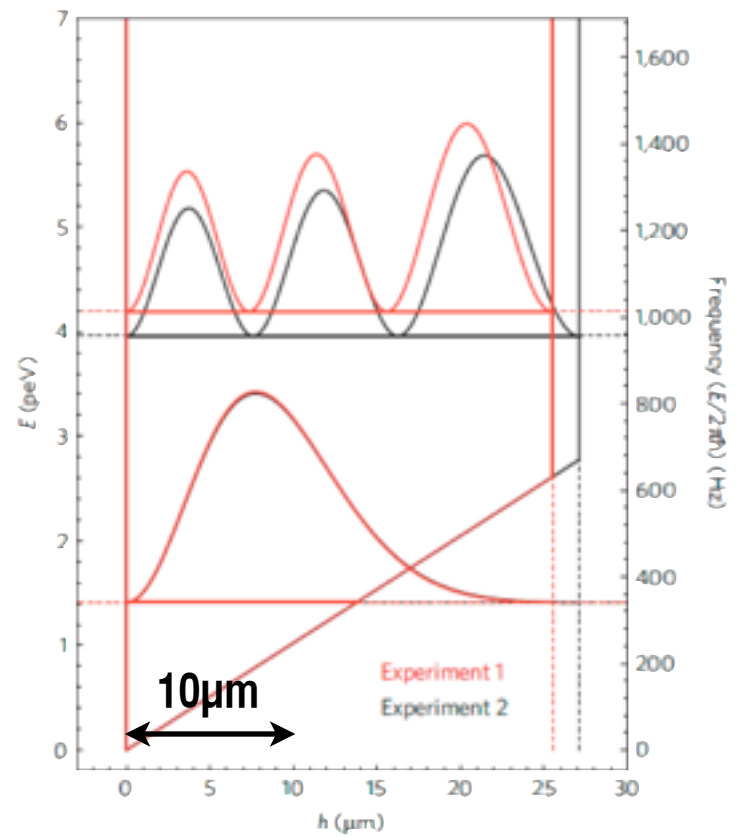
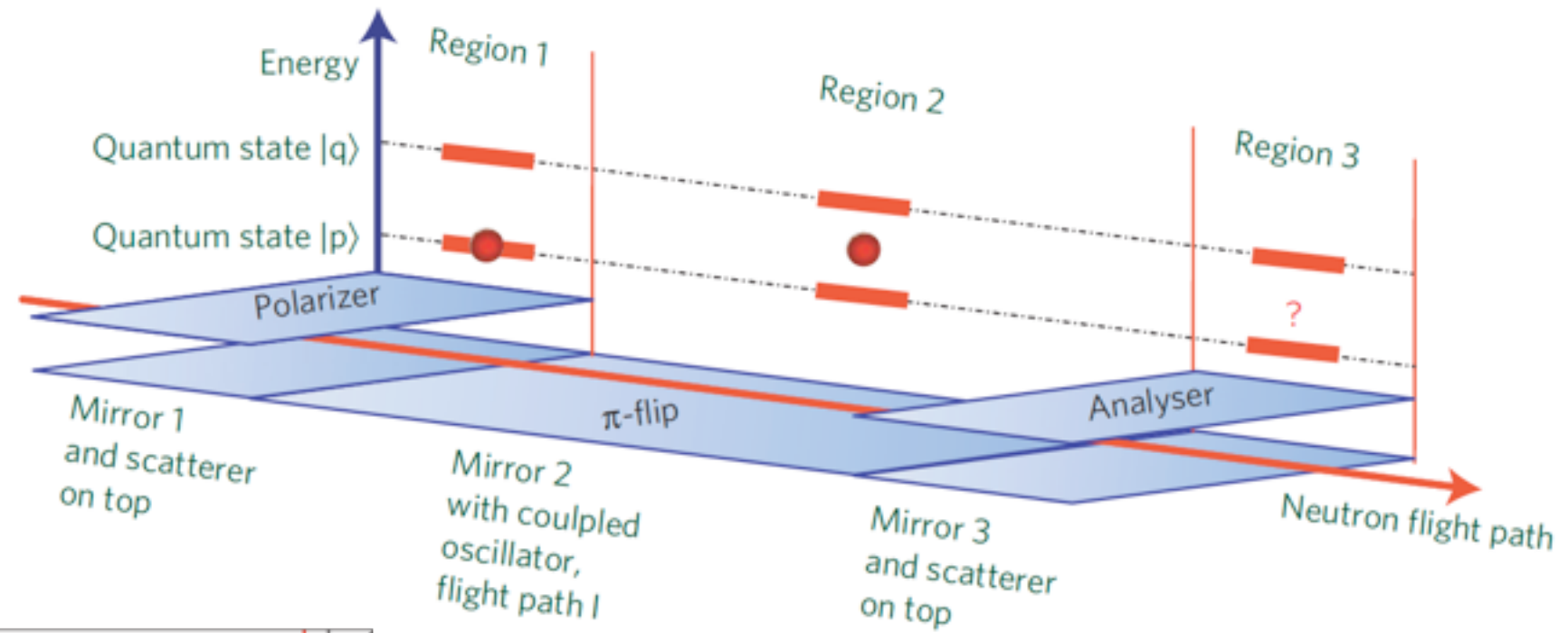
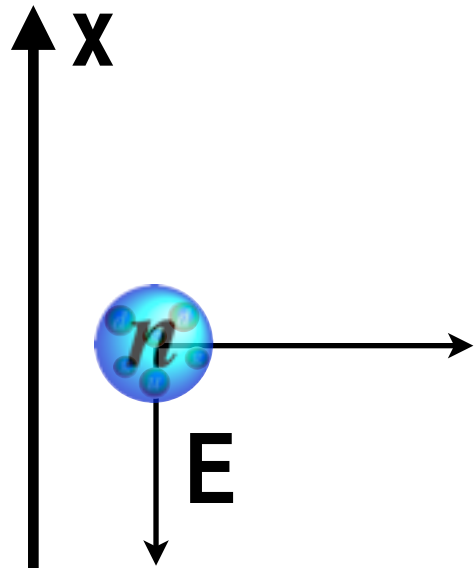




