

Unveiling cosmic structure formation  
with galaxy imaging and redshift surveys

Chiaki Hikage (KMI)

# References

**“Impacts of satellite galaxies in measuring the redshift distortions”**

[C. Hikage](#), K. Yamamoto

J. Cosmol. Astropart. Phys., 8 (2013), 19 (arXiv:1303.3380)

**“Where are the Luminous Red Galaxies? Using correlation measurements and lensing to relate LRGs to dark matter”**

[C. Hikage](#), R. Mandelbaum, M. Takada, D. N. Spergel

Mon. Not. Royal Astron. Soc, 435 (2013), 2345-2370 (arXiv:1211.1009)

**“Understanding the nature of luminous red galaxies: Connecting LRGs to central and satellite subhalos”**

S. Masaki, [C. Hikage](#), M. Takada, D. N. Spergel, [N. Sugiyama](#)

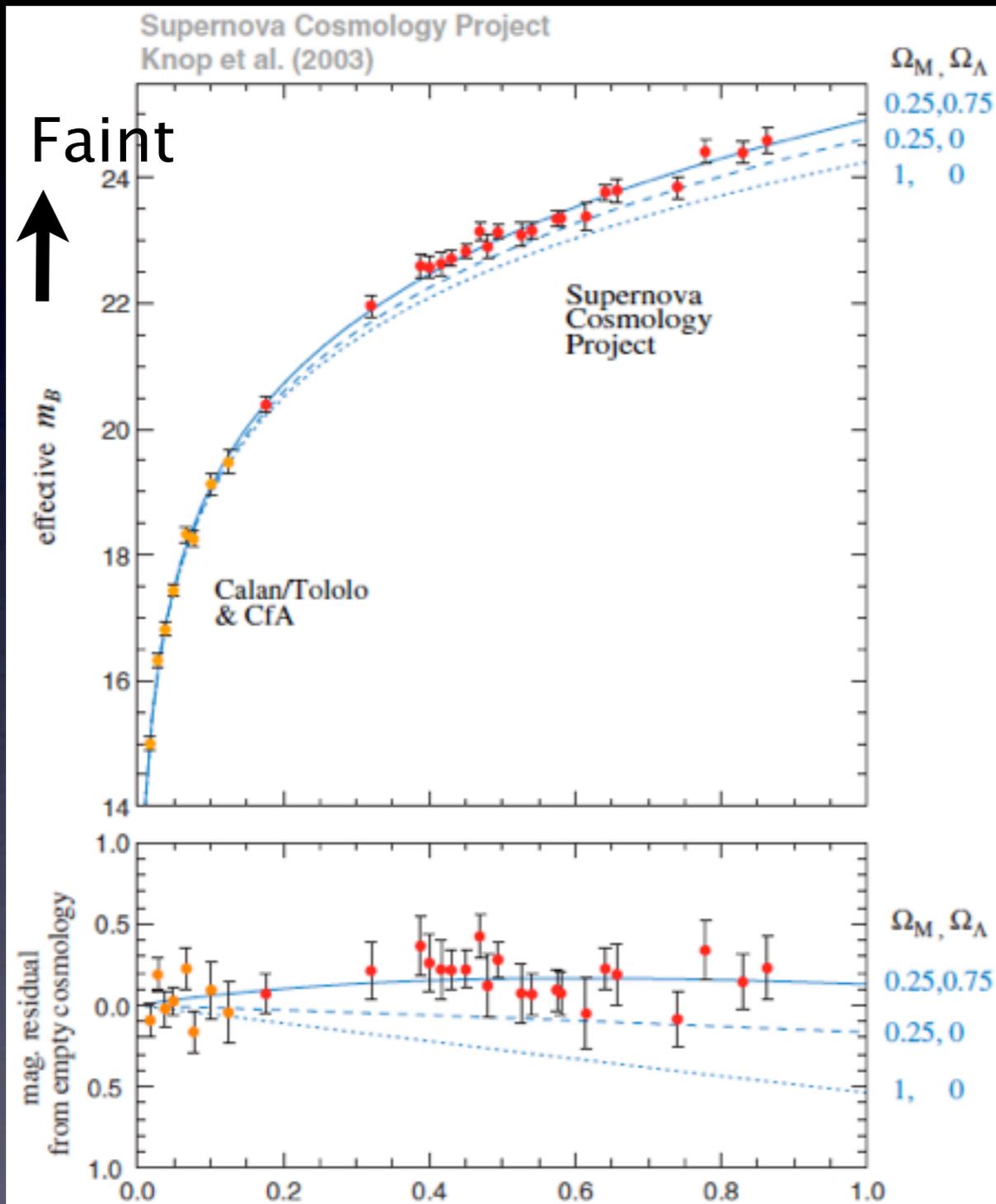
Mon. Noy. Roy. Astron. Soc., 433 (2013), 3506-3522 (arXiv:1211.7077)

**“Galaxy-Galaxy Weak Lensing as a Tool to Correct Finger-of-God”**

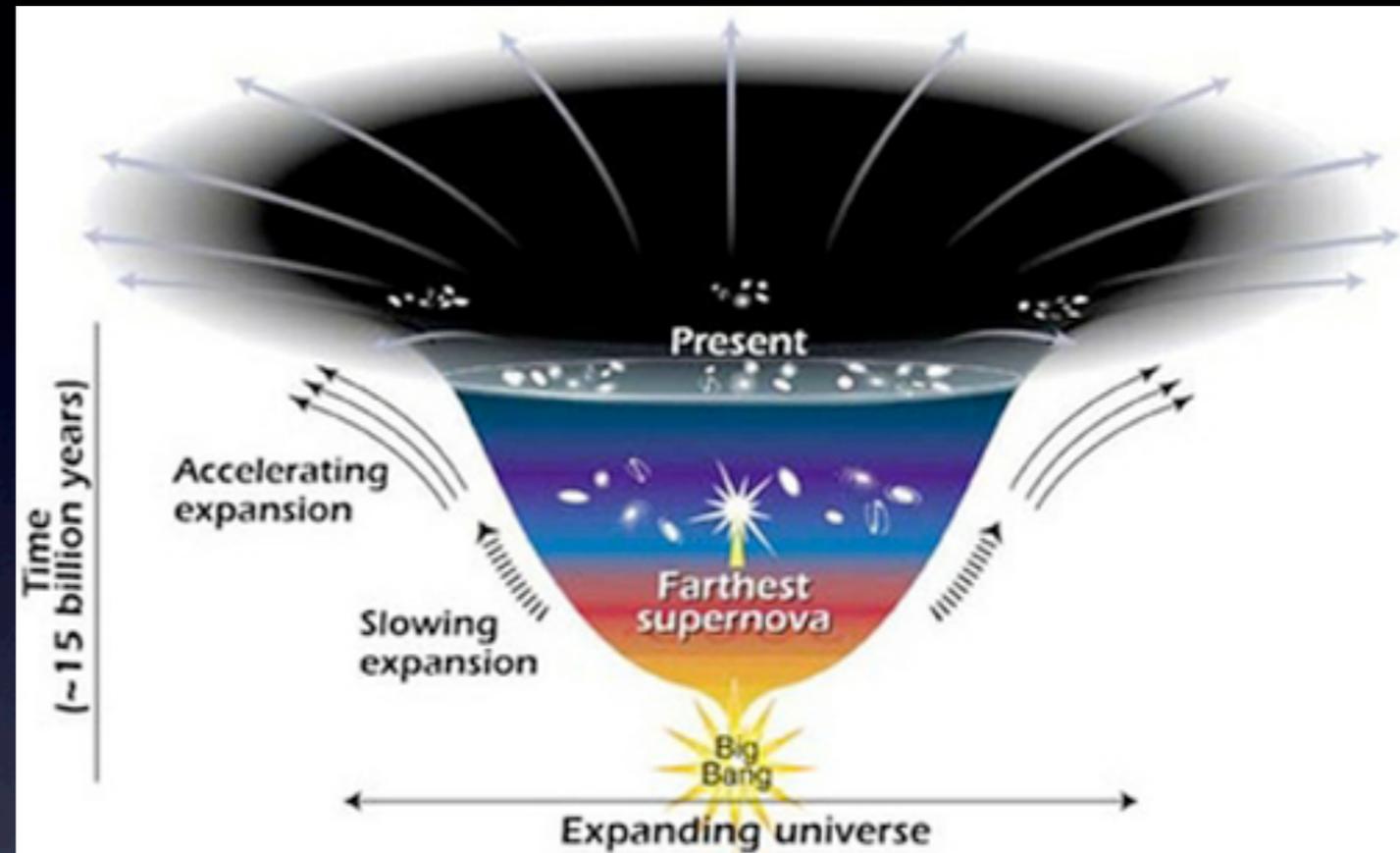
[C. Hikage](#), M. Takada, D. N. Spergel

Mon. Not. Roy. Astron. Soc, 419 (2012), 3457-3481

# What is the origin of cosmic acceleration ?



Perlmutter et al. 1998



Dark Energy or Modified Gravity ?

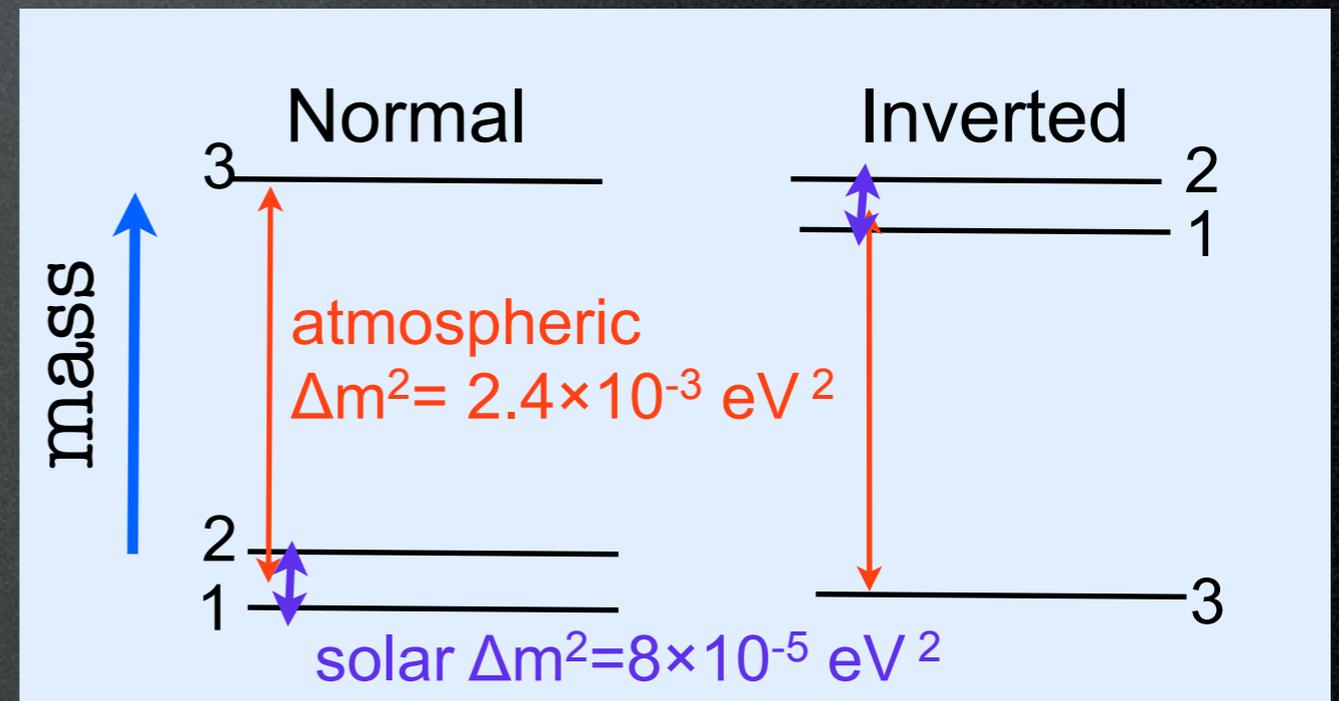
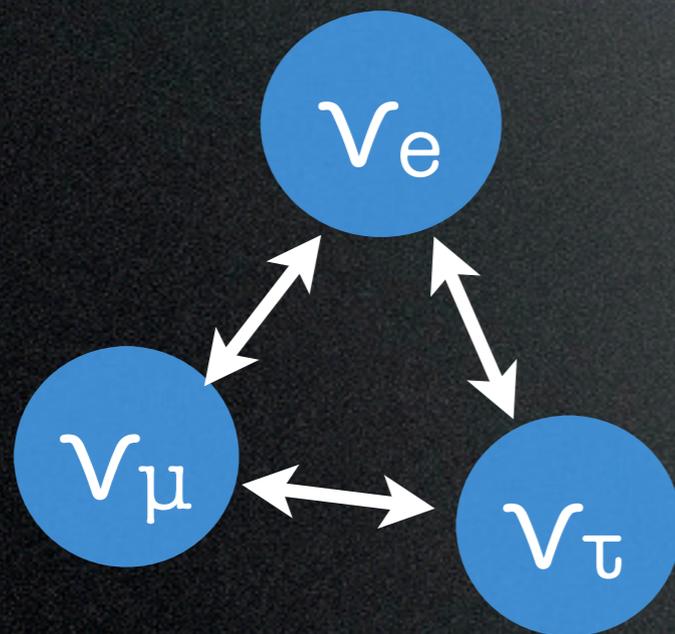
$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} \stackrel{?}{=} \frac{8\pi G}{c^4}T_{\mu\nu}$$

# Nature of Neutrinos

What is the absolute mass of neutrino ?

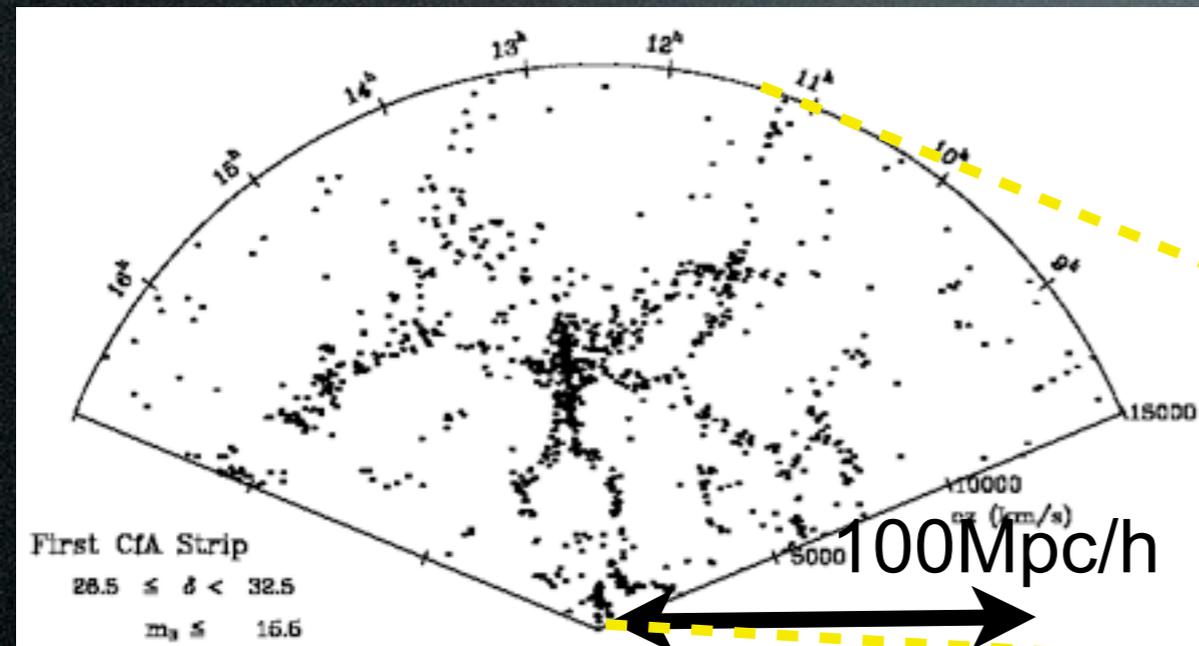
Mass hierarchy is normal or inverted ?

Neutrino is Majorana or Dirac fermions ?

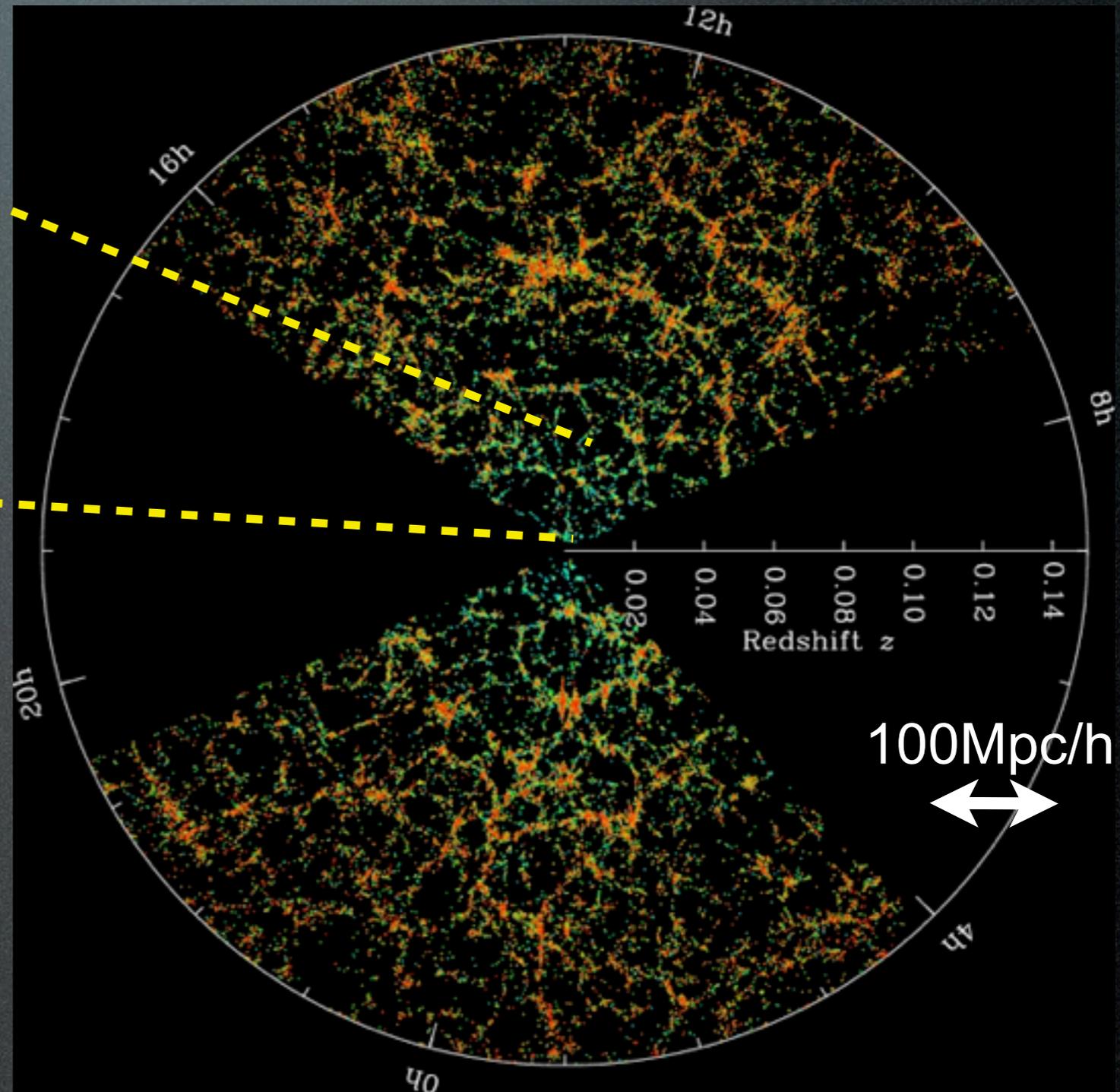


# Large-Scale Structure (LSS)

CfA galaxy redshift survey (1100 galaxies) Sloan Digital Sky Survey (SDSS)  $10^6$  galaxies