# 4. Medium-range Force (Gravity)

## Gravitationally Quantized States

$$\left( -\frac{\hbar^2}{2m} \frac{d^2}{dx^2} + mgx \right) \psi = E\psi$$

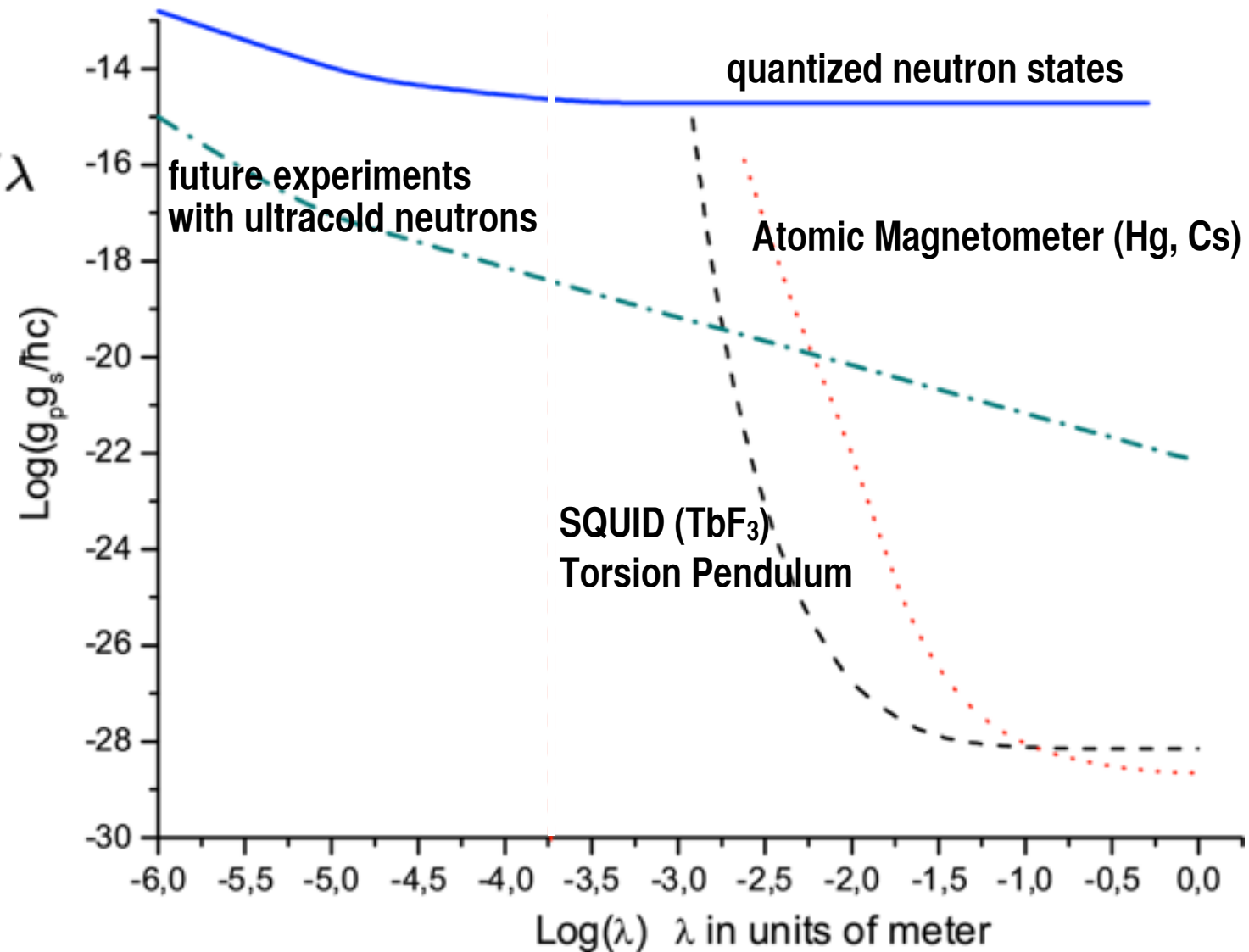


$\mu\text{m}$  resolution efficient detector

# 4. Medium-range Force (not only gravity)

## axion search

$$U(r) = \frac{\hbar g_p g_s}{8\pi m c} \left( \frac{1}{\lambda r} + \frac{1}{r^2} \right) e^{-r/\lambda}$$





## 5. B, B-L violation

### B, L are probably not conserved.

No evidence that either B or L is locally conserved like Q: where is the macroscopic B/L force? (not seen in equivalence principle tests).

Baryon Asymmetry of Universe (BAU) is not zero. If  $B(t=\text{after inflation}) \ll \text{BAU}$  (otherwise inflation is destroyed, Dolgov/Zeldovich), we need B violation.

Both B and L conservation are “accidental” global symmetries: given  $SU(3) \otimes SU(2) \otimes U(1)$  gauge theory and matter content, no dimension-4 term in Standard Model Lagrangian violates B or L in perturbation theory.