*de Lapparent, Geller, Huchra, 1986*



*Blanton et al.*

Galaxy surveys:

1990~ Las Campanas

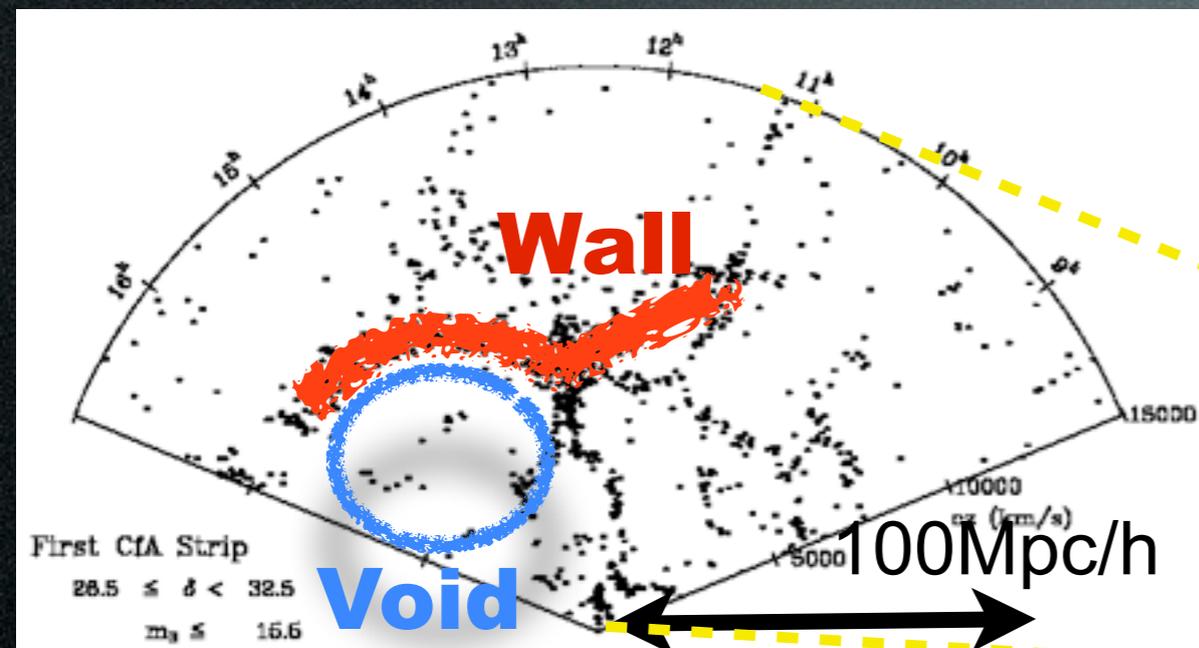
2000~ 2dF, SDSS

2010~ Wiggle Z, BOSS,  
VVDS, Subaru (FastSound, PFS),  
HETDEX, BigBOSS

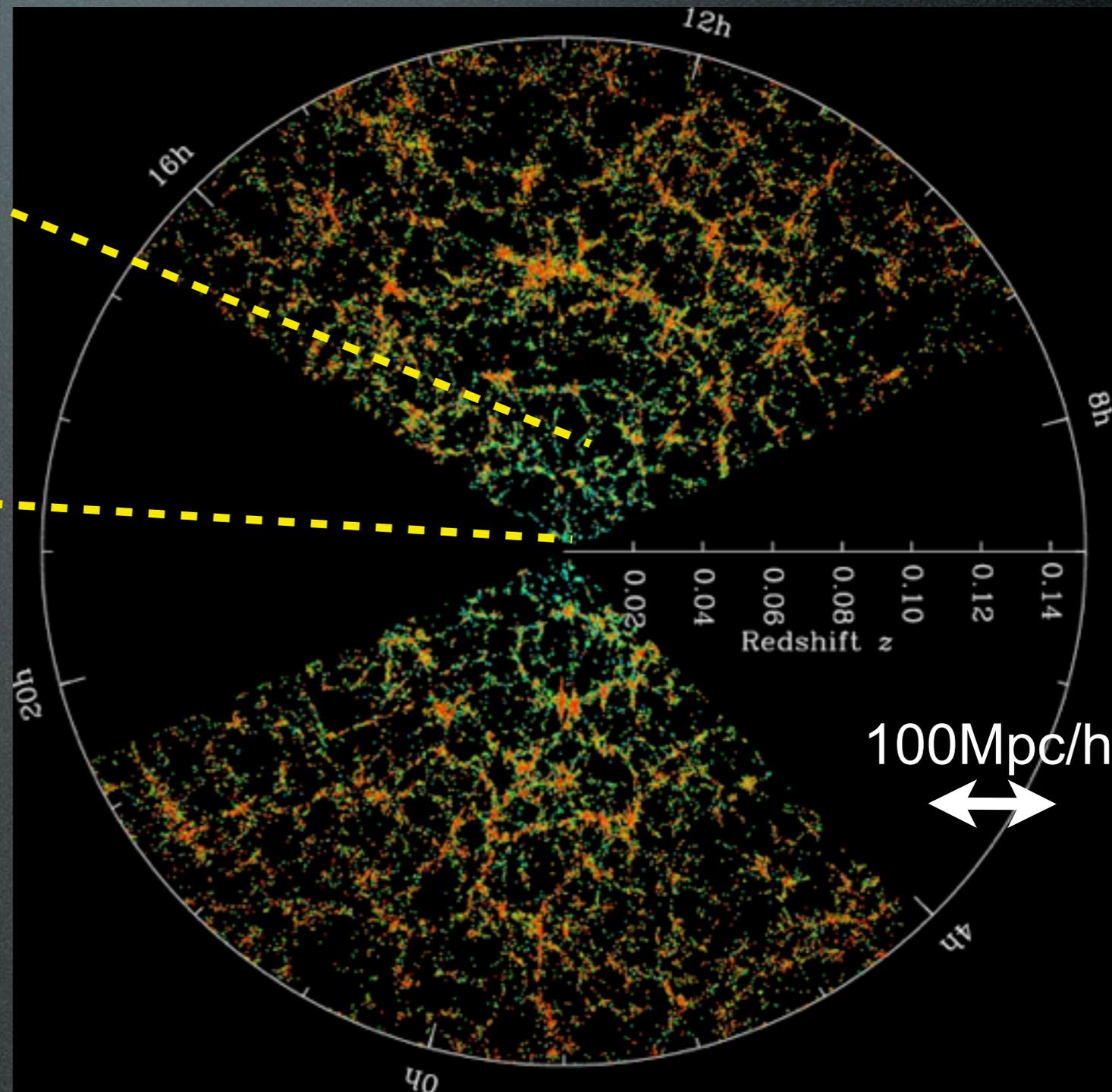
2020~ Euclid, WFIRST

# Large-Scale Structure (LSS)

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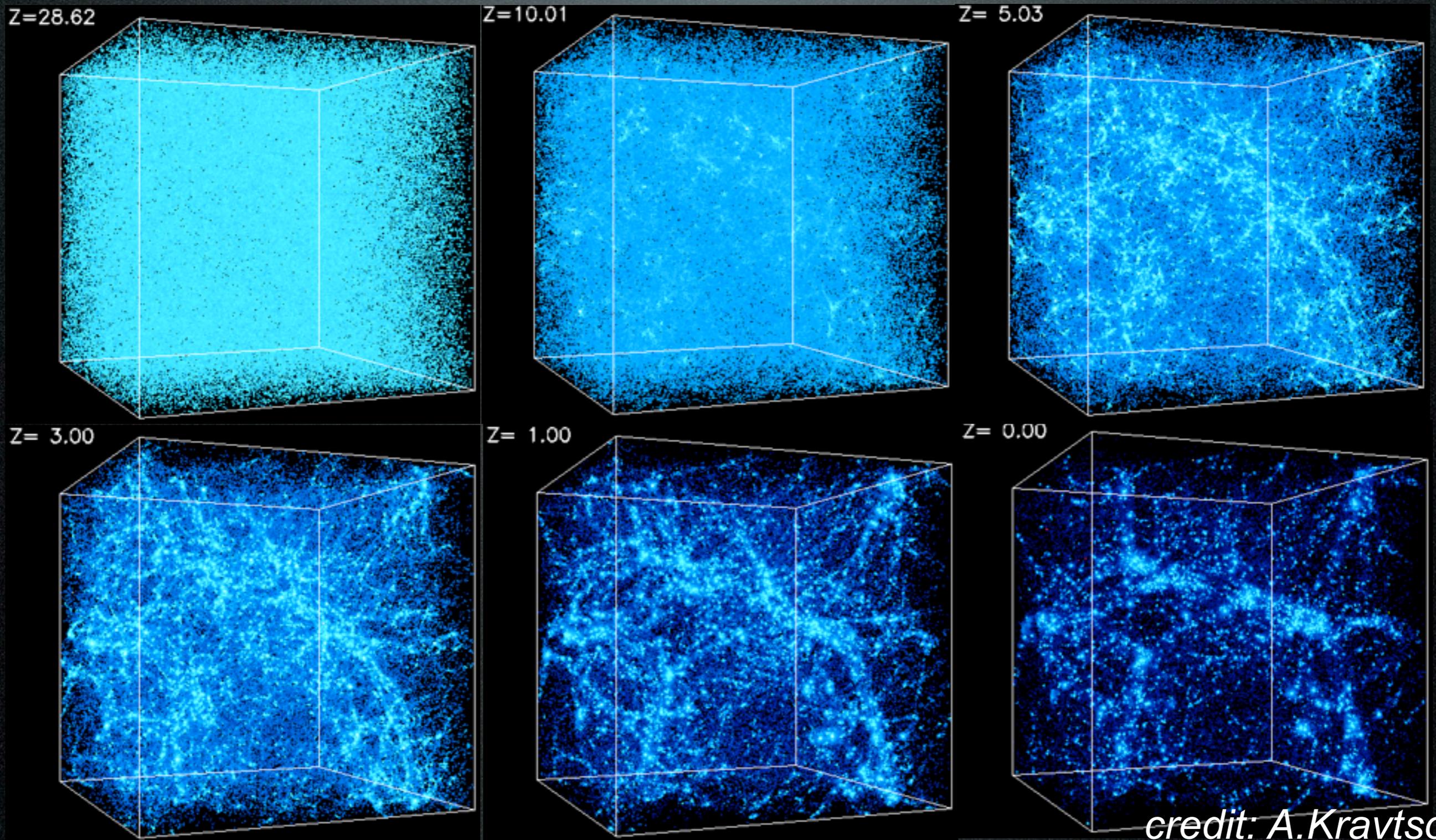
2000~ 2dF, SDSS

2010~ Wiggle Z, BOSS,  
VVDS, Subaru (FastSound, PFS),  
HETDEX, BigBOSS

2020~ Euclid, WFIRST

# Structure Formation induced by gravitational instability

Initial tiny fluctuation grows up by gravity and form large-scale structure



*credit: A. Kravtsov*

# Cosmic Growth Rate

Linear matter evolution equation

$$\ddot{\delta} + 2\underline{H}\dot{\delta} - 4\pi G\bar{\rho}_m a^2 \delta = 0$$

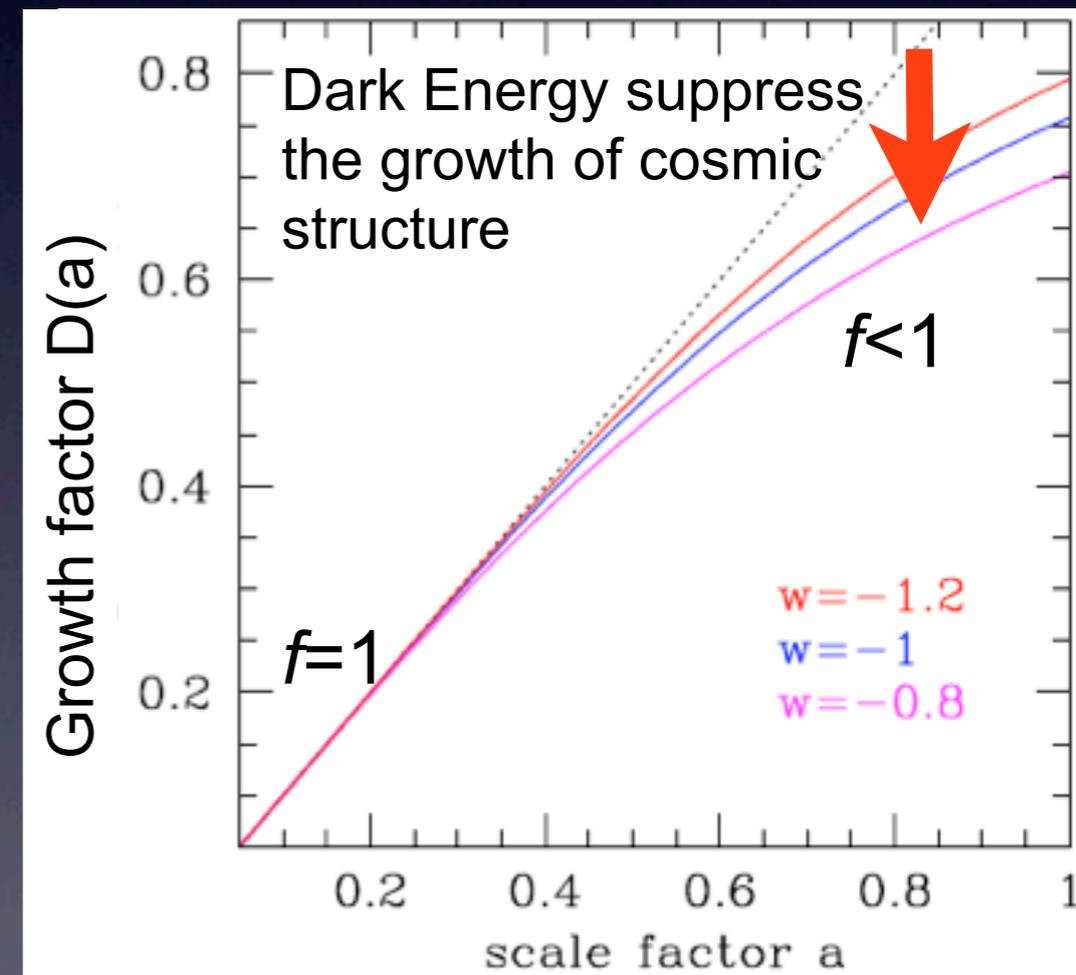
Hubble expansion rate

Growth rate

$$f \equiv \frac{d \ln D}{d \ln a} \simeq \Omega_m(z)^\gamma$$

Growth rate index

(Peebles 1976, Lahav et al. 1991)



# Cosmic Growth Rate

Linear matter evolution equation

$$\ddot{\delta} + 2H\dot{\delta} - 4\pi G\bar{\rho}_m a^2 \delta = 0$$

Hubble expansion rate

In modified gravity, gravitational constant can be time- and scale-dependent

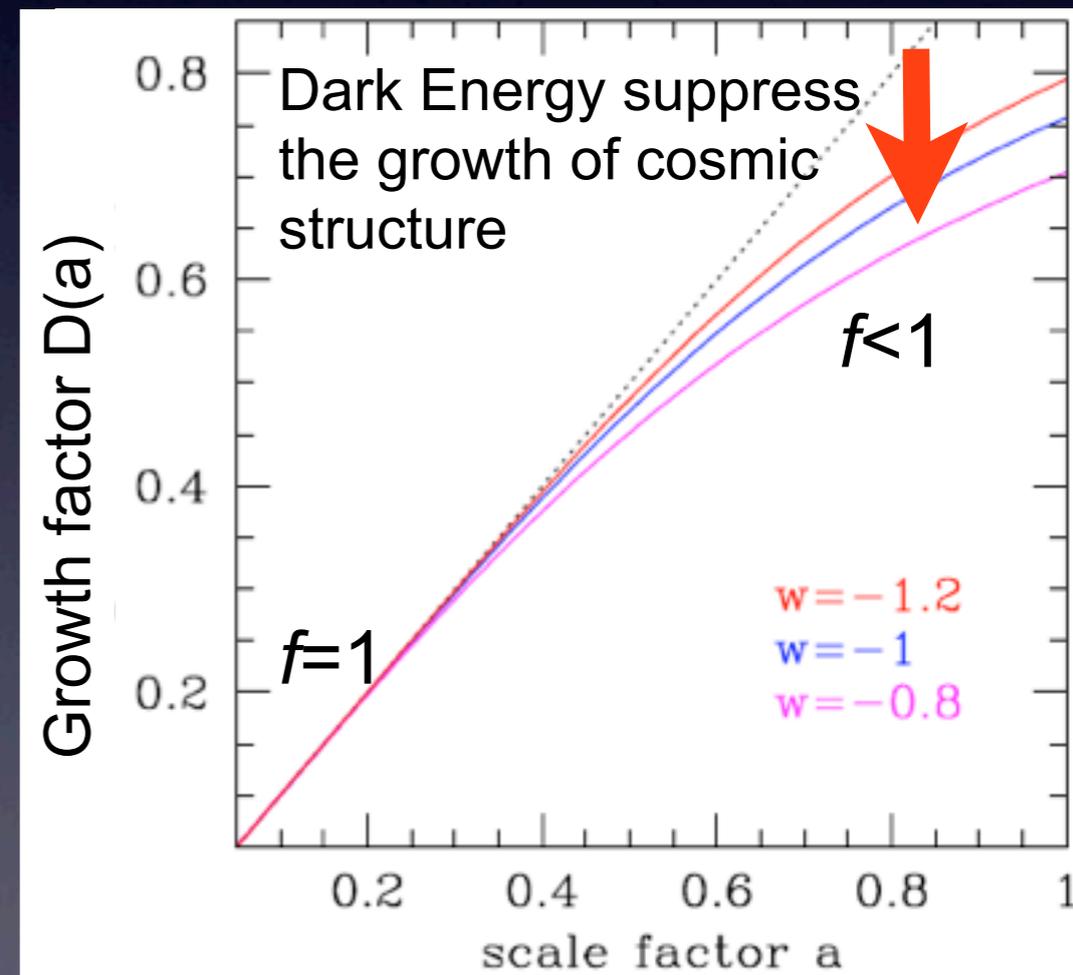
$$G_{\text{eff}}(k, t)$$

Growth rate

$$f \equiv \frac{d \ln D}{d \ln a} \simeq \Omega_m(z)^\gamma$$

Growth rate index

(Peebles 1976, Lahav et al. 1991)