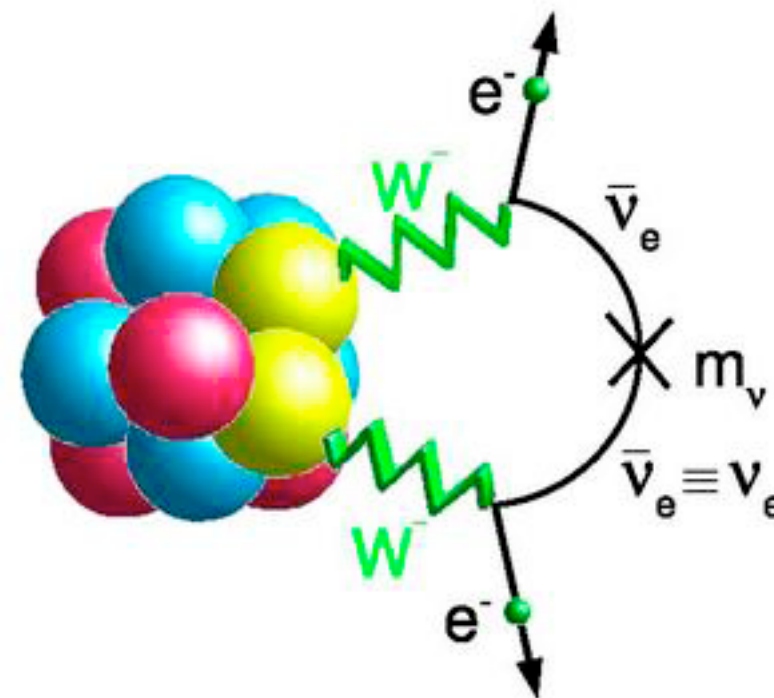
Nonperturbative EW gauge field fluctuations (sphalerons) present in SM, VIOLATE B, L, B+L, but conserve B-L. Very important process for trying to understand the physics of the baryon asymmetry in the early universe

	nucleon decay	nnbar oscillation
B, L	$\Delta B=1, \Delta L=1$ $\Delta(B-L)=0$	$\Delta B=-2, \Delta L=0$ $\Delta(B-L)=-2$
effective operator	$L = \frac{g}{M^2} QQQQL$	$L = \frac{g}{M^5} QQQQ\overline{QQQ}$
mass-scale probed	GUT scale	> EW scale ( $\ll$ GUT)

## 5. B, B-L violation

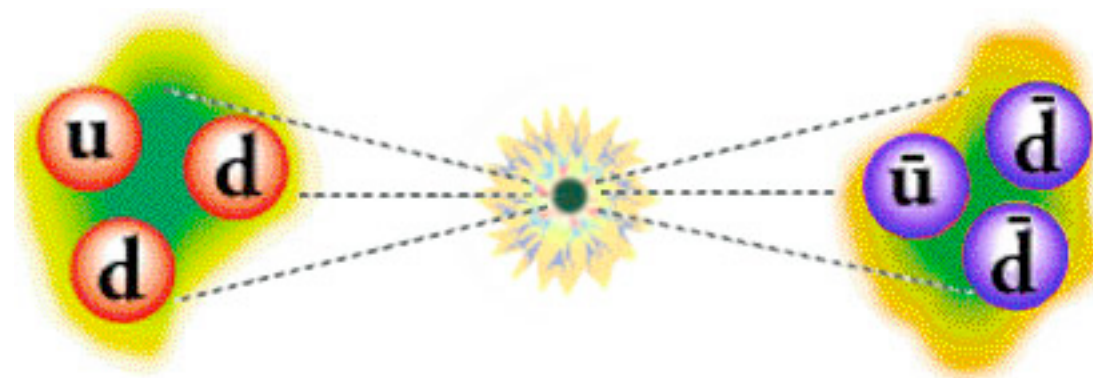
### Neutrinoless Double Beta Decay ( $\Delta B=0, \Delta L=2 / \Delta(B-L)=-2$ )

$$n + n \rightarrow p + p + e^{-} + e^{-}$$



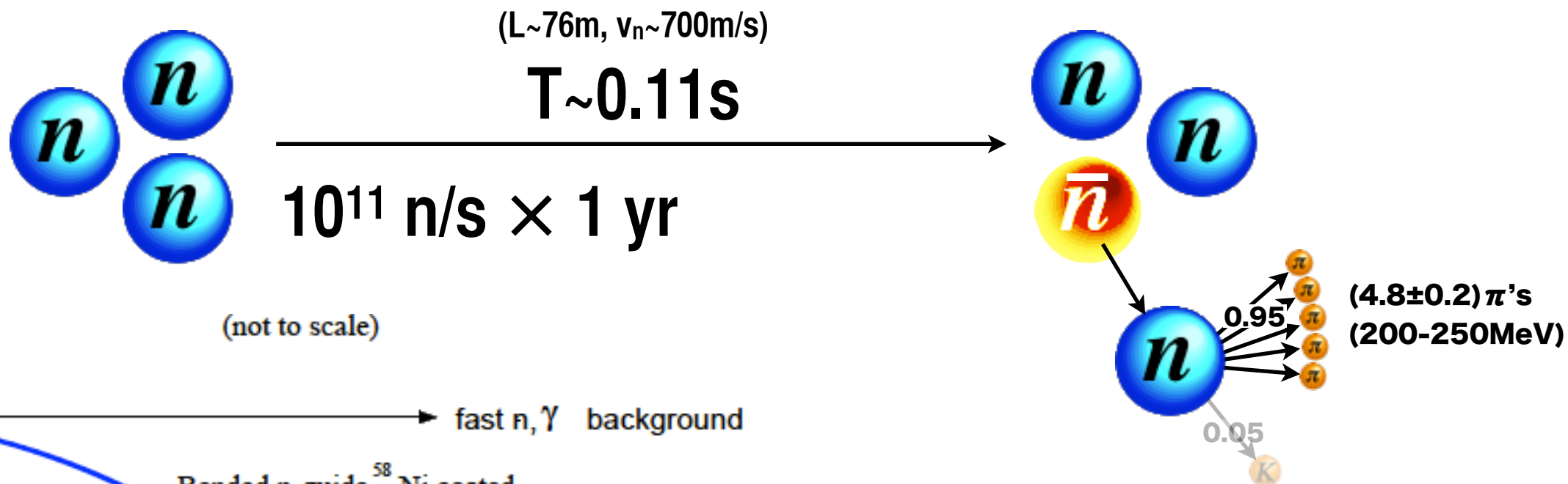
### Neutron-Antineutron Oscillation ( $\Delta B=-2, \Delta L=0 / \Delta(B-L)=-2$ )