# Cosmic Growth Rate

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Growth rate

$$f \equiv \frac{d \ln D}{d \ln a} \simeq \Omega_m(z)^\gamma$$

Growth rate index

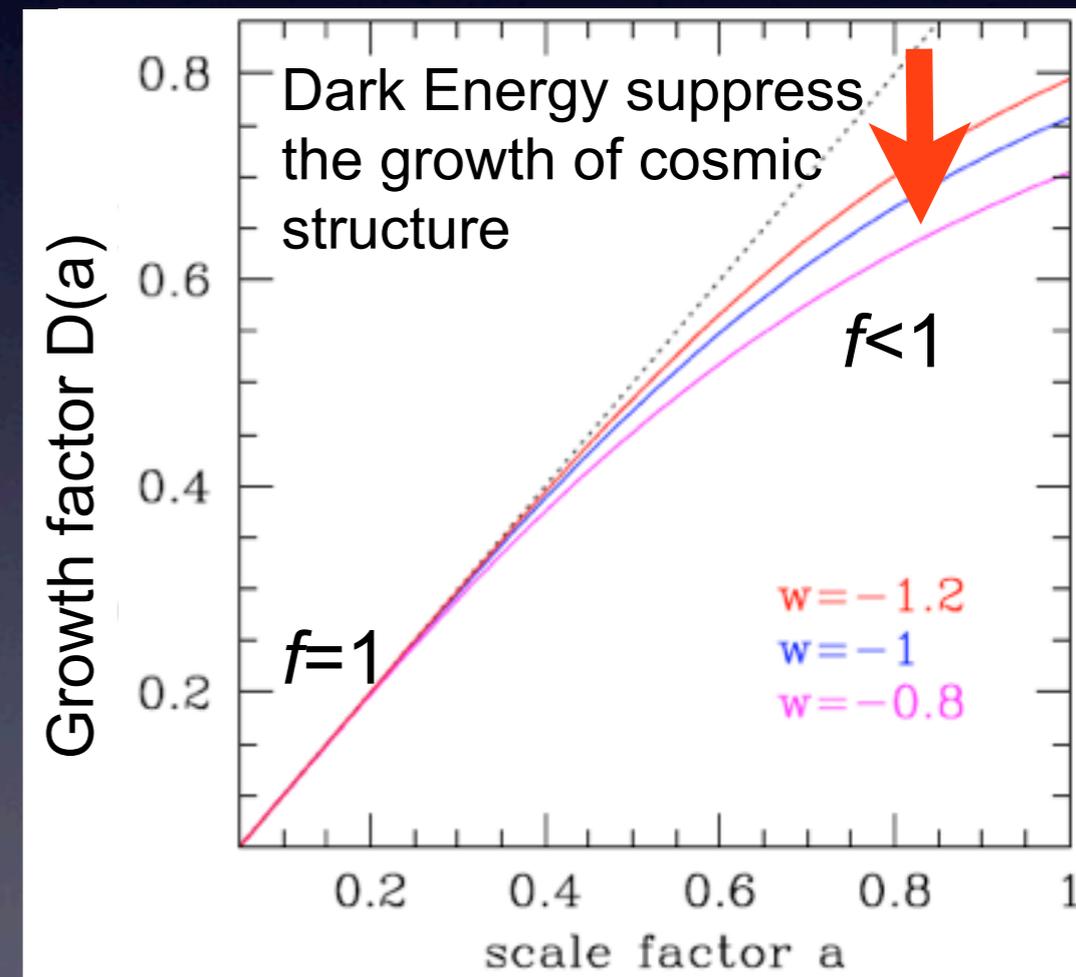
(Peebles 1976, Lahav et al. 1991)

Growth rate index is a key probe to differentiate gravity models

$\gamma \sim 0.55$  for GR

$\gamma \sim 0.43$  for  $f(R)$  (e.g., Hu & Sawicki 2007)

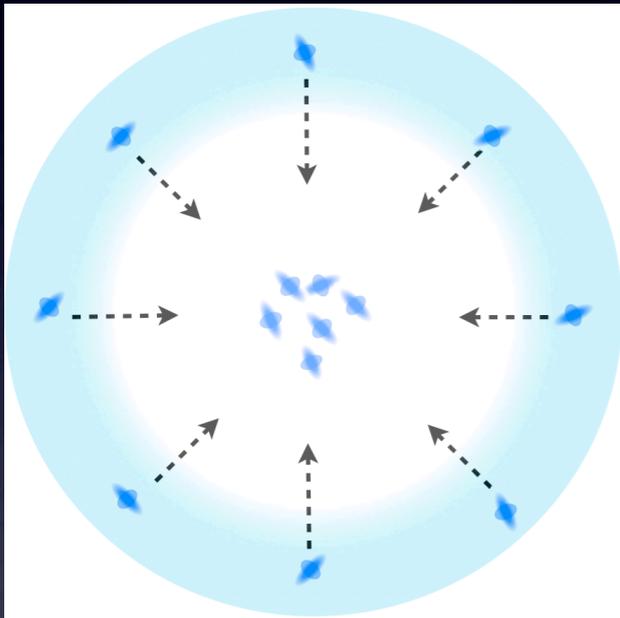
$\gamma \sim 0.68$  for flat DGP (e.g., Linder & Cahn 2007)



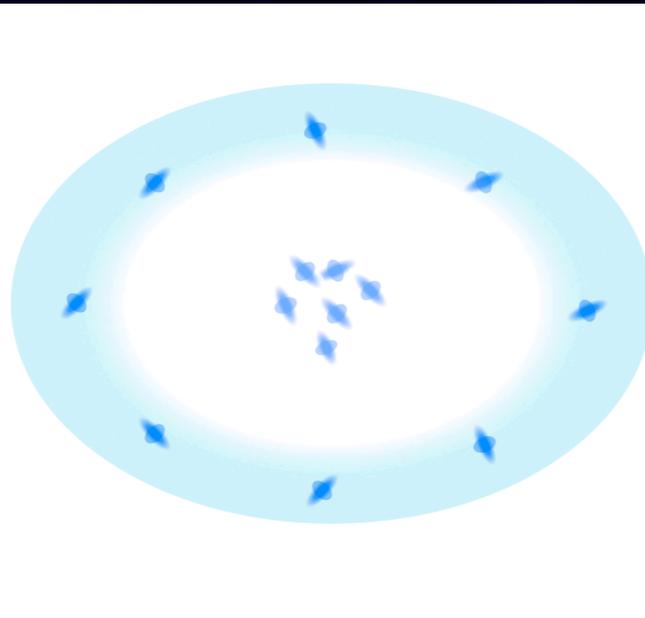
# Redshift-space distortion (RSD)

$$z_{\text{obs}} = z_{\text{true}} + \delta v/c$$

Real Space



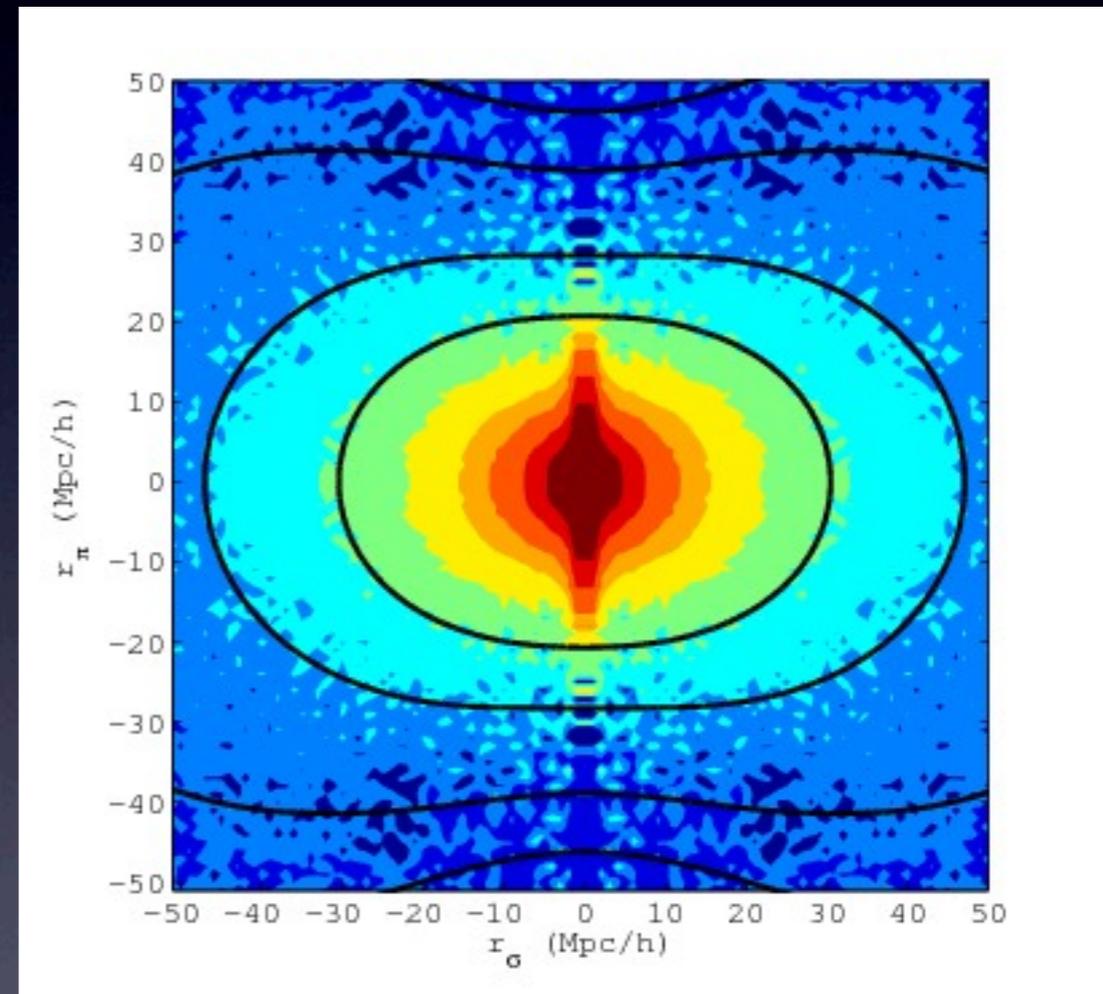
Redshift Space



line-of-sight

Galaxy distribution becomes anisotropic due to the peculiar motion of galaxies  
 → observational probe of growth rate

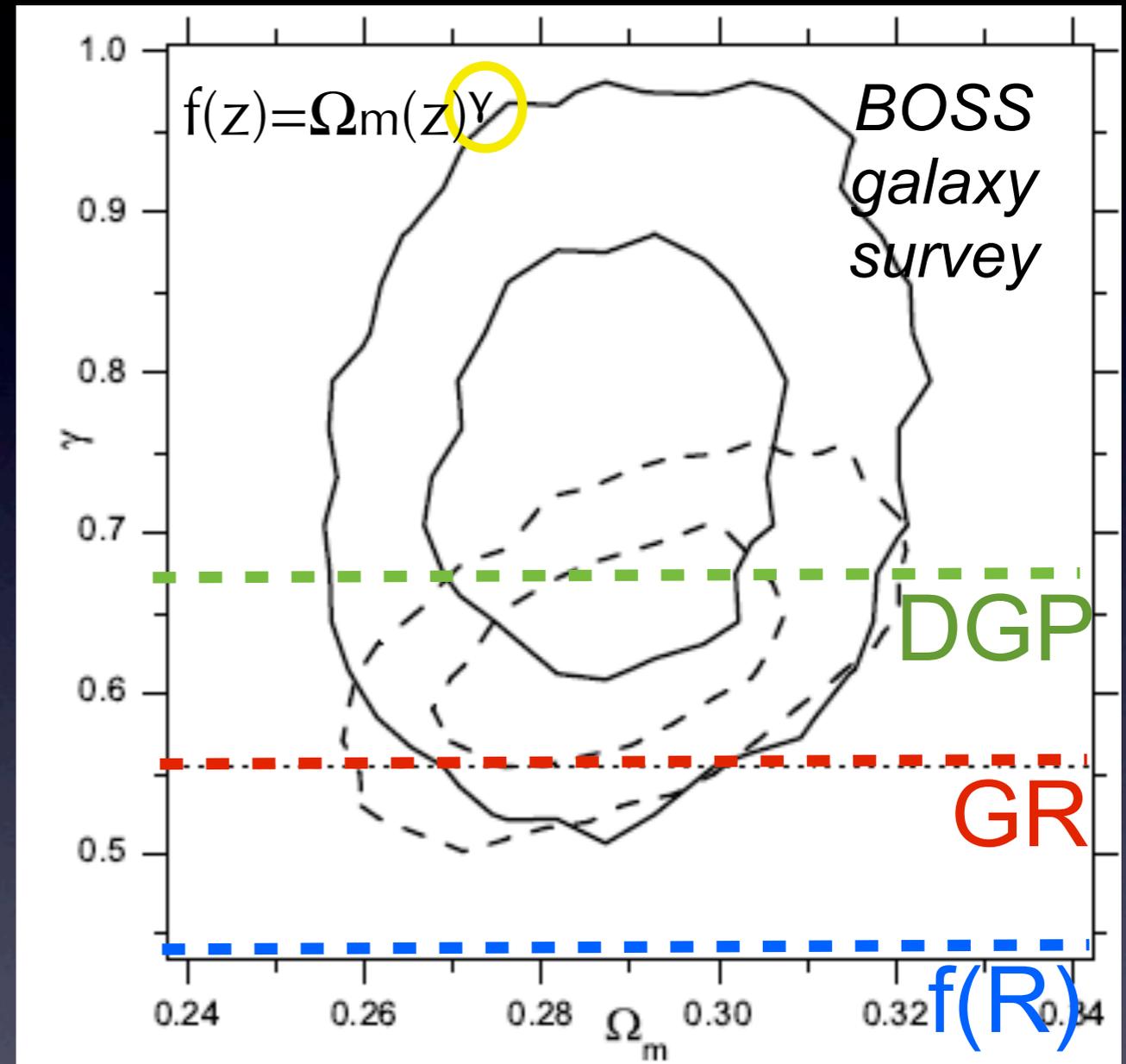
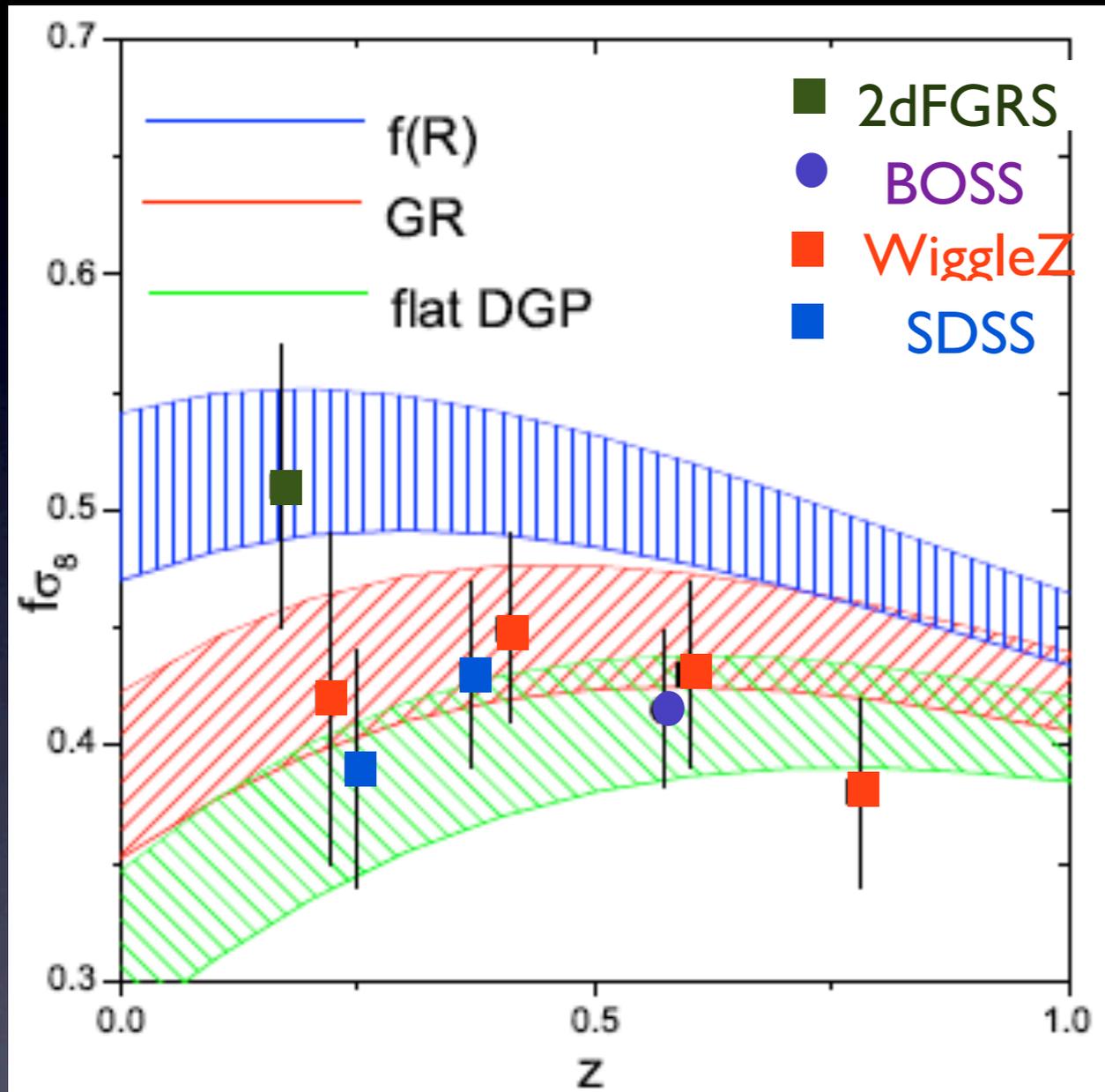
2-point correlation functions  $\xi(r_p, r_\pi)$  of BOSS CMASS galaxy samples



*Reid et al. 2010*

$$\dot{\delta}(z) = -(1+z)\nabla \cdot \mathbf{v}$$

# Current constraints on growth rate and modified Gravity



*Samshia et al. 2012*

Current observations are consistent with GR, but the measured values of growth rate are slightly smaller ( $\gamma$  is larger) than GR prediction