$$n \leftrightarrow \bar{n}$$



# 5. B, B-L violation

## Experimental Setup of ILL $n\bar{n}$ Experiment



$$\tau_{n\bar{n}, \text{free}} > 8.6 \times 10^7 \text{ s (CL = 90\%)}$$

M. Baldo-Ceolin et al., Z. Phys. C63 (1994) 409.

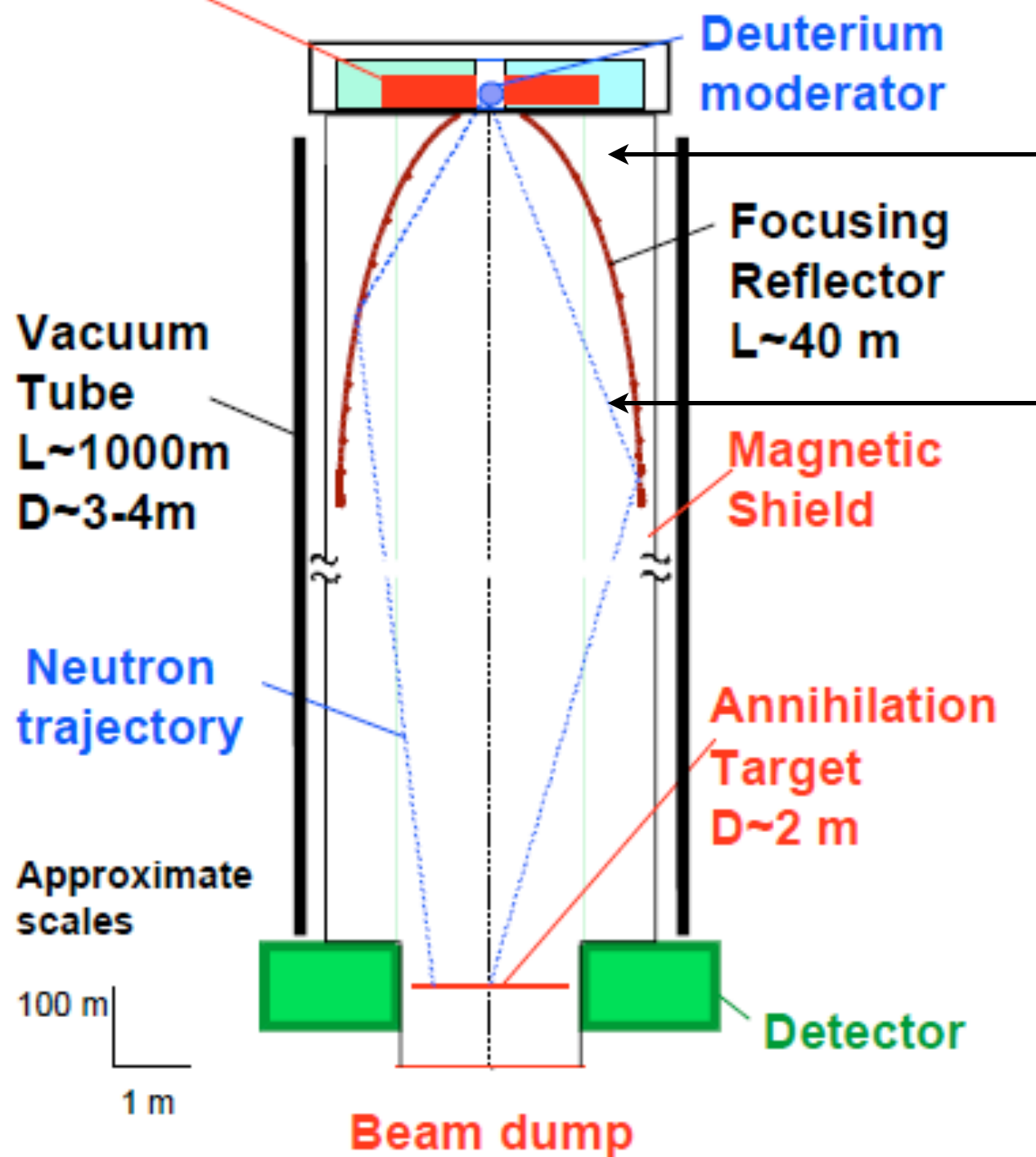
$$\Omega \sim 2\pi \times 60 \mu\text{sr}$$

# 5. B, B-L violation

## Conceptual Scheme of Vertical Slow Neutron N-Nbar Experiment

3.4 MW Annular Core TRIGA reactor

$3E+13$  n/cm<sup>2</sup>/s thermal flux



$$T \sim 1s$$

$$\Omega \sim 2\pi \times 10 \text{ msr}$$

$10^3$ - $10^4$  improvement is possible by scale-up of existing technologies

$$\tau_{nn} \sim 10^{10} \text{ s}$$

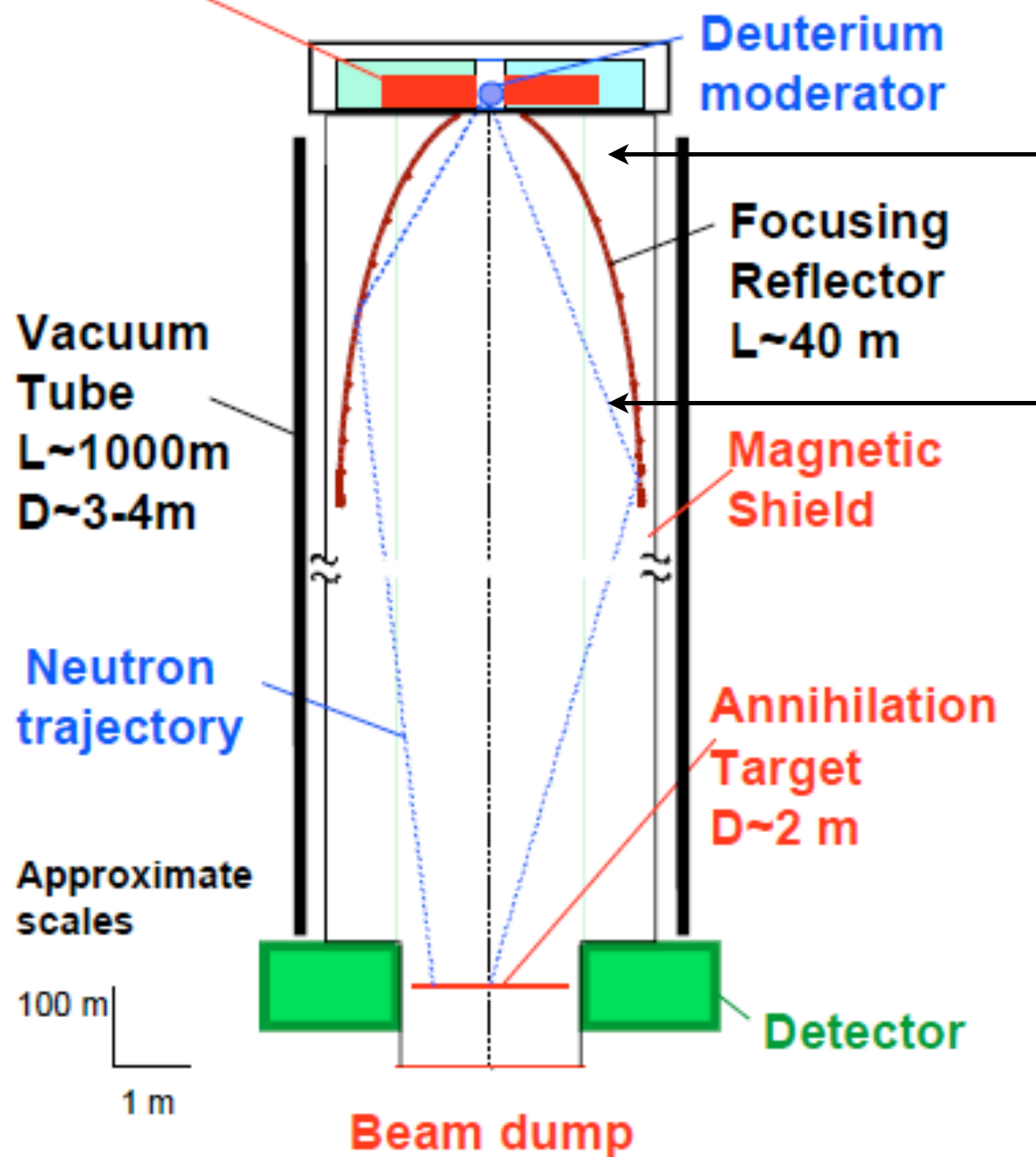


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- 1. Overview**
- 2. Lifetime**
- 3. T-violation (CP-violation)**
- 4. Medium-range Force (Gravity)**
- 5. etc (B,B-L violation)**