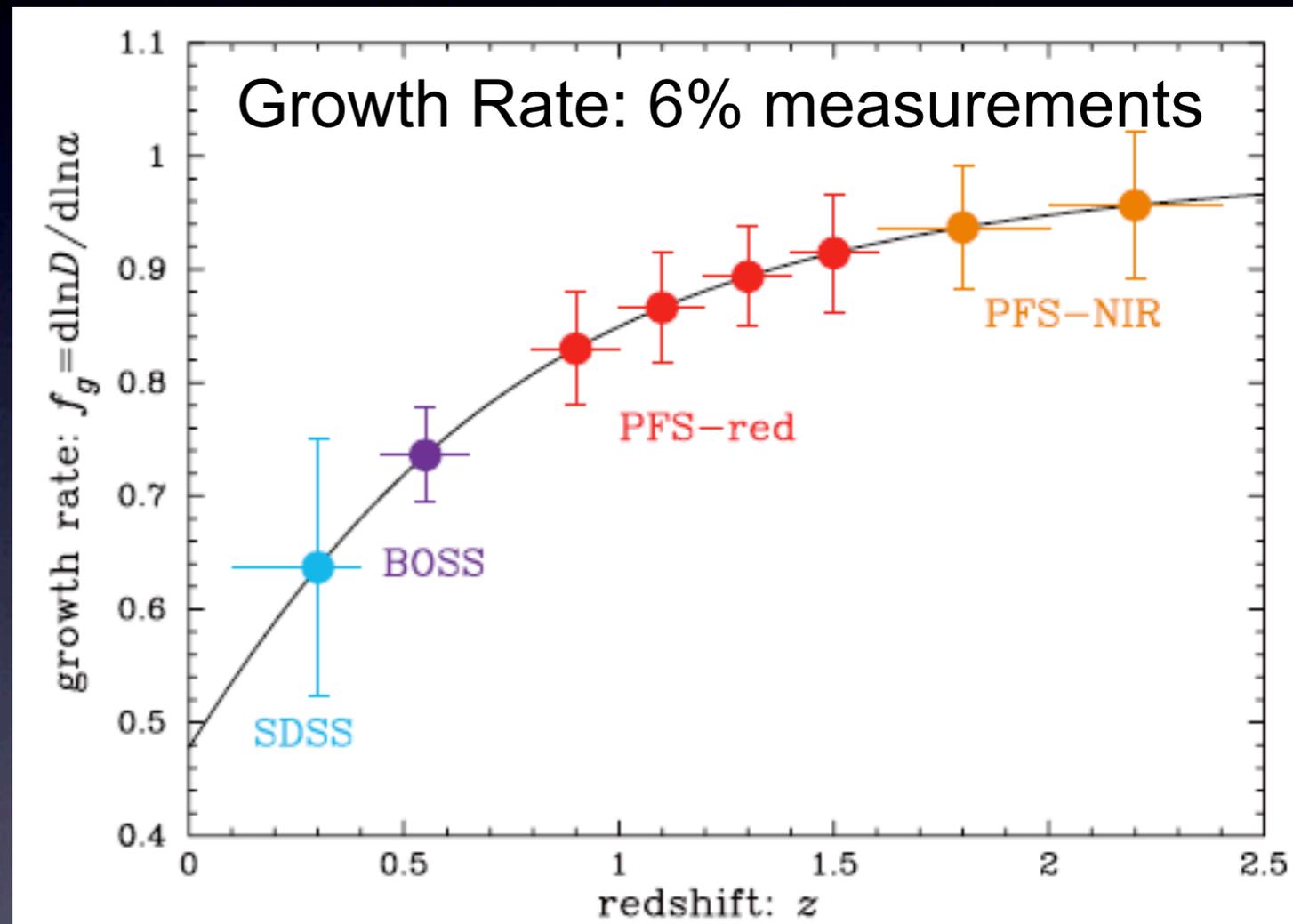
# Prime Focus Spectrograph (PFS)



**Subaru Telescope**  
National Astronomical Observatory of Japan



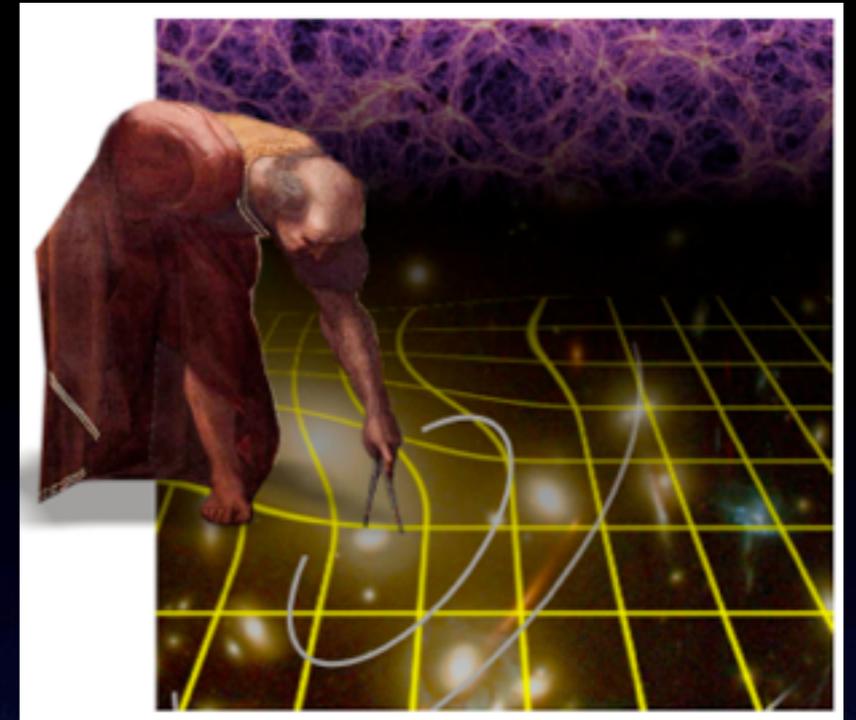
- Redshift survey of the same sky as HSC
- Main target: LRGs, OII emitters
- $0.8 < z < 2.4$  ( $9.3 \text{ Gpc}/h^3$ )
- 2400 fibers, 380nm~1300nm
- 2019-2023 (planned)



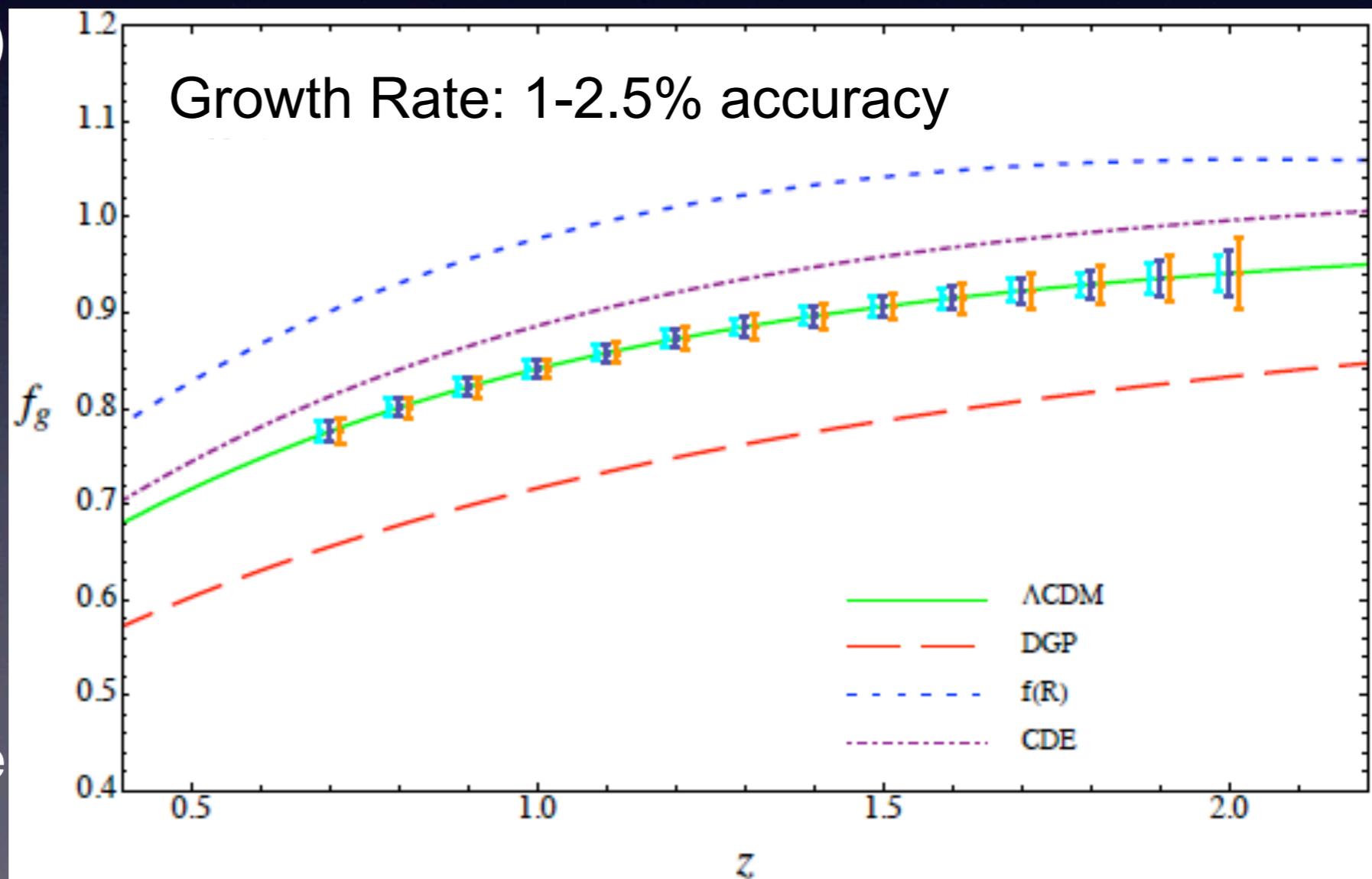
Takada et al. 2013

# Euclid

- Imaging 15,000 deg<sup>2</sup> sky, 40gals/arcmin<sup>2</sup>
- Spectrum of 70M H $\alpha$  emitters at  $0.5 < z < 2$
- 1.2m telescope
- FoV 0.5deg<sup>2</sup>, rizYJH(550nm~1800nm)
- 0.2-0.3" pixel size
- 2023-2028 (planned)



Euclid White Paper  
(arXiv:1206.1225)



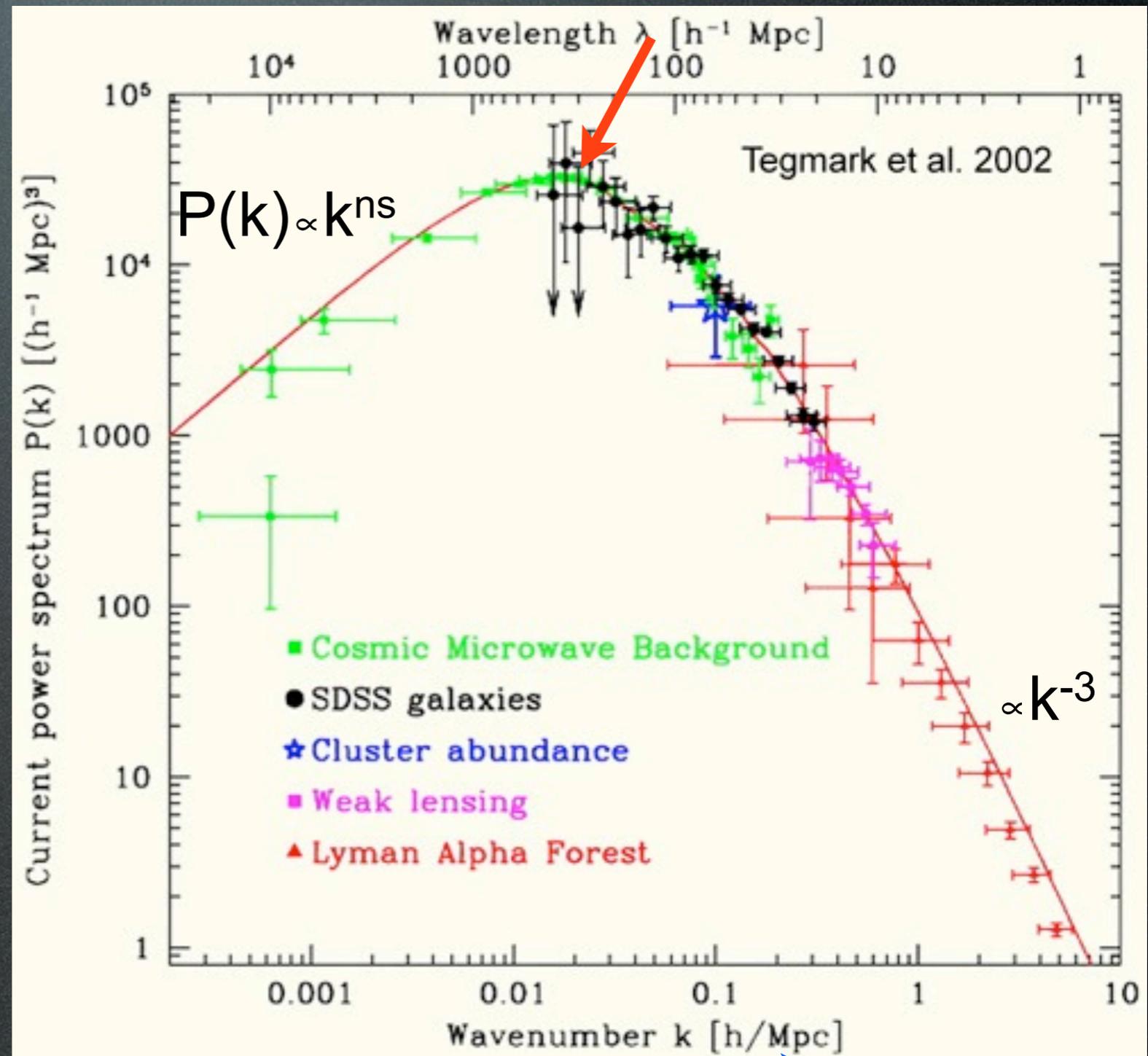
# Power spectrum of Large-Scale Structure

$$P(k) = \langle |\delta_k|^2 \rangle$$

Amplitude of the fluctuation at the wavenumber of  $k$

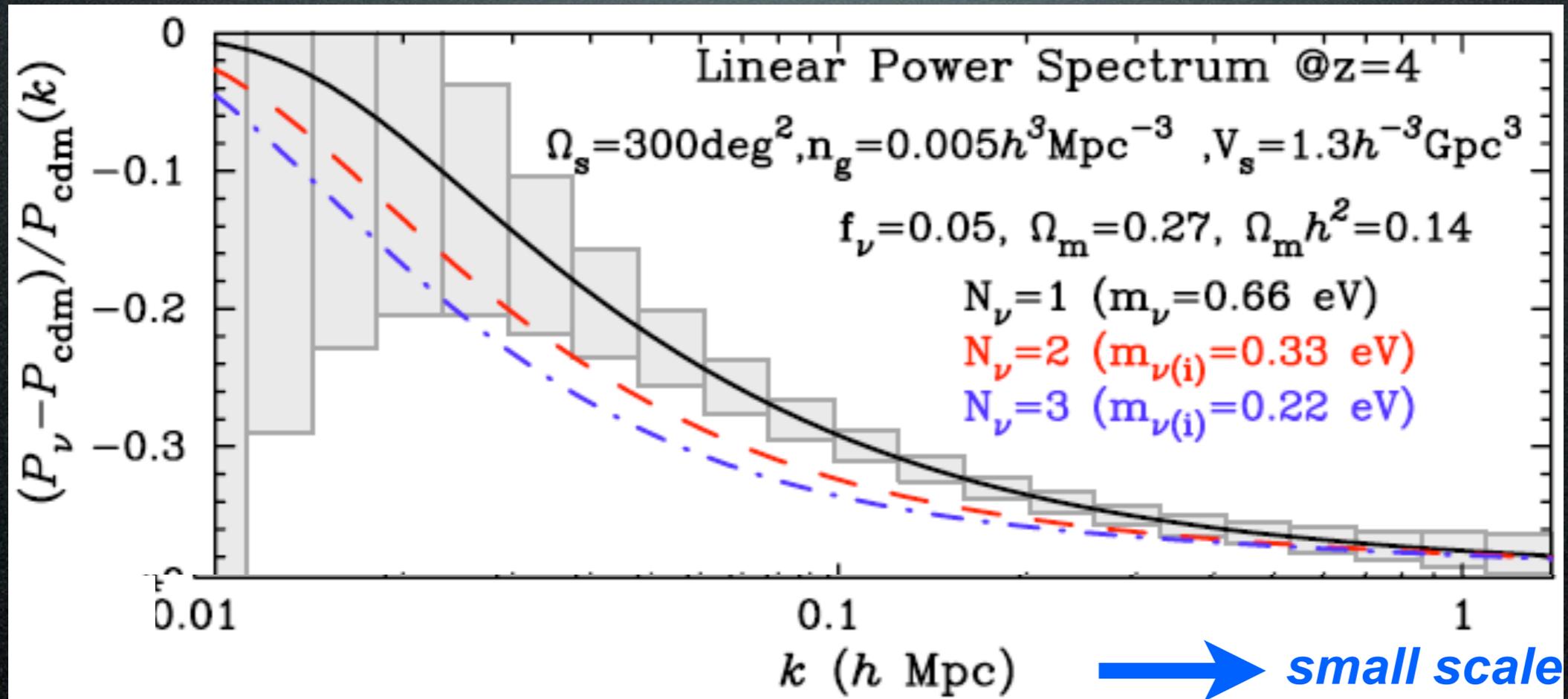
Power spectrum of LSS has been measured from different observations at wide range of scales

horizon scale at matter-radiation equality time



→ small scale

# Free-streaming damping of the LSS power spectrum



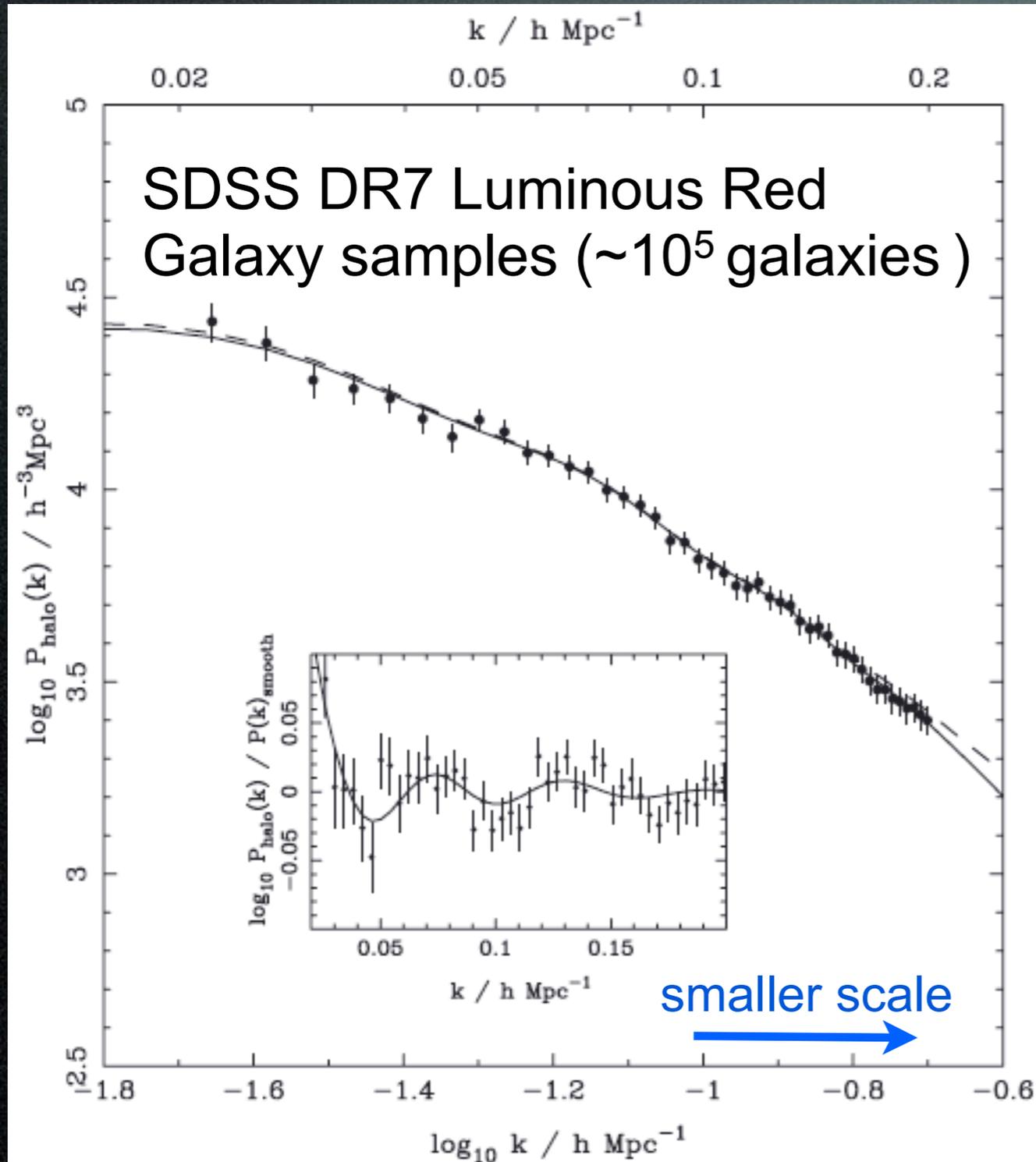
Takada, Komatsu, Futamase 2006

Small-scale suppression of the matter power spectrum is sensitive to the neutrino mass

$$\frac{\Delta P}{P} \sim 8f_\nu$$

$$f_\nu \equiv \frac{\Omega_\nu}{\Omega_m} = 0.05 \left( \frac{N_\nu^{\text{nr}} m_\nu}{0.658 \text{ eV}} \right) \left( \frac{0.14}{\Omega_m h^2} \right)$$