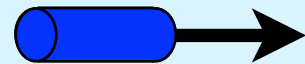
# BL05 Neutron for Optics and Physics



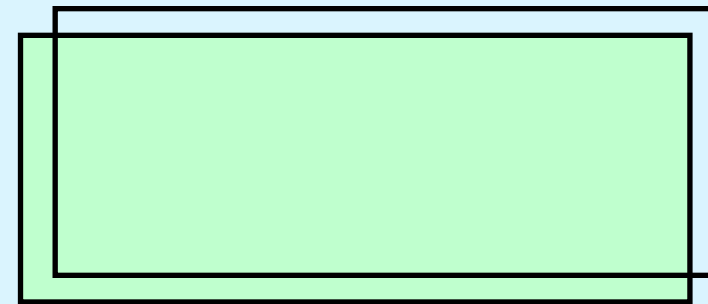
## Neutron Lifetime

In-beam measurement with pulsed neutrons

Well-defined bunch + Time Projection Chamber

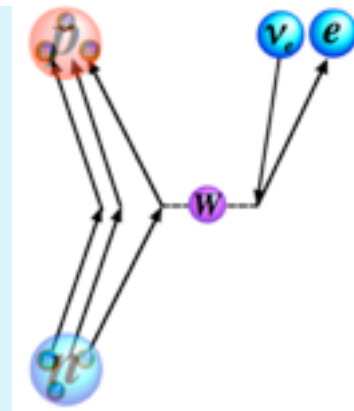


pulse shape can be defined by **Spin Flip Chopper**



measure only when the bunch is in **TPC**

incident flux is also measured in TPC with  $^3\text{He}$  capture

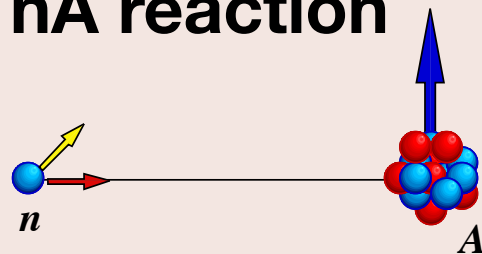


2013 Advanced Analysis  $\rightarrow \Delta\tau \sim 10\text{s}$   
SFC, TPC, DAQ upgrade for high flux

2014 Physics run for  $\Delta\tau \sim 1\text{s}$

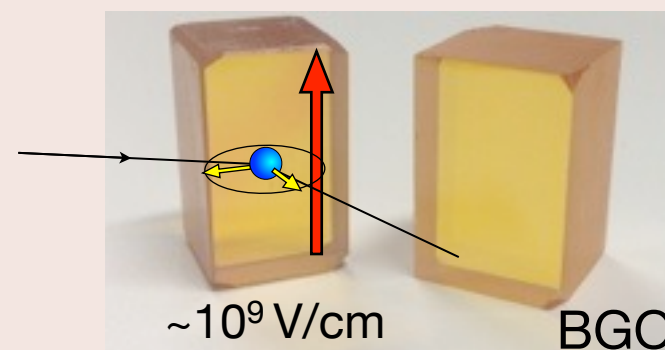
## CP Violation

Enhancement in nA reaction



asymmetry  $\leftrightarrow$  nEDM  
 $|\Delta\sigma_T^{nA}| < 2.5 \times 10^{-4} [\text{b}] \times \kappa(J)$   
 $10^{-27} \text{ ecm equiv. / yr } (\kappa=1)$   
 n, target polarization required

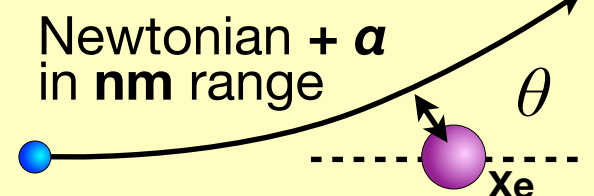
EDM measurement with noncentrosymmetric crystal



$\sim 10^9 \text{ V/cm}$  BGO  
 measure spin precession in high voltage

## Gravity

Gas scattering



Interference

Newtonian +  $\alpha$  in  $\mu\text{m}$  range



Neutron Beam Splitter



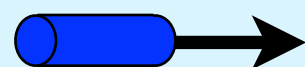
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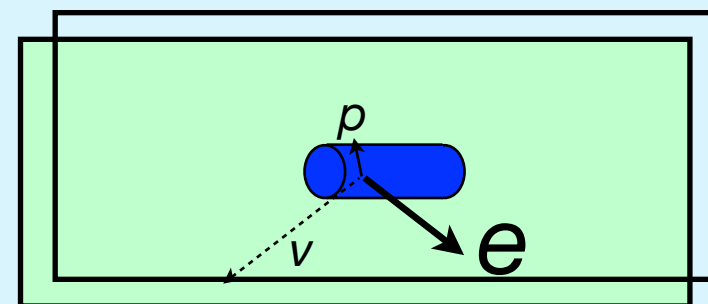
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Well-defined bunch + Time Projection Chamber

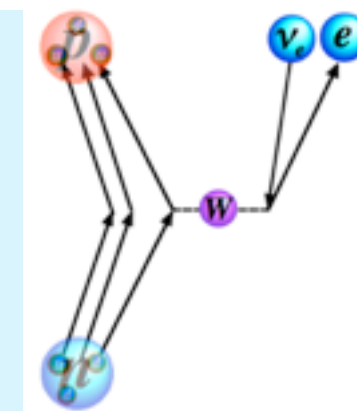


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2013 Advanced Analysis

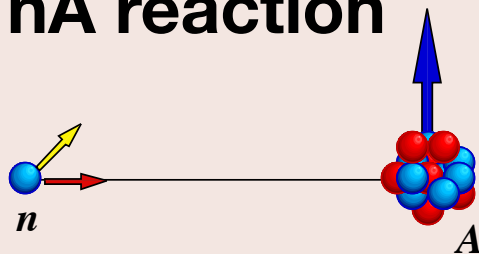
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Enhancement in nA reaction



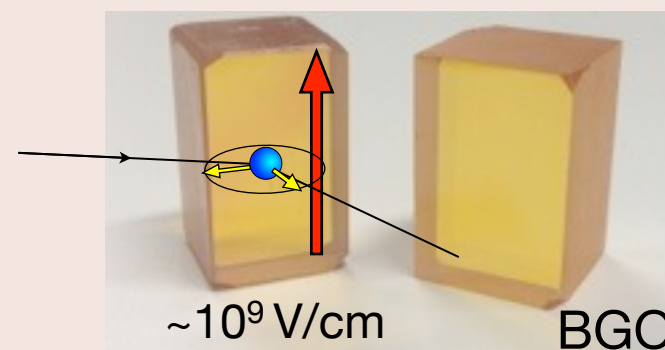
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EDM measurement with noncentrosymmetric crystal