# Constraints on total neutrino mass



Reid et al. 2010

Current constraints  
SDSS/BOSS CMASS  
 $m_{\nu, \text{tot}} < 0.34 \text{eV}$   
(Gong-Bo et al. 2012)

Future prospects

Subaru PFS:  $\Delta m_{\nu, \text{tot}} = 0.13 \text{eV}$

Euclid:  $\Delta m_{\nu, \text{tot}} = 0.02 \text{eV}$

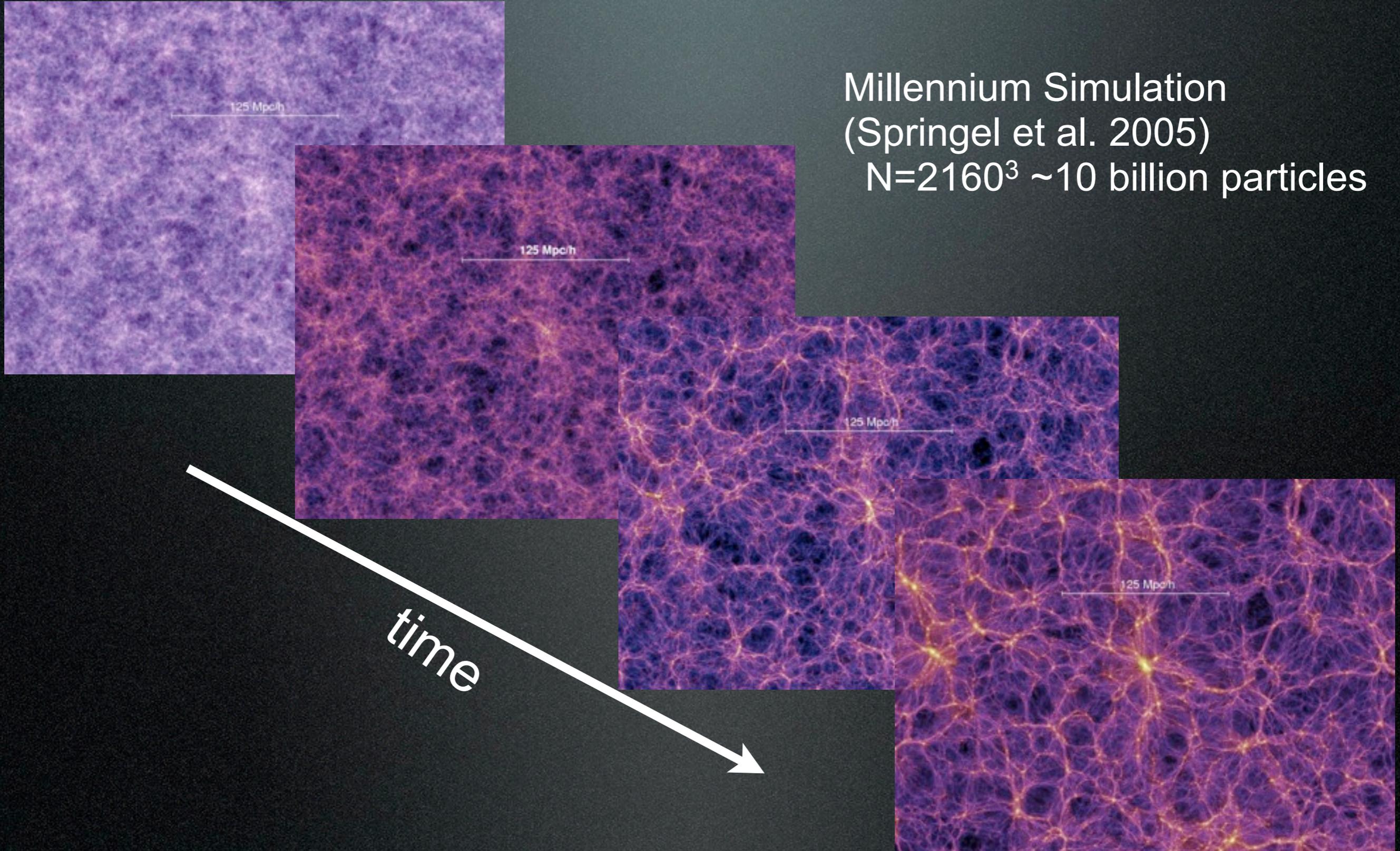
# Systematic uncertainty

In order to achieve these goals, we have to control systematic uncertainties at percent-level accuracy:

1. Nonlinear Gravity
2. Uncertainty between galaxy redshift and matter distribution
  - a) Galaxy biasing
  - b) Fingers-of-God: nonlinear redshift distortion due to the random motion of galaxies

# 1. N-body simulations

Millennium Simulation  
(Springel et al. 2005)  
 $N=2160^3 \sim 10$  billion particles



# Lagrangian Perturbation theory

$$\mathbf{x}(\mathbf{q}, t) = \mathbf{q} + \Psi(\mathbf{q}, t).$$

displacement field

Equation of motion

$$\frac{d^2\Psi}{dt^2} + 2H\frac{d\Psi}{dt} = -\nabla_x \phi[\mathbf{q} + \Psi(\mathbf{q})],$$

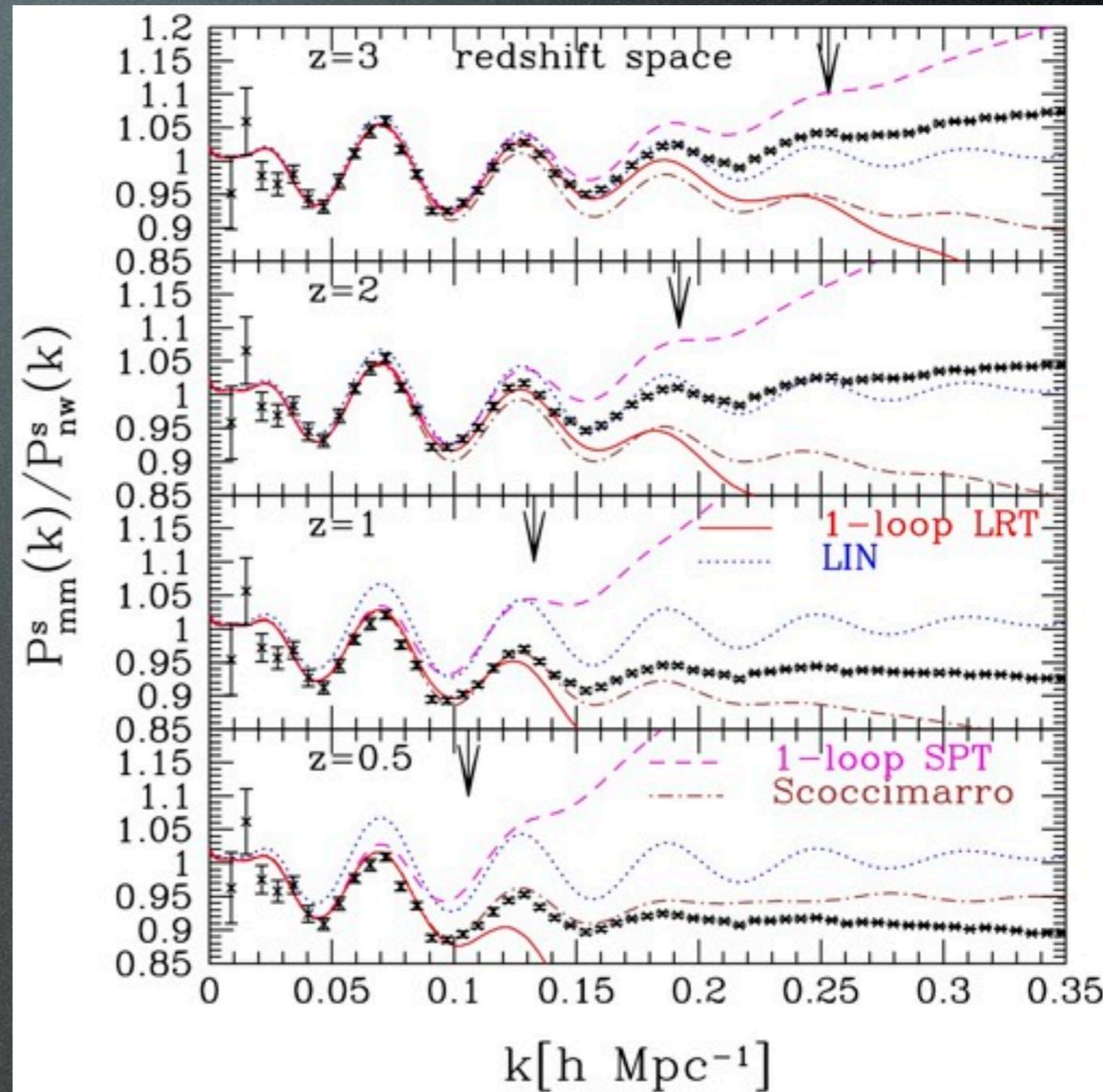
Poisson equation

gravitational potential

$$\nabla_x^2 \phi(\mathbf{x}) = 4\pi G \bar{\rho} a^2 \delta(\mathbf{x}),$$

$$\Psi = \Psi^{(1)} + \Psi^{(2)} + \Psi^{(3)} + \dots,$$

Matsubara 2008



Sato & Matsubara 2011

The perturbation agree with simulation results upto  $k=0.1\sim 0.2h/\text{Mpc}$  in a percent-level accuracy

# 2a. Galaxy Biasing

Relationship between galaxy number density  $\delta_g$  and mass density  $\delta_m$

## Linear Biasing

$$\delta_g = b\delta_m \text{ (Kaiser 1984)}$$

## Nonlinear Biasing

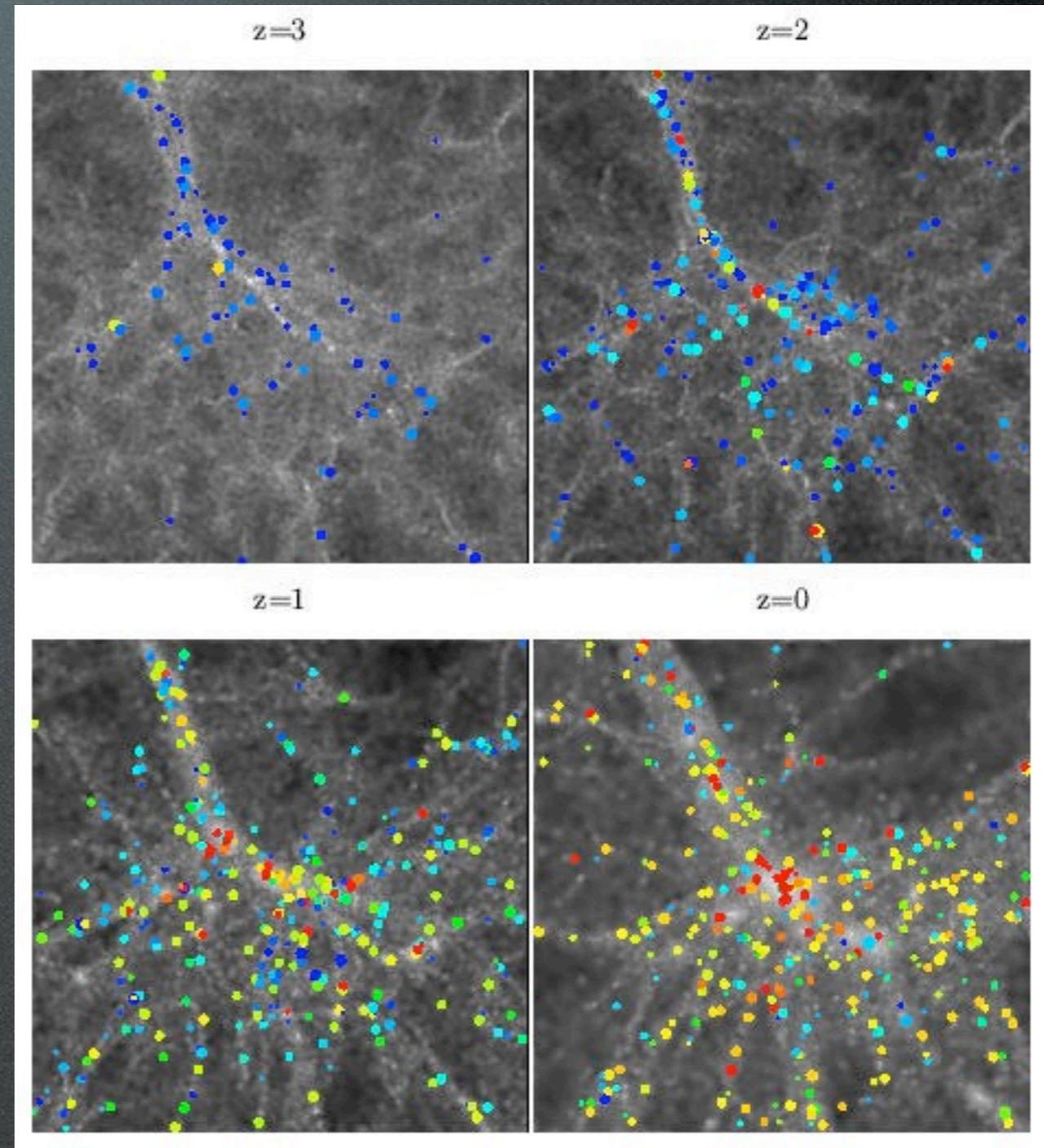
$$\delta_g = b_1\delta_m + b_2\delta_m^2 + \dots$$

(Fry & Gaztanaga 1993)

## Nonlinear Stochastic Biasing

$$P(\delta_g|\delta_m)$$

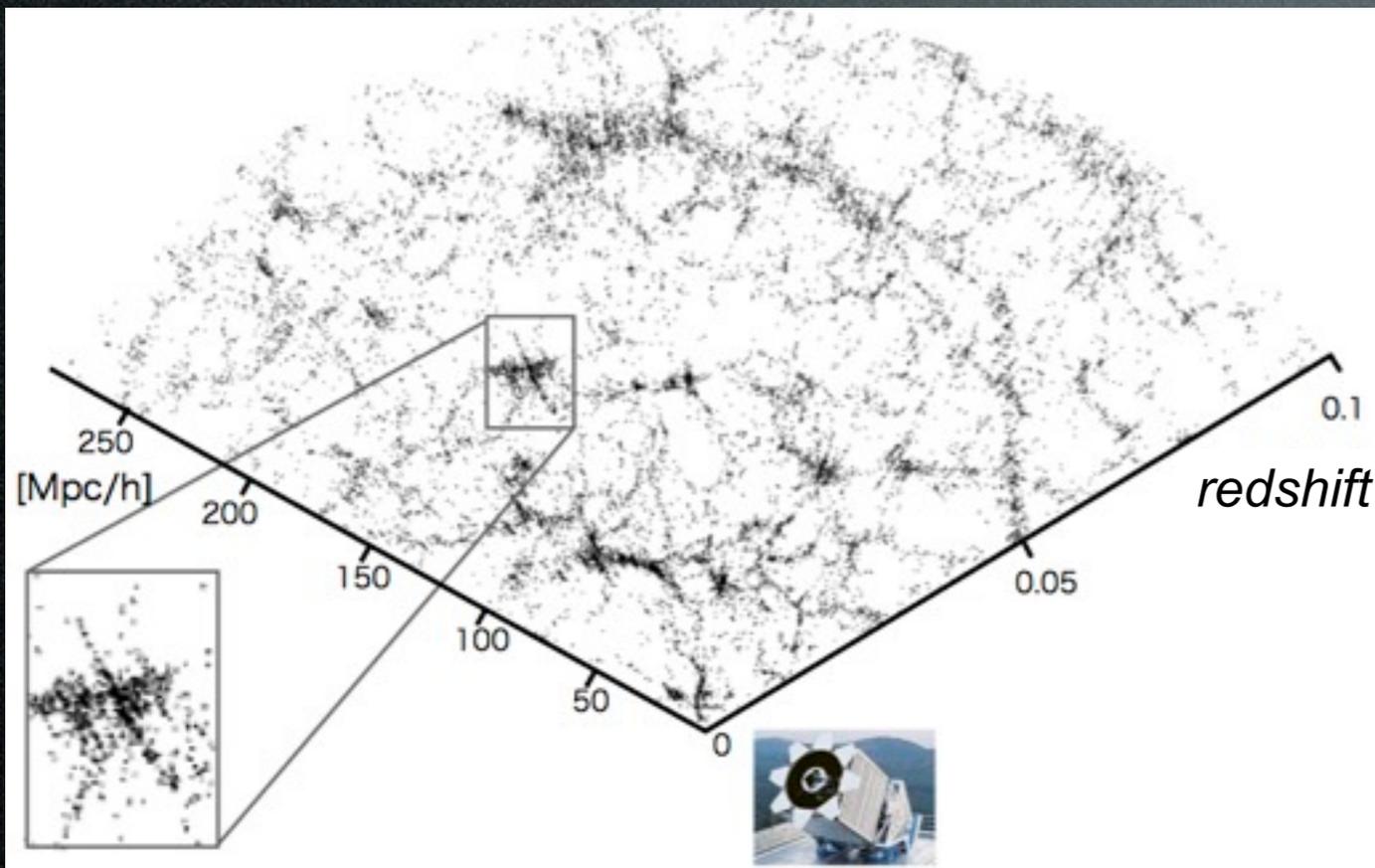
(Dekel & Lahav 1999)



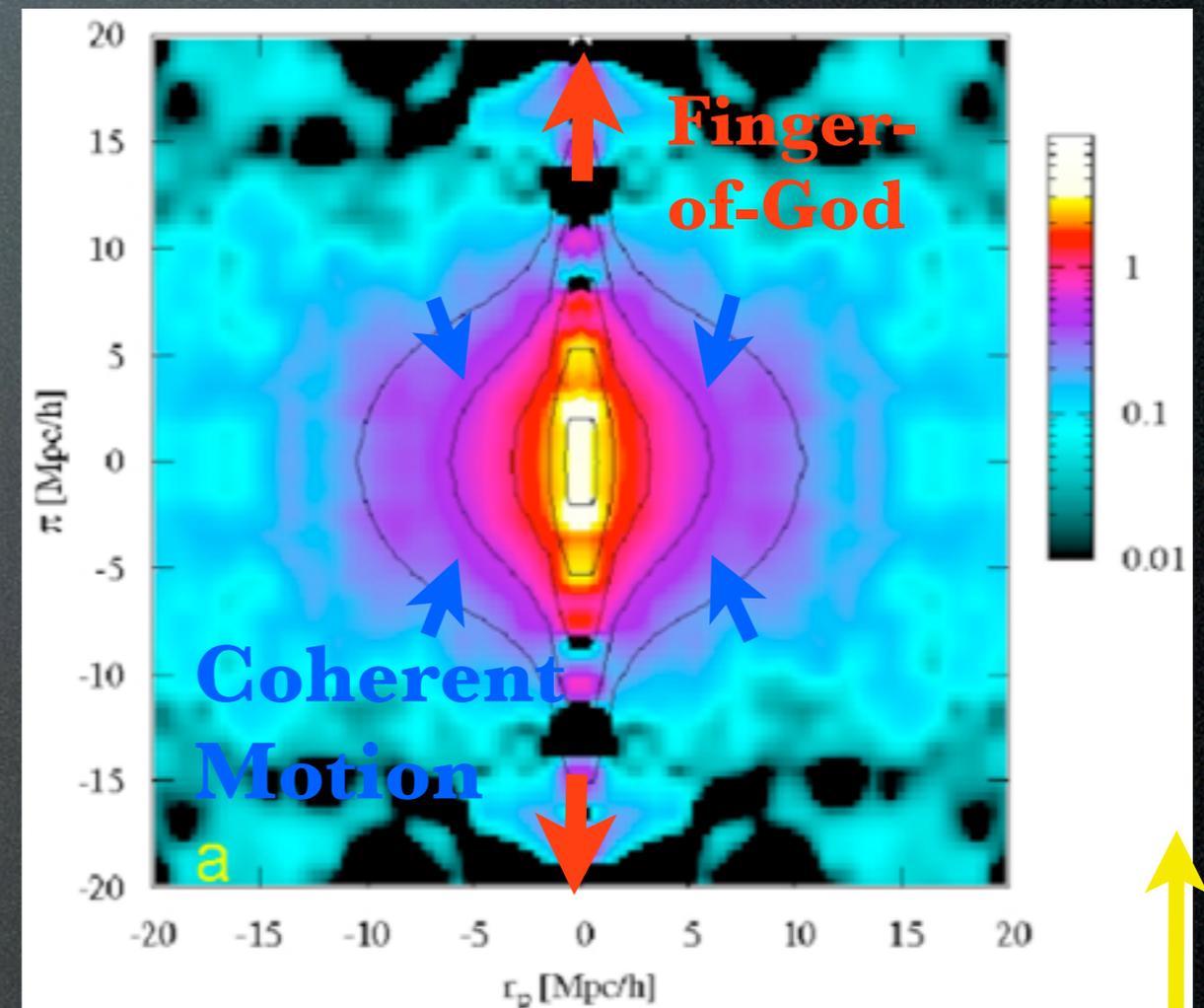
*Colberg et al.*

# 2b. Fingers-of-God (FoG)

Nonlinear redshift distortion due to **the internal motion of satellite galaxies** in their hosted dark matter halo



Fingers-of-God effect



*Guzzo et al. 2008*

line-of-sight

2-Point Correlation Function VVDS-Wide Survey (6000 gals,  $0.6 < z < 1.2$ ,  $4 \text{deg}^2$ )

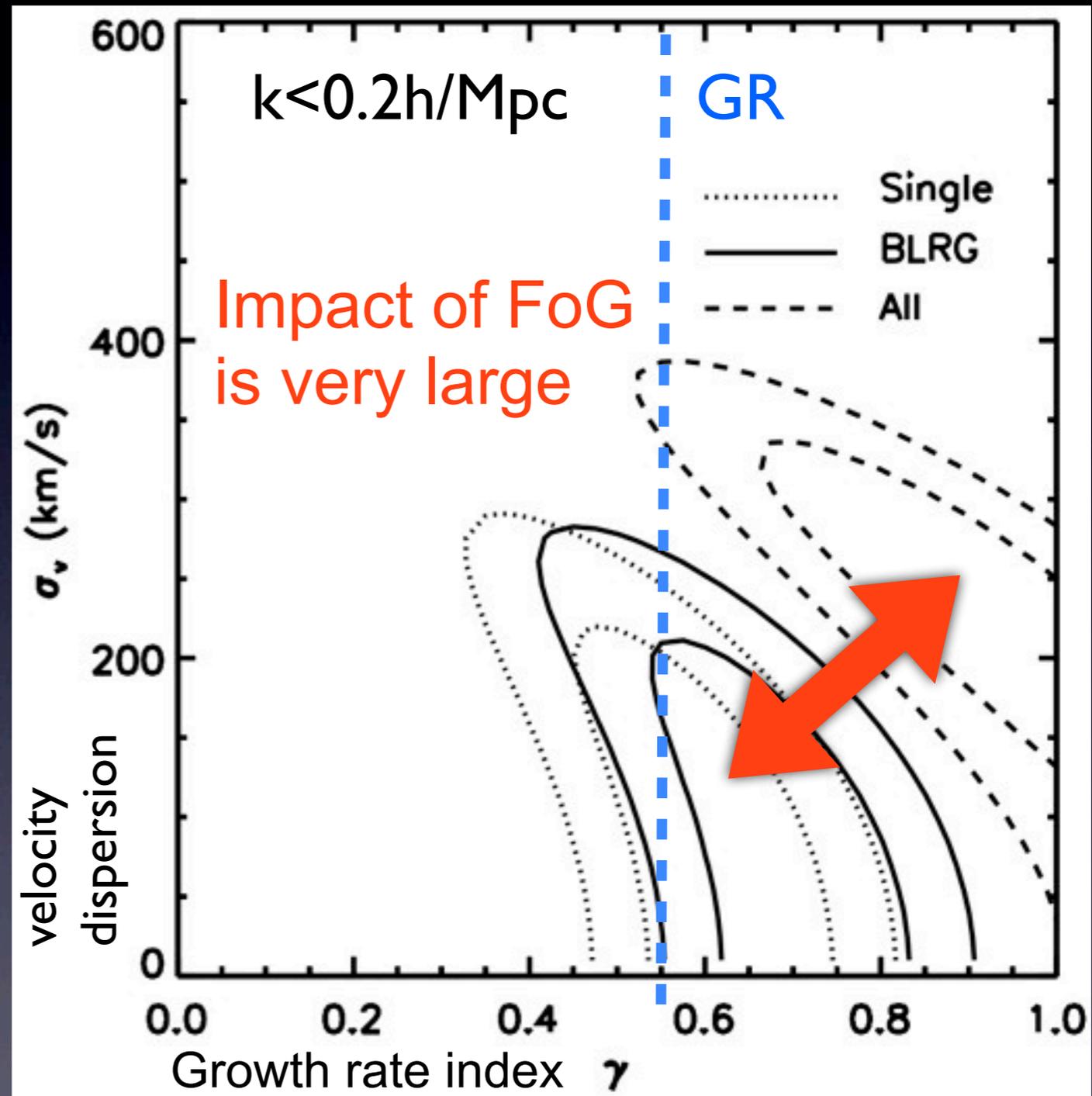
# Impact of FoG on Growth Rate measurement

SDSS DR7 Luminous Red Galaxy (LRG) sample ( $0.16 < z < 0.47$ )

Grouping nearby LRGs using counts-in-cylinder method (Reid & Spergel 2010)

- 1) **ALL** : All LRGs (satellite galaxies are included)
- 2) **BLRG** : Brightest LRG in each LRG group
- 3) **Single** : Single LRG systems only (most of satellite galaxies are removed)

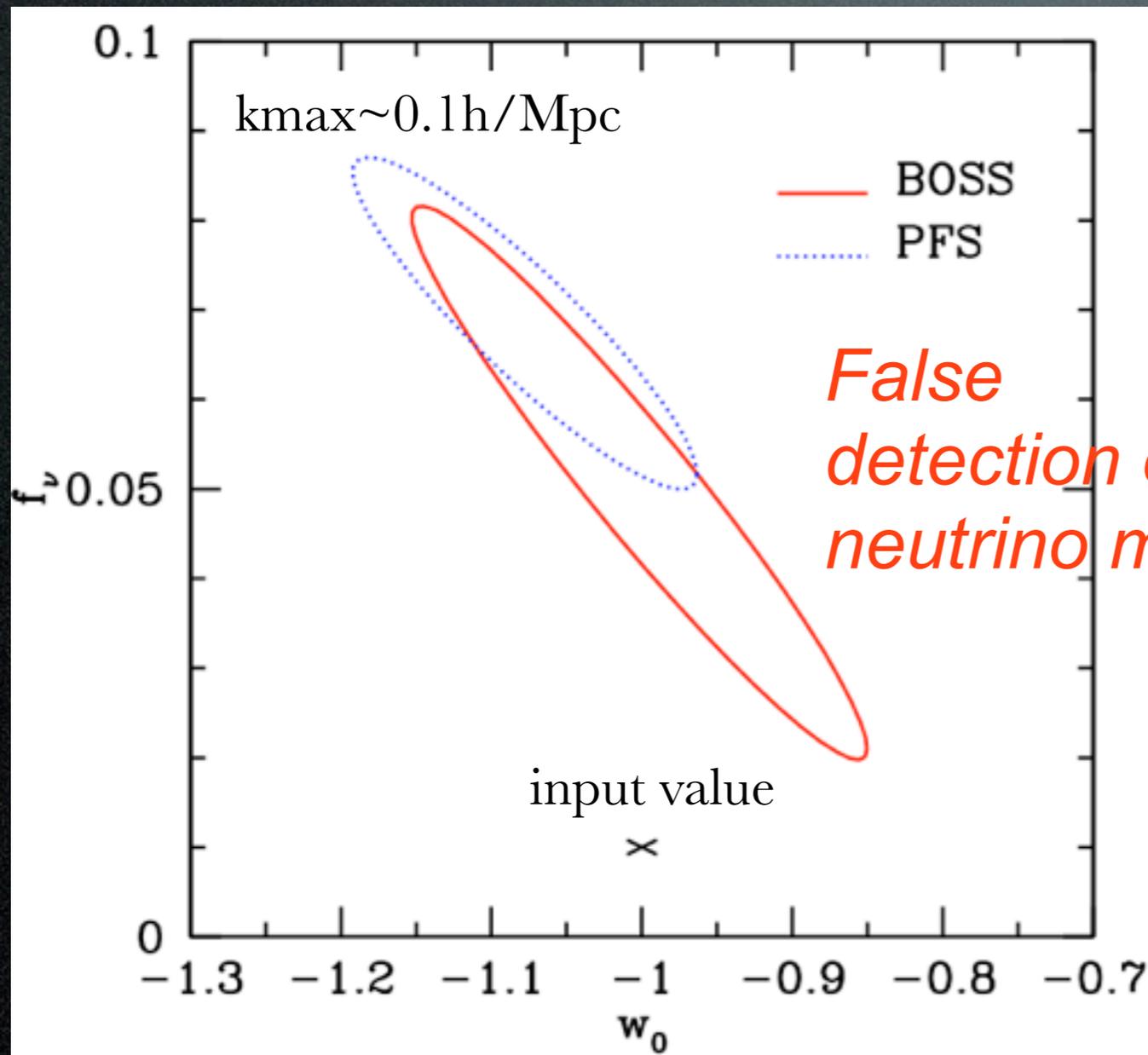
Difference among the samples is just  $\sim 5\%$  satellite galaxies



CH & Yamamoto (2013)

FoG damping assuming Lorentzian form (velocity dispersion  $\sigma_v$  is free parameter)

# Impact of FoG effect on neutrino mass measurement

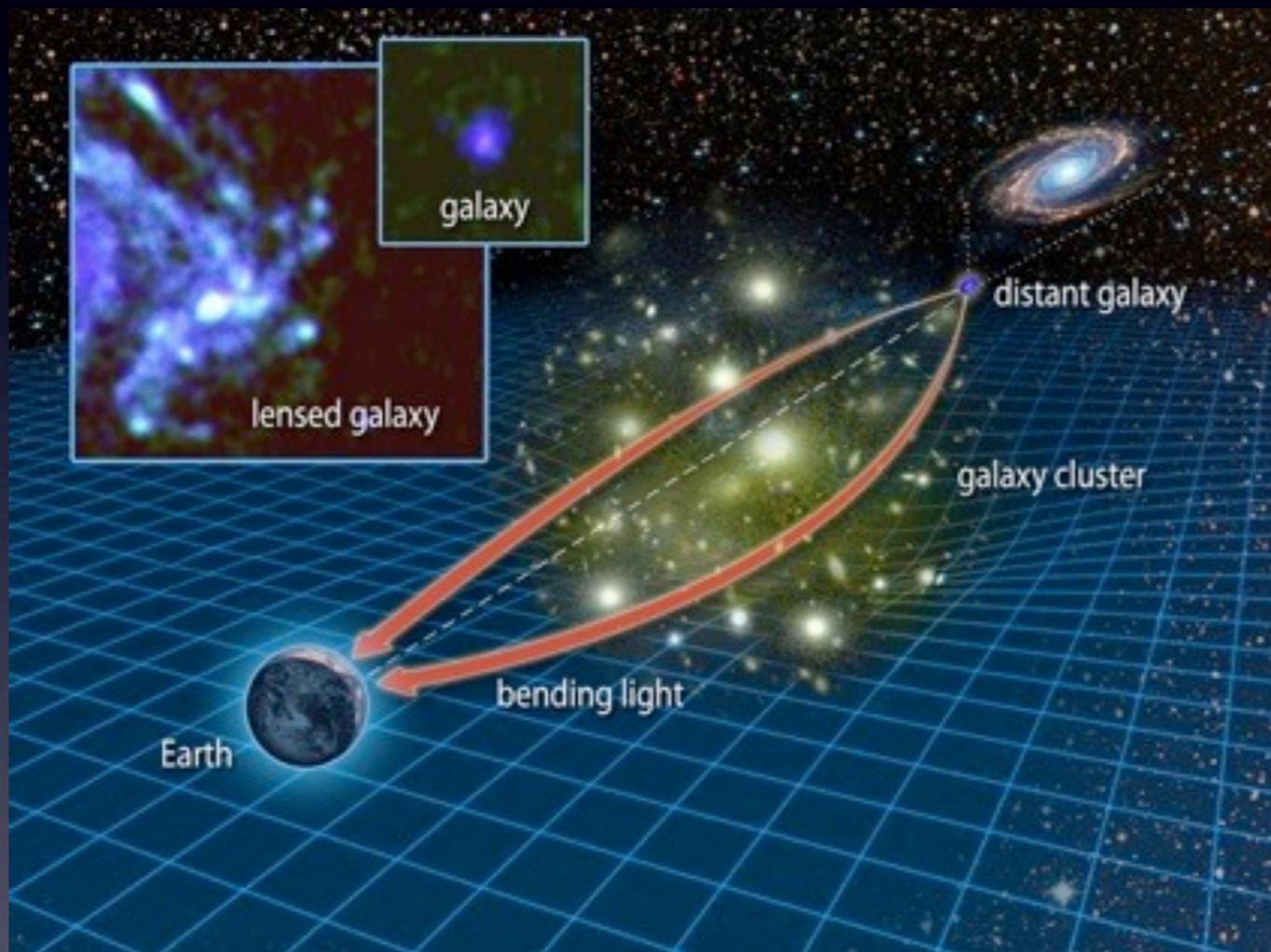


FoG damping mimics the free-streaming damping of neutrinos

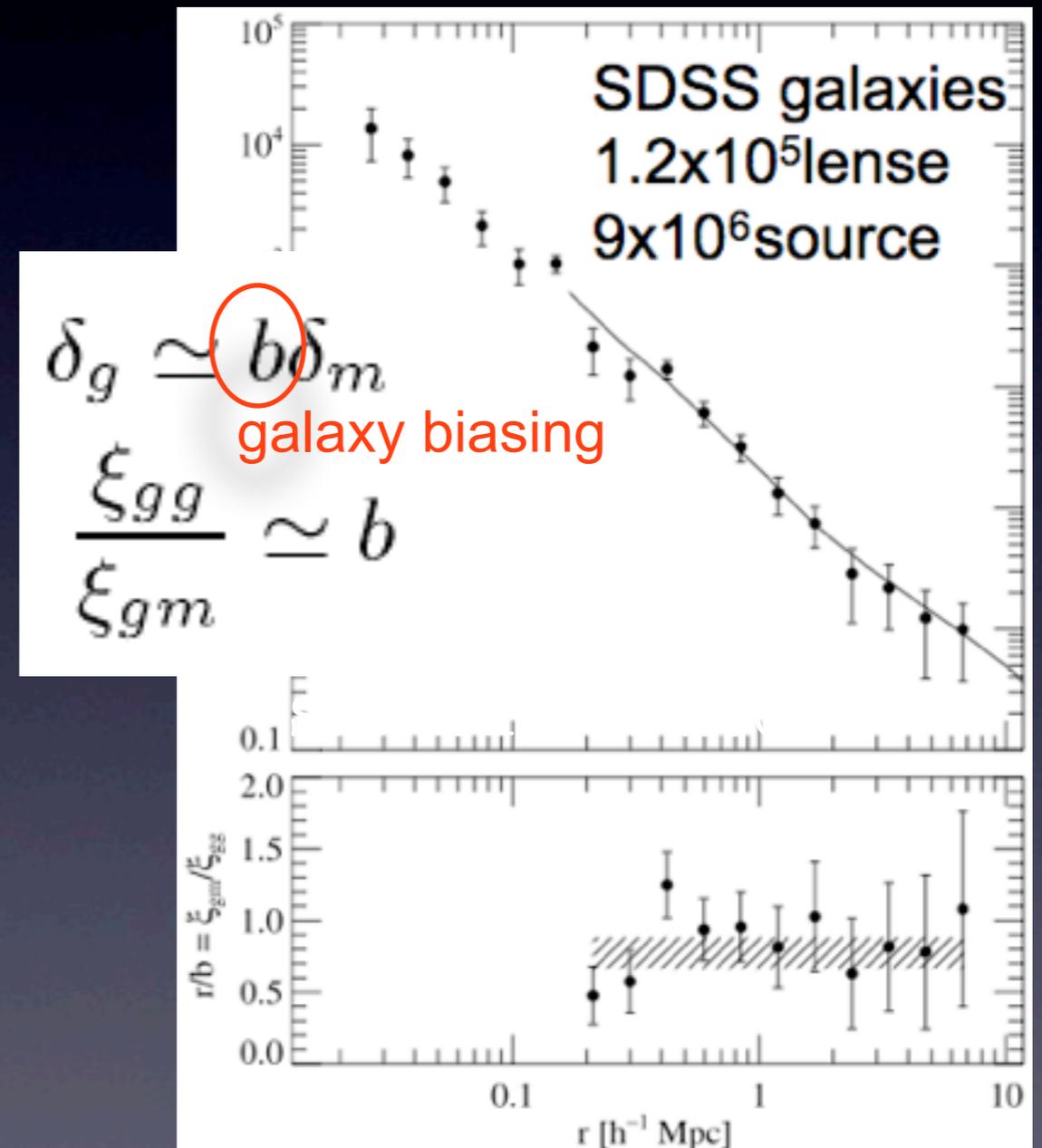
CH, Takada, Spergel (2012)