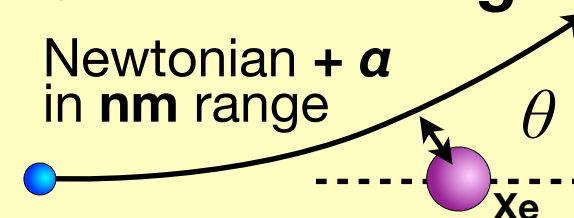


measure spin precession in high voltage

## Gravity

Gas scattering

Newtonian +  $\alpha$  in nm range



Interference

Newtonian +  $\alpha$  in  $\mu\text{m}$  range



Neutron Beam Splitter

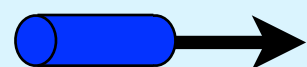
# BL05 Neutron for Optics and Physics



## Neutron Lifetime

In-beam measurement with pulsed neutrons

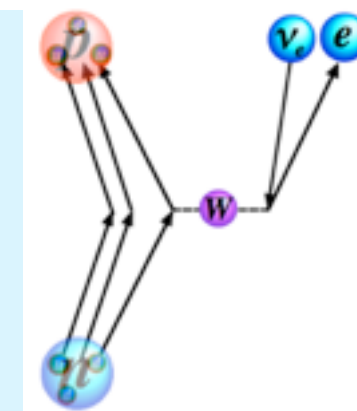
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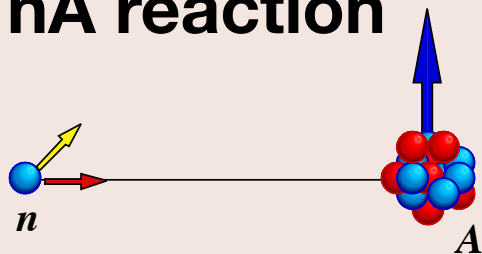
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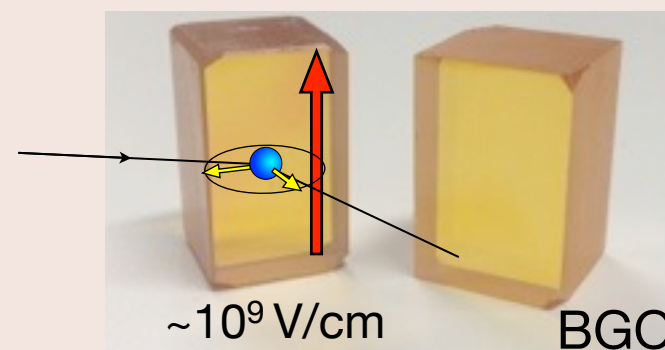
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$$|\Delta\sigma_T^{nA}| < 2.5 \times 10^{-4} [\text{b}] \times \kappa(J)$$

$10^{-27}$  ecm equiv. / yr ( $\kappa=1$ )

n, target polarization required

EDM measurement with noncentrosymmetric crystal



$\sim 10^9$  V/cm

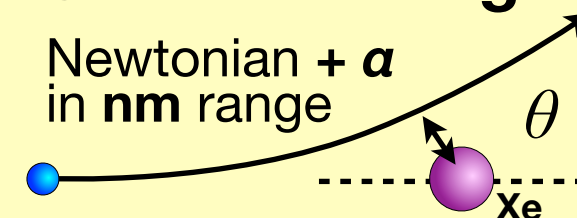
BGO

measure spin precession in high voltage

## Gravity

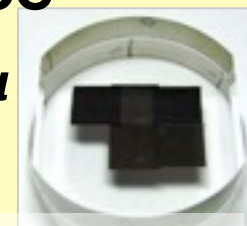
Gas scattering

Newtonian +  $\alpha$  in nm range



Interference

Newtonian +  $\alpha$  in  $\mu\text{m}$  range



Neutron Beam Splitter



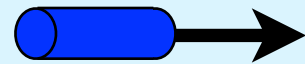
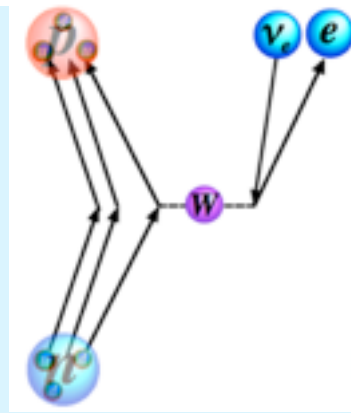
# BL05 Neutron for Optics and Physics



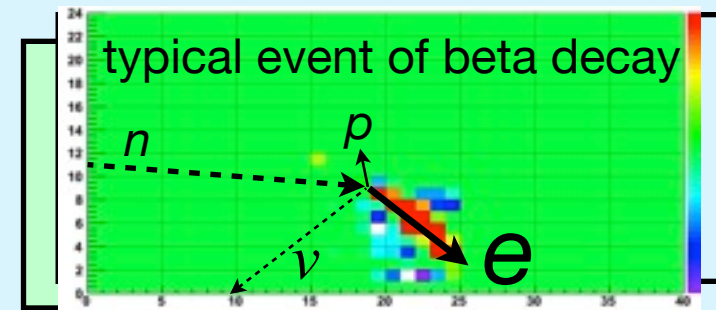
## Neutron Lifetime

### In-beam measurement with pulsed neutrons

Well-defined bunch + Time Projection Chamber



pulse shape can be defined by **Spin Flip Chopper**



measure only when the bunch is in **TPC**

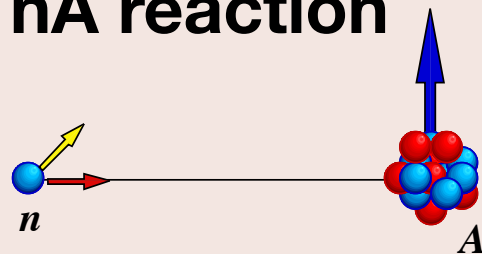
incident flux is also measured in TPC with  $^3\text{He}$  capture

2013 Advanced Analysis  $\rightarrow \Delta\tau \sim 10\text{s}$   
SFC, TPC, DAQ upgrade for high flux

2014 Physics run for  $\Delta\tau \sim 1\text{s}$

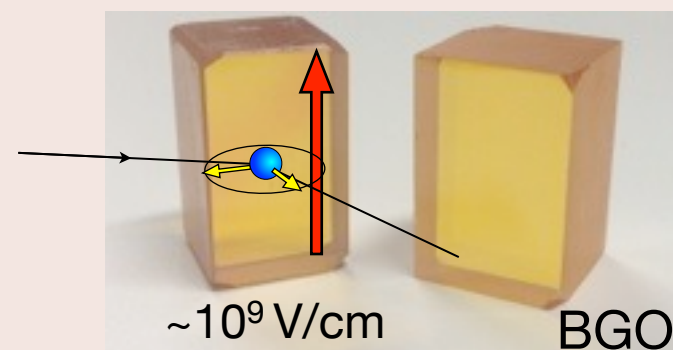
## CP Violation

Enhancement in nA reaction



asymmetry  $\leftrightarrow$  nEDM  
 $|\Delta\sigma_T^{nA}| < 2.5 \times 10^{-4} [\text{b}] \times \kappa(J)$   
 $10^{-27} \text{ ecm equiv. / yr } (\kappa=1)$   
 n, target polarization required

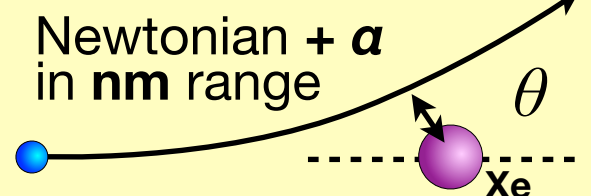
EDM measurement with noncentrosymmetric crystal



$\sim 10^9 \text{ V/cm}$  BGO  
 measure spin precession in high voltage

## Gravity

Gas scattering

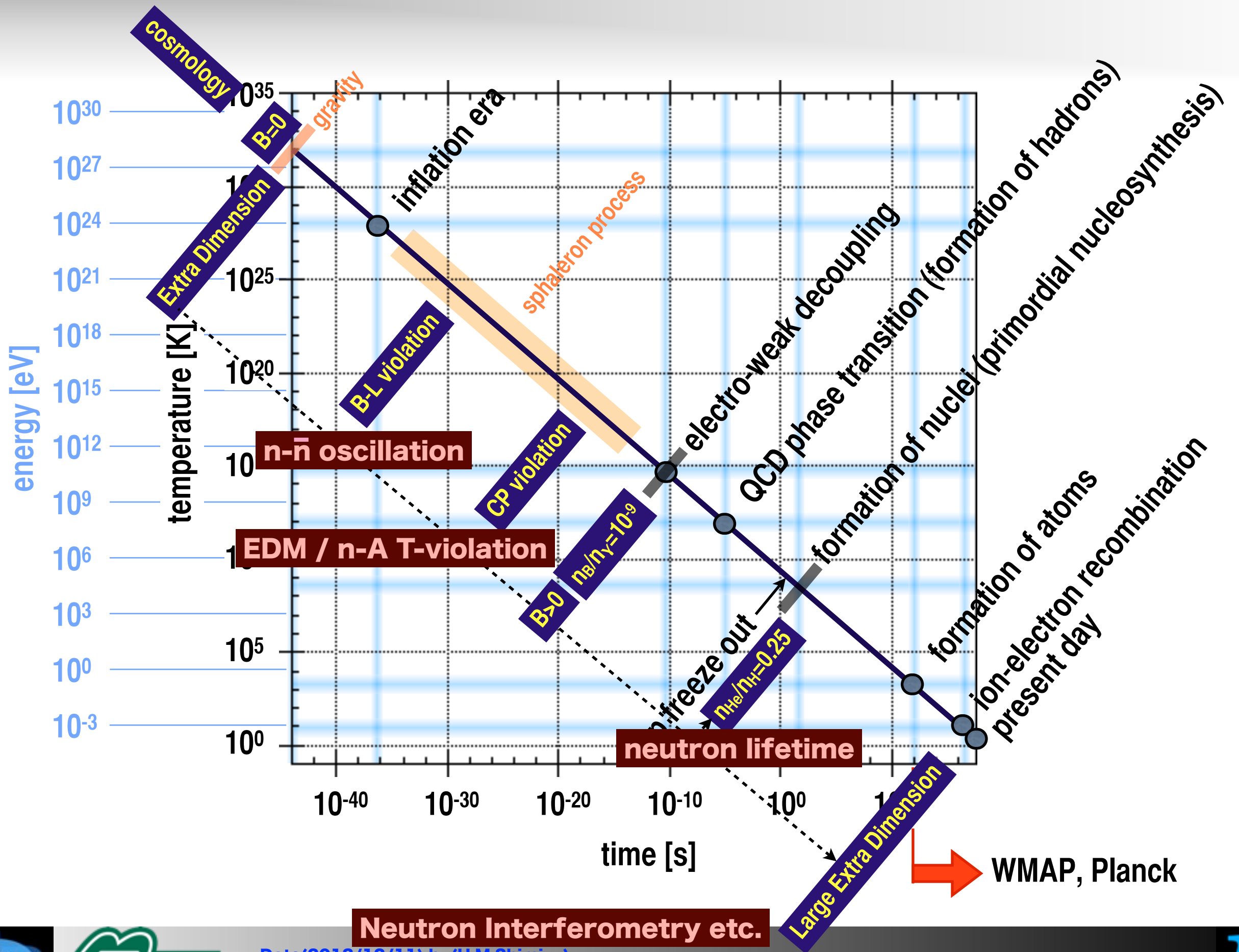


Interference

Newtonian +  $\alpha$  in  $\mu\text{m}$  range



Neutron Beam Splitter



**Neutron Interferometry etc.**

Date(2013/12/11) by(H.M.Shimizu)  
 Title(Fundamental Physics with Slow Neutrons)  
 Conf(KMI International Symposium 2013) At(Nagoya)