# Galaxy-Galaxy lensing

Cross correlation of foreground galaxies and background galaxy images

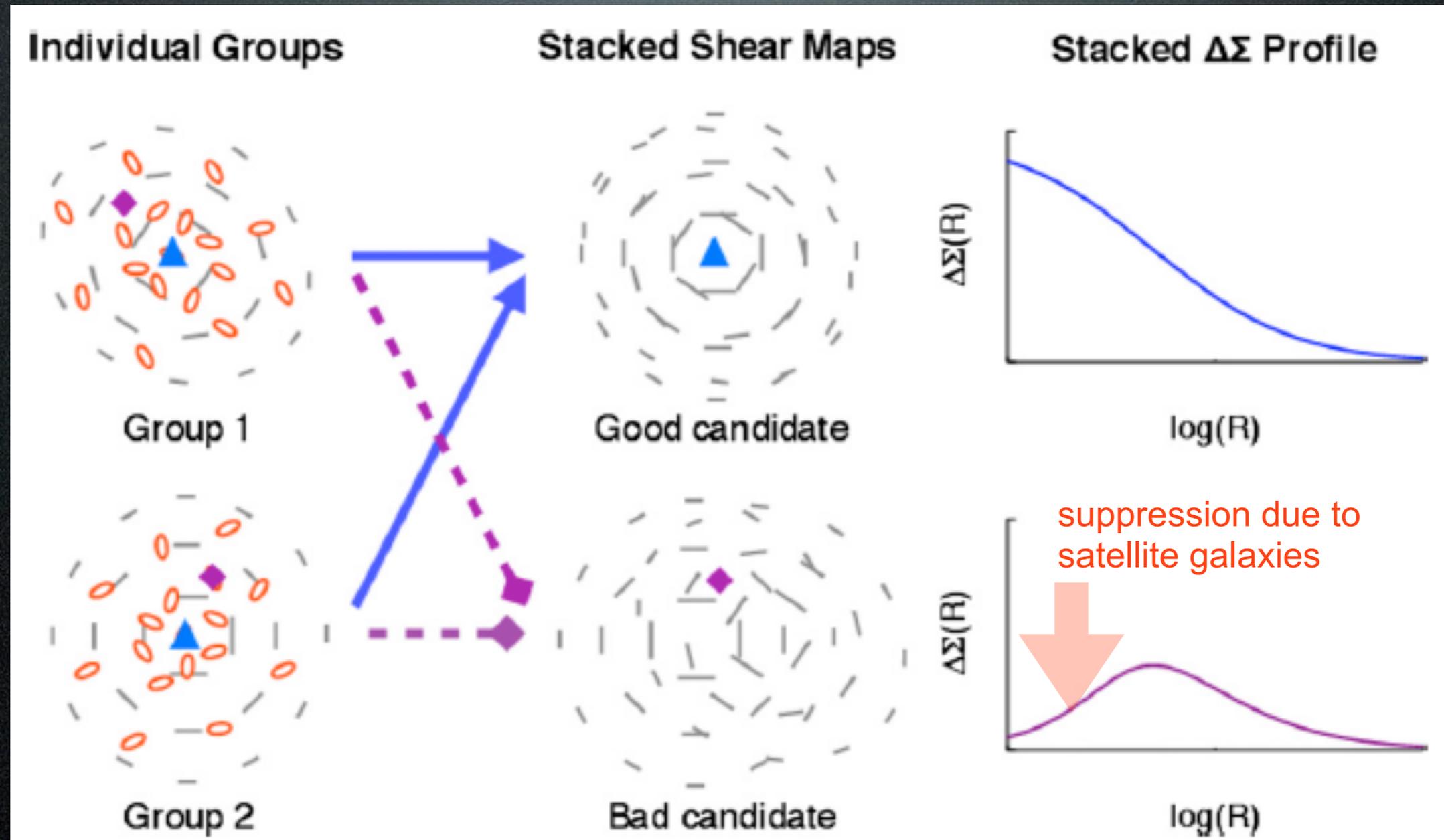


Credit: Karen Teramura, U Hawai IfA



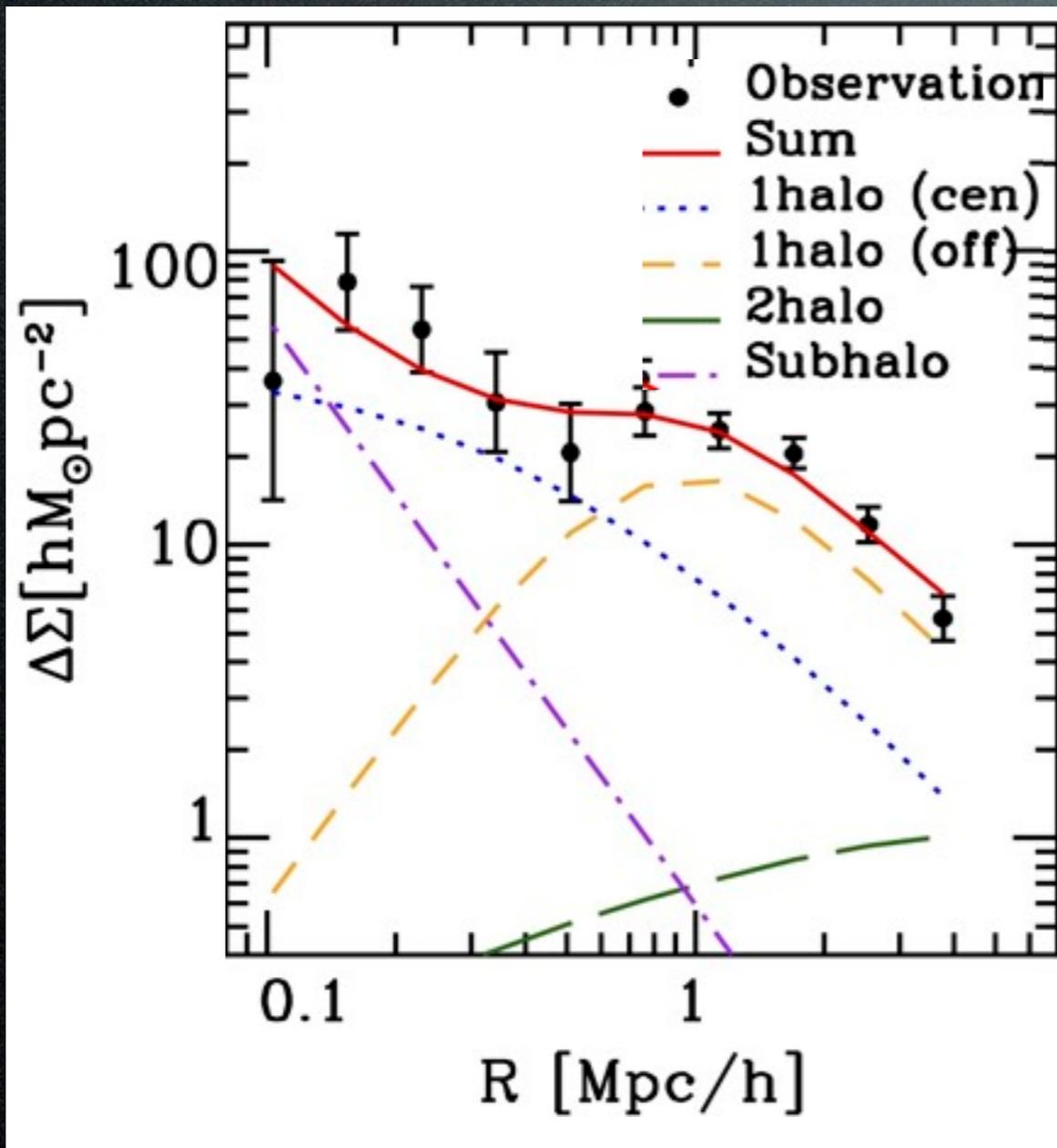
Galaxy-galaxy lensing clarify the relationship between galaxies and matter

# Effect of satellite galaxies on stacked galaxy-galaxy lensing

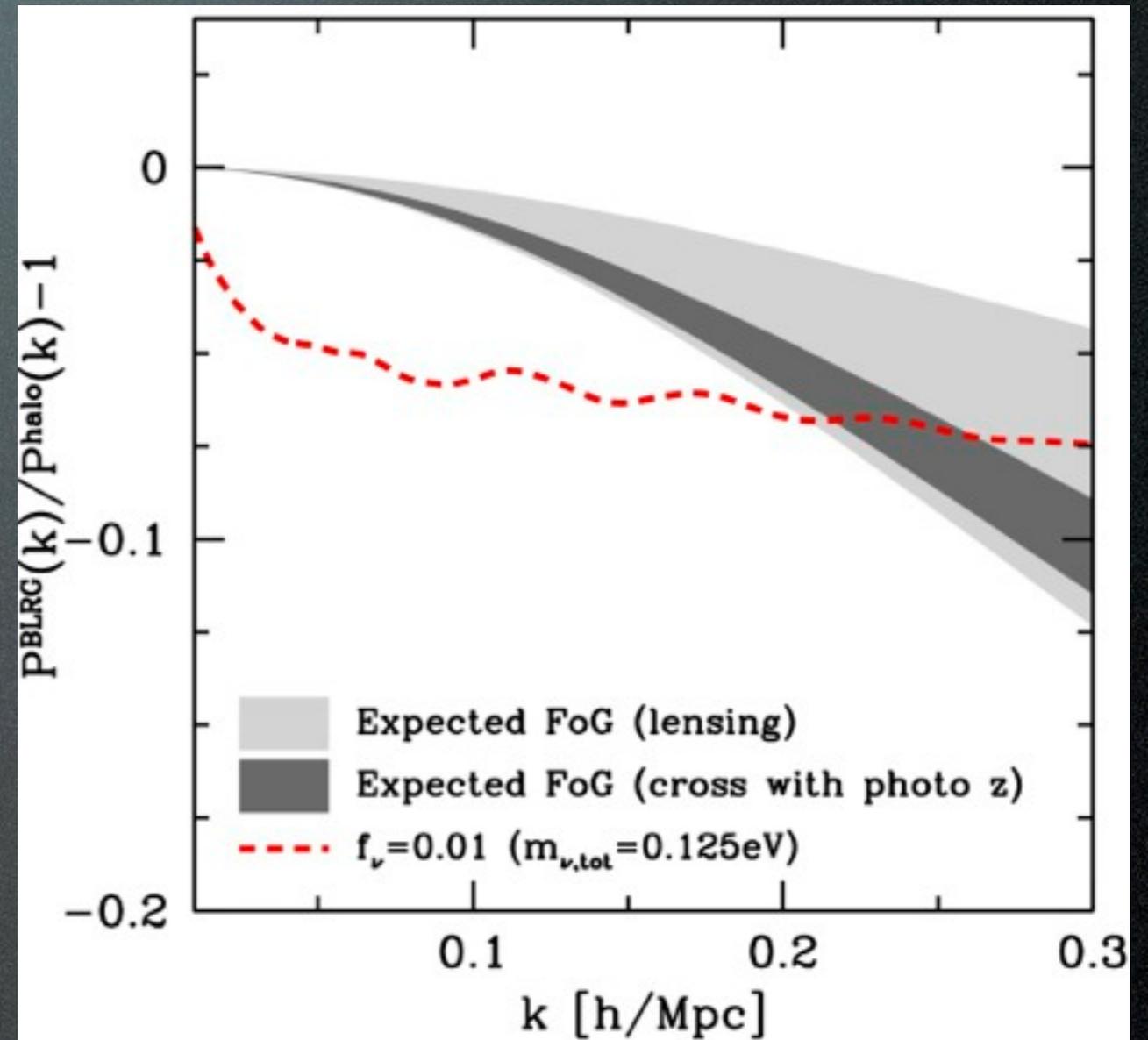


Galaxy-galaxy lensing/cross-correlation can be used to calibrate the satellite FoG effect

# Constraints on satellite FoG effect



FoG damping ratio



CH, Mandelbaum, Takada, Spergel (2013)

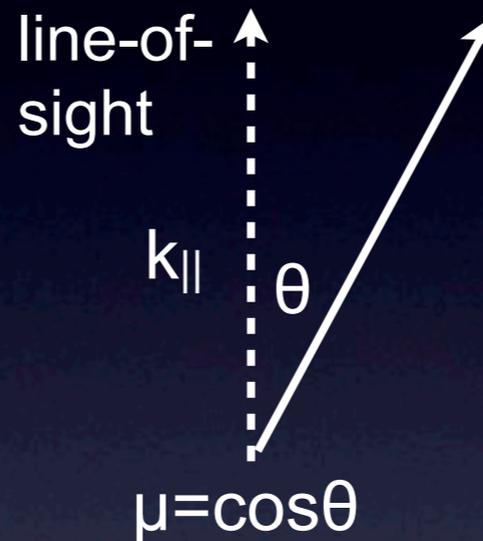
FoG suppression reaches 10% at  $k=0.2h/Mpc$ , which is comparable to the free-streaming damping due to neutrinos with  $m_{\nu,tot}=0.104eV$

# Anisotropy of Galaxy clustering

Multipole expansion of galaxy power spectra or correlation functions around the line-of-sight

$$P_\ell(k) = \frac{1}{2} \int_{-1}^{+1} P(k, \mu) \mathcal{L}_\ell(\mu) d\mu,$$

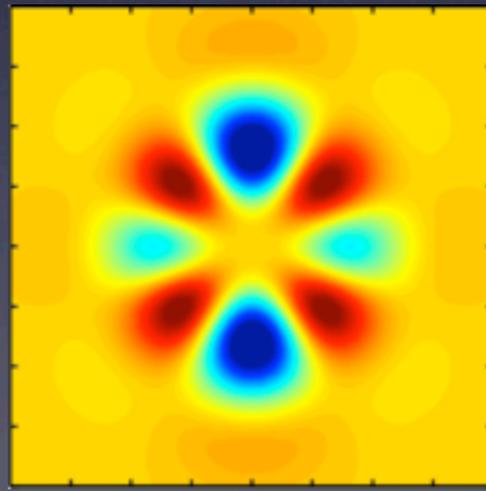
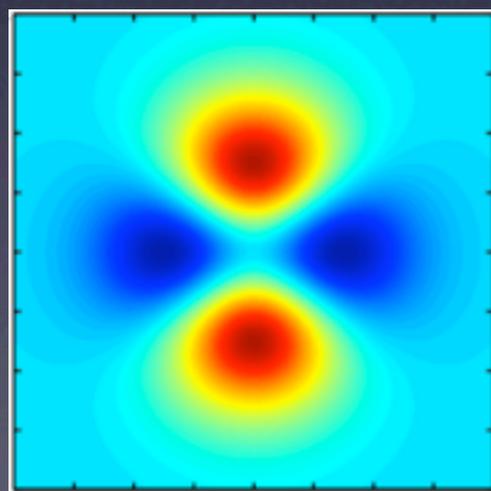
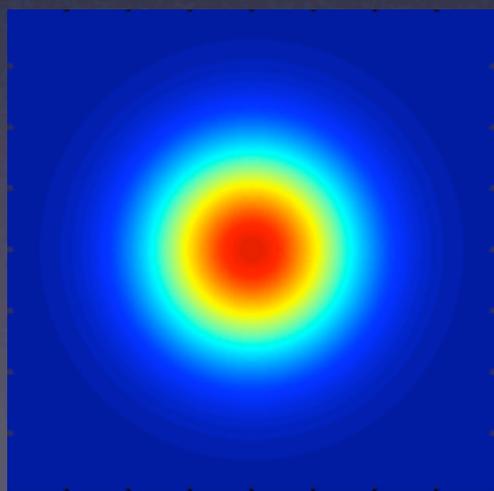
$\mathcal{L}_\ell$ : Legendre polynomials



$P_0$ : monopole

$P_2$ : quadrupole

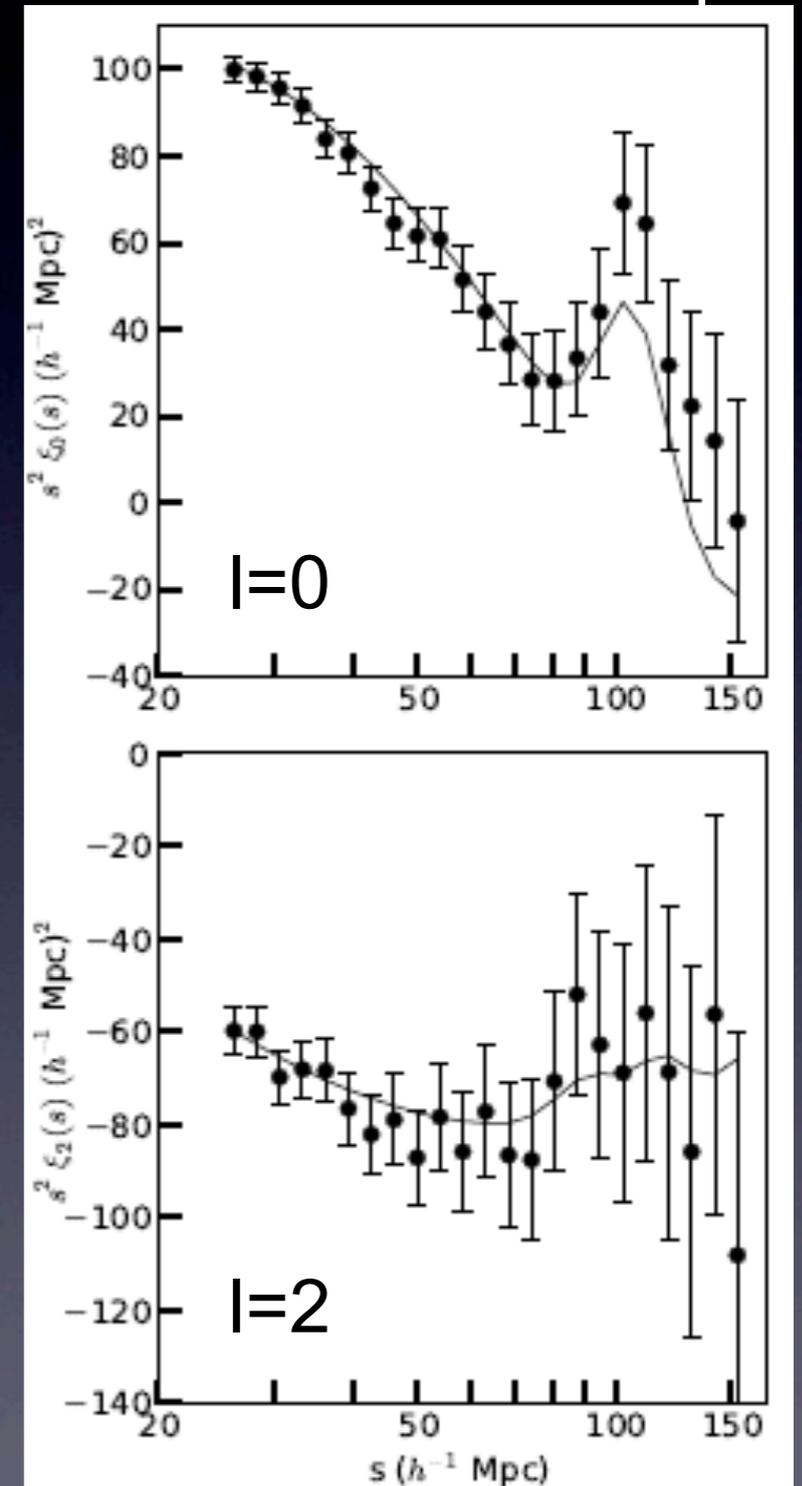
$P_4$ : hexadecapole



isotropic components

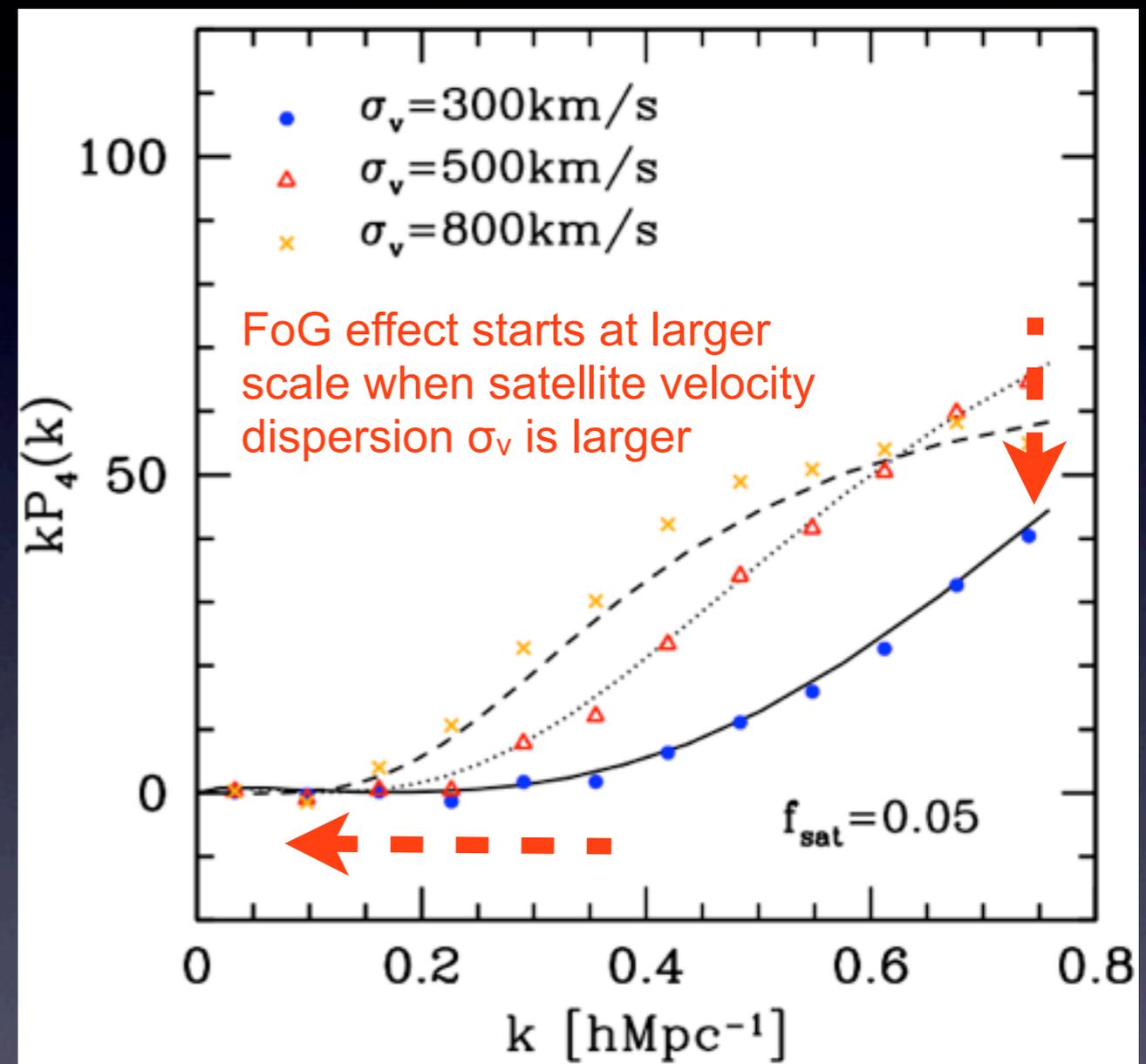
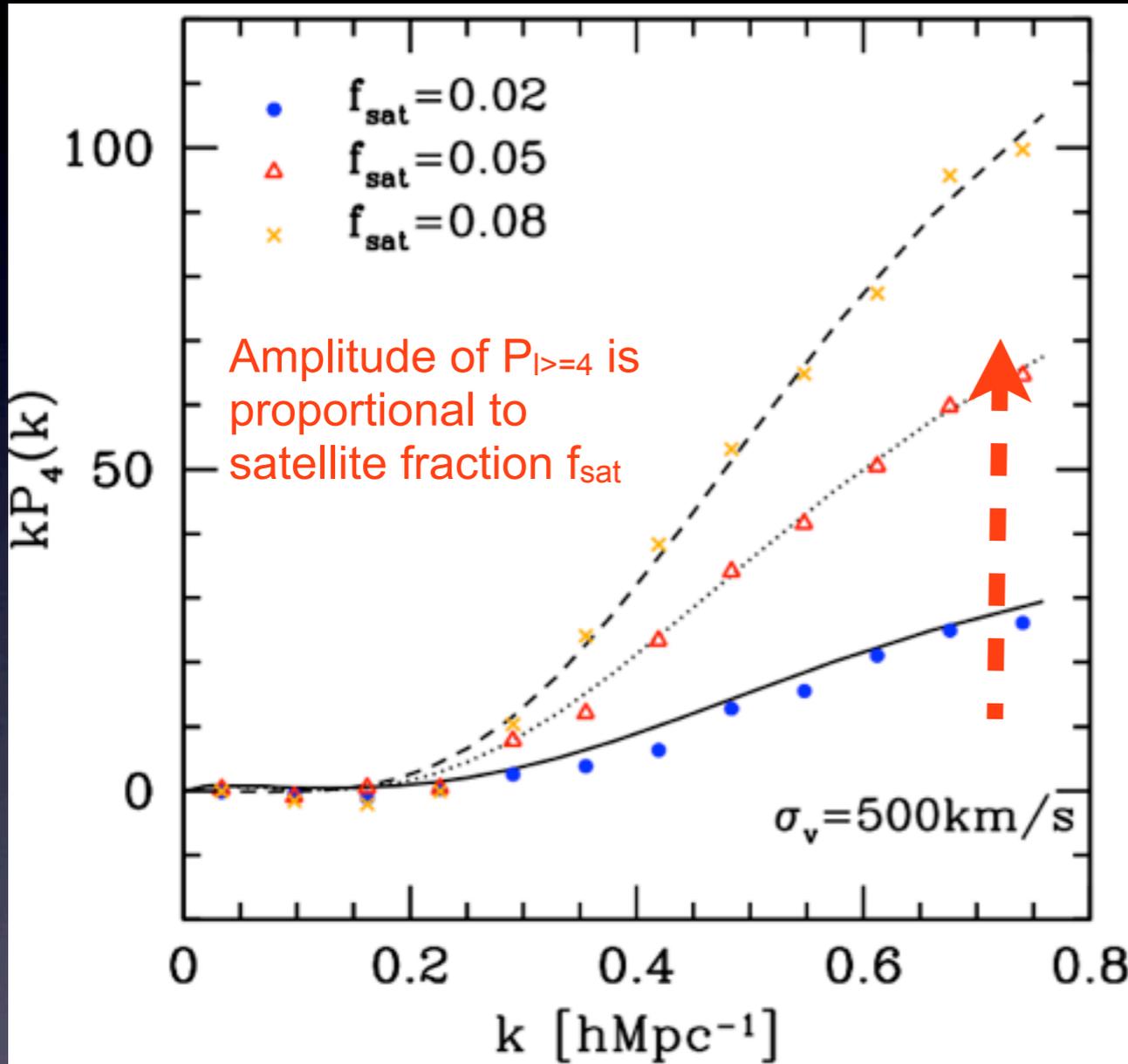
Anisotropic components

BOSS CMASS sample



Reid et al. 2012

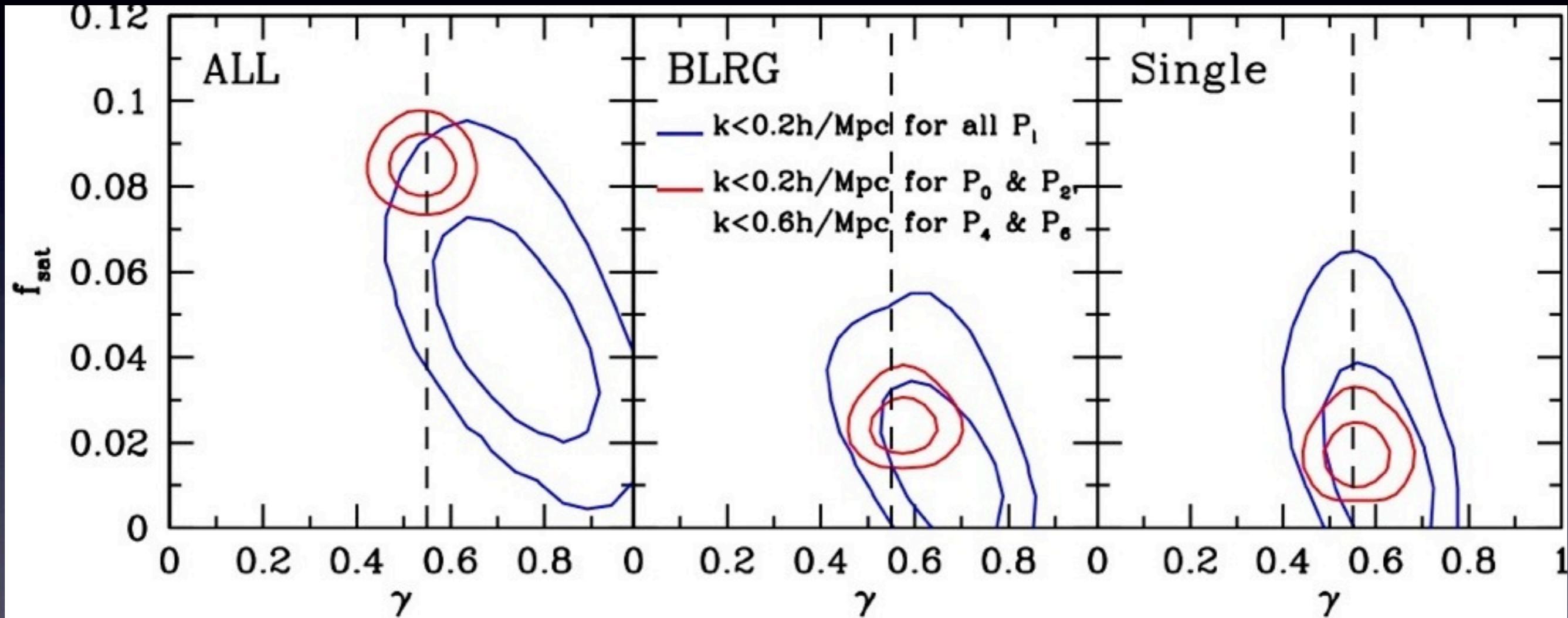
# $P_4$ as a probe of satellite fraction



Multipole power spectra with  $l \geq 4$  are good probes of satellite fraction and velocity dispersions

# Improvement of growth rate measurement using $P_4$ & $P_6$

SDSS DR7 LRG samples



fitting parameter:  $\gamma, f_{\text{sat}}, \sigma_{v,\text{sat}}, b_0, b_1$

*C.H. & K. Yamamoto 2013*

Multipole power spectra ( $l \geq 4$ ) breaks the degeneracy with satellite FoGs and improves the growth rate measurement by 3 times

# Subaru Measurement of Images and REdshift (SUMIRE)

Joint Mission of Imaging and Redshift surveys using 8.2m Subaru Telescope

## Hyper-Suprime Cam (HSC)

- 1400 deg<sup>2</sup> sky (overlap w ACT, BOSS)
- 30gals/arcmin<sup>2</sup>,  $z_{\text{mean}}=1$ ,  $i \sim 26(5\sigma)$
- 1.5 deg FoV, grizy band, 0.16"pix,
- 2014-2018

## Prime Focus Spectrograph (PFS)

- 1400 deg<sup>2</sup> of sky (overlap with HSC)
- Redshift of LRGs + OII emitters at  $0.8 < z < 2.4$  (9.3 Gpc/h<sup>3</sup> comoving vol)
- 2400 fibers, 380~1300nm ( $R \sim 3000$ )
- 2019-2023 (planned)



Mauna Kea, Hawaii,  
4139m alt., 0.6-0.7" seeing

# Hyper Suprime-Cam

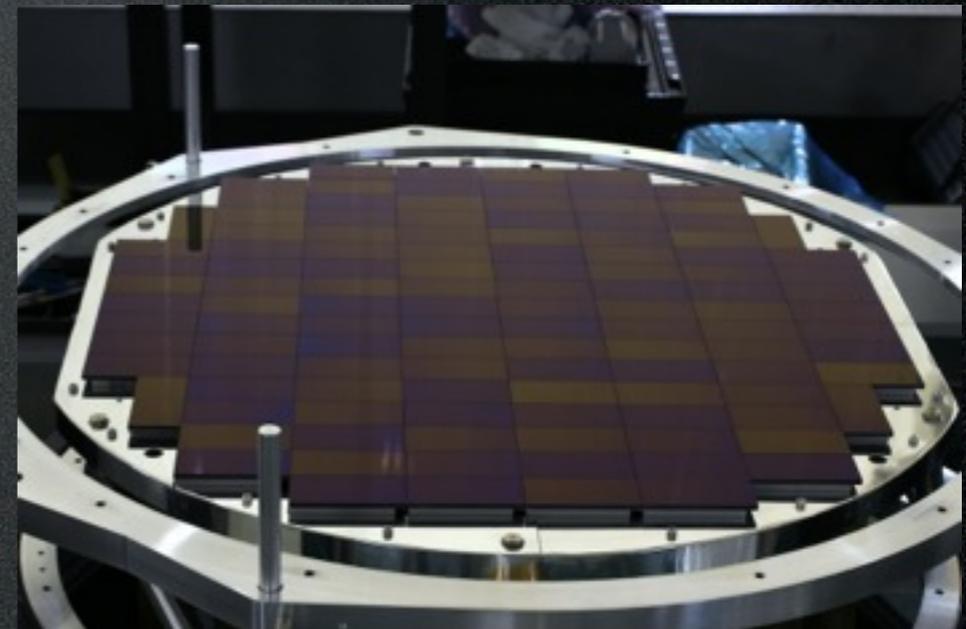
Gigantic digital camera for  
Subaru 8.2m telescope

- Pixels: 870M (116CCDs)
- FOV: 1.5deg (9 full moons)
- Resolution: 0.2 arcsec

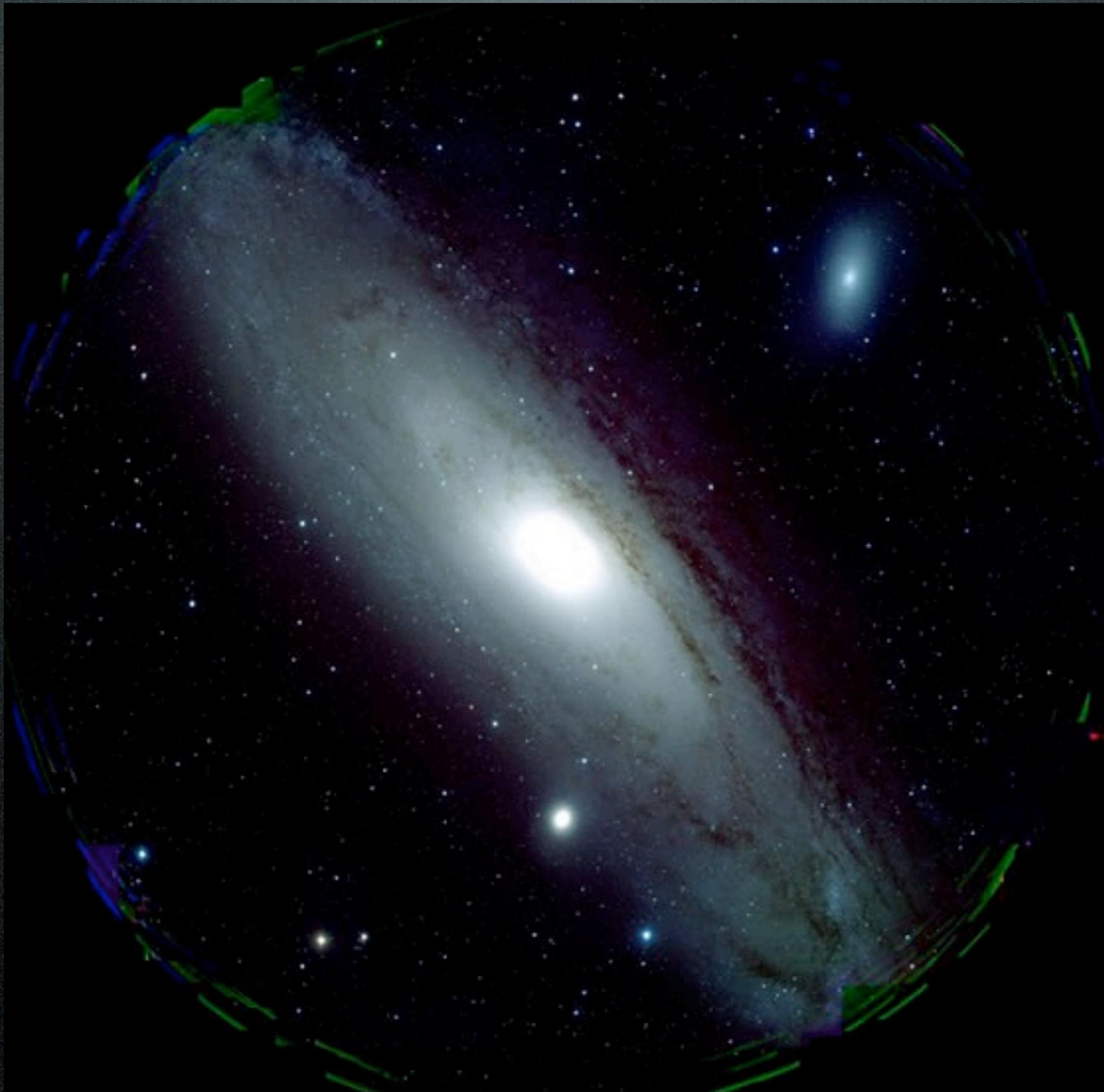
NAOJ, Hamamatsu  
Photonics, Canon, Mitsubishi



credit: NAOJ



height 3m, weight 3ton



Andromeda galaxy credit: NAOJ

# Summary

- Galaxy redshift surveys have a huge potential to provide a key insight on the nature of gravity and neutrino
- Major difficulty in this analysis comes from the systematic uncertainty in the relationship between galaxies and dark matter
  - Even when the fraction of satellite galaxies is small ( $\sim 5\%$ ), their systematic effect is important
- We develop novel methods to eliminate the systematics:
  - galaxy-galaxy lensing: cross-correlation of galaxies with background galaxy image shape
  - High- $l$  multipole power spectra  $P_{l \geq 4}$
- Near-future galaxy survey such as SuMIRe project significantly improves the accuracy of growth rate measurement and neutrino mass